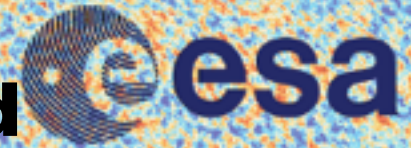




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# Quantum Inflation in the 2015 Planck Era & Beyond



*what are the degrees of freedom / parameters of the ultra early Universe? TBD*

*universe = system / signal parameters + noise / reservoir parameters*

*= coarse-grain (collective) parameters + fine-grain parameters*

*effective “field” eqns for coarse-grain system variables EFT*

*by marginalizing the fine-grain reservoir*

*=> coupling constant functions: potentials, modified kinetic energies, ...*

*feedback: coarse  $\Leftrightarrow$  fine*



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# Quantum Inflation in the 2015 Planck Era & Beyond



what are the degrees of freedom / parameters of the ultra early Universe? TBD

**70s phenomenology of gravitons = Transverse\_Traceless\_Strain quanta**

~80 phonon  $\delta\rho/\rho$  eos  $\Rightarrow$  sb89, bb15  $\zeta_{NL} = \ln(\rho a^{3(1+w)})/3(1+w) \leq dE+pdV$



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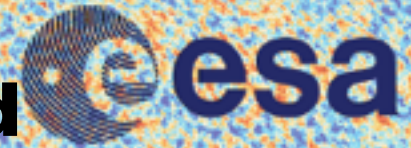
**Trace\_Strain quanta of isotropic volume  $\delta Vol / Vol$**

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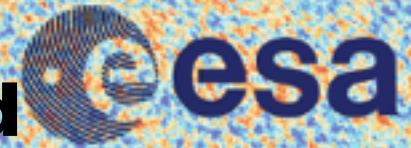
**phonon** = **collective mode composed of fundamental scalar fields (many  $\phi_b$ ?)**  
**in linear perturbation theory, the phonon = linear combination of fundamental scalars**

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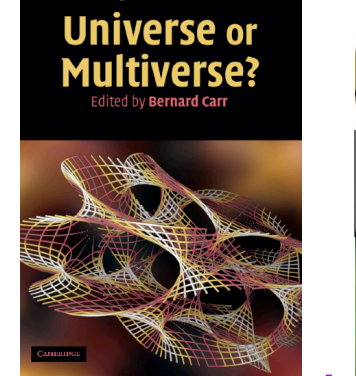
80s phenomenology of **isocons** = **quanta**  $\perp$  **phonons** (curvatons ...)

all that CMB+LSS can deliver is this phonon+ /strain+ **Inflation Phenomenology**  
how does it fit into a **UV-complete theory** (ultra-high energy to the **Planck scale**) strings, landscape, ..  
& **IR-complete theory** (post-inflation heating  $\rightarrow$  quark/gluon plasma)??? TBD

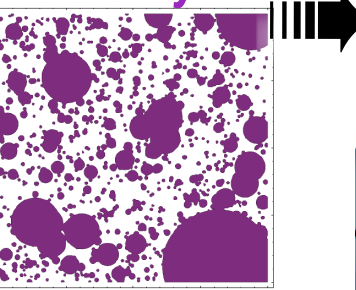
# SuperWeb of ultra-Ultra Large Scale Structure of the Universe

**Horizons:** the ultimate-speed constraint on light & information

a highly strained & stressed state in the universe at large (*very, very*), randomly simple in our Hubble patch, and highly entangled in the small to medium scale

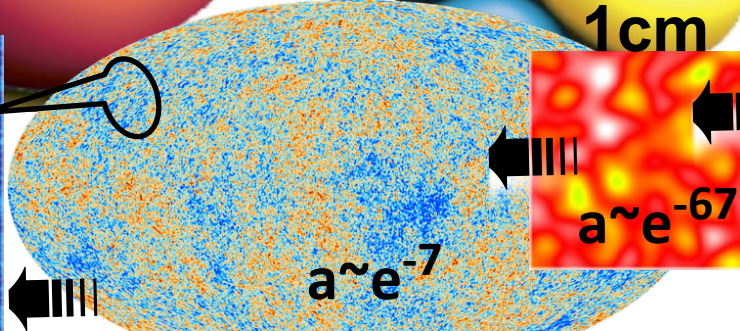
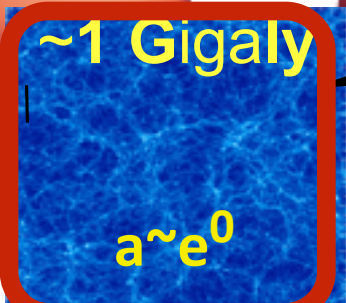
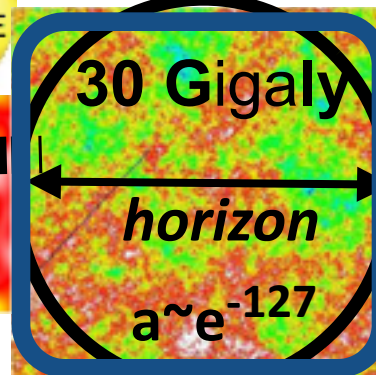
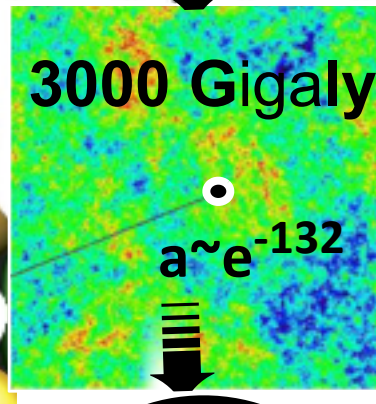
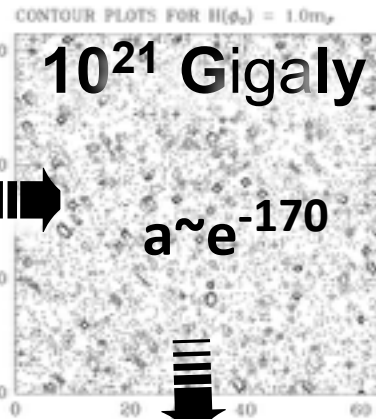
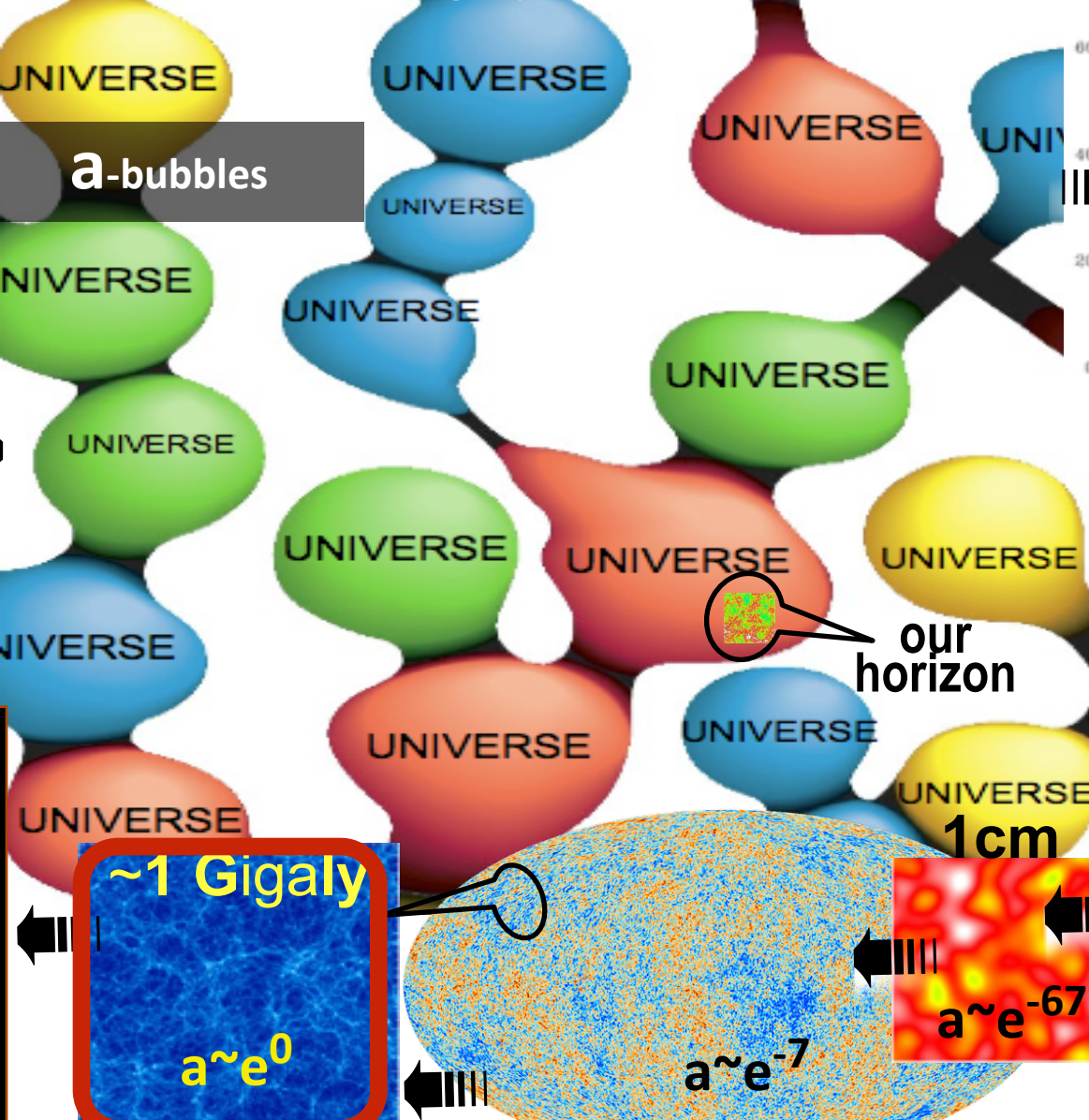


quantum tunnels = bubbly-U



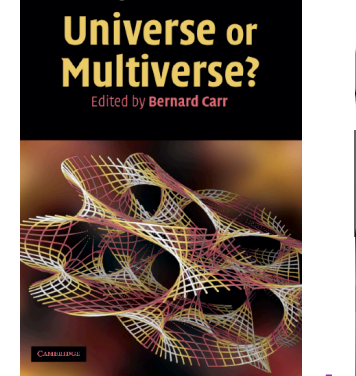
**END**  
a future DE-Void

$a \sim e^{+++}$

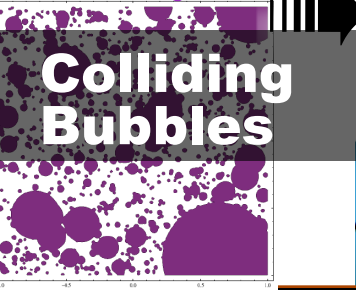


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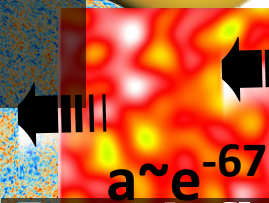
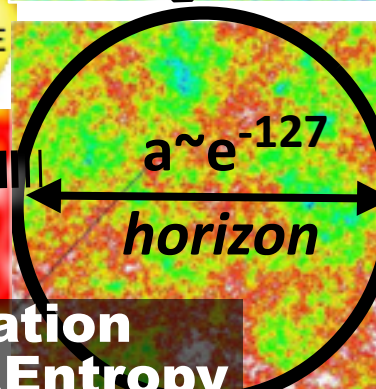
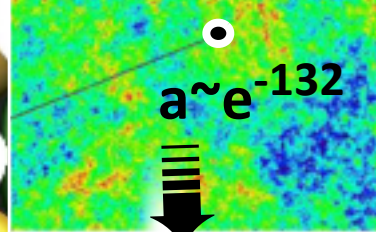
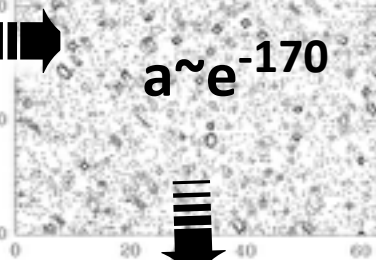
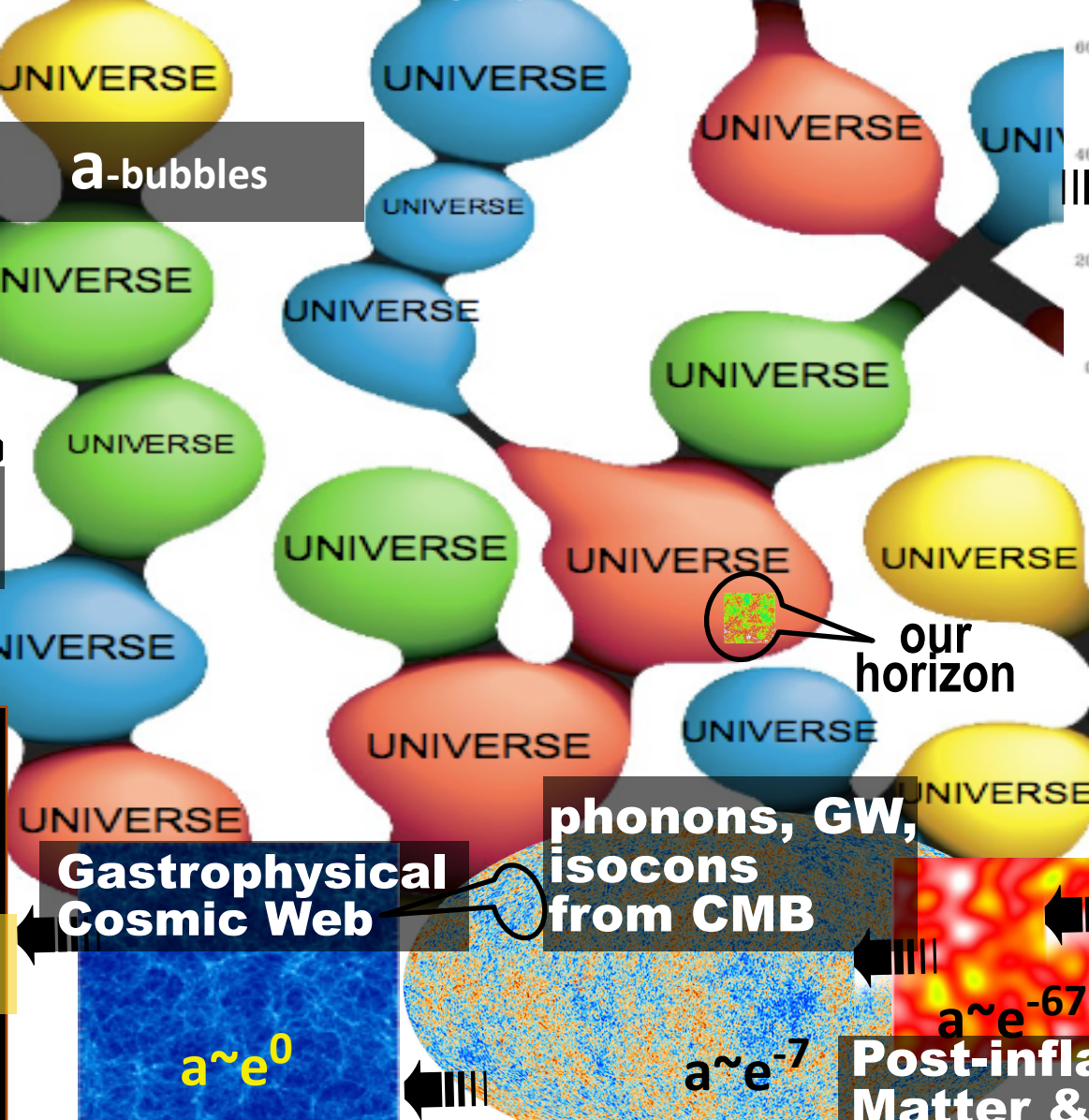


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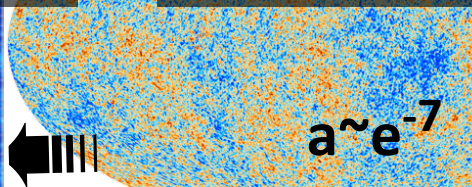
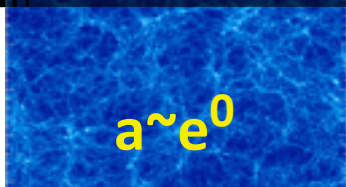


**END**  
a future DE-Void

**Dark Energy Trajectories**  
 $a \sim e^{+++}$



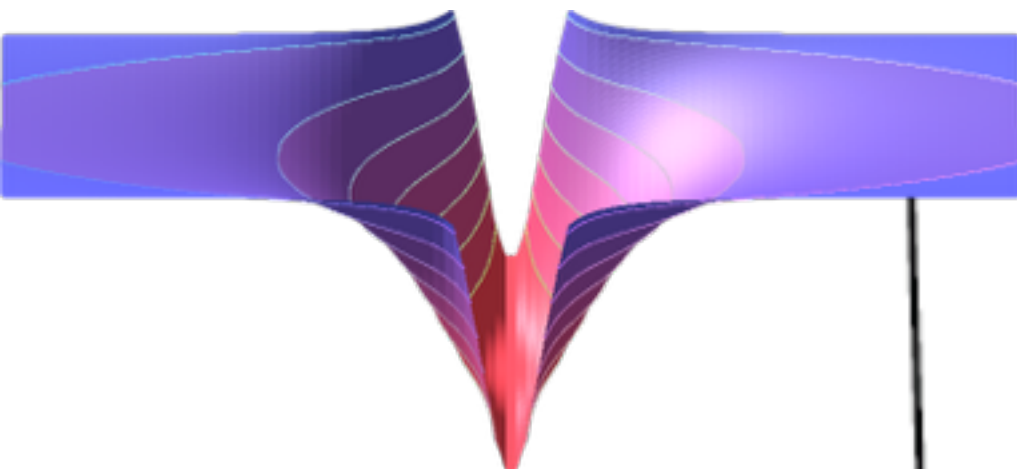
**Post-inflation Matter & Entropy**



what is the inflaton's potential?

how was *matter & entropy* generated at the end of acceleration = inflation?

