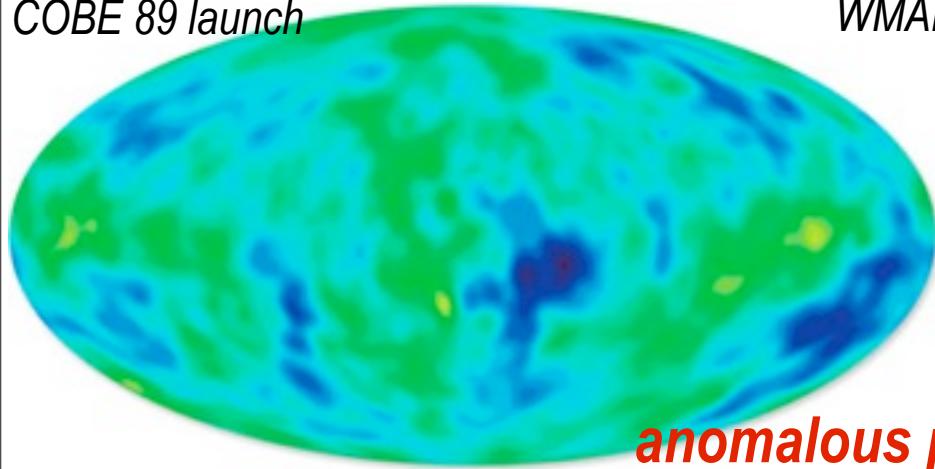
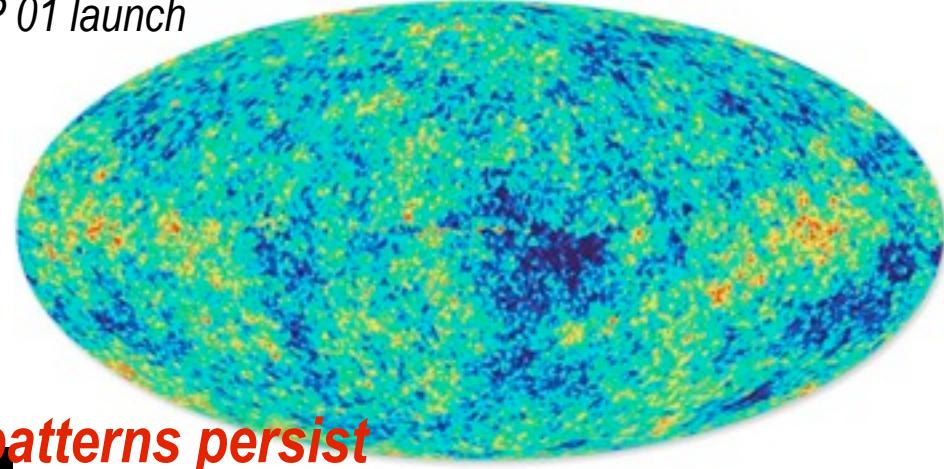


COBE 89 launch

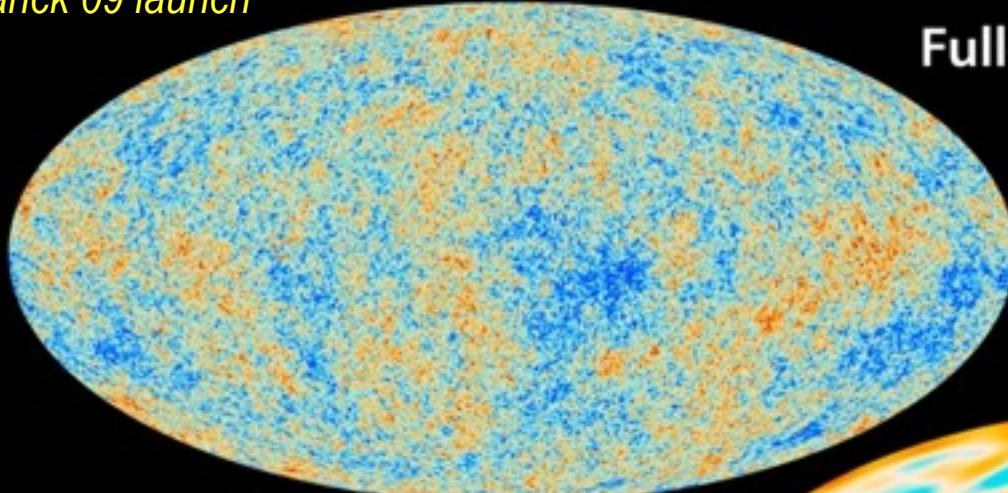


WMAP 01 launch



anomalous patterns persist

Planck 09 launch



Full-Sky Map

NonGaussian 3-point-pattern measure

f_{nl}: 2.7 ± 5.8 local $\Rightarrow \pm 5$ (Pext)

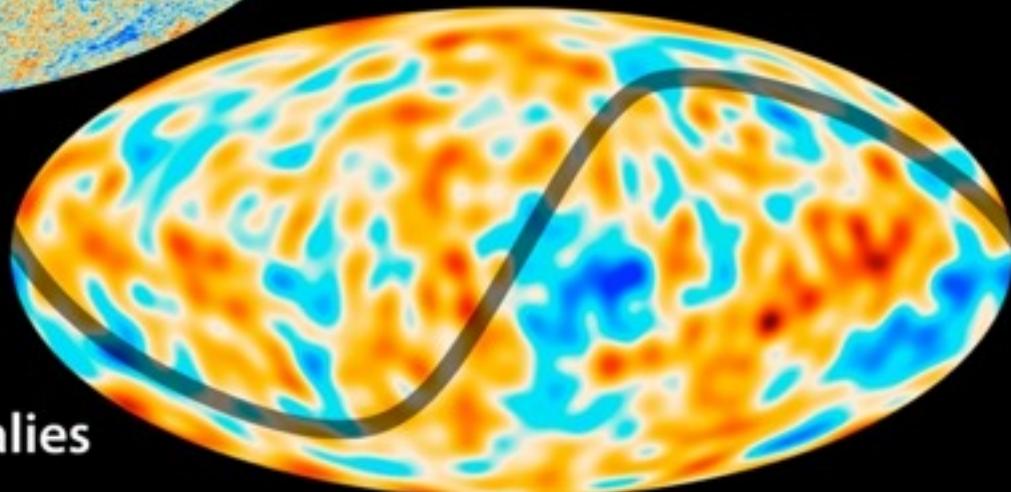
-f_N|: 42.3 ± 75.2 equil

-25.3 ± 39.2 ortho & f_{NL}^{eff}

the Planck Collaboration, including individuals from more than 100 scientific institutes in Europe, the USA and Canada



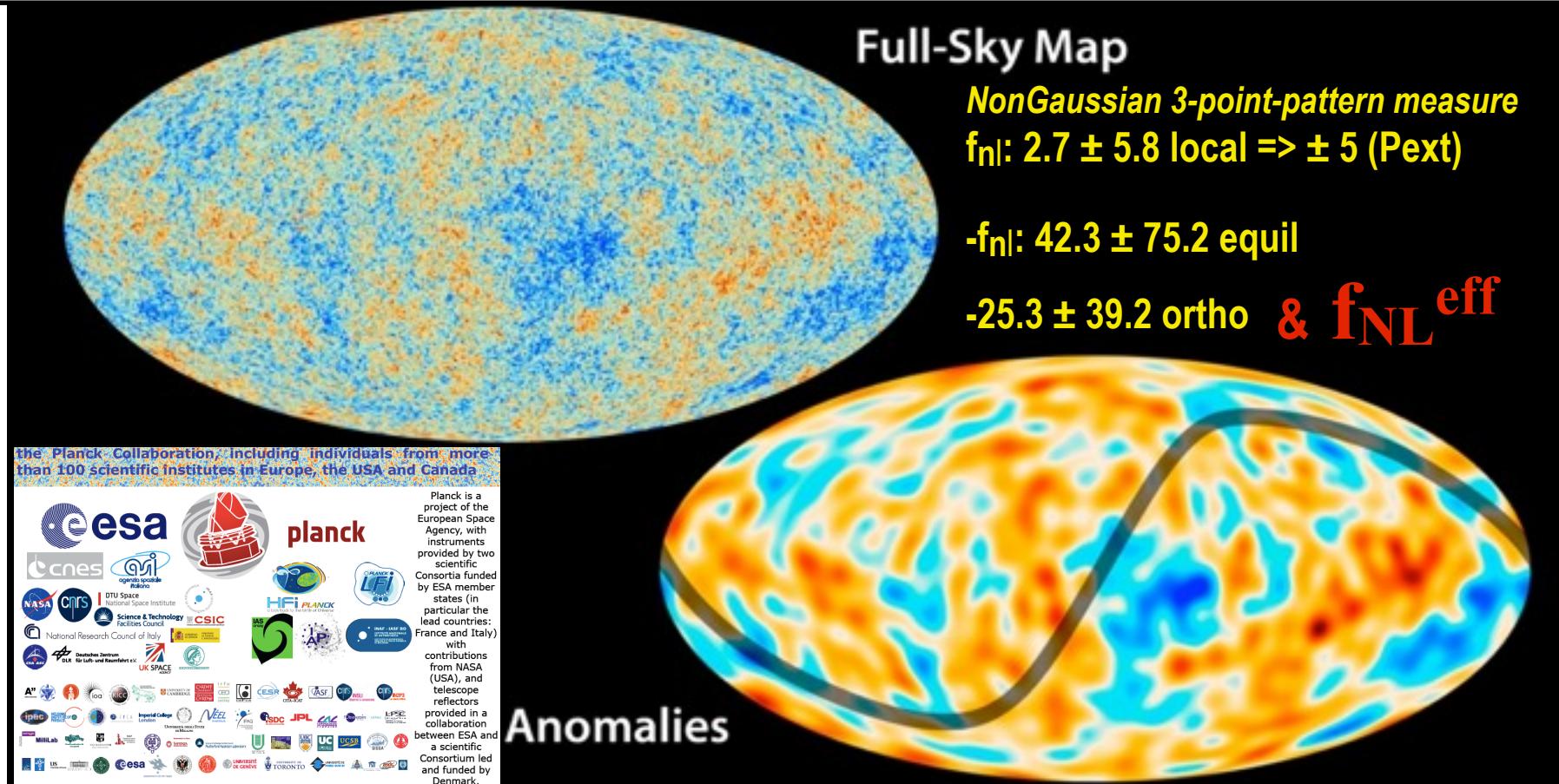
Planck is a project of the European Space Agency, with instruments provided by two scientific Consortia funded by ESA member states (in particular the lead countries: France and Italy), with contributions from NASA (USA), and telescope reflectors provided in a collaboration between ESA and a scientific Consortium led and funded by Denmark.