Relate it to the Higgs & standard model?



detecting  $r \sim 0.05 \Rightarrow$   
shape cannot be too flat

entropy generation in preheating from the coherent inflaton (origin of all matter)

let there be heat

$$\langle \tau \rangle =$$

quantum diffusion spatial jitter

drift

$$\ln a(\mathbf{x}, \ln H)$$

isocoin directions,  
e.g., axion

S E M I - T H E R M A L I N F L A T I O N



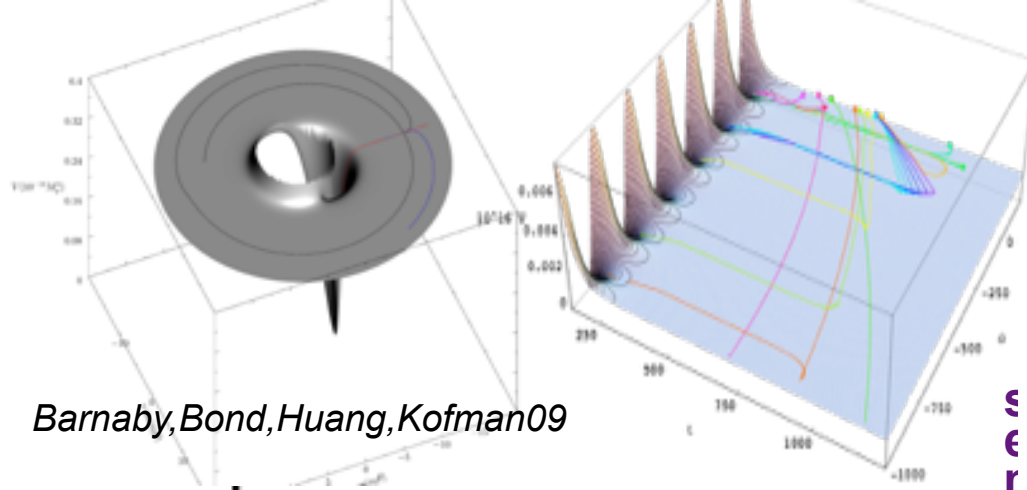
entropy generation in preheating from the coherent inflaton (origin of all matter & radiation), nonG from post-inflation but pre-entropy generation (B<sup>2</sup>FH15) drift trajectories can lead to pre-shock-in-time caustics and other phase space convergences in the deformations

$$\partial \ln a / \partial \chi_i(x), \partial \ln a / \partial g(x) \Rightarrow$$

$$a = 1$$

NL, nonG curvature distribution ( $\chi_i(x), g(x), \dots$ )

A visualized 2D slice in lattice simulation



Barnaby, Bond, Huang, Kofman 09

Preheating After Roulette Inflation

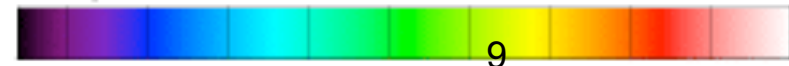
$$\langle \tau \rangle =$$

quantum diffusion spatial jitter

drift

let there be heat

roulette oscillations highly damped => no-non-G if redirect by  $\chi_i, g$  => non-G

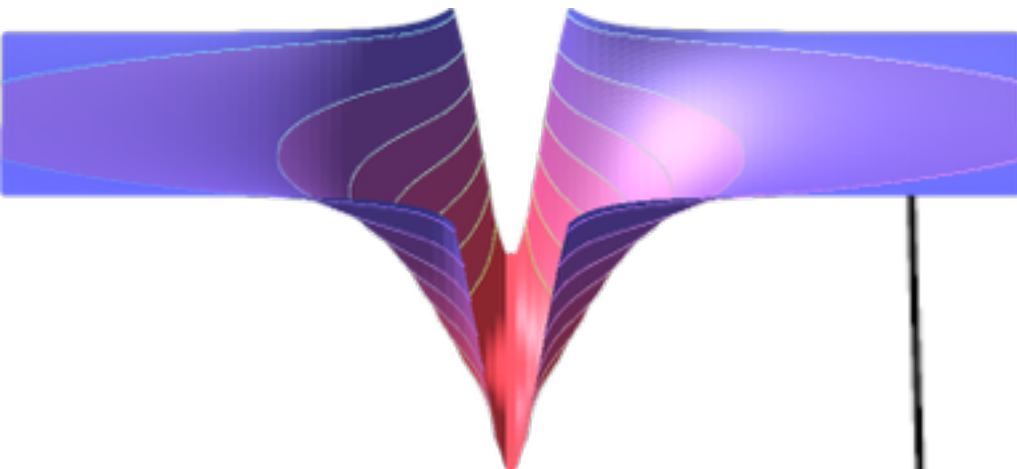


4 5 6 7 8

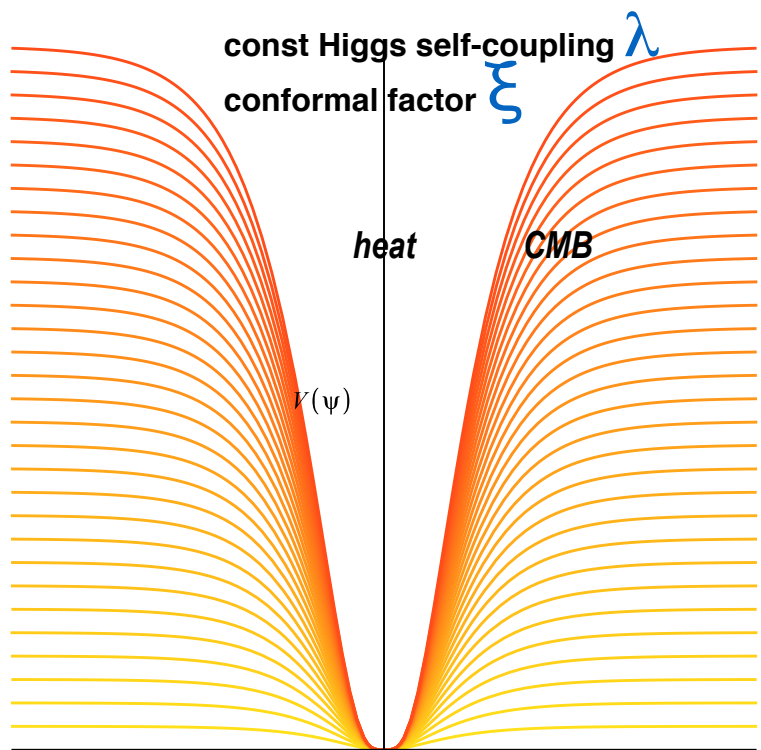
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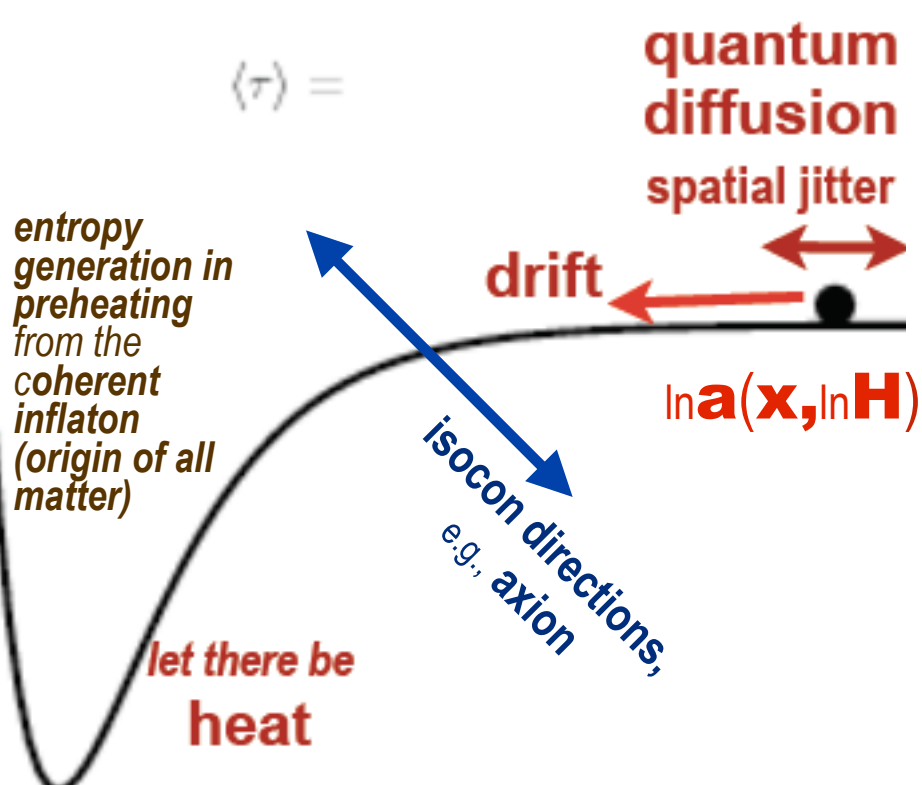
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conformal potential-flattening SBB89  $\psi$



S E E - T H E R M A L I N F L A T I O N

Planck 2015 inflation paper: allow number of e-folds to the end of inflation & preheating duration & number of degrees of freedom ... to vary  
 check **specific potentials** => **specified  $r$ ,  $n_s$**  cf. LCDM standard.

## Comparison among different inflationary models

Model	$\Delta\chi^2$		
$R + \frac{R^2}{6M^2}$	3.7	$V(\tilde{\phi}) = \frac{\Lambda^4}{4} \left(1 - e^{-2\tilde{\phi}/\sqrt{6}M_{\text{Pl}}}\right)^2$	Planck TT + lowP + BAO
$n = 4$	46.9		
$n = 3$	22.9	Preliminary	$w_{\text{int}} = 0$ for all the models
$n = 2$	9.7		
$n = 4/3$	7.2		$\Delta\chi^2$ wrt LCDM
$n = 1$	6.2		
$n = 2/3$	4.9		
Natural	8.6		
Hilltop ( $p = 2$ )	4.4		
Hilltop ( $p = 4$ )	6.0		
Double well	6.9		
Exponential	4.0	$V(\phi) = \Lambda^4 \left(1 - e^{-q\phi/M_{\text{Pl}}} + \dots\right)$	

The shift to higher  $n_s$  sets tighter constraints on natural inflation, hilltop models, ...

$R^2$  (Starobinsky 1980) is still among the preferred models, although favouring  $N^* > 54$ , which is the value expected on theoretical grounds (a positive  $w_{\text{int}}$  helps in this respect). The quadratic model prefer large  $N^*$  to decrease  $r$ . These are just examples of how reheating uncertainties will combine with the inflationary predictions of the primordial power spectrum for a given model.



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phenomenology of **gravitons** = *Transverse\_Traceless\_Strain quanta* 70s

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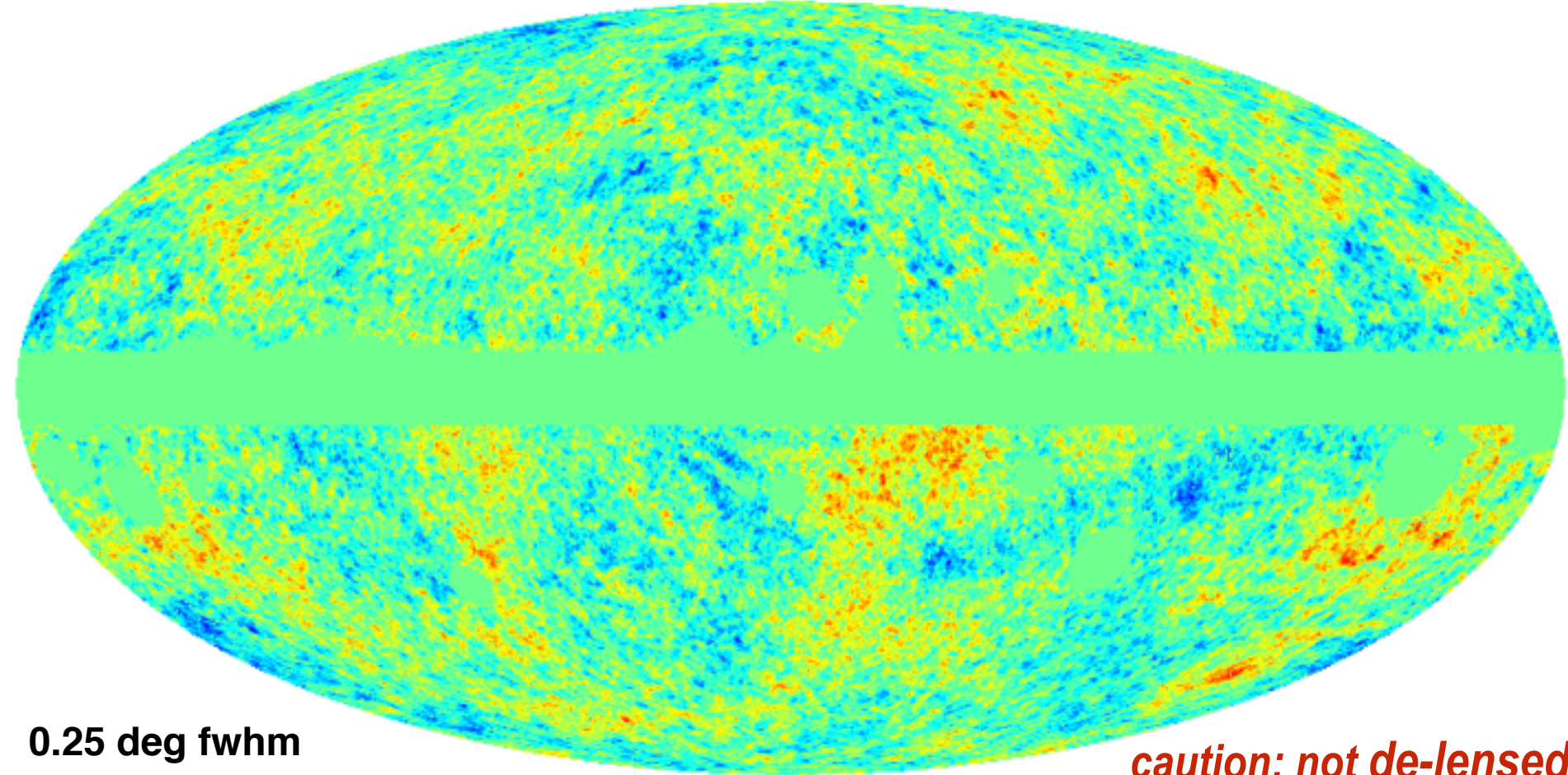
phenomenology of **isocons** = **quanta**  $\perp$  **phonons** (curvatons ...)

$\rho(\phi_b, \pi_b, \ln a) \Rightarrow$  coarse-grained  $k < Ha$  **Hamiltonian-density attractor**  $\rho(\phi_b) = 3M_P^2 H^2$   
 $d\phi_b/d\ln a = -M_P^2 \nabla_{\phi_b} \ln \rho$ , a **gradient / Morse flow**  $\Leftarrow$  **Hamilton-Jacobi eqn**  
“adiabatic” fluctuations along the Morse flow river valleys (phonons)  
*isocurvature directions  $\perp$  flow*  
*reduced action (Hamilton’s Principal function)  $\sim H \sim \rho^{1/2}$*

reveals map of **primordial isotropic strain / phonons**

$\int d\text{visibility}(\text{distance}) \langle \zeta | \text{Temp}, E \text{ pol} \rangle$  (angles, distance)

=> primordial scalar curvature <sup>10<sup>5</sup> zeta</sup> map of the inflation epoch



0.25 deg fwhm

*caution: not de-lensed*



Reconstructing the Early Universe

visibility mask



Dick Bond **CITA** on behalf of the Planck collaboration

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# Quantum Inflation in the 2015 Planck Era & Beyond



phonon  $\sim \zeta = \ln \rho |a|^{3(1+\langle w \rangle)} = \text{energy-density quanta}$

isotropic (volume) strain  $\sim \zeta = \ln a | \rho$        $\zeta_{NL} = \ln(\rho a^{3(1+w)})/3(1+w) \Leftarrow dE + pdV$

**Cosmic\_Probes** $[\zeta(\mathbf{x}), q_{\text{cosmic}}, \text{isoc}, \dots]$  or  $\zeta(\mathbf{k})$ ,  
or looking out:  $\zeta_{LM}(\chi), \chi = |\mathbf{x}|$  &  $\zeta_{LM}(k), k = |\mathbf{k}|$  maps



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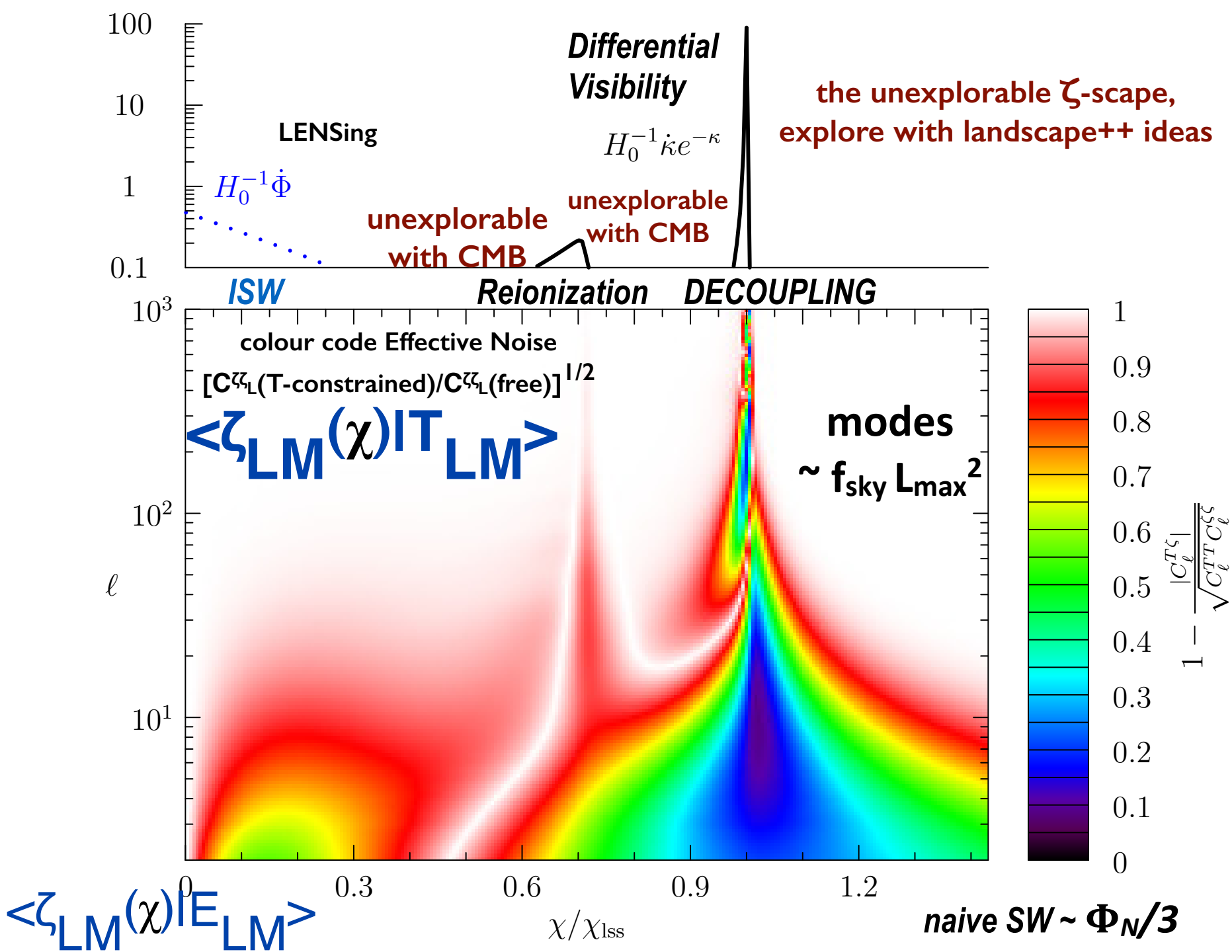
**CMB\_Probe no tomography:**

projected- $\chi$  few modes per LM  $\langle \zeta_{LM}(\chi) | T_{LM} \rangle$   $\langle \zeta_{LM}(\chi) | E_{LM} \rangle$

available modes:  $f_{\text{sky}} L_{\text{max}}^2 - f_{\text{sky}} L_{\text{min}}^2$        $L_{\text{max}} \sim L_{\text{damp}}$

Planck near limit of nonG exploration with CMB (ACT/SPT)  $f_{NL} \pm 5$

**gravity waves  $\sim$  Transverse\_Traceless\_Strain: no tomography, limited L range  $n_t$**

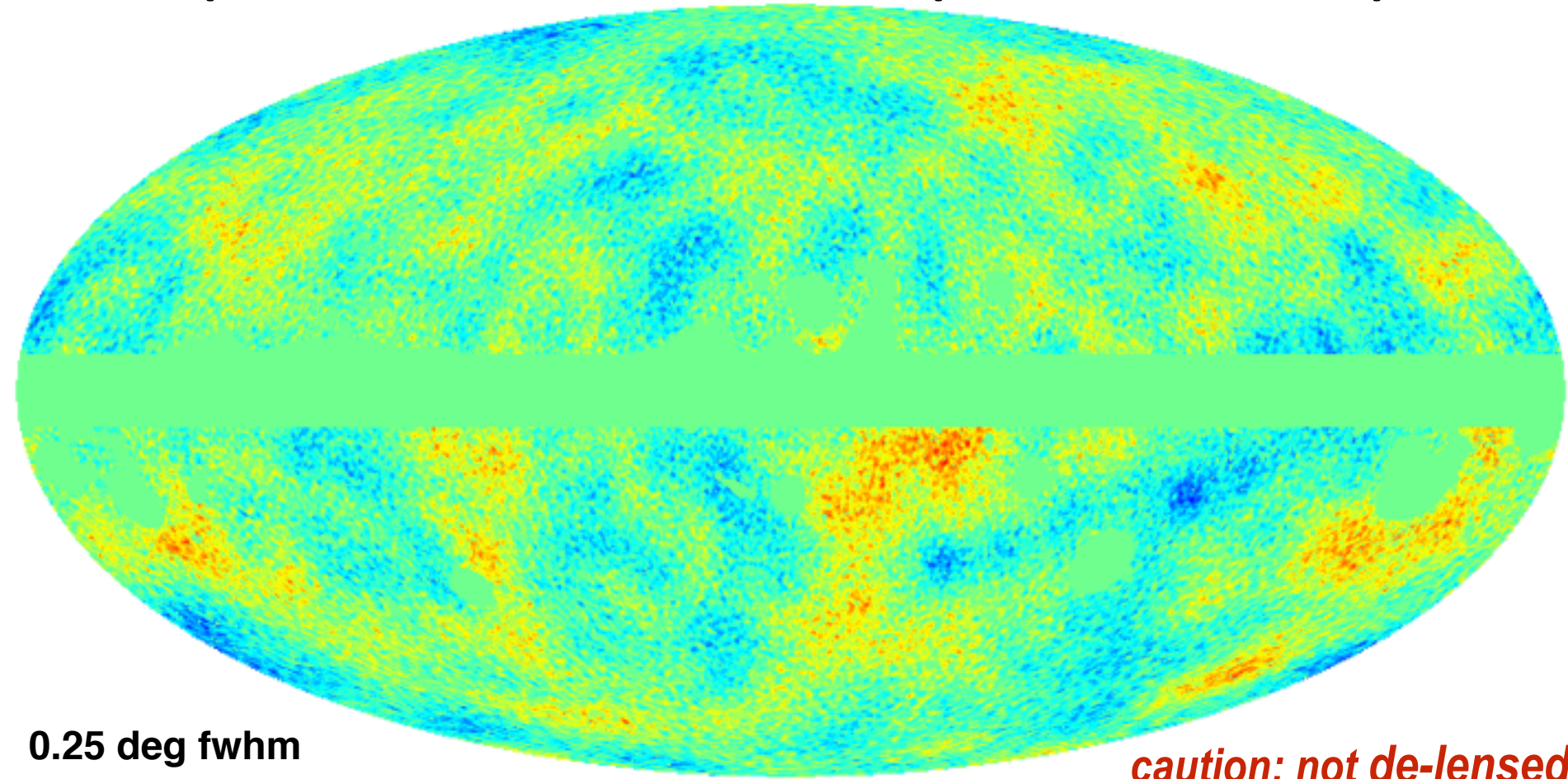




reveals map of **primordial isotropic strain / phonons**

$$\int d\text{visibility}(\text{distance}) \langle \zeta | \text{Temp} \rangle \quad (\text{angles, distance})$$