nd **Anomalies**

**Are LargeScale anomalies statistically significant? no said WMAP7 Bennett+
Seem to be says Planck1.3, so theorists should look again**

Planck1.3 says Size of the Universe > 2*distance to recombination for a variety of flat, plus and minus curved topologies, as did COBE and WMAP. Inflation models prefer a super-big universe, with nothing special just beyond our Hubble volume leaking in - maybe. Thus, can anomalies relate to inflation, given the strong non-G pattern-constraints from the 3-point function coded in f_{NL}
e.g., from LS-intermittency due to an ultraLS modulating field remembering post-inflation entropy generation BondFrolovHuangKofman09, BBradon13, B²FH13



primordial non-Gaussianity

$$\zeta(x) = \zeta_G(x) + f_{NL} * (\zeta_G^2(x) - \langle \zeta_G^2 \rangle)$$

local smooth. use optimal pattern estimator

cf. DBI inflation: non-quadratic kinetic energy

cosmic/fundamental strings/defects

from end-of-inflation & preheating

$$\zeta(x) = \zeta_G(x) + \mathbf{F}_{NL}(\chi_b(x))$$

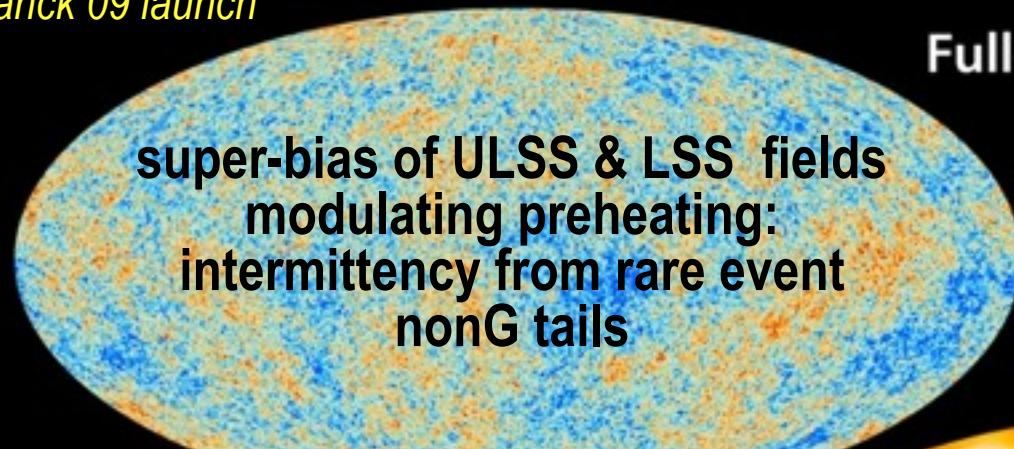


modulating preheating

f_{NL}_{eff} + cold spots

$$\zeta(x) = \zeta_G(x) + \mathbf{F}_{NL}(g_b(x))$$

Planck 09 launch



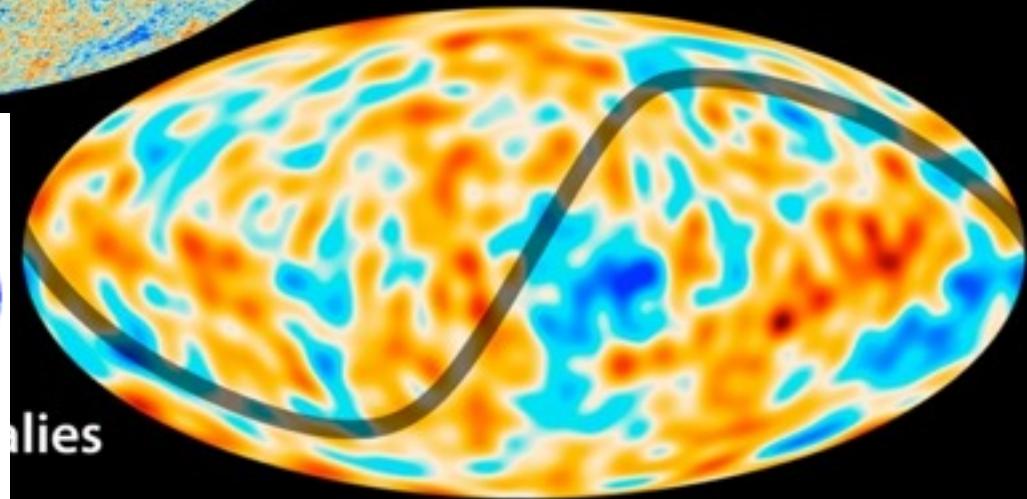
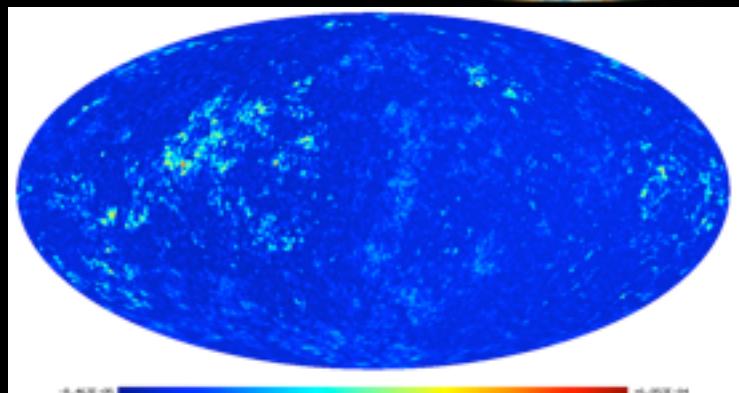
Full-Sky Map

NonGaussian 3-point-pattern measure

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$-f_{NL}$: 42.3 ± 75.2 equil

-25.3 ± 39.2 ortho



alias

10 -100 1000 10000

10 -100 1000 10000

modulating post-inflation entropy generation shocks via long range fields

isocon

$\chi(x)$

or

$g(\sigma(x))$

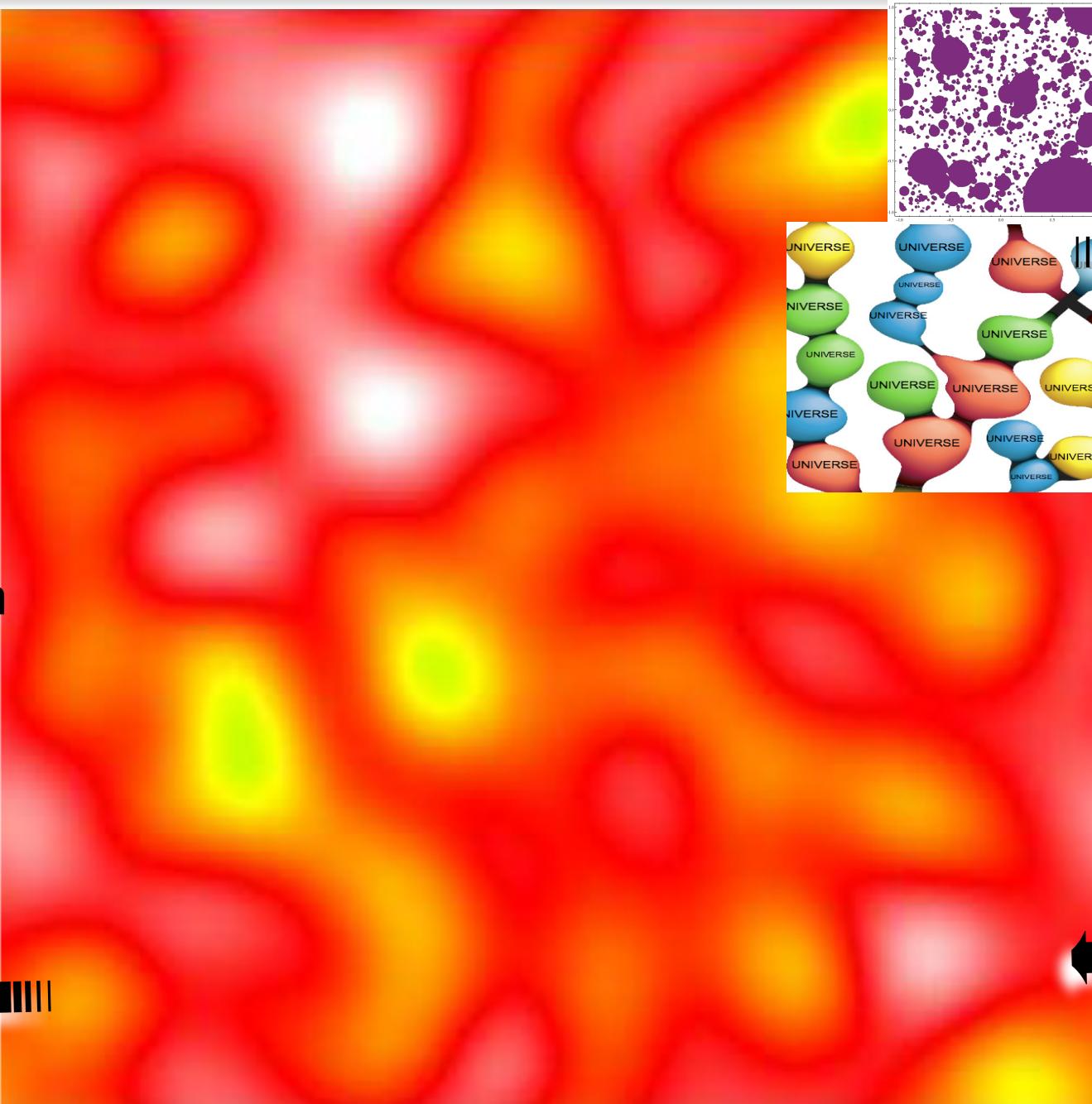
or..

ϕ

inflaton

pre-heating
patch
(~1cm)

$S_{U,m+r}$
 $\sim 10^{88.6}$



$S_{U,UU,UULSS}$

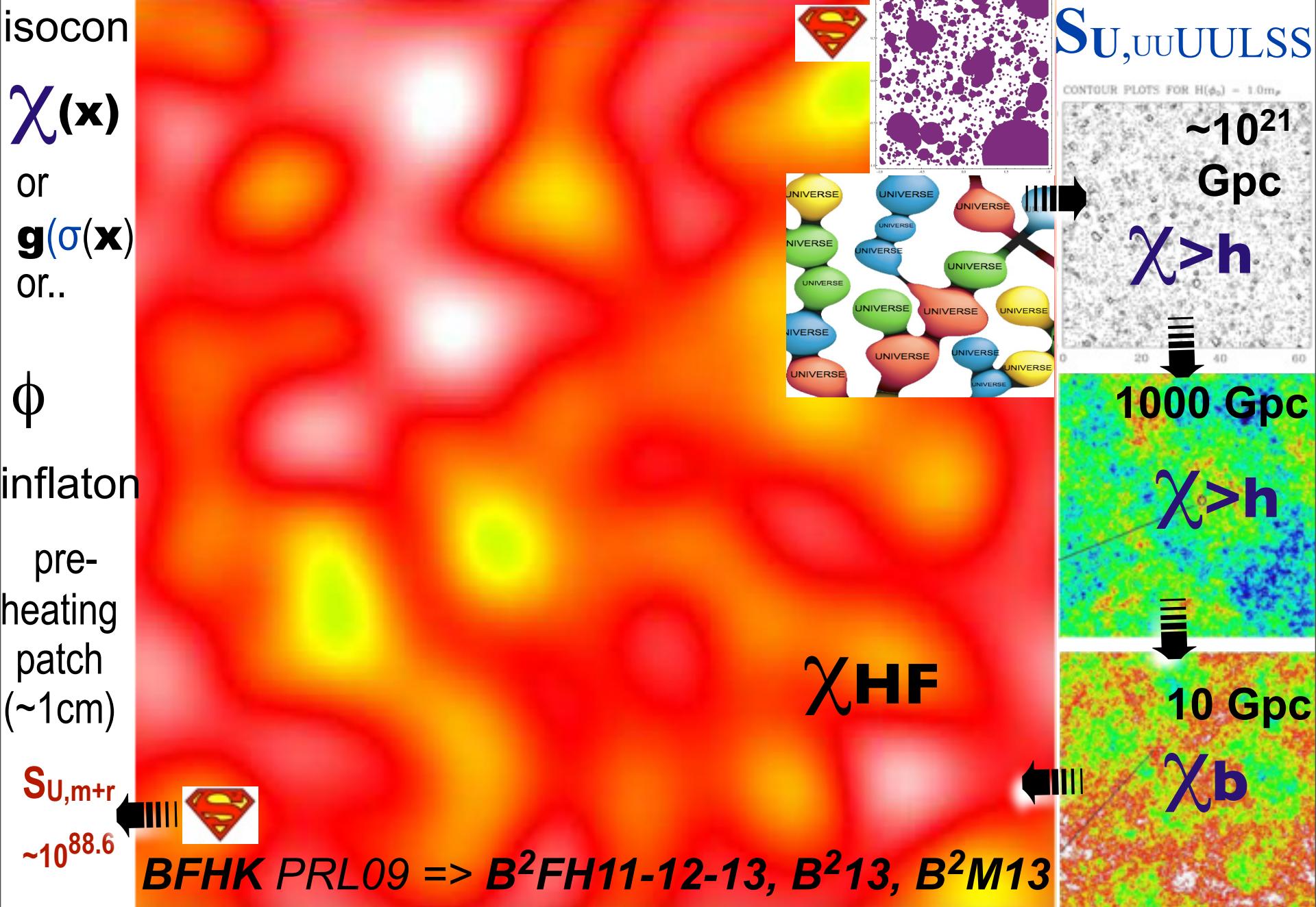
CONTOUR PLOTS FOR $H(\phi_0) = 1.0 \text{ m}_\mu$

$\sim 10^{21}$
Gpc

1000 Gpc

10 Gpc

modulating post-inflation entropy generation shocks via long range fields



modulating post-inflation entropy generation shocks via long range fields

isocon

$\chi(x)$

or

$g(\sigma(x))$

or..

ϕ

inflaton

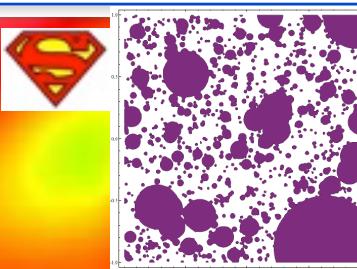
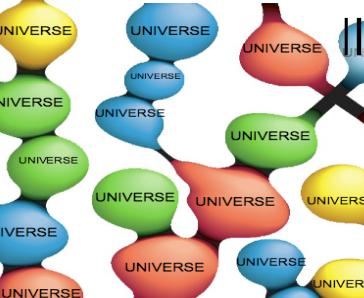
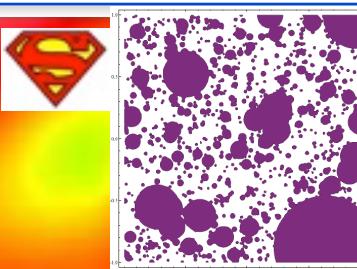
pre-
heating
patch
(~1cm)

$S_{U,m+r}$
 $\sim 10^{88.6}$

$$\frac{\sigma^2_{>h}}{\sigma^2_b} \sim \frac{\ln(k_h/k_{UUULSS})}{\ln(k_b/k_h)}$$

$\sim 5 ? \Rightarrow$ a “landscape” of $\chi > h$

marginalize σ_{HF}
over ~ 50 e-folds of HF structure



$S_{U,UUULSS}$

CONTOUR PLOTS FOR $H(\phi_0) = 1.0 \text{ m/s}$

$\sim 10^{21}$

Gpc

$\chi > h$

1000 Gpc

$\chi > h$

$\sigma > h$

10 Gpc

χ_b

σ_b

BFHK PRL09 => $B^2FH11-12-13$, B^213 , B^2M13

χ_{HF}



modulating post-inflation entropy generation shocks via long range fields

isocon

$\chi(x)$

or

$g(\sigma(x))$

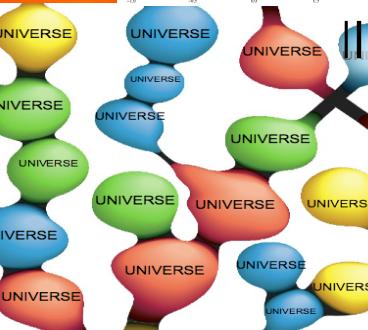
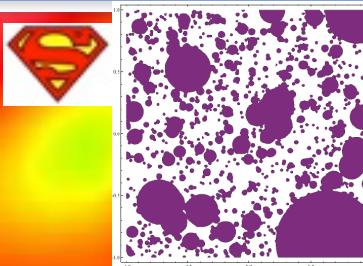
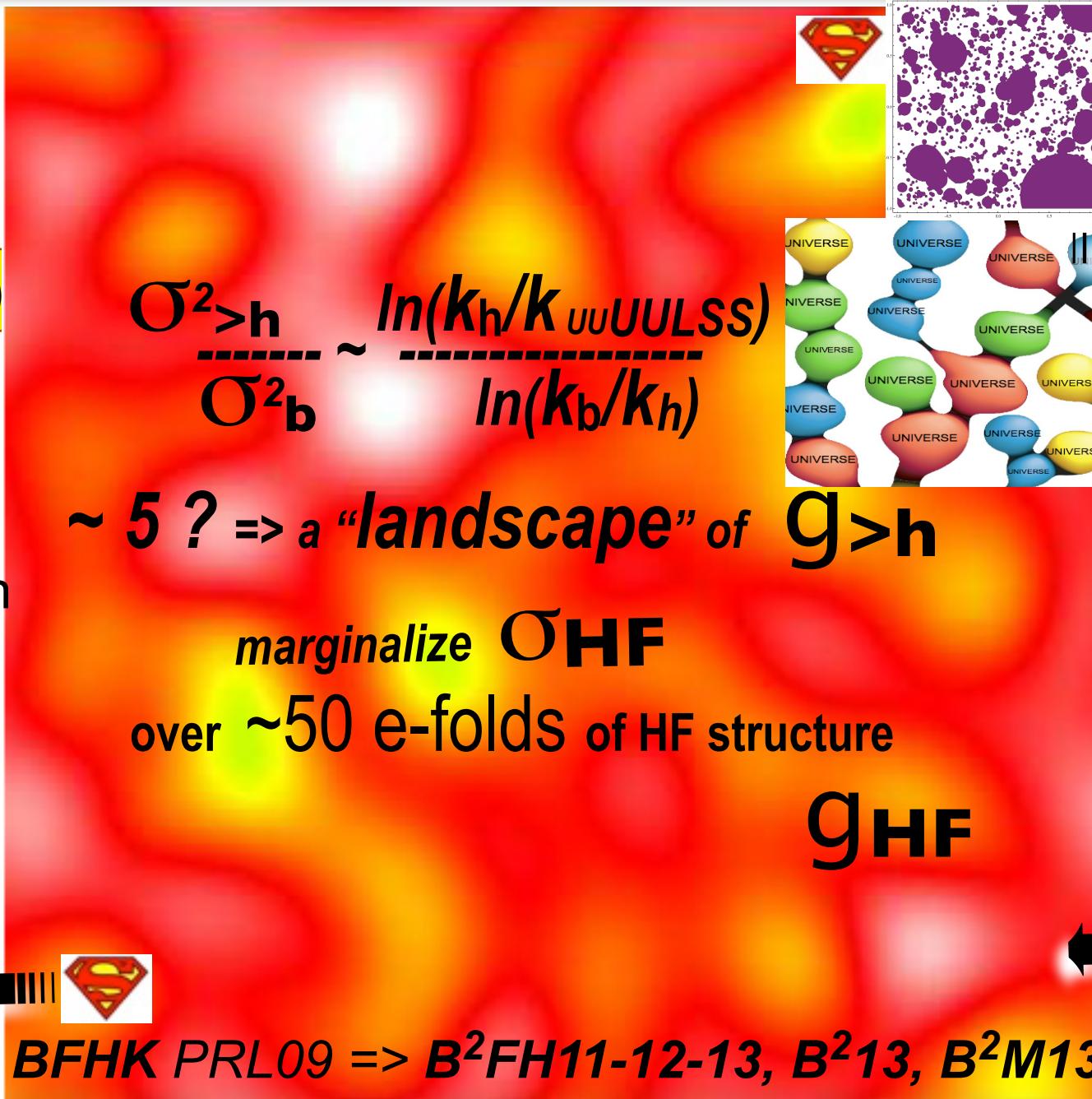
or..