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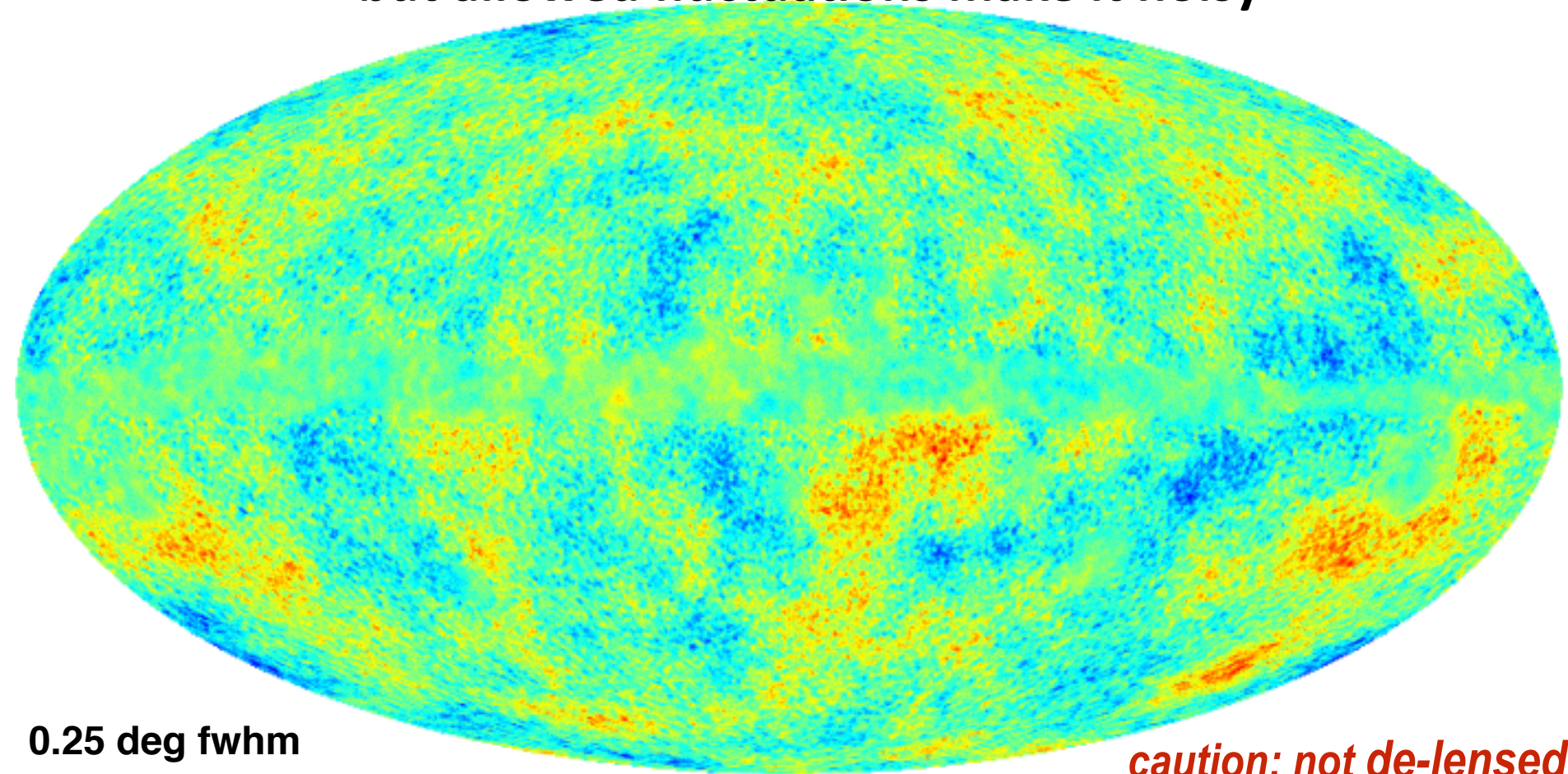
Reconstructing the Early Universe

visibility mask

reveals map of **primordial isotropic strain / phonons**

$$\int d\text{visibility}(\text{distance}) \langle \zeta | \text{Temp} \rangle + \delta \zeta \quad (\text{angles, distance})$$

=> but allowed <sup>10<sup>5</sup> zeta</sup> fluctuations make it noisy



0.25 deg fwhm

*caution: not de-lensed*

-35.0

+35.0

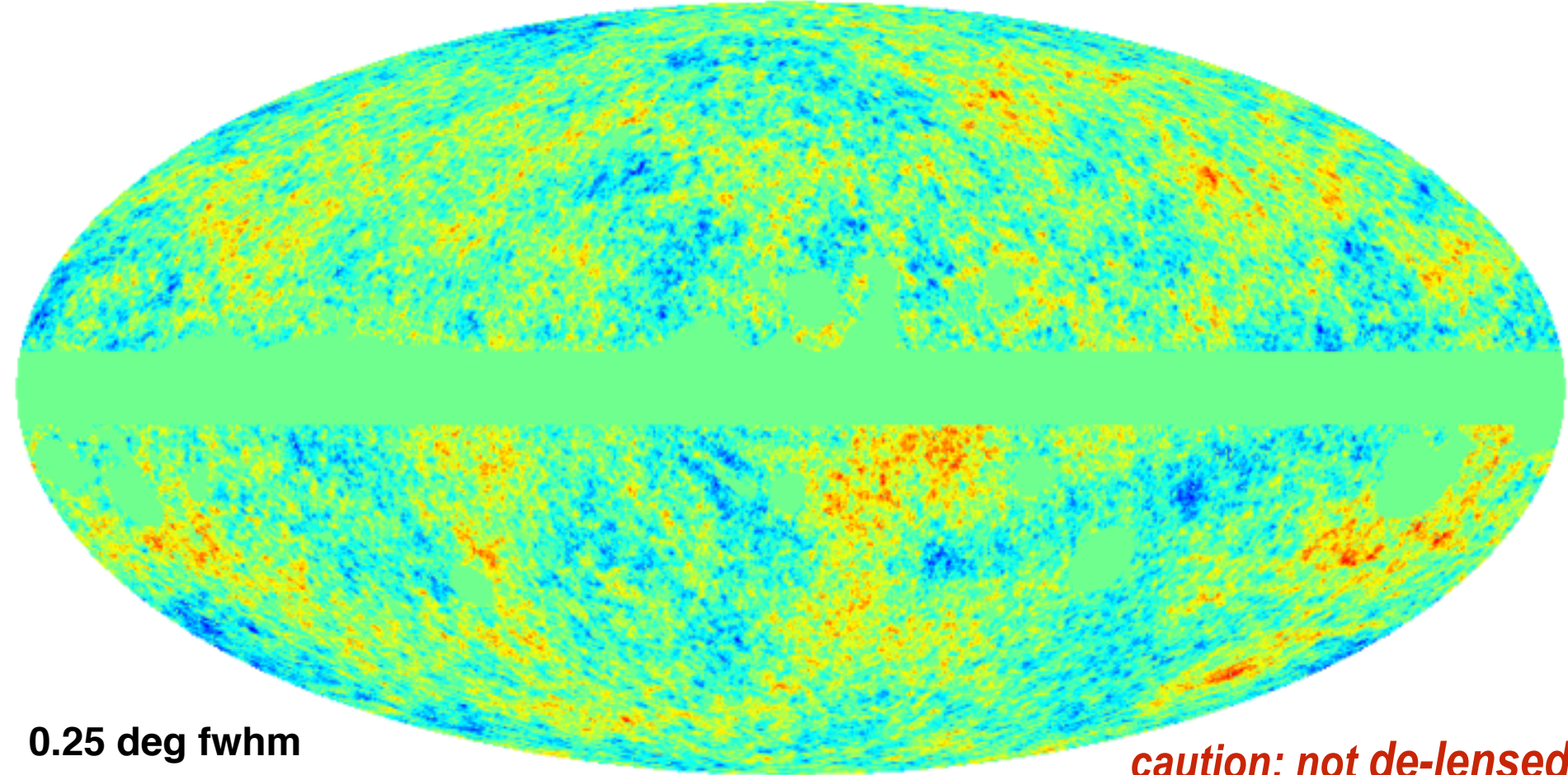
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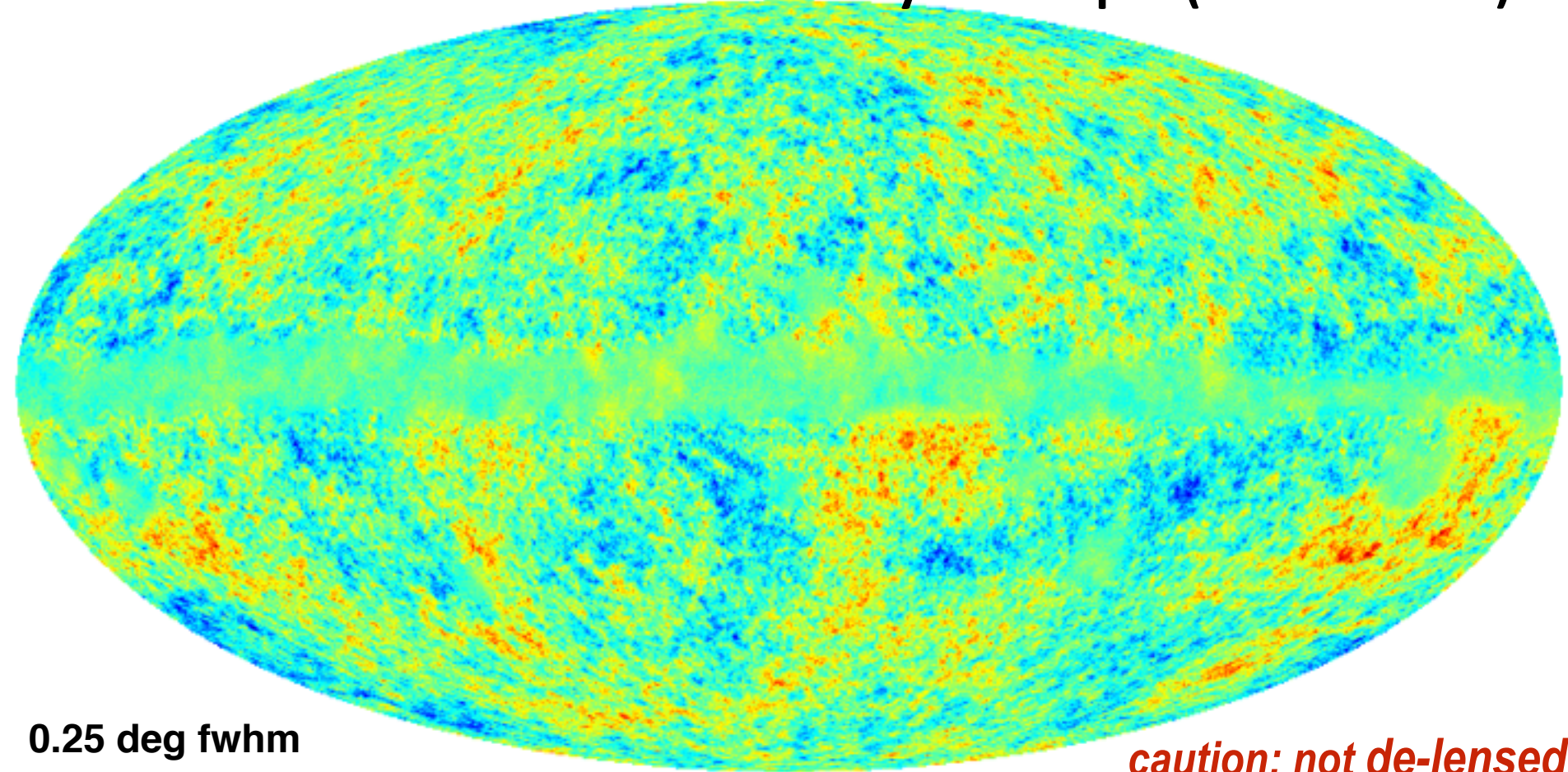
Reconstructing the Early Universe

visibility mask

reveals map of **primordial isotropic strain / phonons**  
 $\int d\text{visibility}(\text{distance}) \langle \zeta | \text{Temp}, E \text{ pol} \rangle + \delta \zeta (\text{angles}, \text{distance})$

=> but allowed fluctuations less noisy with E pol (extra modes)

$10^5$  zeta



0.25 deg fwhm

*caution: not de-lensed*

-35.0

+35.0

Reconstructing the Early Universe

visibility mask

# Stacked Wiener filtered $\zeta_{dv}$

stacking  $\Rightarrow \delta\zeta_{dv}$  destructive interference  $\Rightarrow$  reveals  $\langle \zeta_{dv} | T\text{-peak} \rangle$ ,  $\langle \zeta_{dv} | \zeta_{dv}\text{-peak} \rangle$

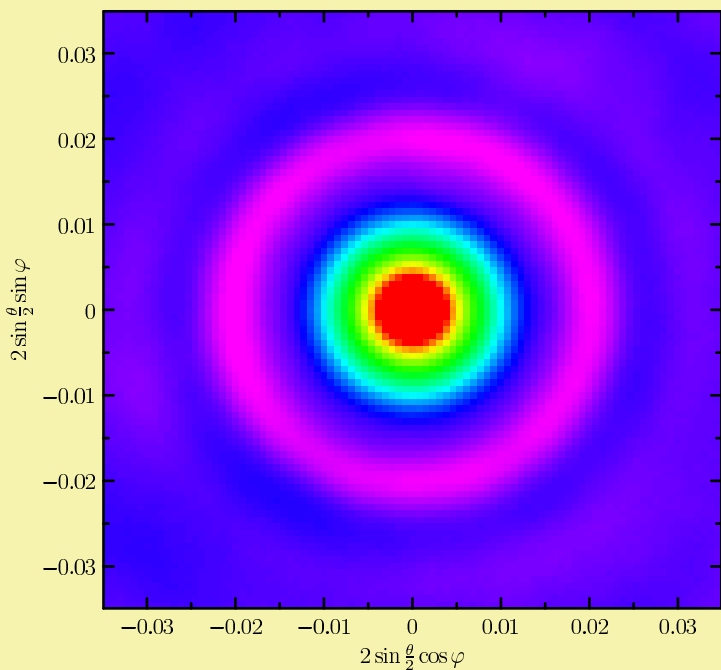
used in  
**Planck 2014**

*Isotropy and Statistics paper, extensive stacking of  
 $T, Q, U, E, \zeta_{dv}$  on  $T, P^2=Q^2+U^2, E, \zeta_{dv}$  peaks*

**caution: not de-lensed**

stacked  
 $\langle \zeta_{dv} | \zeta_{dv}\text{-pk} \rangle$

20857 patches on  $\zeta$  maxima, random orientation, threshold  $\nu=0$



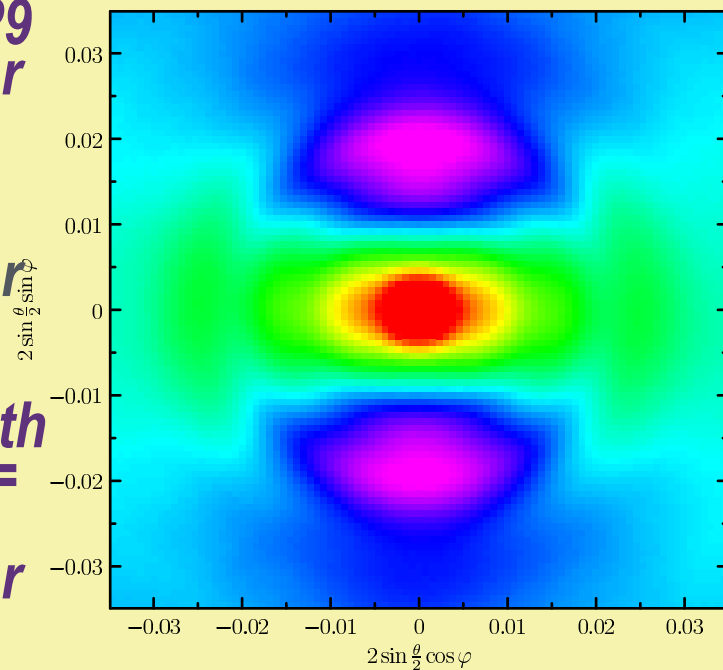
$\zeta$  stacks of  
P13 & WMAP9  
look v. similar

FFP8  
simulations  
look v. similar

stack one  
FFP8 map with  
fluctuations =  
FFP8 mean  
look v. similar

stacked  
 $\langle \zeta_{dv} | \text{oriented } \zeta_{dv}\text{-pk} \rangle$

20854 patches on  $\zeta$  maxima, oriented, threshold  $\nu=0$



we don't need all LM+k modes to reconstruct L-independent  $\mathcal{P}_\zeta(\mathbf{k})$  in quadratic space  
 $k^2 \sim L^2/d_{\text{rec}}^2 + k_{\parallel}^2$   
 bonus: top-down **de-lens**

**Quadratic  $\ln \mathcal{P}_\zeta(\ln k)$  Maps aka Radical Compressions**  
 $\Rightarrow$  ultra-early Universe sound/phonon spectrum

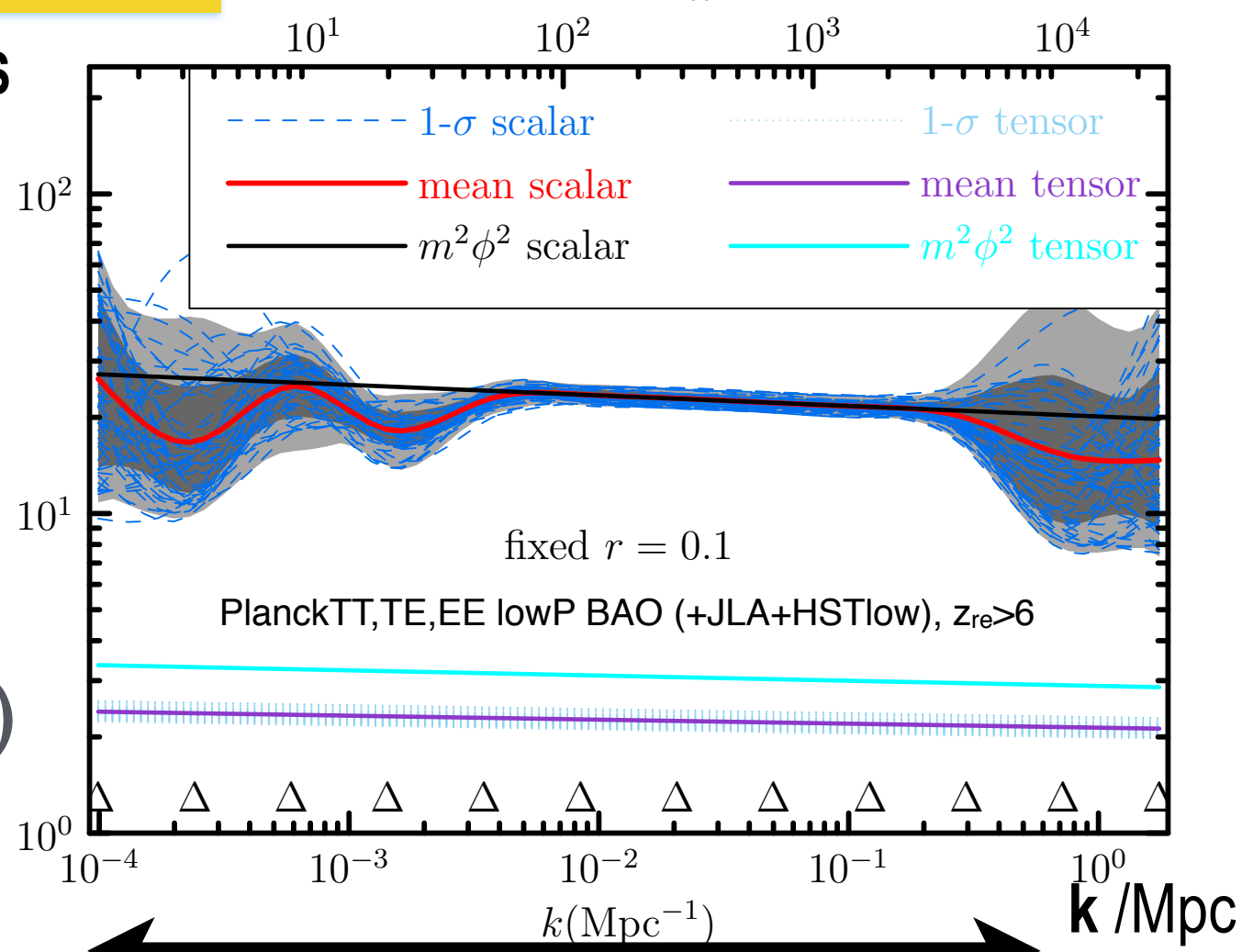
12 knots, cubic spline  
 $\ell \equiv k D_{\text{rec}}$   
*Preliminary*  
 $k d_{\text{rec}} \gtrsim L$