ϕ

inflaton

pre-
heating
patch
(~1cm)

$S_{U,m+r}$
 $\sim 10^{88.6}$



$S_{U,UUULSS}$

CONTOUR PLOTS FOR $H(\phi_0) = 1.0 m_p$

$\sim 10^{21}$

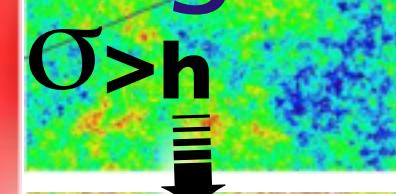
Gpc

$g > h$



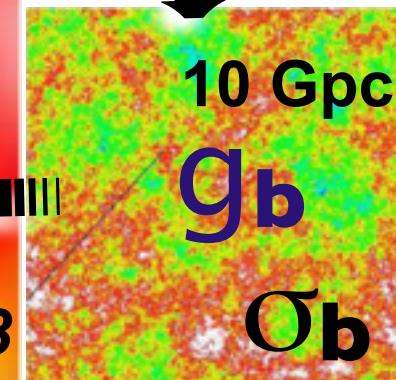
1000 Gpc

$g > h$



$\sigma > h$

g_b



σ_b

modulating post-inflation entropy generation shocks via long range fields

isocon

$\chi(x)$

or

$g(\sigma(x))$

or..

ϕ

inflaton

pre-

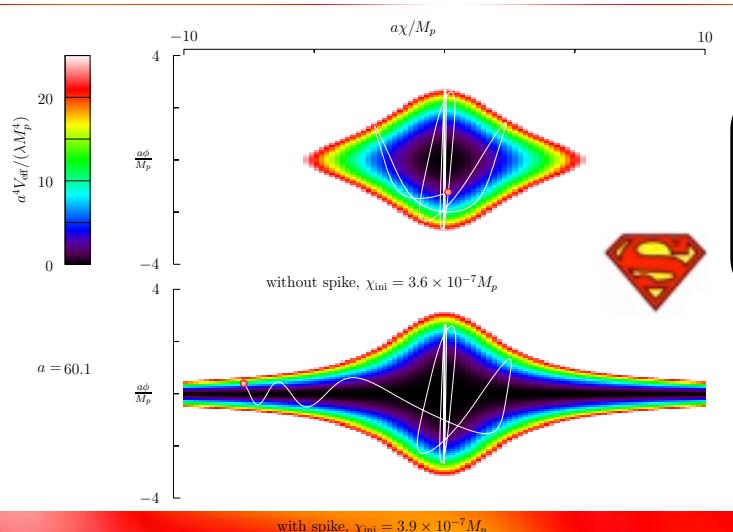
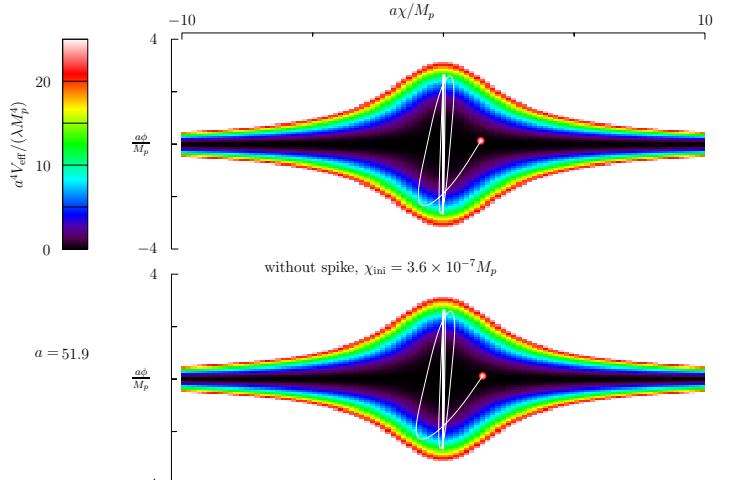
heating

patch

(~1cm)

$S_{U,m+r}$

$\sim 10^{88.6}$



Parametric
Resonance

$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$

$S_{U,UU,UULSS}$

CONTOUR PLOTS FOR $H(\phi_0) = 1.0 m_p$

$\sim 10^{21}$

Gpc

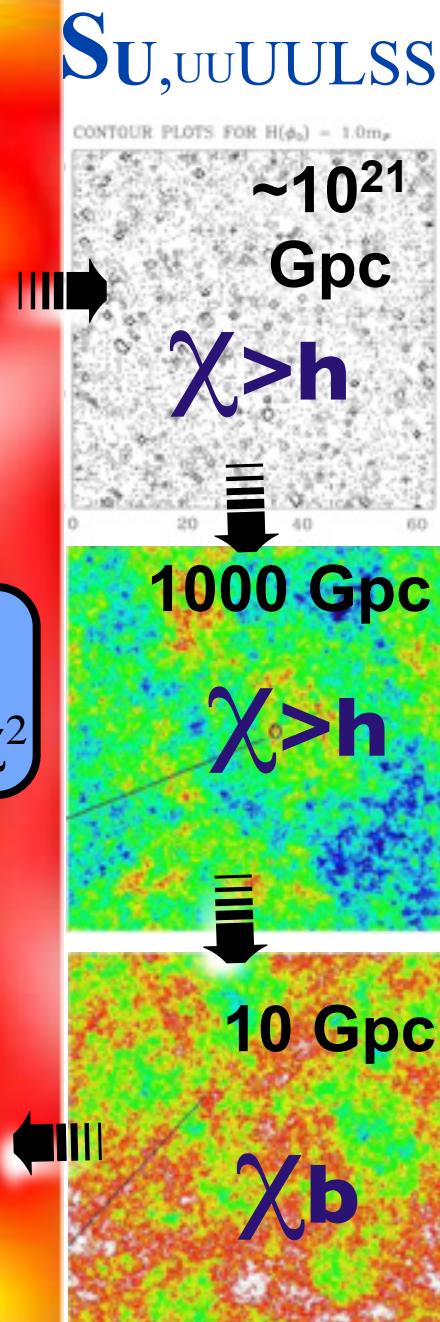
$\chi > h$

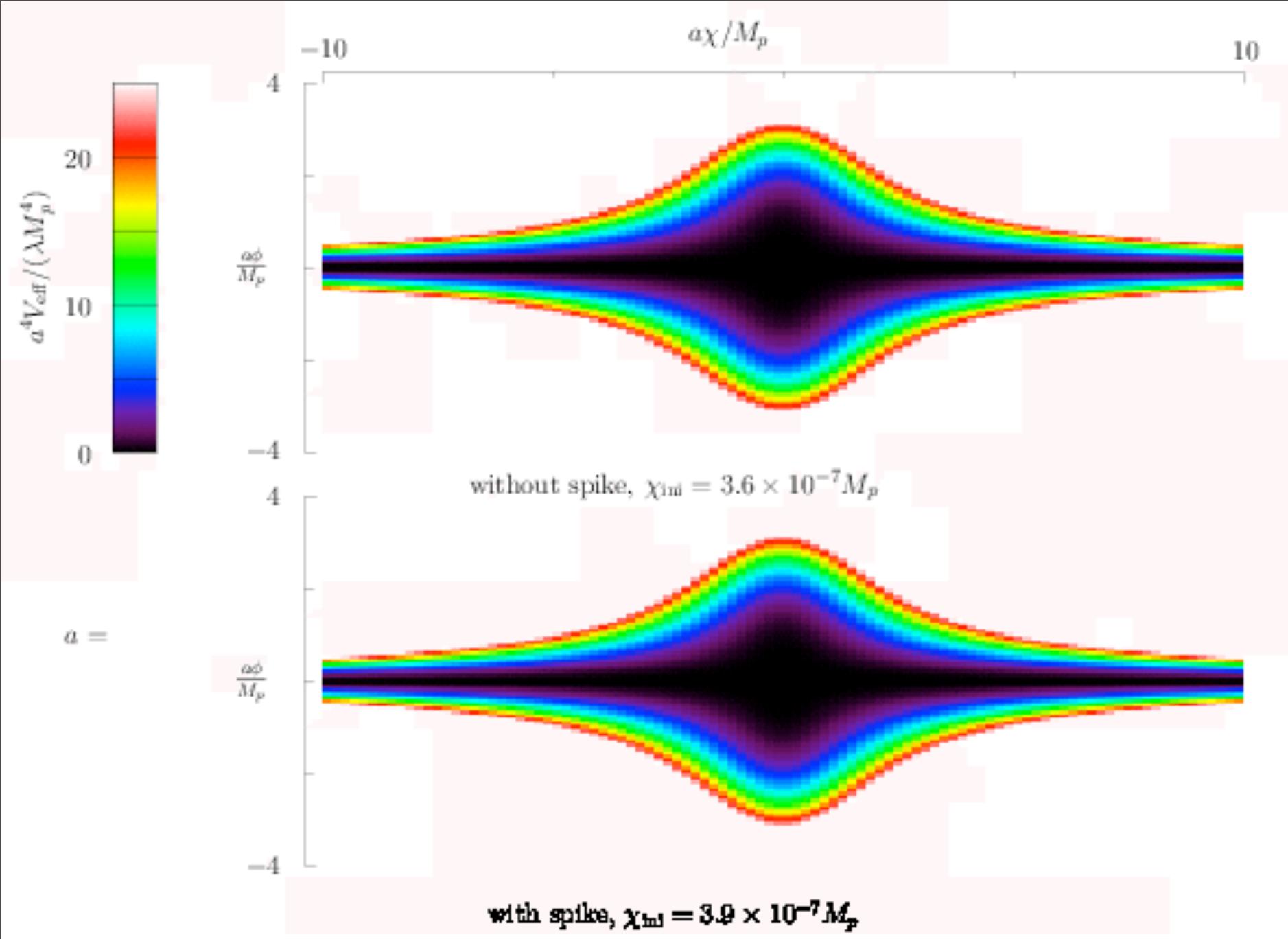
1000 Gpc

$\chi > h$

10 Gpc

χ_b





V_{eff} is trajectory dependent

modulating post-inflation entropy generation shocks via long range fields

isocon

$\chi(x)$

or

$g(\sigma(x))$

or..