**Planck14+LSS**

$\ln \mathcal{P}_\zeta(\ln k)$

$10^{10} \mathcal{P}_{S,T}$

$\ln \mathcal{P}_{\text{GW}}(\ln k)$



**9 e-folds**

we don't need all  $LM+k$  modes to reconstruct  $L$ -independent  $\mathcal{P}_\zeta(\mathbf{k})$  in quadratic space  
 $k^2 \sim L^2/d_{\text{rec}}^2 + k_{\parallel}^2$   
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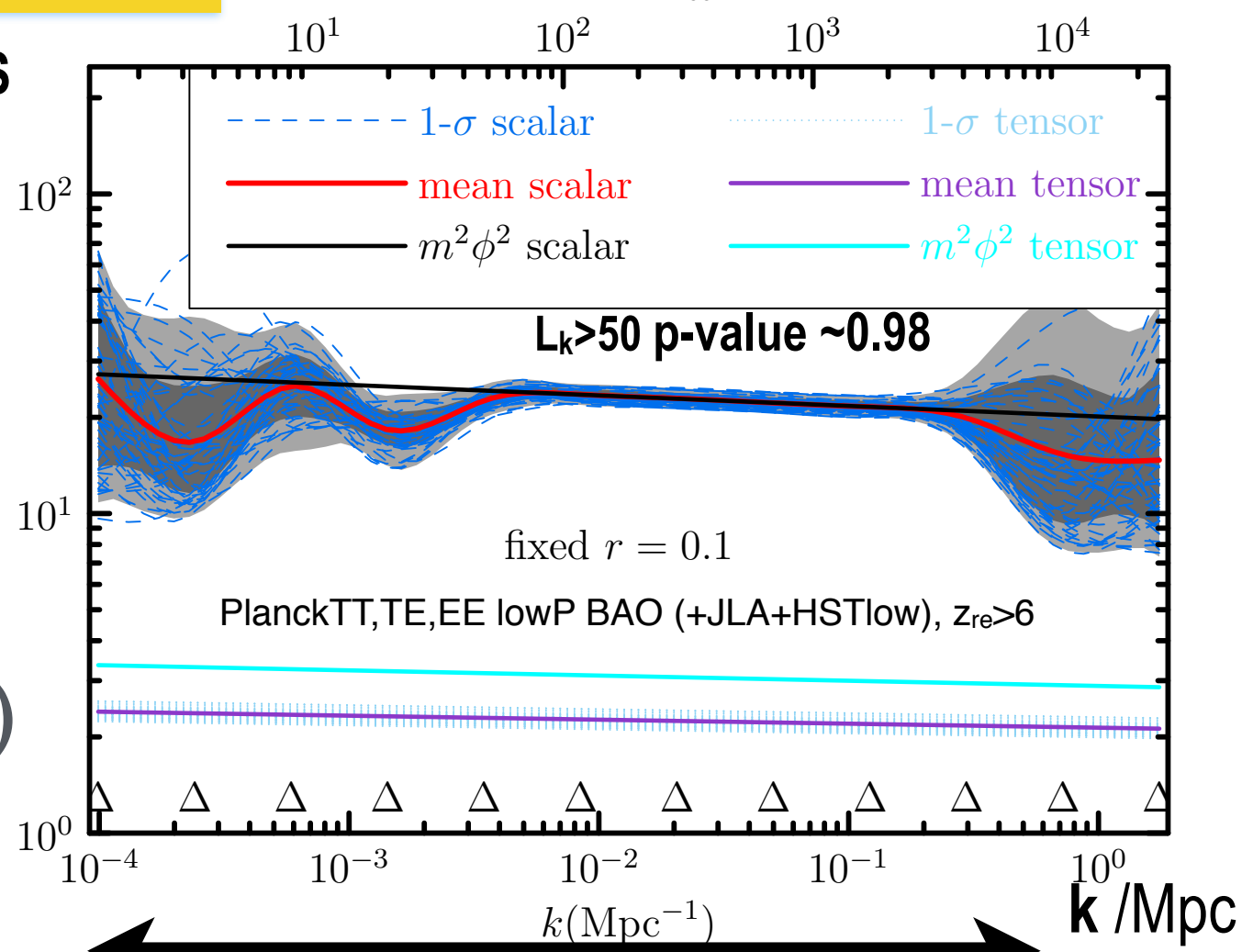
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 $\ell \equiv k D_{\text{rec}}$   
*Preliminary*  
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Planck14+LSS

$\ln \mathcal{P}_\zeta(\ln k)$

$10^{10} \mathcal{P}_{S,T}$

$\ln \mathcal{P}_{\text{GW}}(\ln k)$



9 e-folds

$k(\text{Mpc}^{-1})$

$k / \text{Mpc}$

we don't need all LM+k modes to reconstruct L-independent  $\mathcal{P}_\zeta(\mathbf{k})$  in quadratic space  
 $k^2 \sim L^2/d_{\text{rec}}^2 + k_{\parallel}^2$   
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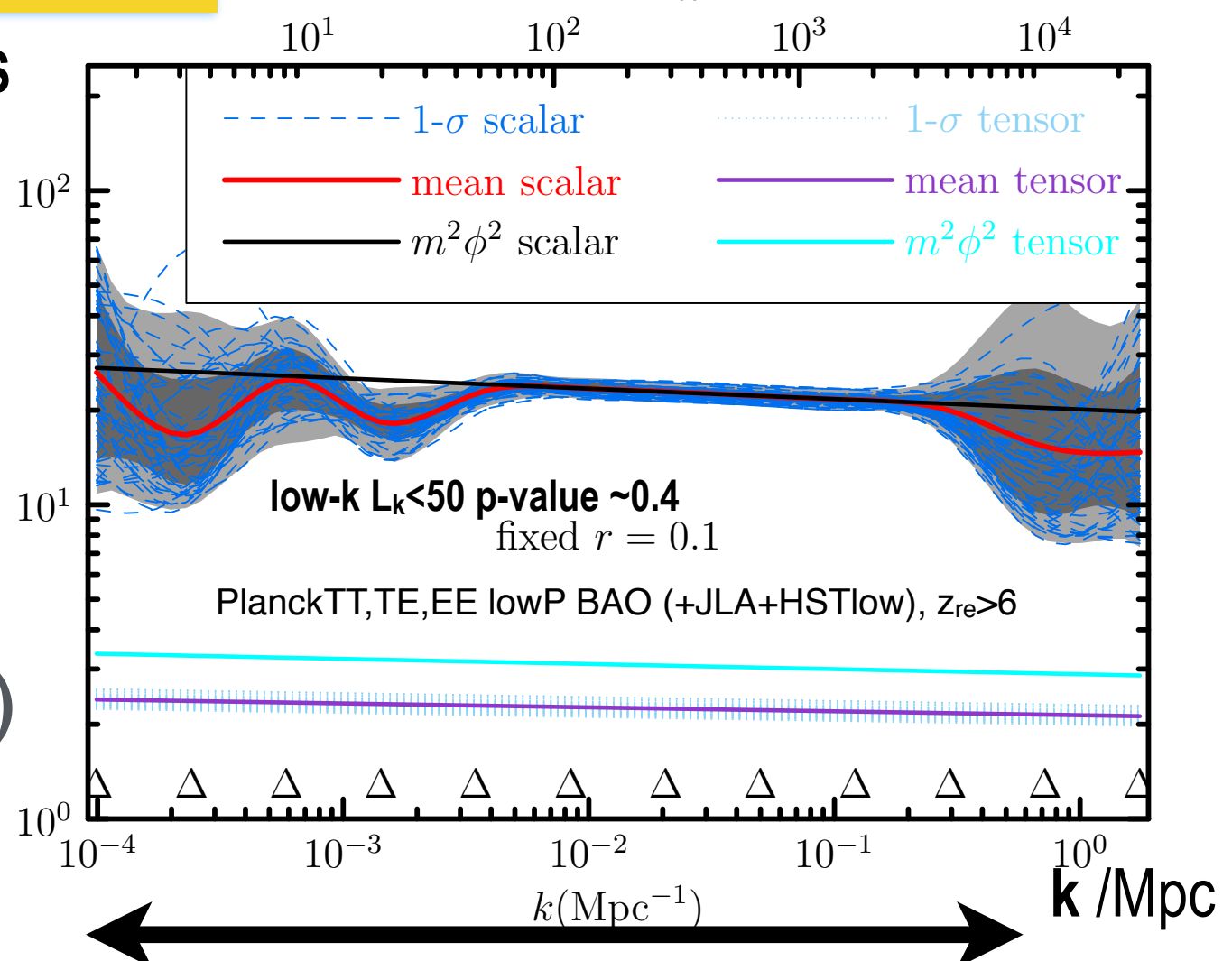
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**Planck14+LSS**

$\ln \mathcal{P}_\zeta(\ln k)$

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$\ln \mathcal{P}_{\text{GW}}(\ln k)$





# Quadratic $\ln \mathcal{P}_\zeta(\ln k)$ Maps aka Radical Compressions

=> ultra-early Universe sound/phonon spectrum

12 knots, cubic spline

$$\ell \equiv k D_{\text{rec}}$$

$$k d_{\text{rec}} \gtrsim L$$

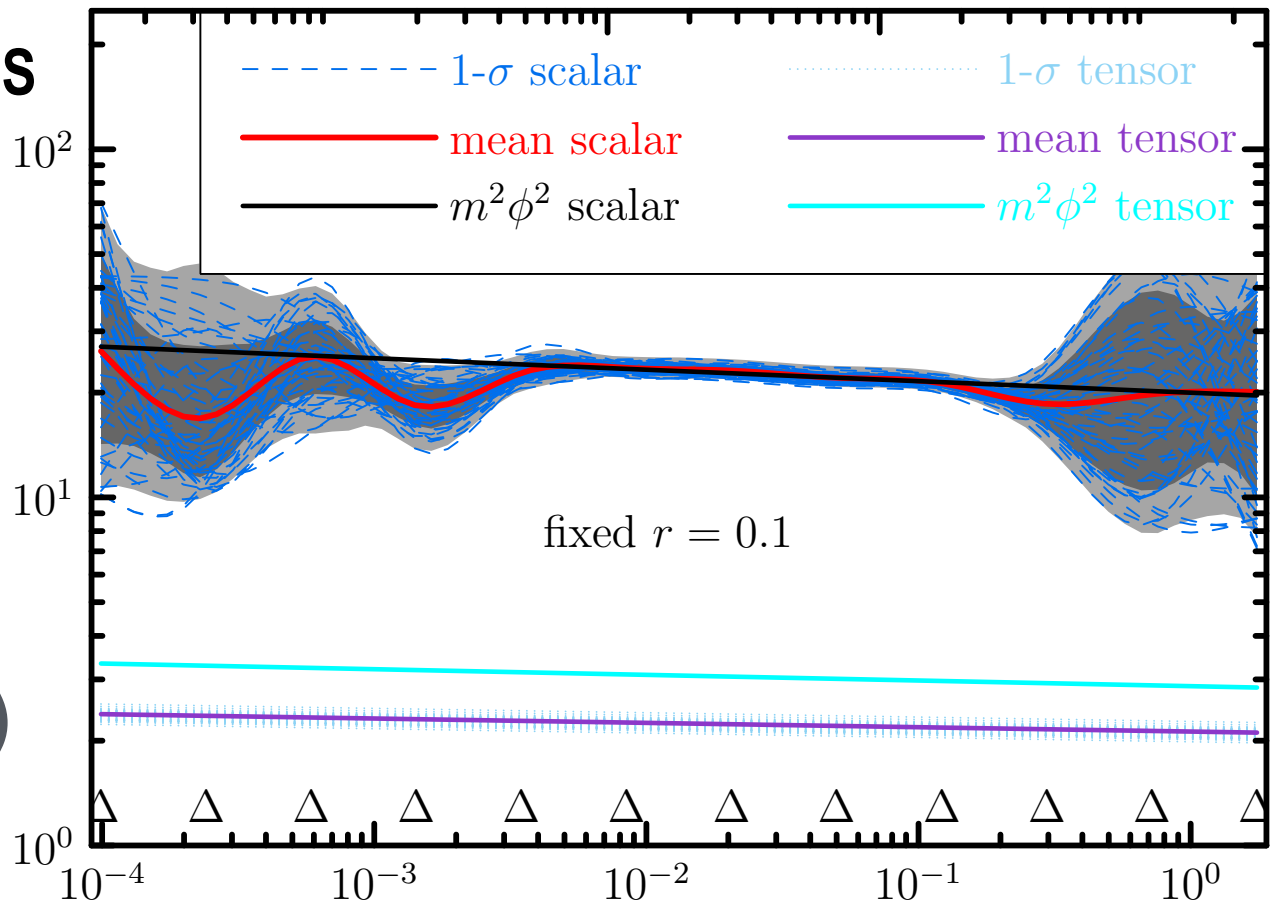
cf. Planck13+LSS

$\ln \mathcal{P}_\zeta(\ln k)$

$10^{10} \mathcal{P}_{S,T}$

Planck13  
& WMAP  
=> stable  
features

$\ln \mathcal{P}_{\text{GW}}(\ln k)$



fixed  $r = 0.1$

9 e-folds

$k(\text{Mpc}^{-1})$

# Quadratic $\ln \mathcal{P}_\zeta(\ln k)$ Maps aka Radical Compressions

=> ultra-early Universe sound/phonon spectrum

*Preliminary* 12 knots, cubic spline

$$\ell \equiv k D_{\text{rec}}$$

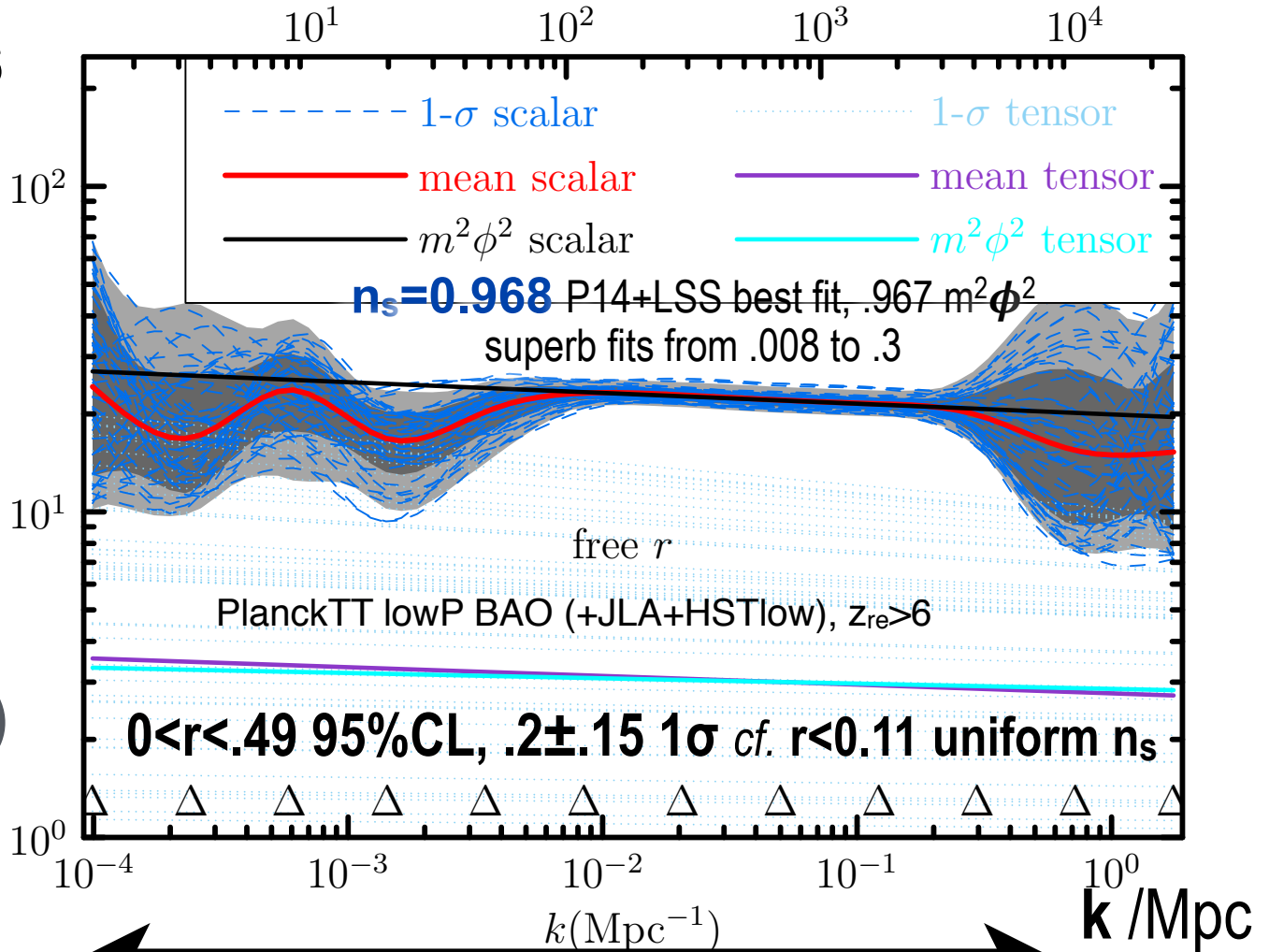
$$k D_{\text{rec}} \gtrsim L$$

Planck14+LSS

$\ln \mathcal{P}_\zeta(\ln k)$

*r -  $\mathcal{P}_\zeta$  partial degeneracy if r floats*

$\ln \mathcal{P}_{\text{GW}}(\ln k)$



9 e-folds

# Quadratic $\ln \mathcal{P}_\zeta(\ln k)$ Maps aka Radical Compressions

=> ultra-early Universe sound/phonon spectrum

12 knots, cubic spline

$$\ell_k \equiv k D_{\text{rec}}$$

$$k d_{\text{rec}} \gtrsim L$$

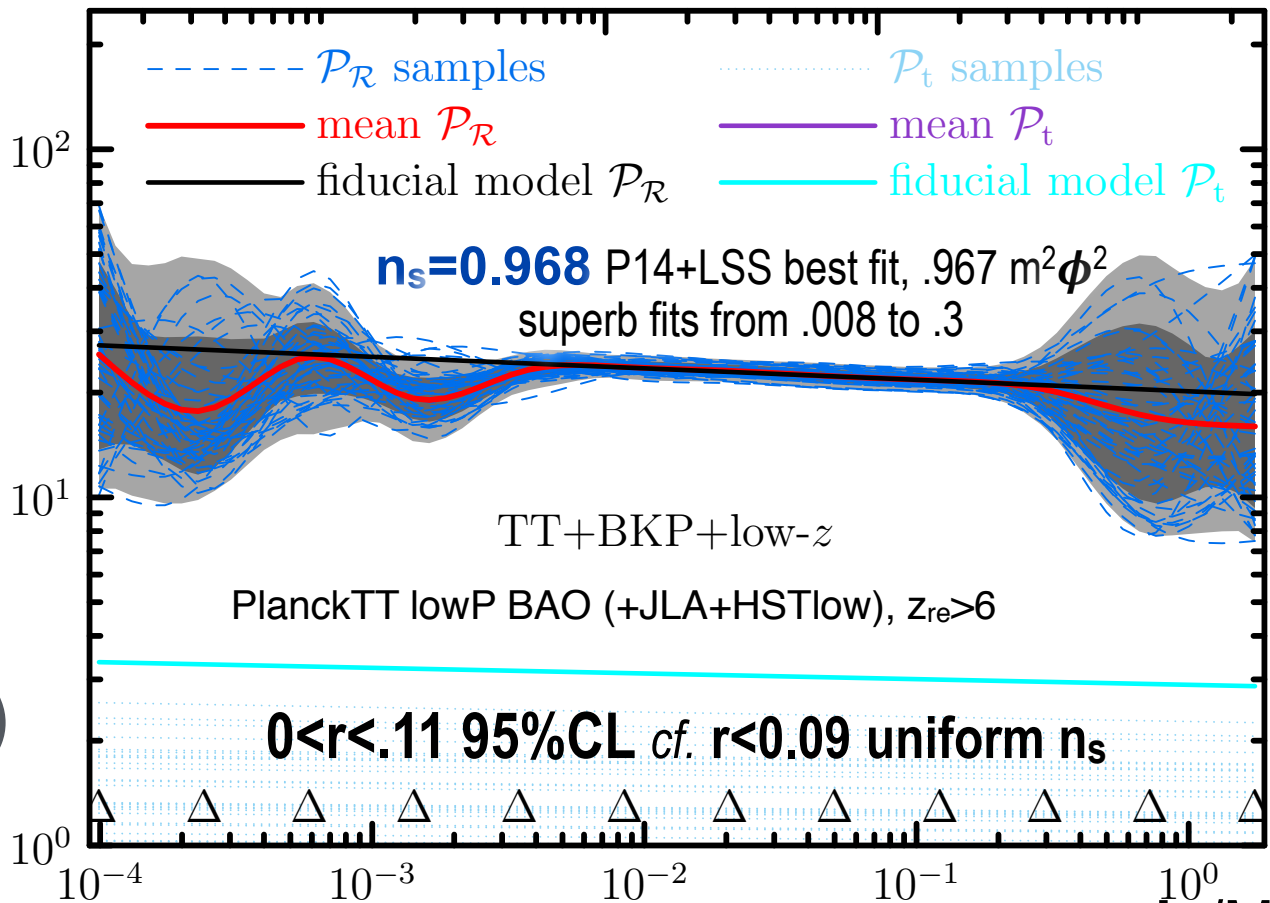
Planck14+BKP+LSS

$\ln \mathcal{P}_\zeta(\ln k)$

$10^{10} \mathcal{P}_{\mathcal{R},t}$

*r -  $\mathcal{P}_\zeta$  partial degeneracy if r floats*

$\ln \mathcal{P}_{\text{GW}}(\ln k)$



**0 < r < .11 95% CL cf. r < 0.09 uniform n<sub>s</sub>**

9 e-folds



$k [\text{Mpc}^{-1}]$

$k / \text{Mpc}$

# Planck 2014 $n_s$

$$\mathcal{P}_{\mathcal{R}}(k) = A_s \left( \frac{k}{k_*} \right)^{n_s - 1}$$

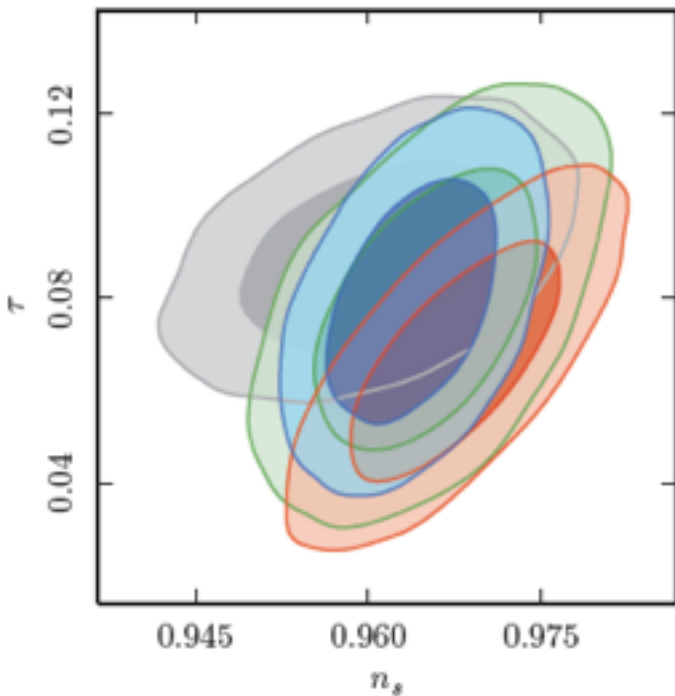
$$n_s = 0.9652 \pm 0.0062 \quad (68\% \text{CL}, \text{Planck TT} + \text{lowP})$$

$$\tau = 0.078 \pm 0.019 \quad (68\% \text{CL}, \text{Planck TT} + \text{lowP})$$

**$n_s = 0.968$**  P14+LSS best fit superb fits from .008/Mpc to .3/Mpc

Compare with Planck 2013 results:

$$n_s = 0.9603 \pm 0.0073 \quad (68\% \text{CL}, \text{Planck 2013})$$

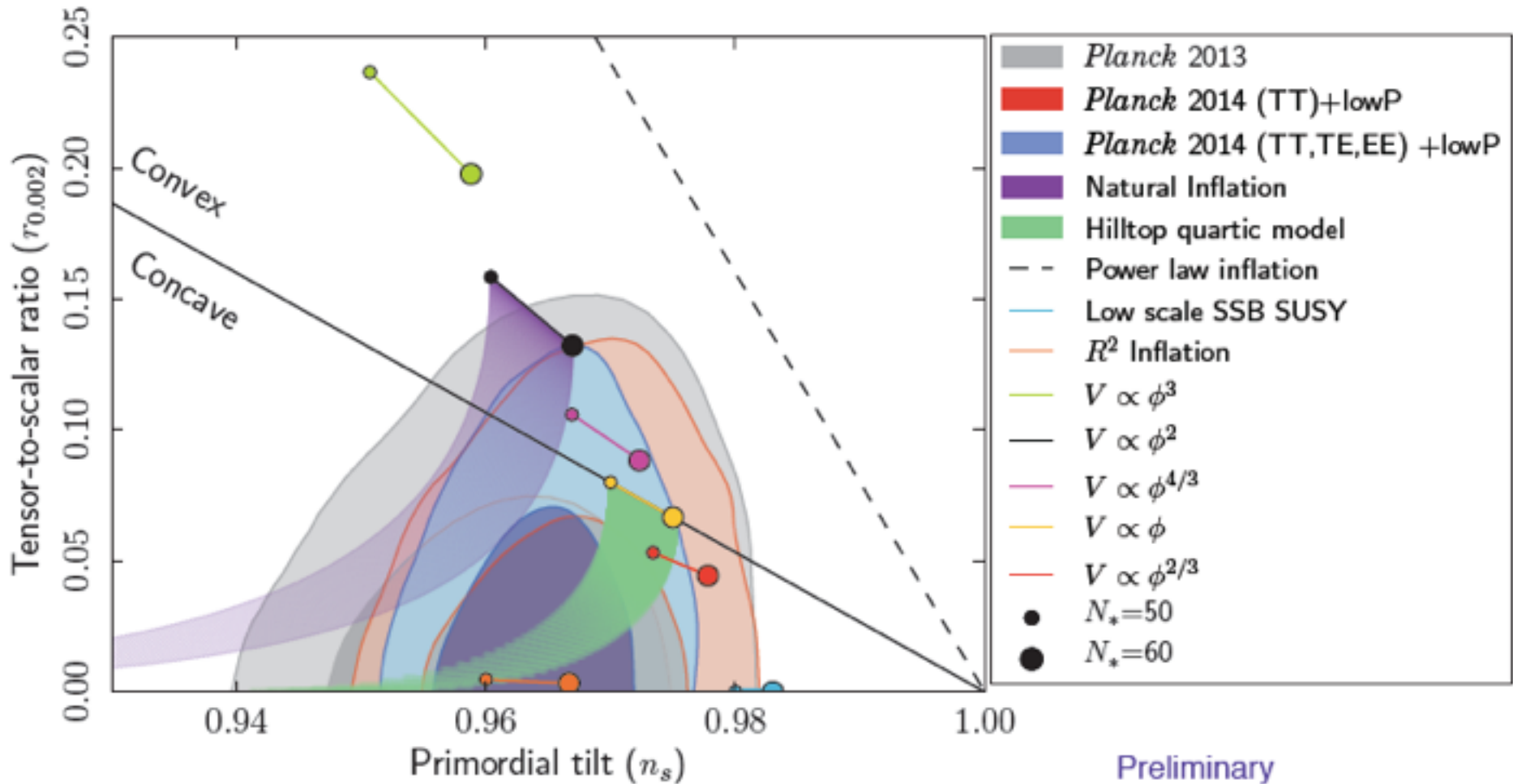


Preliminary

- Planck 2013
- Planck 2014 (TT+lowP)
- Planck 2014 (TT+lowP) + lensing
- Planck 2014 (TT,TE,EE+lowP)

The polarization results reported here and in the following slides are preliminary, because we do not yet have confidence that all systematic and foreground uncertainties have been properly characterized, and the results may therefore be subject to revision.

# Inflationary models & Planck



$r_{0.002} < 0.10$  (95 %CL, Planck TT + lowP) Preliminary

$r_{0.002} < 0.11$  (95 %CL, Planck TT + lensing + lowP)

$r_{0.002} < 0.10$  (95 %CL, Planck TT, TE, EE + lowP)

$r_{0.002} < 0.09$  (95 %CL, Planck TT + lowP/wWMAP)

$0 < r < .49$  95%CL,  $.2 \pm .15$   $1\sigma$

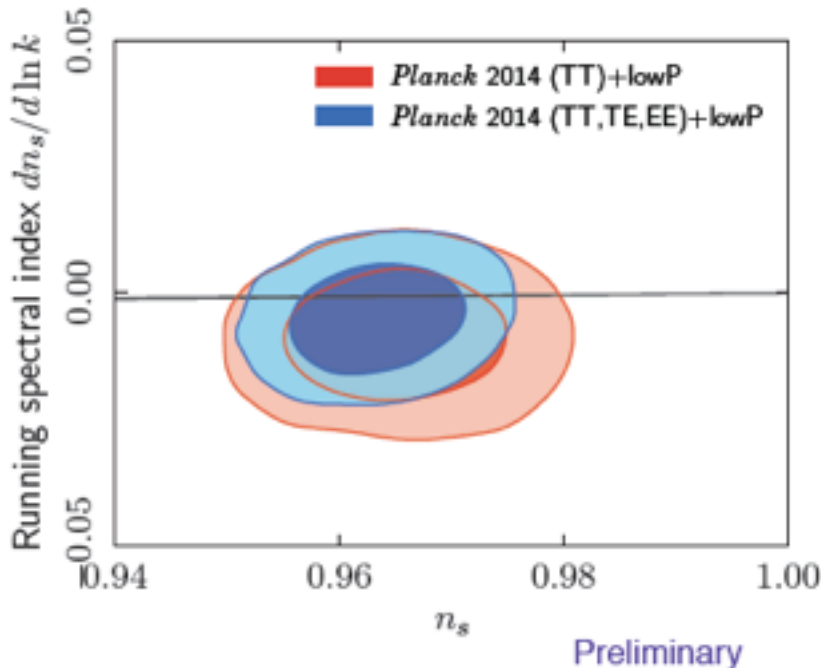
cf.  $r < 0.11$  uniform  $n_s$

WMAP 9 low resolution polarization data dust cleaned with Planck 353 GHz

$\mathcal{P}_\zeta$  reconstruction demonstrates that running is not what the data wants. Running also connects low  $k$  to high  $k$ , a stiff expansion of  $\mathcal{P}_\zeta$

## Planck 2014 results on running

$$\mathcal{P}_{\mathcal{R}}(k) = A_s \left( \frac{k}{k_*} \right)^{n_s - 1 + \frac{1}{2} \frac{dn_s}{d \ln k} \ln(k/k_*)}$$



$$\frac{dn_s}{d \ln k} = -0.0087 \pm 0.0082 \quad (68\% \text{CL}, \text{Planck TT} + \text{lowP})$$

$$\frac{dn_s}{d \ln k} = -0.0031 \pm 0.0074 \quad (68\% \text{CL}, \text{Planck TT} + \text{lensing} + \text{lowP})$$

$$\frac{dn_s}{d \ln k} = -0.0049 \pm 0.0070 \quad (68\% \text{CL}, \text{Planck TT, TE, EE} + \text{lowP})$$

Compare with Planck 2013 results:

$$dn_s/d \ln k = -0.013 \pm 0.009 \quad 68\% \text{CL}, \text{Planck 2013}$$

# Quadratic $\ln \mathcal{P}_\zeta(\ln k)$ Maps aka Radical Compressions

=> ultra-early Universe sound/phonon spectrum

*Preliminary* 12 knots, cubic spline

$$\ell \equiv k D_{\text{rec}}$$

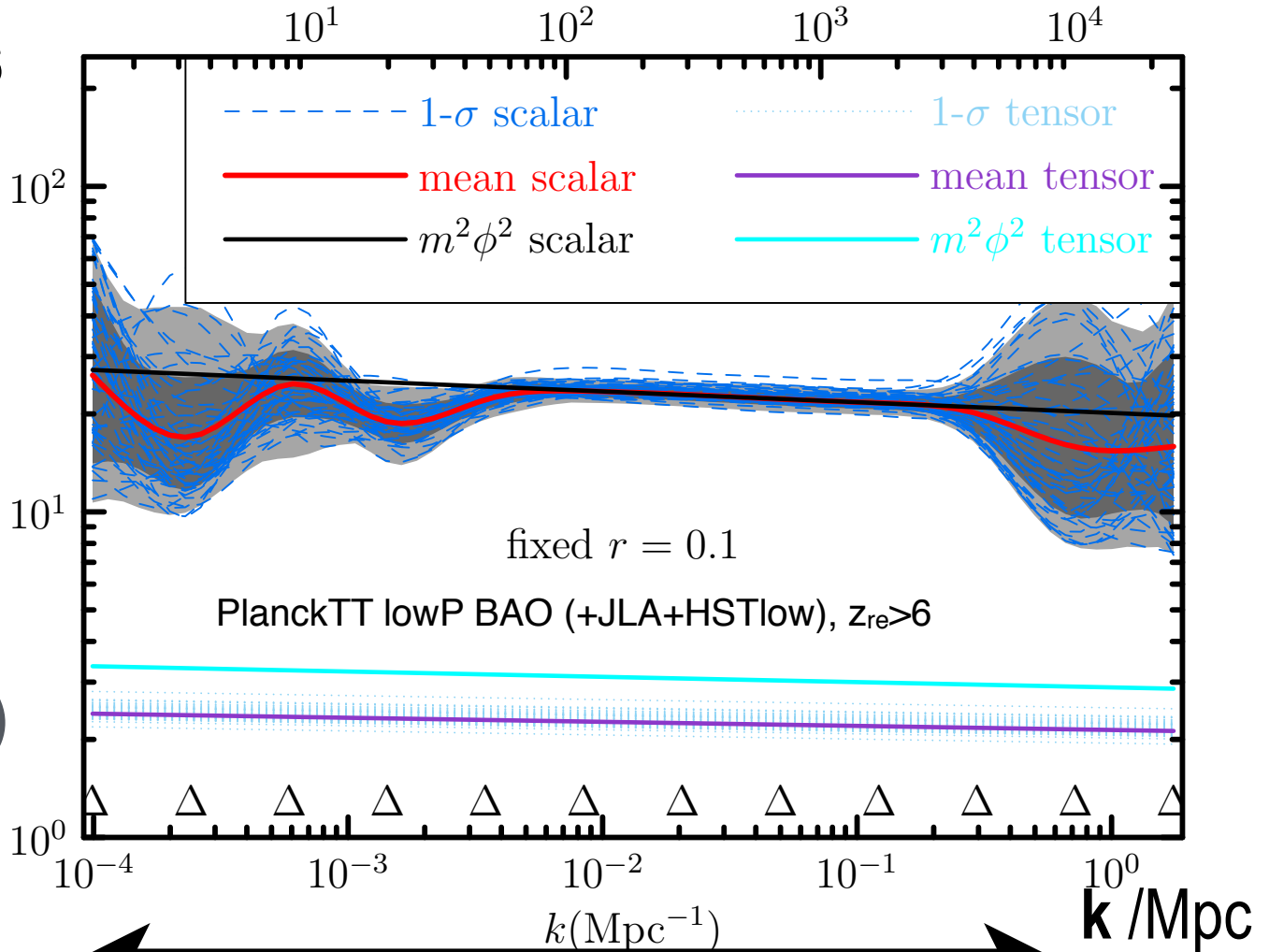
$$k d_{\text{rec}} \gtrsim L$$

Planck14+LSS

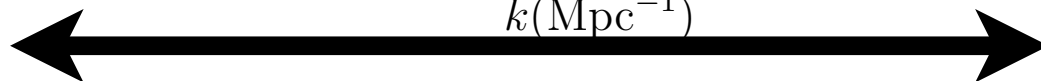
$\ln \mathcal{P}_\zeta(\ln k)$

*r -  $\mathcal{P}_\zeta$  partial degeneracy if r floats*

$\ln \mathcal{P}_{\text{GW}}(\ln k)$



9 e-folds



# Quadratic $\ln \mathcal{P}_\zeta(\ln k)$ Maps aka Radical Compressions

=> ultra-early Universe sound/phonon spectrum

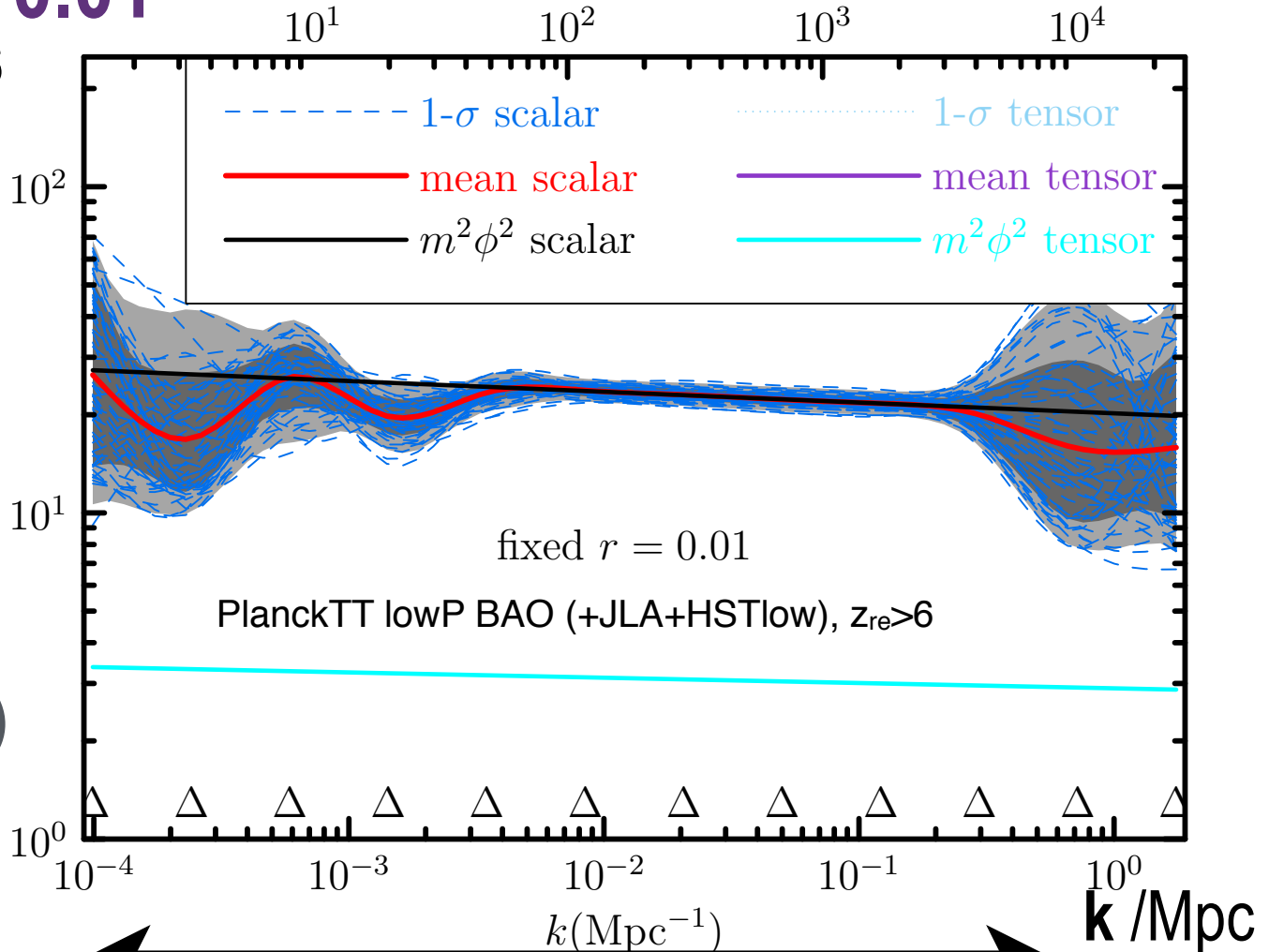
*Preliminary* 12 knots, cubic spline

$$\ell \equiv k D_{\text{rec}}$$

$$k d_{\text{rec}} \gtrsim L$$

constrain  $r \equiv 0.01$

Planck14+LSS



$\ln \mathcal{P}_\zeta(\ln k)$

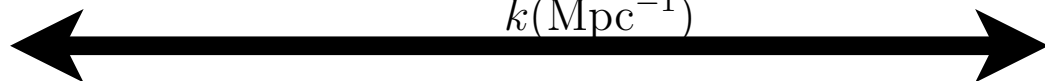
$10^{10} \mathcal{P}_{S,T}$

future  $r=0.01$   
constraint  
break  
degeneracy =>

stable features

$\ln \mathcal{P}_{\text{GW}}(\ln k)$

9 e-folds



$k (\text{Mpc}^{-1})$

$k / \text{Mpc}$



# Quadratic $\ln \mathcal{P}_\zeta(\ln k)$ Maps aka Radical Compressions

=> ultra-early Universe sound/phonon spectrum

*Preliminary* 12 knots, cubic spline

$$\ell \equiv k D_{\text{rec}}$$

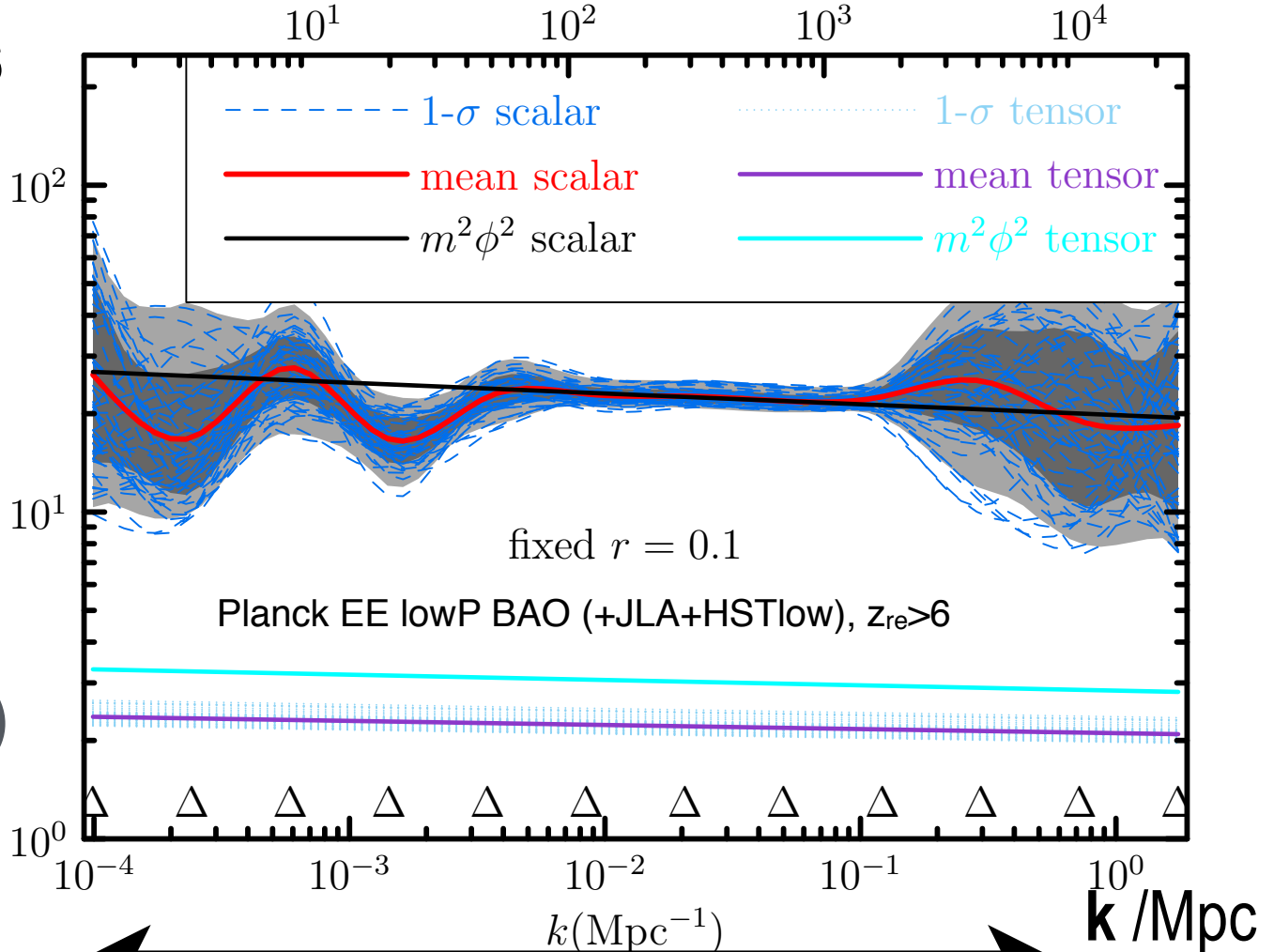
$$k d_{\text{rec}} \gtrsim L$$

Planck14+LSS

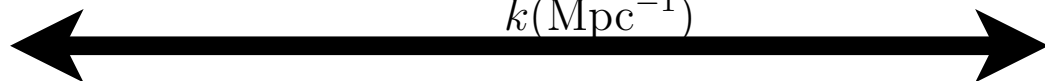
$\ln \mathcal{P}_\zeta(\ln k)$

adding high L  
polarization  
=> stable  
features

$10^{10} \mathcal{P}_{S,T}$



9 e-folds



$k / \text{Mpc}$

# Quadratic $\ln \mathcal{P}_\zeta(\ln k)$ Maps aka Radical Compressions

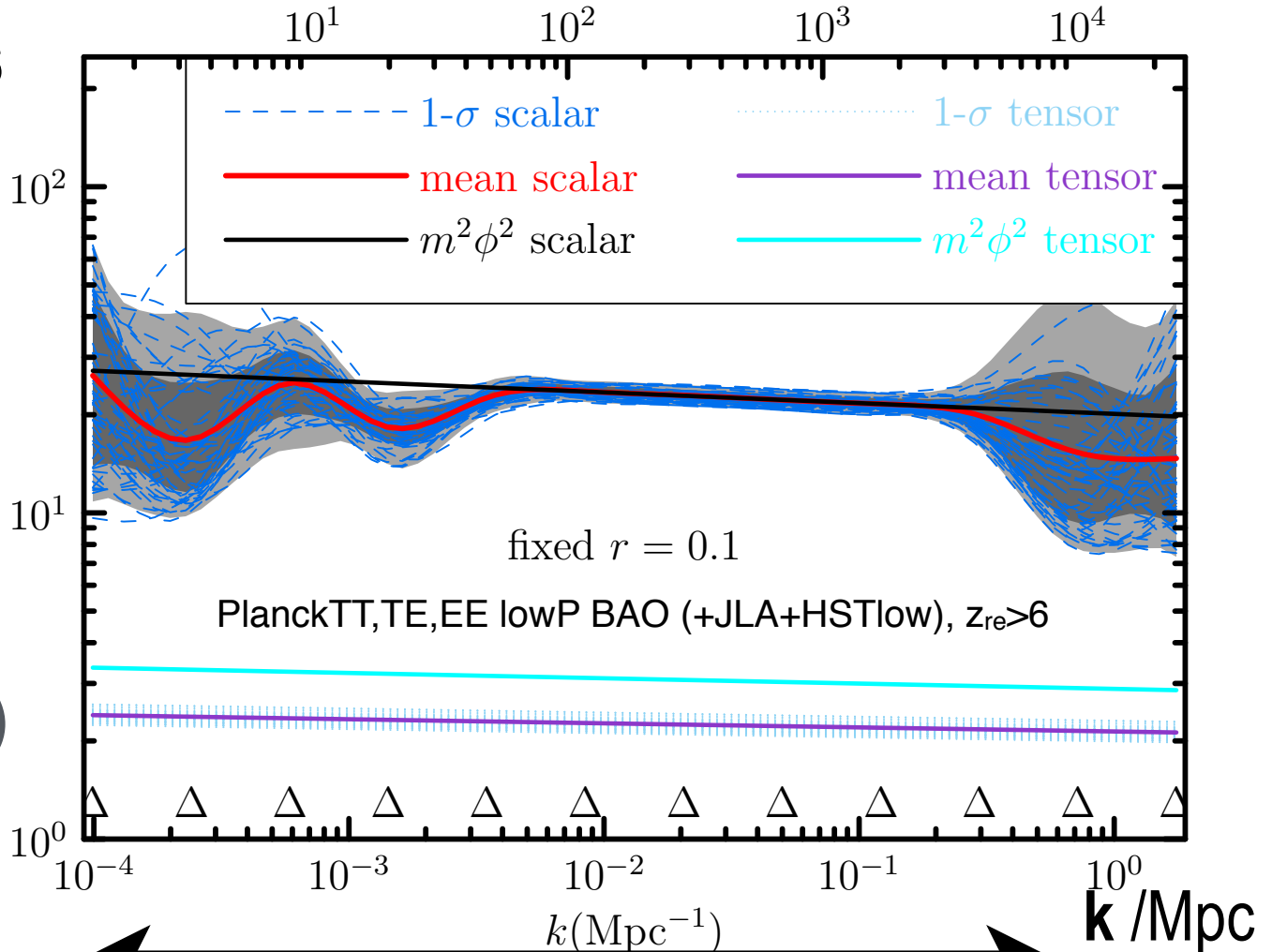
=> ultra-early Universe sound/phonon spectrum

*Preliminary* 12 knots, cubic spline

$$\ell \equiv k D_{\text{rec}}$$

$$k D_{\text{rec}} \gtrsim L$$

Planck14+LSS



$\ln \mathcal{P}_\zeta(\ln k)$

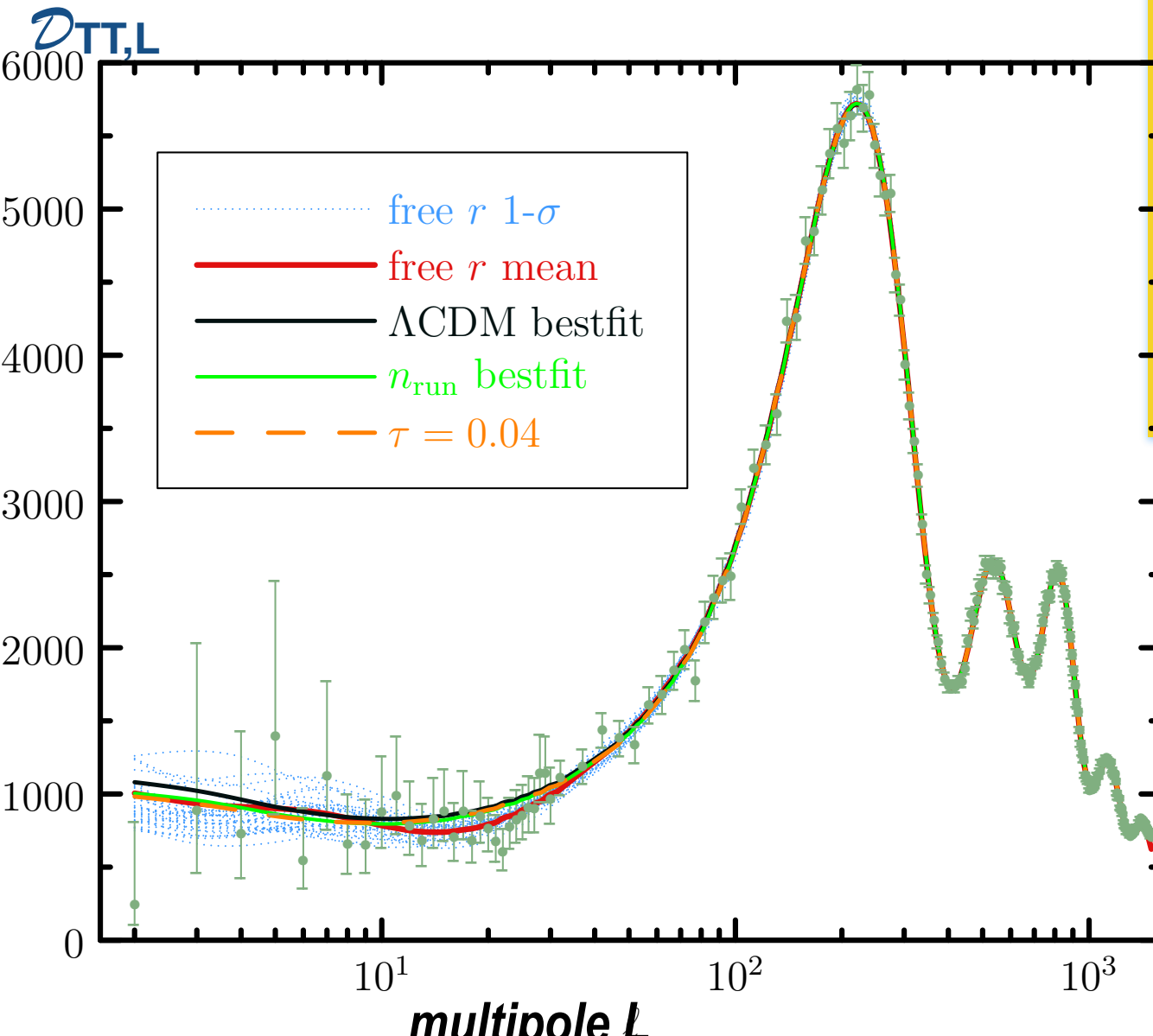
$10^{10} \mathcal{P}_{S,T}$

adding high L polarization  
=> stable features

$\ln \mathcal{P}_{\text{GW}}(\ln k)$

trajectories of  $\mathcal{D}_{TT,L}$   
cf. Planck 2014 Commander Low L spectrum + Likelihood high L  $\mathcal{D}_{TT,L}$

*Preliminary* 12 knots, cubic spline



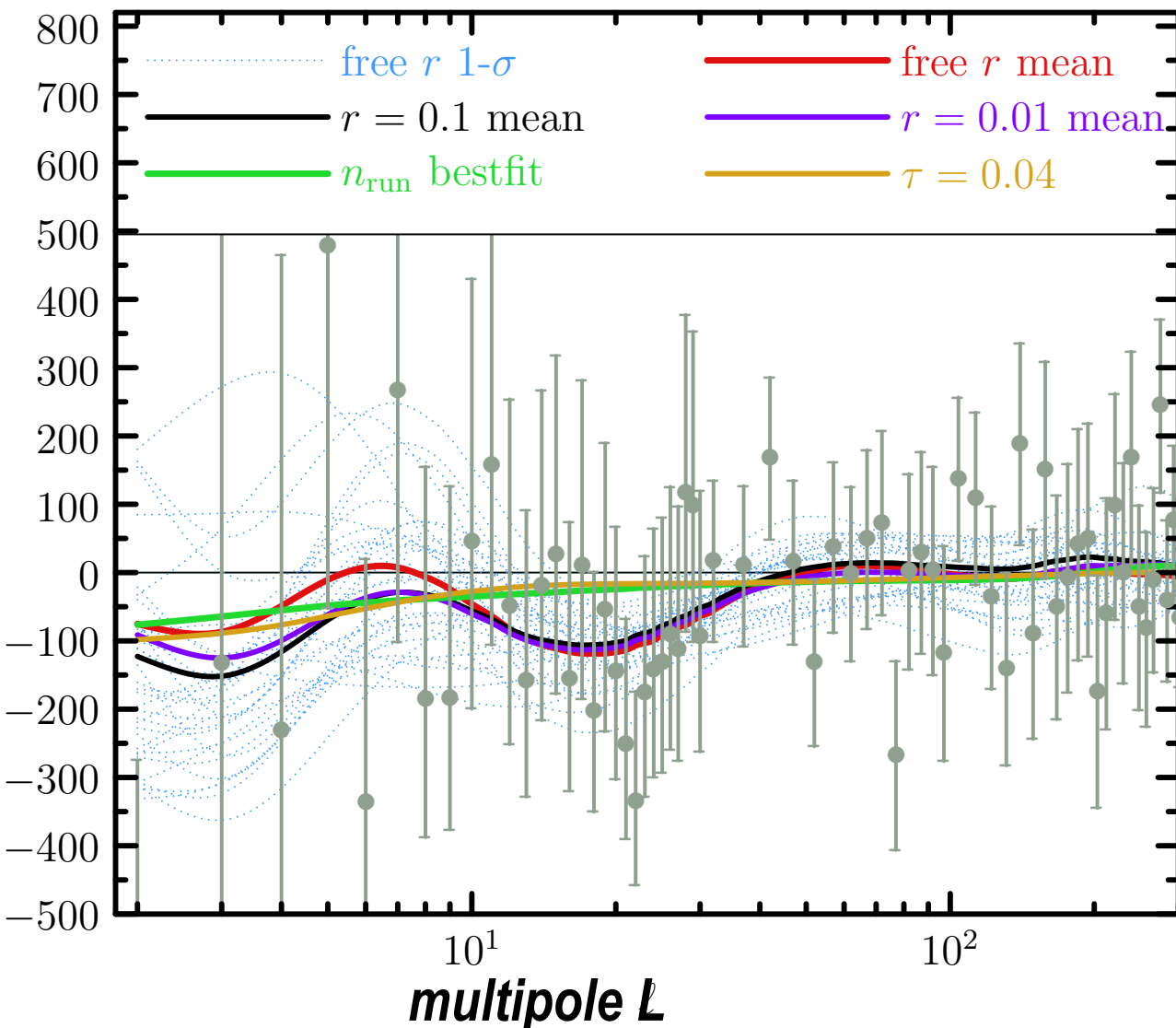
running of  $\mathcal{P}_\zeta$   
 $\equiv$  3 Chebyshev modes  
 $\Rightarrow$  very stiff  
 $\Rightarrow$  not what the data wants  
Lower  $\tau \Rightarrow$  shape similar to running at low L  
similar response on  $\mathcal{D}_{TT,L}$  for constrained & free  $r$  modified by  $\tau$  freedom