ϕ

inflaton

pre-

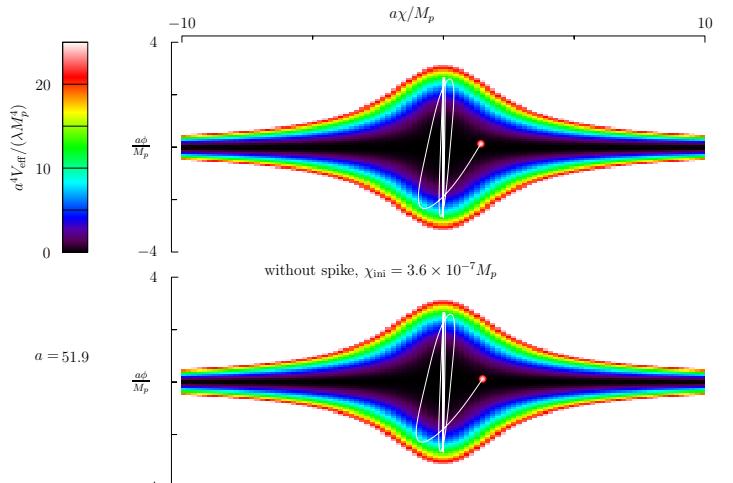
heating

patch

(~1cm)

$S_{U,m+r}$

$\sim 10^{88.6}$



$S_{U,UU,UULSS}$

CONTOUR PLOTS FOR $H(\phi_0) = 1.0 m_p$

$\sim 10^{21}$

Gpc

$\chi > h$

1000 Gpc

$\chi > h$

10 Gpc

χ_b

How general? We now think
very - basins at the end of
inflation

$V(\phi, \chi)$



$$= 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2,$$

$$1/2 m^2 \phi^2 + 1/2 g^2 (\sigma) \phi^2 \chi^2$$

$$= 1/4 \lambda (r^2 - v^2)^2 U$$

$$V(r)U(\cos\theta), r^2 = \phi^2 + \chi^2$$

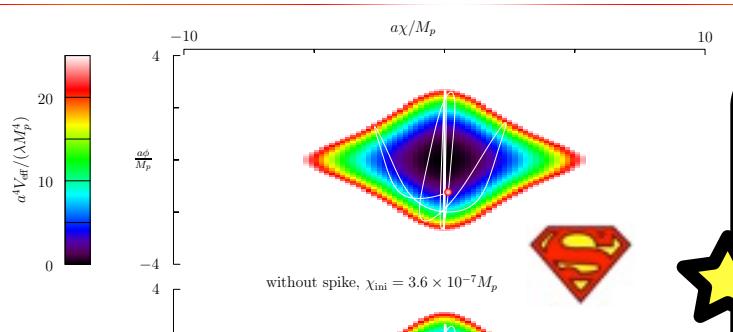
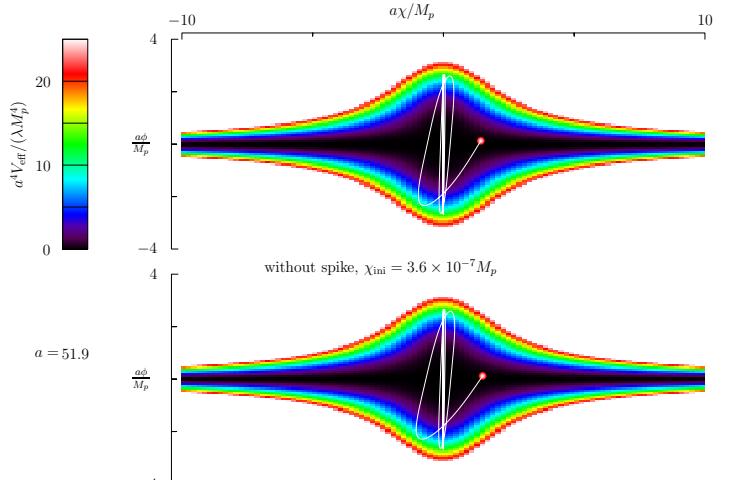


$V(r, \theta) = \sum_M V_M(r) \cos(m\theta)$ pNGB, Roulette $r \sim$ hole size

3D $\phi \chi \sigma$ fields $V(r, n) = \sum_{LM} V_{LM}(r) Y_{LM}(n)$

modulating post-inflation entropy generation shocks via long range fields

isocon
 $\chi(x)$
 or
 $g(\sigma(x))$
 or..
 ϕ
 inflaton
 pre-
 heating
 patch
 ($\sim 1\text{cm}$)

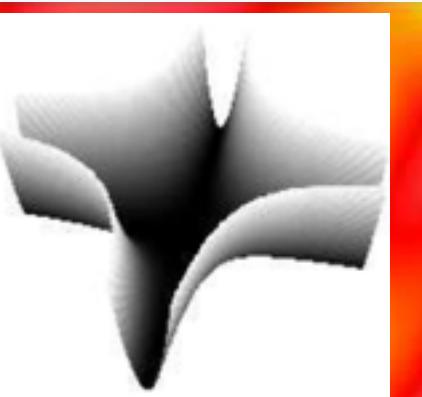


dynamical stringy energy & 3D oscillons
 store energy, curvaton-ish but not

$S_{U,m+r}$
 $\sim 10^{88.6}$

$$V(r, \theta) = \sum_M V_M(r) \cos(m\theta) \quad pNGB, Roulette r \sim \text{hole size}$$

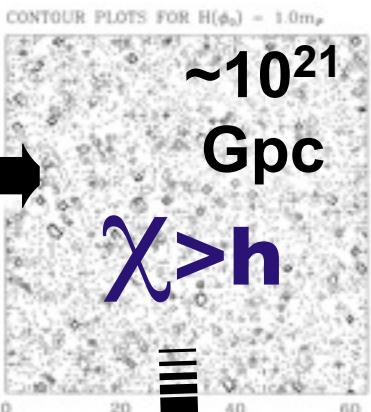
$$3D \Phi \chi \sigma \text{ fields } V(r, n) = \sum_{LM} V_{LM}(r) Y_{LM}(n)$$



How general? We now think
 very - basins at the end of
 inflation

$$\begin{aligned} V(\phi, \chi) &\star \\ &= 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2, \\ &\star 1/2 m^2 \phi^2 + 1/2 g^2 (\sigma) \phi^2 \chi^2 \\ &\star = 1/4 \lambda (r^2 - v^2)^2 U \\ &V(r) U(\cos\theta), r^2 = \phi^2 + \chi^2 \end{aligned}$$

$S_{U,UU,UULSS}$

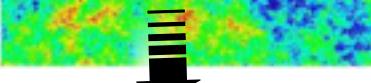


$\chi > h$



$\chi > h$

..



χ_b



modulating post-inflation entropy generation shocks via long range fields

isocon

$\chi(x)$

or

$g(\sigma(x))$

or..

ϕ

inflaton

pre-

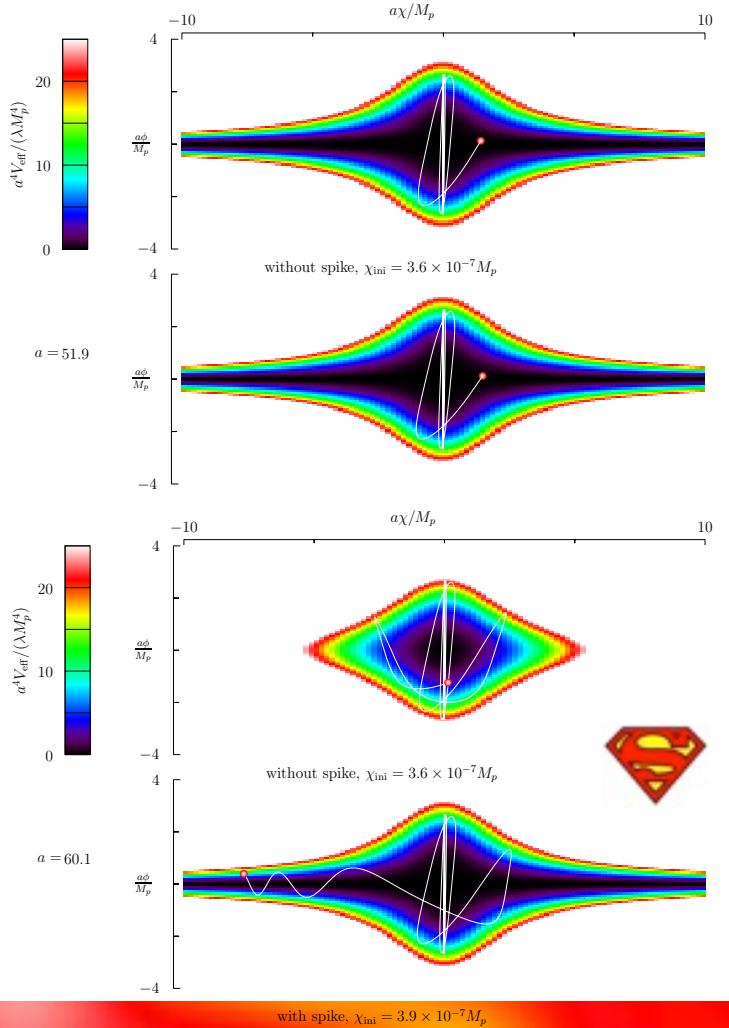
heating

patch

(~1cm)

$S_{U,m+r}$

$\sim 10^{88.6}$



$$V(r,\theta) = \sum_M V_M(r) \cos(m\theta) \quad pNGB, \text{ Roulette } r \sim \text{hole size}$$

$$3D \Phi \chi \sigma \text{ fields } V(r,n) = \sum_{LM} V_{LM}(r) Y_{LM}(n)$$



How general? We now think
very - basins at the end of
inflation

$$V(r)U(\cos\theta), \quad r^2 = \phi^2 + \chi^2$$



$S_{U,UU,UULSS}$

CONTOUR PLOTS FOR $H(\phi_0) = 1.0 m_p$

$\sim 10^{21}$

Gpc

$\chi > h$

1000 Gpc

$\chi > h$

10 Gpc

χ_b

Inflation = phenomenology of a collective mode, the **phonon**, fundamental field but composed of many fundamental fields. in linear theory phonon~ \sum fundamental;

in nonlinear theory, phonon~ $\ln(\rho a^{3(1+w)})/3(1+w) = \zeta_{NL}$

Geometrical view, a theory of condensed strain & strain waves $\epsilon_{ij} = [1/2 \ln^{(3)} g]_{ij}$, phonons~Trace (ϵ), gravity waves ϵ^{TT} .