# trajectories of $\mathcal{D}_{TT,L}$

cf. Planck 2014 Commander Low L spectrum with Blackwell-Rao errors

*Preliminary* 12 knots, cubic spline

$\Delta\mathcal{D}_{TT,L}$

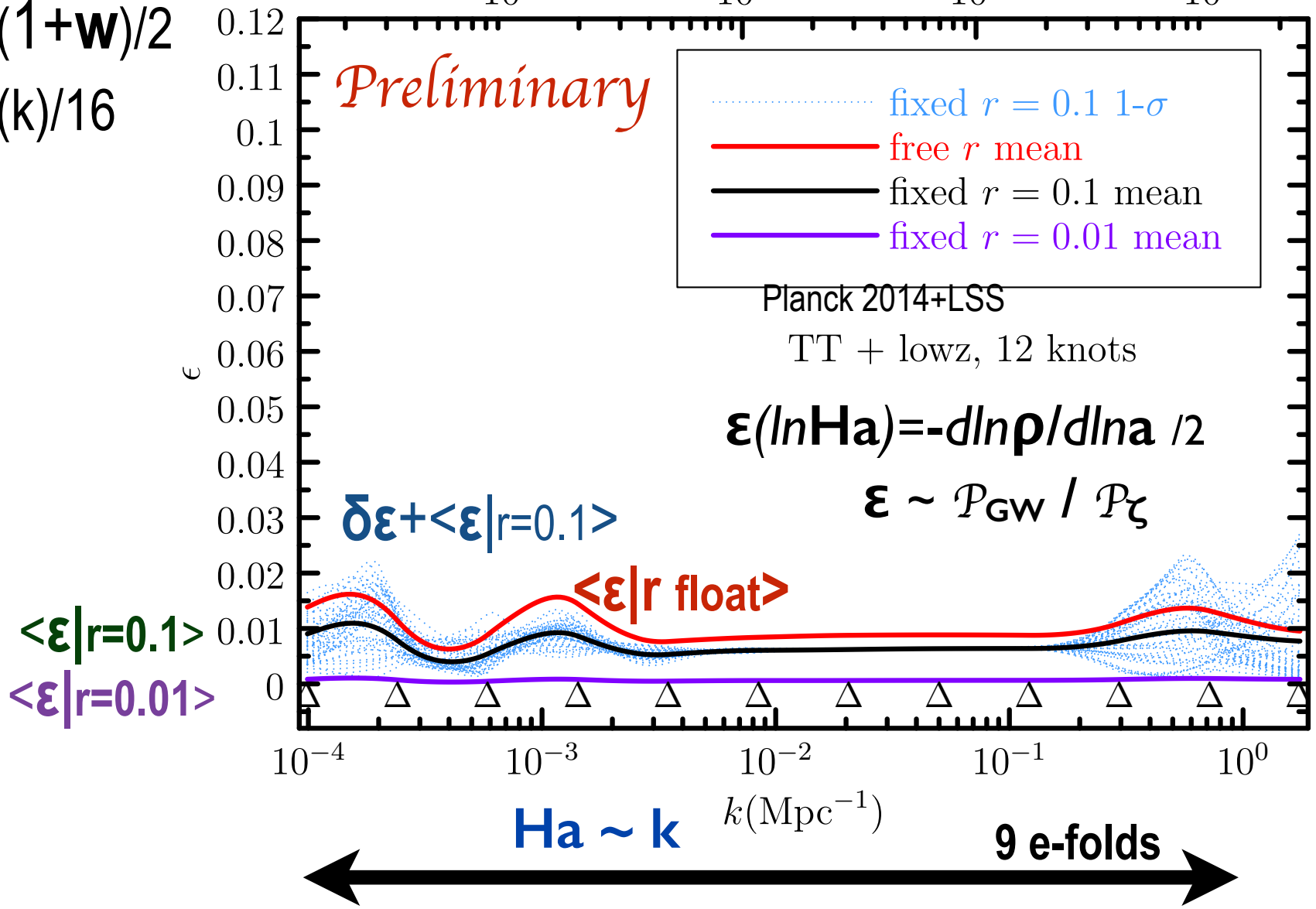


running of  $\mathcal{P}_\zeta$   
 $\equiv$  3 Chebyshev modes  
 $\Rightarrow$  very stiff  
 $\Rightarrow$  not what the data wants  
Lower  $\tau \Rightarrow$  shape similar to  
running at low L  
similar response on  $\mathcal{D}_{TT,L}$   
for constrained & free  $r$   
modified by  $\tau$  freedom

running of  $\mathcal{P}_\zeta$   
**NOT** wanted  
*the down-up-down  
tendency  
is here to stay,  
2014-2022-...*

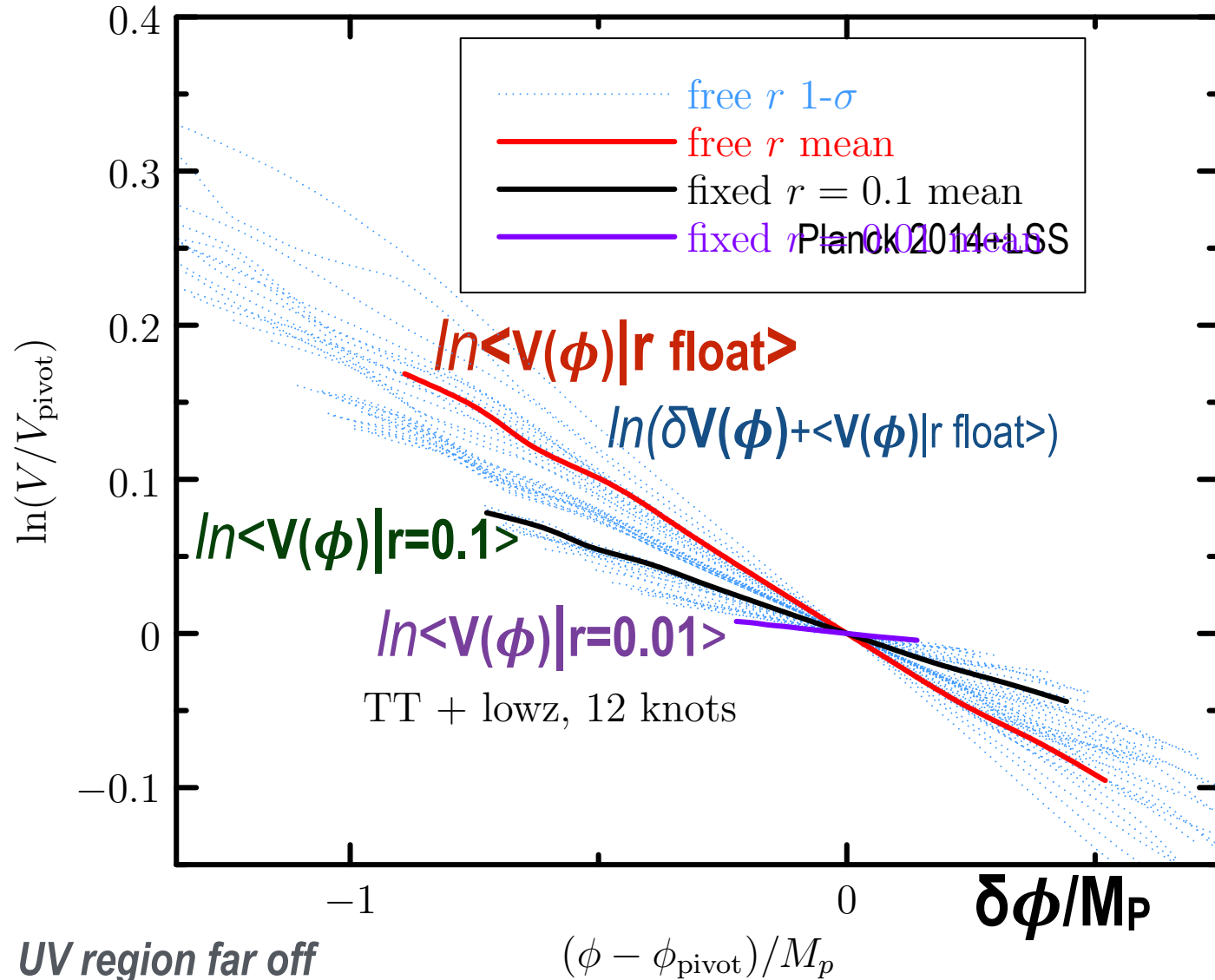
$\ell \equiv kD_{\text{rec}}$

$\mathcal{E} = 3(1+w)/2$   
 $\approx r(k)/16$



**inflaton  $V(\phi)$ -maps  $= 3M_P^2 H^2 (1-\epsilon/3)$  HJ eqn,  $d\phi/M_P/d\ln a = \pm \sqrt{2\epsilon}$**   
*along the gradient / Morse flow*

*Preliminary*



*IR heating region is far off => many ways to extrapolate*

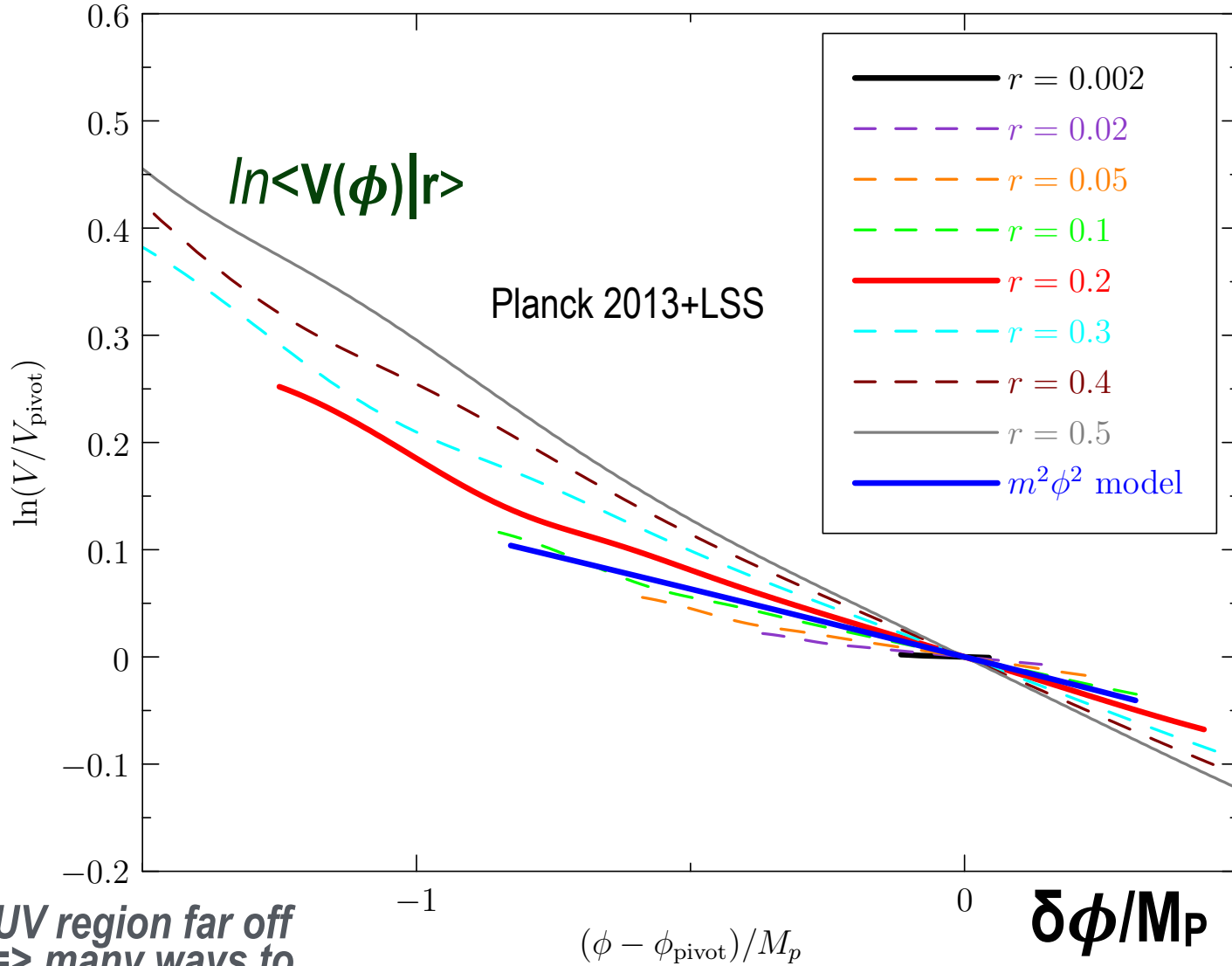
*UV region far off => many ways to extrapolate*

$r$  to  $\pm 0.02$  Spider forecast

$r$  to  $\pm 0.003$  AdvACTpol forecast w/ fgnds

**inflaton  $V(\phi)$ -maps  $= 3M_P^2 H^2 (1-\epsilon/3)$  HJ eqn,  $d\phi/M_P/d\ln a = \pm \sqrt{2\epsilon}$   
 along the gradient / Morse flow**

Reconstructed mean potential (without BICEP constraint)



IR heating region is far off  $\Rightarrow$  many ways to extrapolate

UV region far off  $\Rightarrow$  many ways to extrapolate

$r$  to  $\pm 0.02$  Spider forecast

$r$  to  $\pm 0.003$  AdvACTpol forecast w/ fgnds

# Planck 2015 zeta-reconstruction conclusions

convergence testing by increasing the number of knots, changing the knot mode functions, changing the fiducial to scale invariant => stable features & statistics

12 knots is Good for low L features; too few knots (8) => too stiff to respond to the CL data

degeneracies in  $\mathcal{P}_\zeta$  cf.  $\mathcal{P}_{GW}$  unless  $r$  is constrained/measured =>  $r=0.01, 0.1$  examples => same stable features. mild degeneracy with  $\tau$  for lowest  $k$ -bands explain details of  $L < 10$  features

2 other  $\mathcal{P}_\zeta$  reconstructions in Planck 2015 Inflation paper. e.g., using moving linear knots: the stable features & conclusions agree. Planck 2015 Inflation also reconstructs  $V$  directly 2 ways

simple uniform  $n_s$  triumphs at high  $k$  from 0.3 to 0.008/Mpc, OK ( $r$ ) at low  $k$   
~10,000,000 T/E modes =  $\Lambda$ CDM  $L_k > 50$  p-value .98 ( $r$  free), .99 ( $r=0.01$ ), .99 ( $r=0.1$ )

$\approx 1000$  T/E modes hint of uniform- $n_s$  deviation,  $\approx 100$  T/E probe reionization history  
no statistical evidence of oscillation patterns, cutoffs, at this level of coarseness/stiffness;  
 $\exists$  a mean-power change on large  $L < 50$  scales exists which is not well-fit by running the mean is statistically beaten by coherent power fluctuations: NO ANOMALY beyond 2 sigma  
statistically insignificant deviation: low- $k$   $L_k < 50$  p-value .40 ( $r$  free), .42 ( $r=0.01$ ), .14 ( $r=0.1$ )  
all our anomaly hints are at low  $L$ , quadratic & linear: we are victims of cosmic variance

inflaton EOS aka  $\epsilon$  trajectories =>  $V$  trajectories: higher  $r$ , bigger  $\delta\phi/M_P$  & steeper  $V$ , upturn?

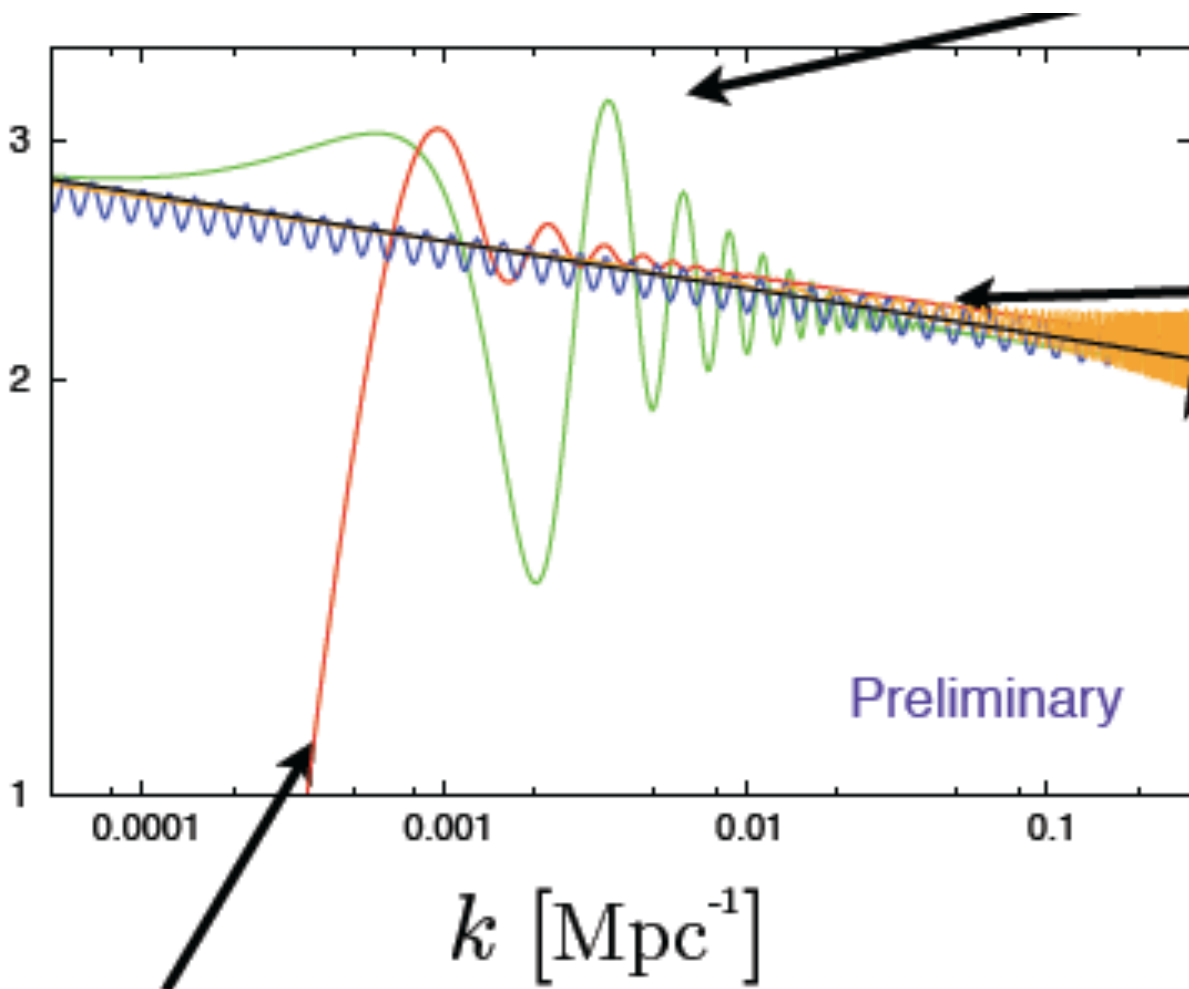
the  $L_k=20-30$  TT-driven mean downturn was/is a phenomenology (less in P15 cf. P13), no matter  $r$   
fit into a UV-complete theory (ultra-high energy to the Planck scale) strings, landscape, ..  
& IR-complete theory (post-inflation heating -> quark/gluon plasma)??? TBD



Planck 2015 inflation paper:  
check **features** in  $\mathcal{P}_\zeta$

*monodromy => oscillations, no detection  
other models don't really explain the dip/rise  
unless shaped to do it, no evidence in favour*

$\mathcal{P}_\zeta(\ln k)$





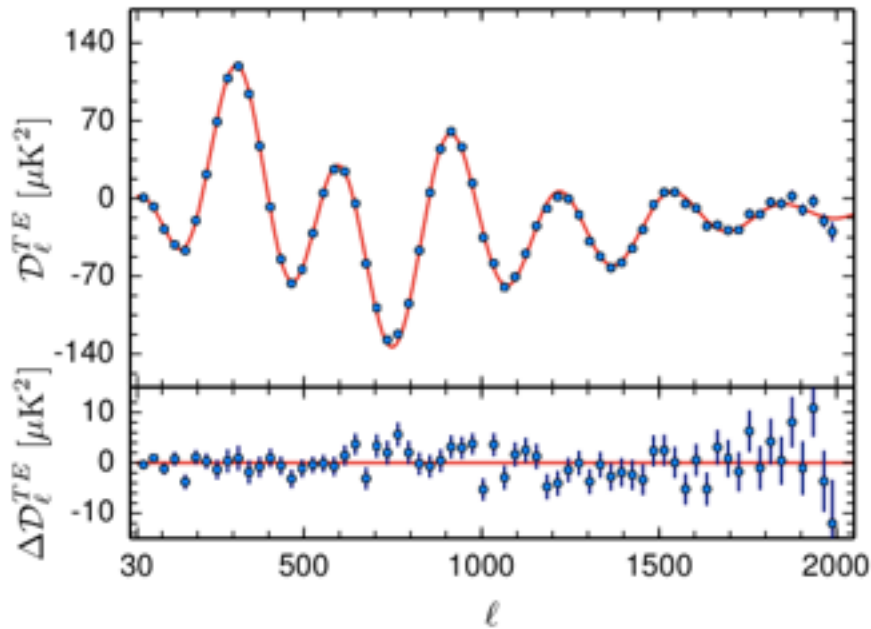
planck



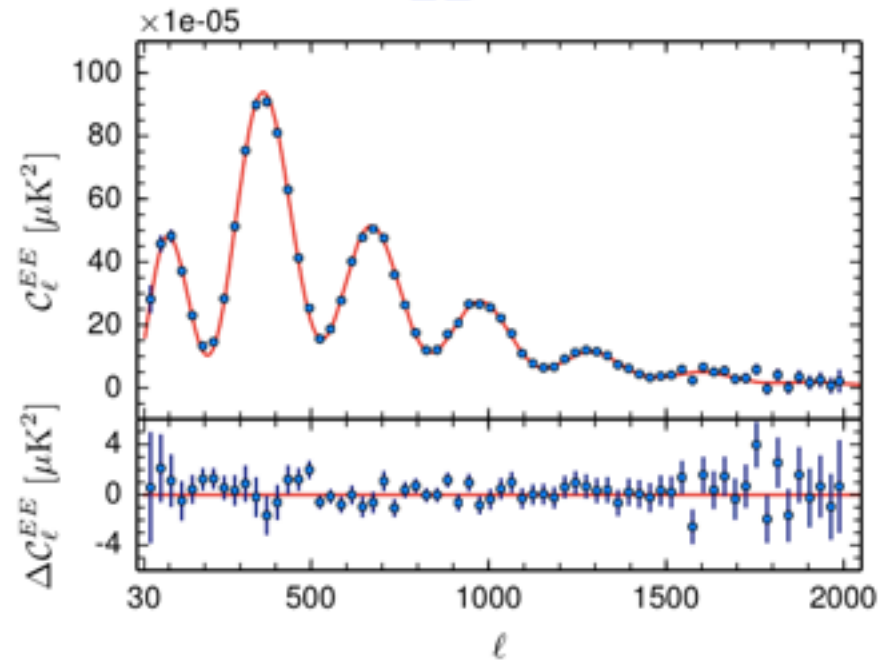
# Beyond Planck 2014 +LSS: Inflation futures from **CMB & LSS**

**Planck 2015 TE/EE cf. TT => constrains subdominant primordial power contributions not phase-locked with the acoustic-peaks of the pure adiabatic case.** see Planck 2015 inflation paper

TE



EE



*Preliminary*

**constraints on isocon spectra /parameters:** Planck 2013 => Planck 2015 inflation paper

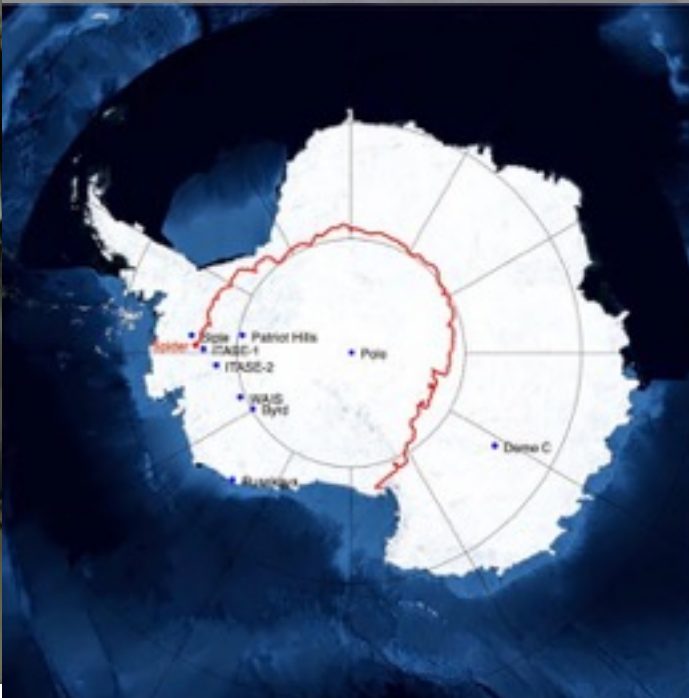
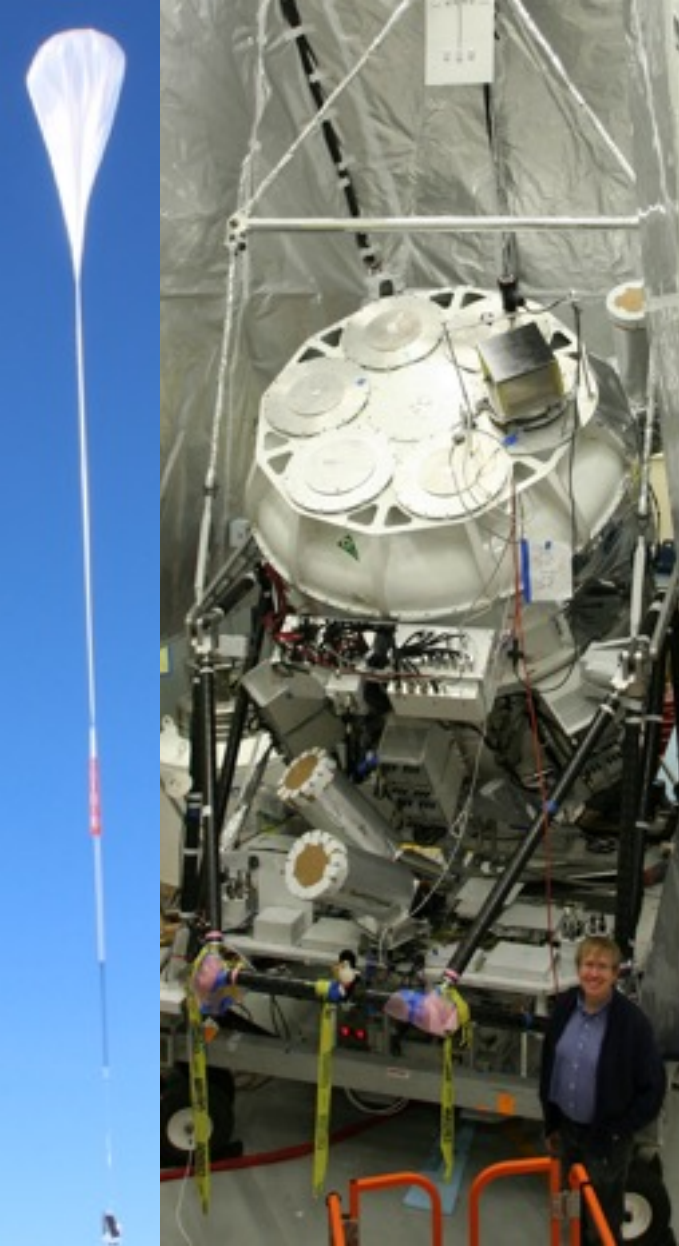
The scientific results that we present today are a product of the Planck Collaboration, including individuals from more than 100 scientific institutes in Europe, the USA and Canada.



Planck is a project of the European Space Agency, with instruments provided by two scientific Consortia funded by ESA member states (in particular the lead countries: France and Italy) with contributions from NASA (USA), and telescope reflectors provided in a collaboration between ESA and a scientific Consortium led and funded by Denmark.



# SPIDER



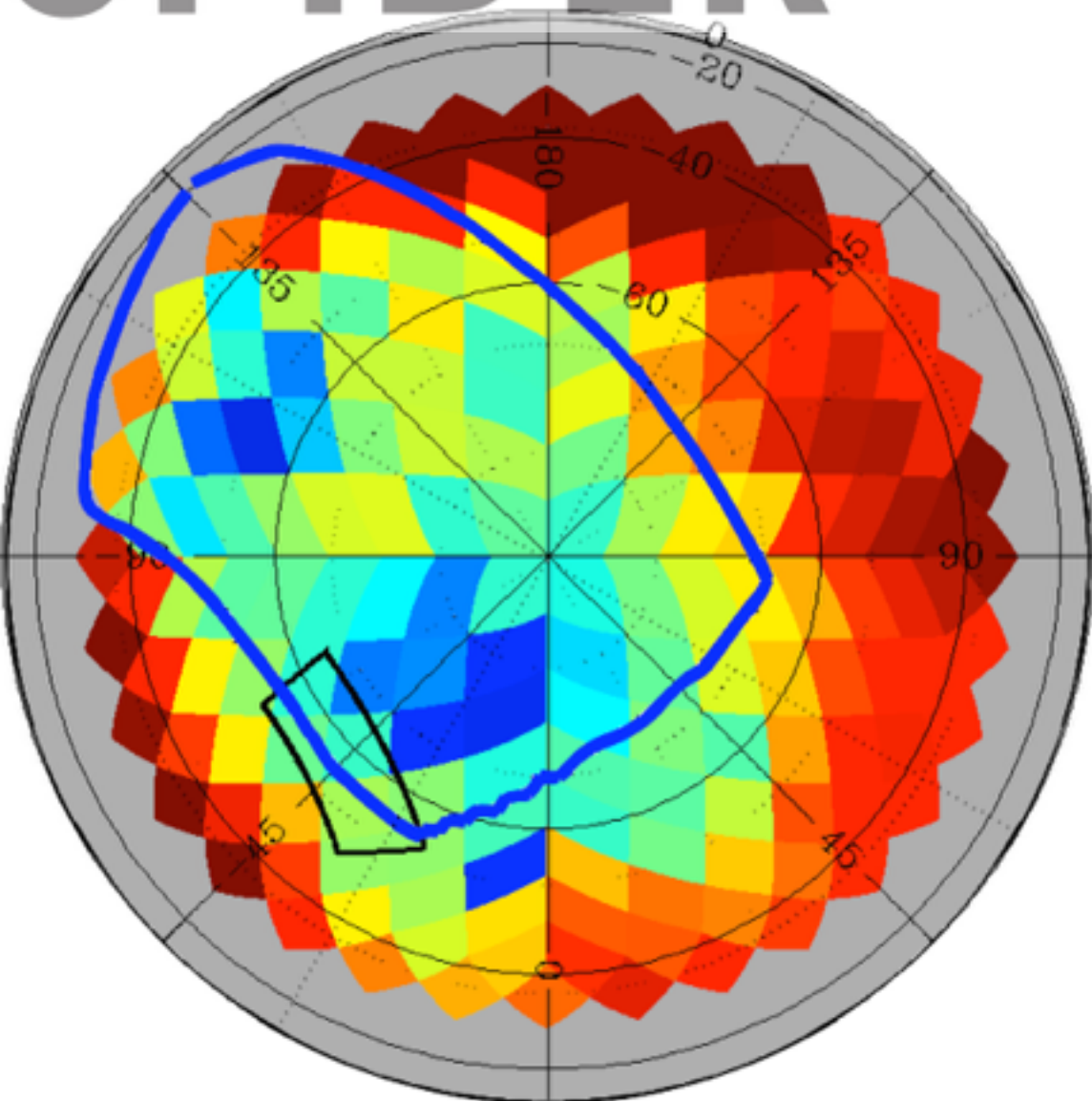
Imperial College  
London



the David & Lucile Packard  
FOUNDATION



# SPIDER



1.0  $\log_{10}(\tau_d)$

jeff filippini @ potus  
sept14 just after PIP97

Jan 2015 flight ~ 16d

fsky,eff=0.65

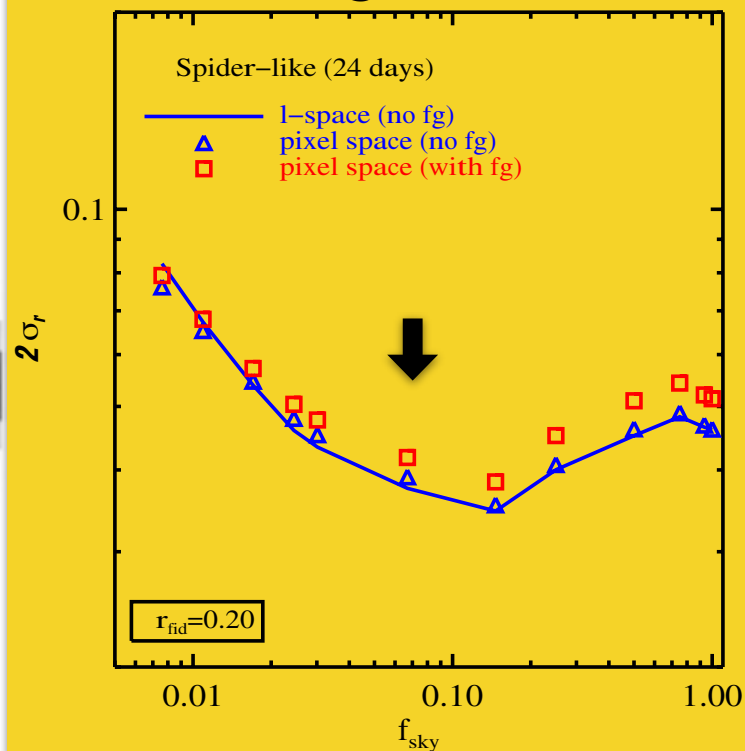
3/3 @ 90/150 GHz

~2K detectors incl yield

L ~ 10-300

2016+ flight

2/2/2 @ 90/150/280 GHz



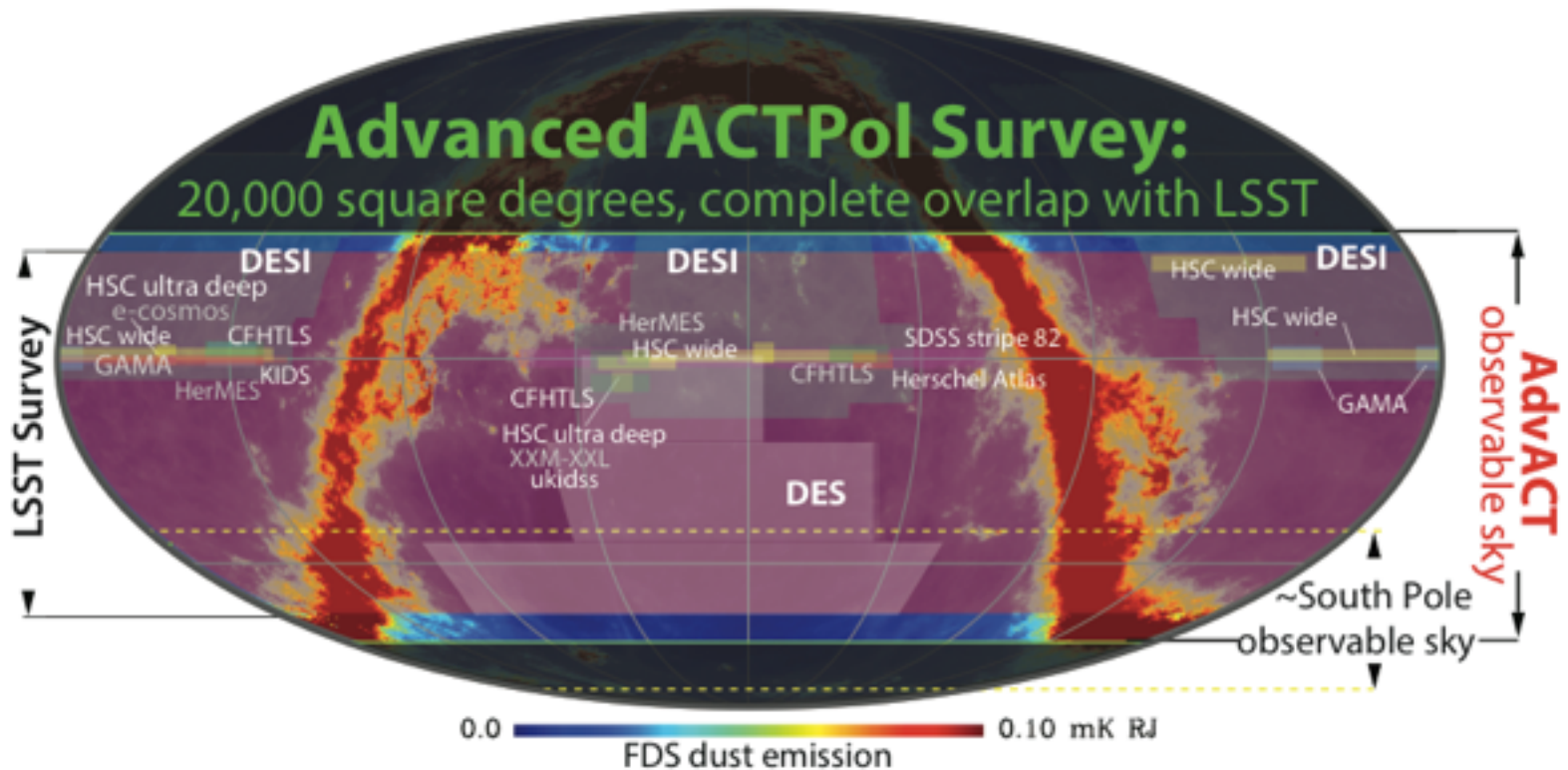
forecasts

0.03 2 sigma 1st flight no fgnd

0.02 2 sigma 2nd flight

0.03 2 sigma 2nd flight fgnd cleaned

# Advanced ACTPol (AdvACT) Observations

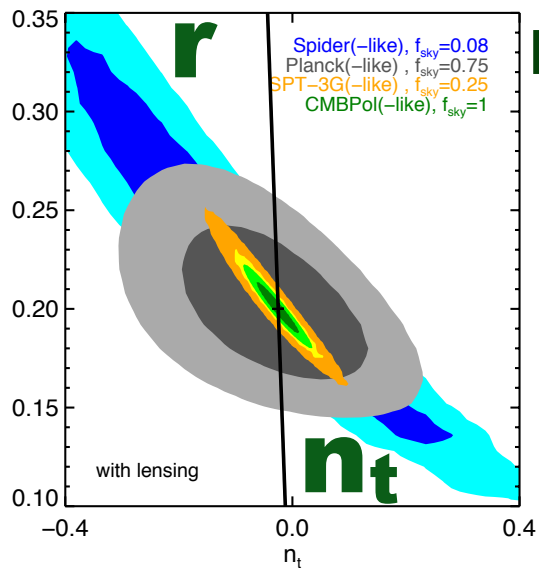


- $\sim 20,000 \text{ deg}^2$  survey ( $f_{\text{sky}} \sim 0.5$ ) with complete LSST overlap as well as DES, ALMA, and other observatories located in Chile
- Substantial overlap with spectroscopic surveys (SDSS, PFS, DESI)

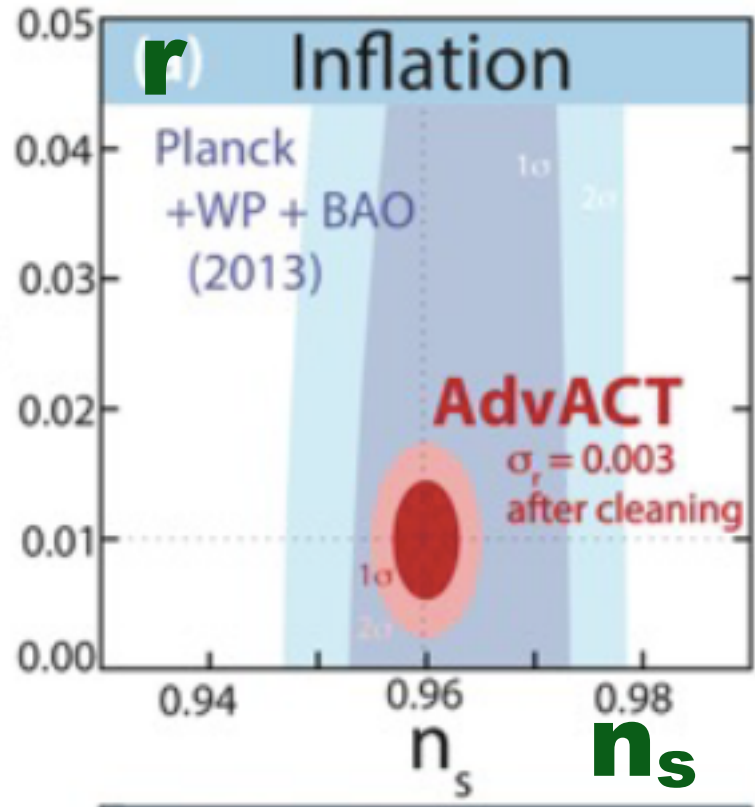
# future

## AdvACTpol ( $f_{\text{sky}} \sim 50\%$ ): *Cosmological Forecasts*

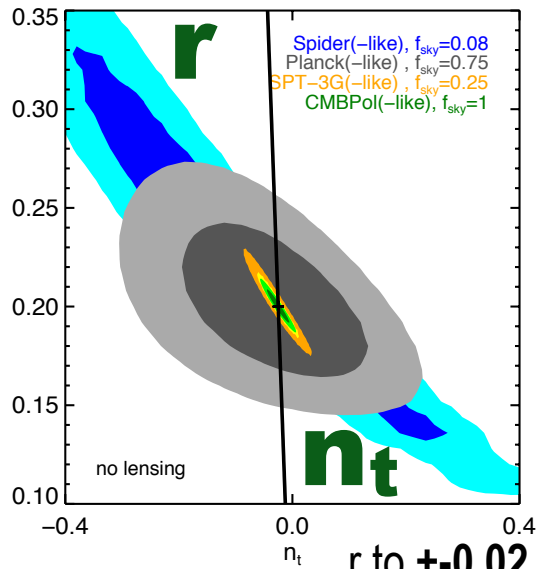
**Planck\_f, Spider, SPT3g, .. CMBpol (CoRE+,Pixie,..)**



**$n_t \approx -r/8$**   
*nice BB spectra,  
 hence a slope,  
 but tensor  
 consistency is a  
 steep relation.  
 how well we can  
 do will depend  
 upon the ability  
 to de-lens to get  
 to the high L tail*



testing tensor consistency?  
 better  $f_{\text{sky}}=25\%$  for spt3g/AdvACT-like  
 than current 6% goal for spt3g



*Planck\_f uses pre-launch blue book forecast sensitivities*

r to **+0.02 Spider** forecast

r to **+0.003 AdvACTpol** forecast w/ fgnds