Inflaton = phonon condensate, fluctuations are phonons. relativistic negative-pressure EOS.

Stochastic inflation works: ballistic trajectories for fields q_x with kicks from sub-horizon waves dW_x causing nearby trajectories to deviate, ζ_{NL} like $dE + pdV$ a near-adiabatic invariant, sourced by stress*strain-rate & energy currents (regularizer between nearby X).

fundamental scalar fields (inflaton, isocons) & effective potentials & kinetic energies

$\epsilon = -3/2 d\ln \rho / d\ln a^3 = 1$ defines End of Inflation, but not a magic boundary, dragged trajectories break into (spatially independent) oscillations. weak point-to-point coupling until ...

HEATING: how to damp coherent ballistic trajectories into high-k entropy. old, eg SBB87 Γ (KE+PE). still used! post KLS93: via inflaton self-couplings; isocon-inflaton field couplings, gauge fields FFdual, fermion-bar fermion

new picture: ballistic until the shock-in-time = huge time-localized non-eq entropy generation; slow S-evolution after which is V-dependent. only weak-coupling of nearby points before. ULSS & LSS & SSS modulator field $\zeta_{NL}(\text{modulator}(x))$, e.g. modulator = $\chi_i(x)$, $g(x)$

nonG from post-inflation but pre-entropy generation ballistic trajectories can lead to pre-shock-in-time caustics and other phase space convergences in the deformations (!) Zeldovich map-ish
eg $\partial \ln a / \partial \chi_i(x)$, $\partial \ln a / \partial g(x) \Rightarrow P[\ln a(x), t_{\text{shock}} | \chi_i(x), g(x), t_{\text{end-of-inflation}}]$

for caustics and other features in the varieties of effective potentials,
extra field dimensions seem to be needed

post-shock \Rightarrow conserved energy-momentum current defines important collective
variables \Rightarrow total stress-energy $T^a_b \Rightarrow$ density

the shock-in-time = randomization front, an efficient entropy source

nearly Gaussian PDF for $\ln \rho_x / \langle \rho \rangle \ln \rho / \langle \rho \rangle(k)$ & V hydro/phonon regime.
Observable preheating nongaussianities can be encoded in the spatial structure

of the shock-in-time, characterized by $\ln a_{\text{shock}}(x) / a_{\text{end}}$ &

the mediation width. $\sim \ln a_{\text{final}}(x) / a_{\text{end}}$

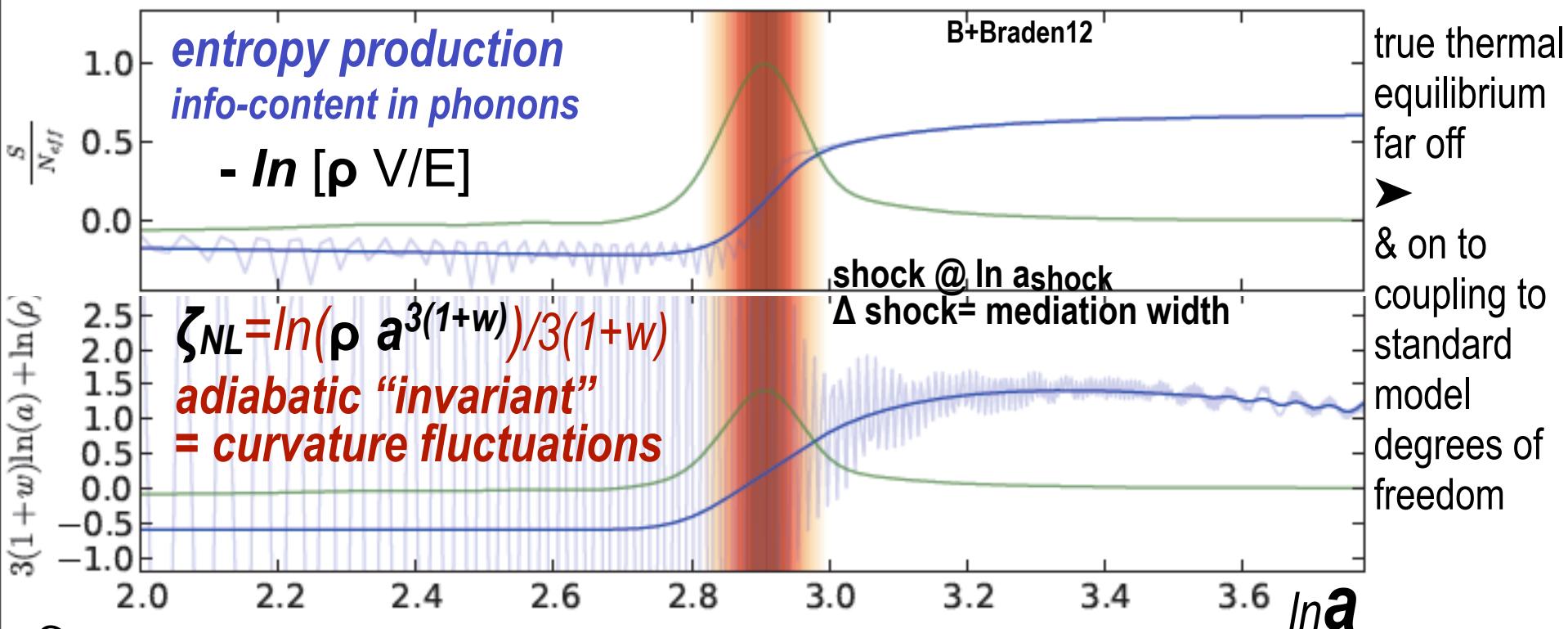
entangled primary fields ($\phi, \Pi_\phi, \chi, \Pi_\chi$) \Rightarrow not good post-shock descriptors

Final State = Thermal Equilibrium

= maximum spreading of information in modes subject to energy & particle number constraints.

How to couple to standard model degrees of freedom to accelerate the power spectrum
evolution to a thermal bose-einstein distribution function?

nonG from large-scale modulations of the shock-in-times of preheating



$\delta \zeta_{NL, \text{shock}}$ ($\mathbf{g}(\sigma(\mathbf{x}))$) \Rightarrow modulated non-G

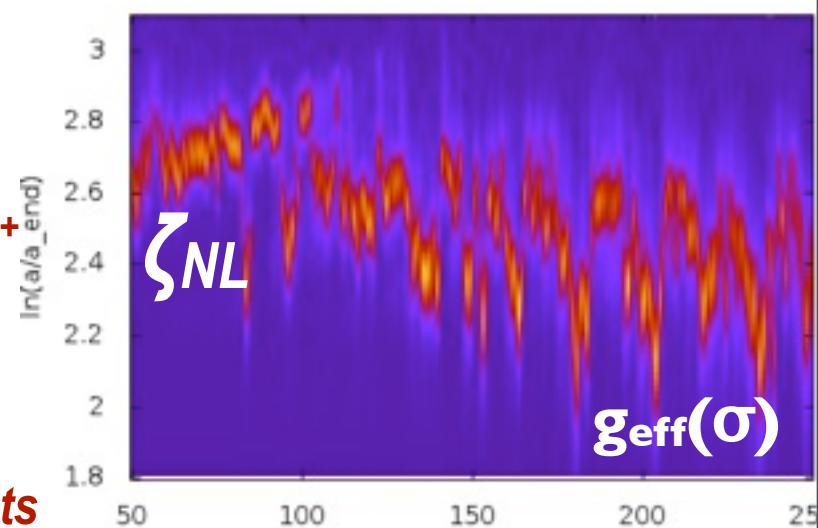
$$V(\phi, \chi) = \frac{1}{2} m^2 \phi^2 + \frac{1}{2} g_{\text{eff}}(\sigma)^2 \phi^2 \chi^2$$

$\delta \zeta_{NL, \text{shock}} (\cancel{\chi}_i(\mathbf{x}) | g^2/\lambda) \Rightarrow$ NonG cold spots ++

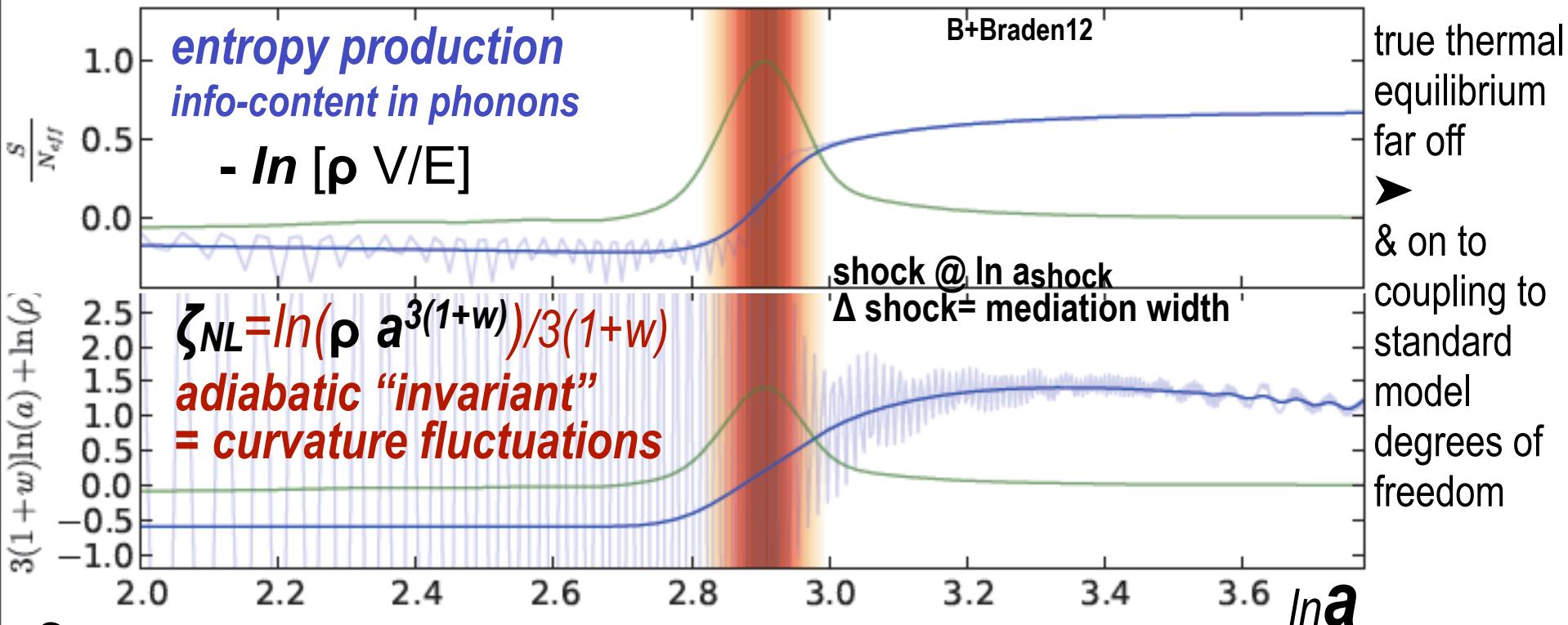
$$V(\phi, \chi) = \frac{1}{4} \lambda \phi^4 + \frac{1}{2} g^2 \phi^2 \chi^2$$

V_{eff} is dynamical Bond, Braden, Frolov, Huang13

*unconventional local non-G: no scale built into V;
perturbative isocon-based f_{NL} ; rare event cold spots*



nonG from large-scale modulations of the shock-in-times of preheating



$\delta \zeta_{NL, \text{shock}}$ ($\mathbf{g}(\sigma(\mathbf{x}))$) \Rightarrow modulated non-G

$g_0 + g_1 \sigma/M_P, g_0 \exp[Y_1 \sigma/M_P], \dots$

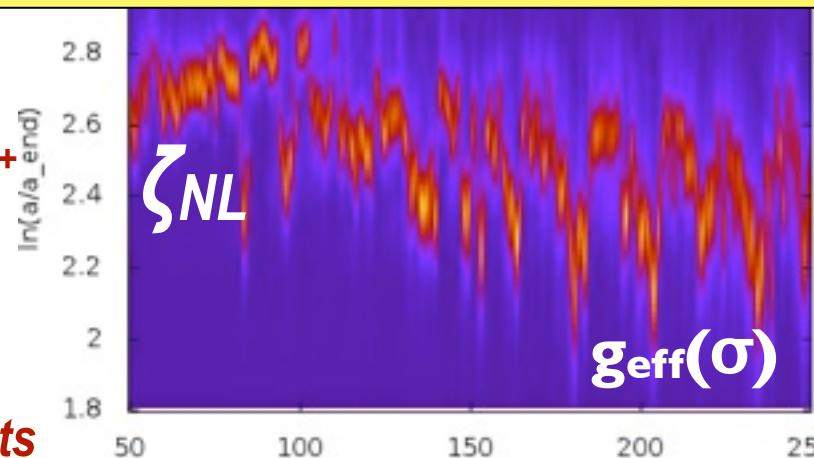
$$V(\phi, \chi) = \frac{1}{2} m^2 \phi^2 + \frac{1}{2} g_{\text{eff}}(\sigma)^2 \phi^2 \chi^2$$

$\delta \zeta_{NL, \text{shock}}(\mathbf{X}_i(\mathbf{x}) | g^2/\lambda) \Rightarrow \text{NonG cold spots} ++$

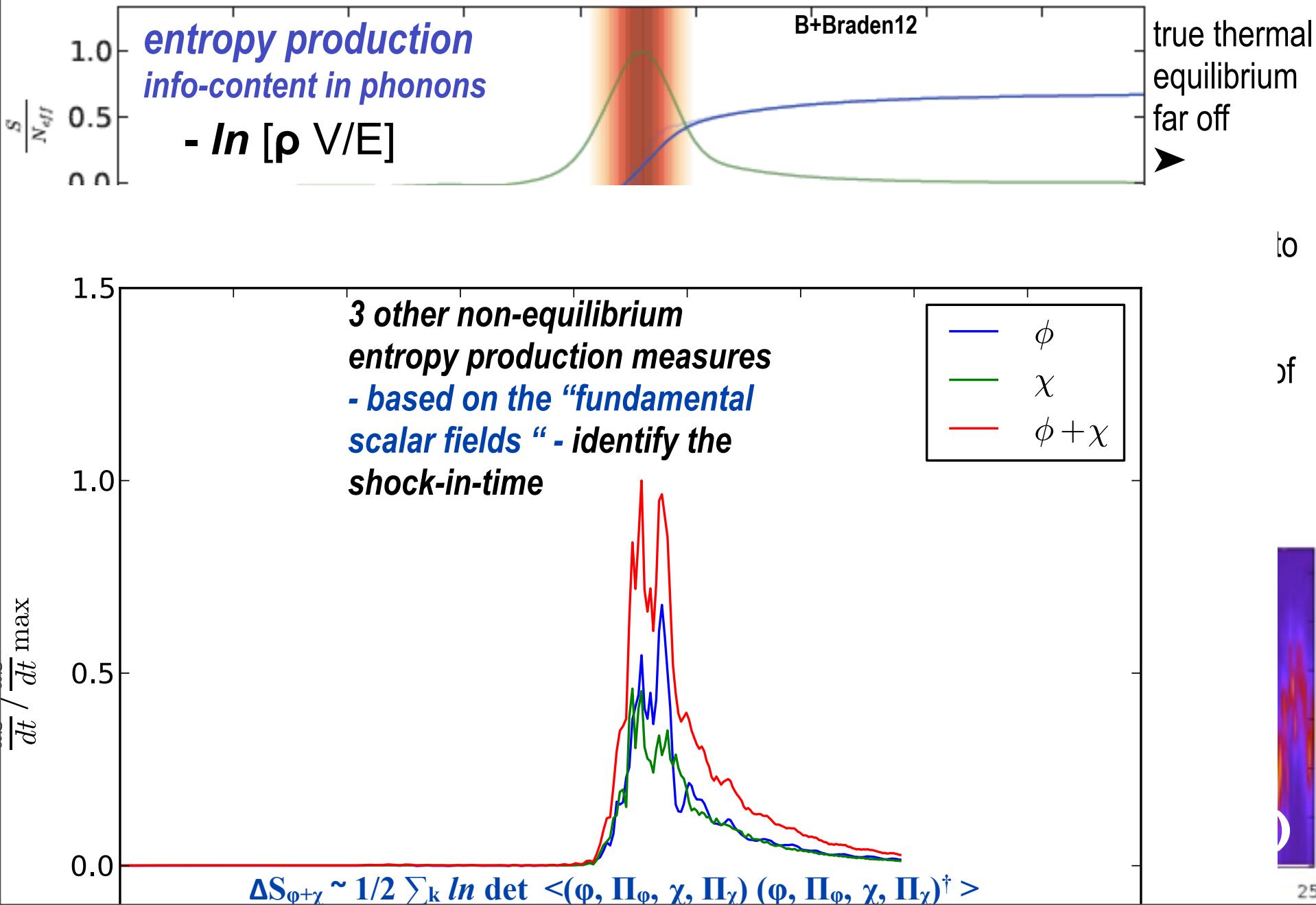
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nonG from large-scale modulations of the shock-in-times of preheating

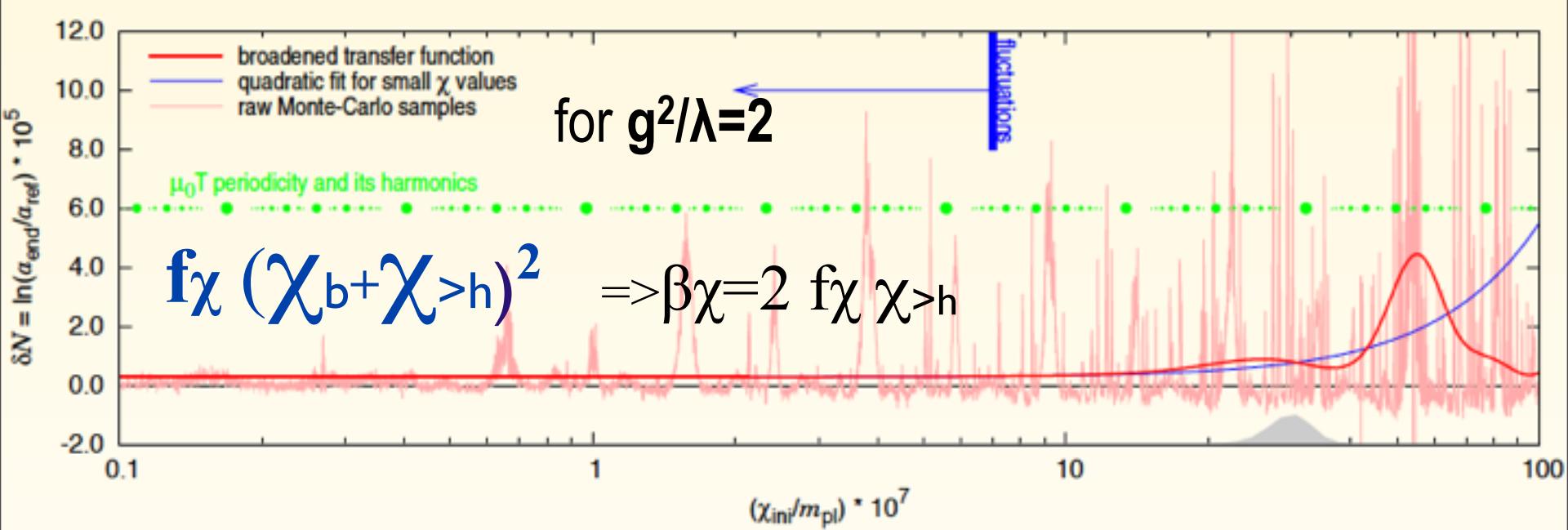


field smoothing over χ_{HF} over ~ 50 e-folds of HF structure

$$\langle F_{\text{NL}} | \chi_b + \chi_{>h} \rangle \sim \beta_\chi (\chi_{>h}) \chi_b + f_\chi (\chi_{>h}) \chi_b^2 + \dots$$

$$1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$

$$\text{cf. } F(x) = F_G(x) + \mathbf{f}_{\text{NL}} * F_G^2(x)$$



$$\begin{aligned} f_{\text{NL}}^{\text{equiv}} &= \beta_\chi^2 f_\chi [P_\chi/P_\phi]^2(k_{\text{pivot}}) \quad \text{Local } f_{\text{NL}} = 2.7 \pm 5.8 \text{ Planck1.3} \\ &\Rightarrow \text{constrain } f_\chi^3 \chi_{>h}^2 \quad (P_\chi/P_\phi \sim 2\varepsilon \Rightarrow \text{relaxed limit}) \end{aligned}$$

$dS/dt(t, g) \Rightarrow$

the Shock-in-time: entropy production rate

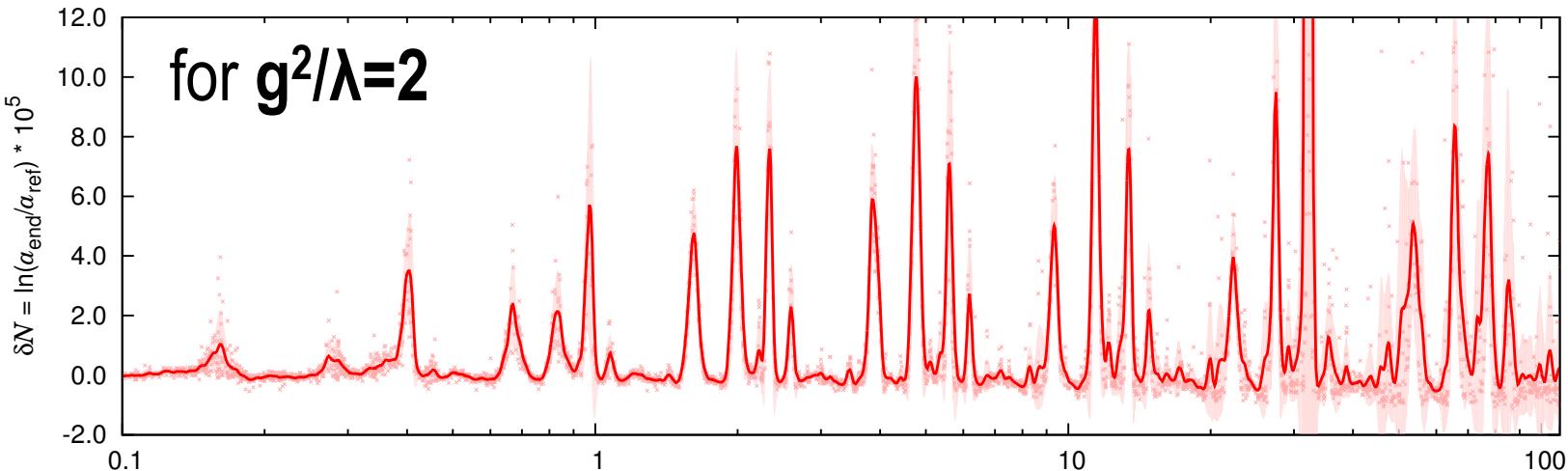
non-Gaussianity
(WMAP, Planck, LSS)
spiky nG preheating

$\delta \ln a_{\text{shock}}(\chi_i(x) | g^2/\lambda) \Rightarrow$ Chaotic Billiards: NonG from Parametric Resonance in Preheating

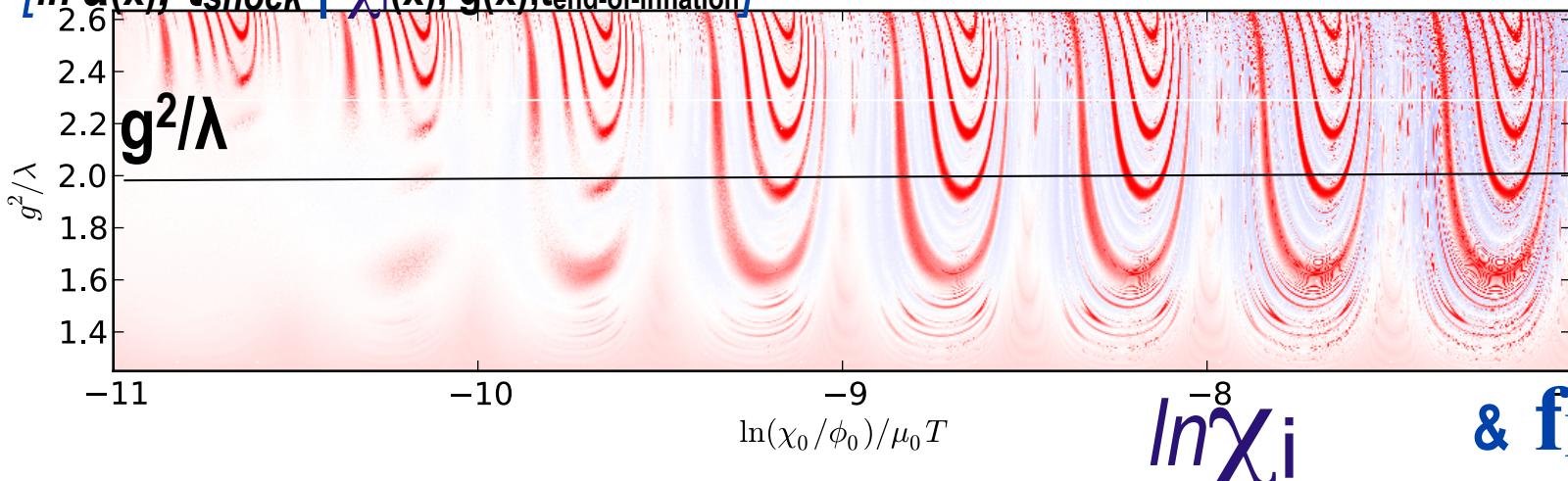
B+Frolov, Huang, Kofman 09

B+Braden, Frolov, Huang 12

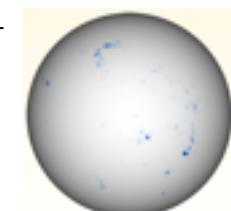
$$\ln a \quad V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$



$$P[\ln a(x), t_{\text{shock}} | \chi_i(x), g(x), t_{\text{end-of-inflation}}] (\chi_{\text{ini}}/m_{\text{pl}}) * 10^7$$

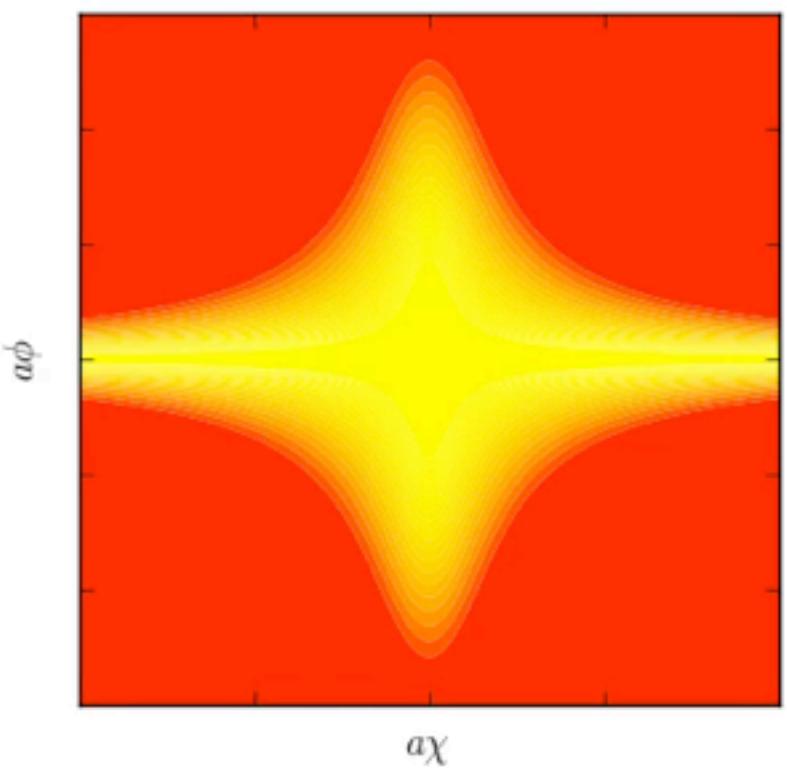
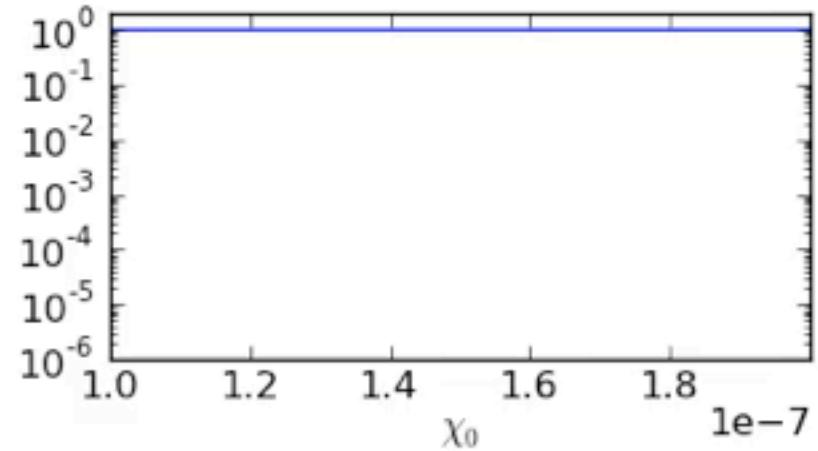
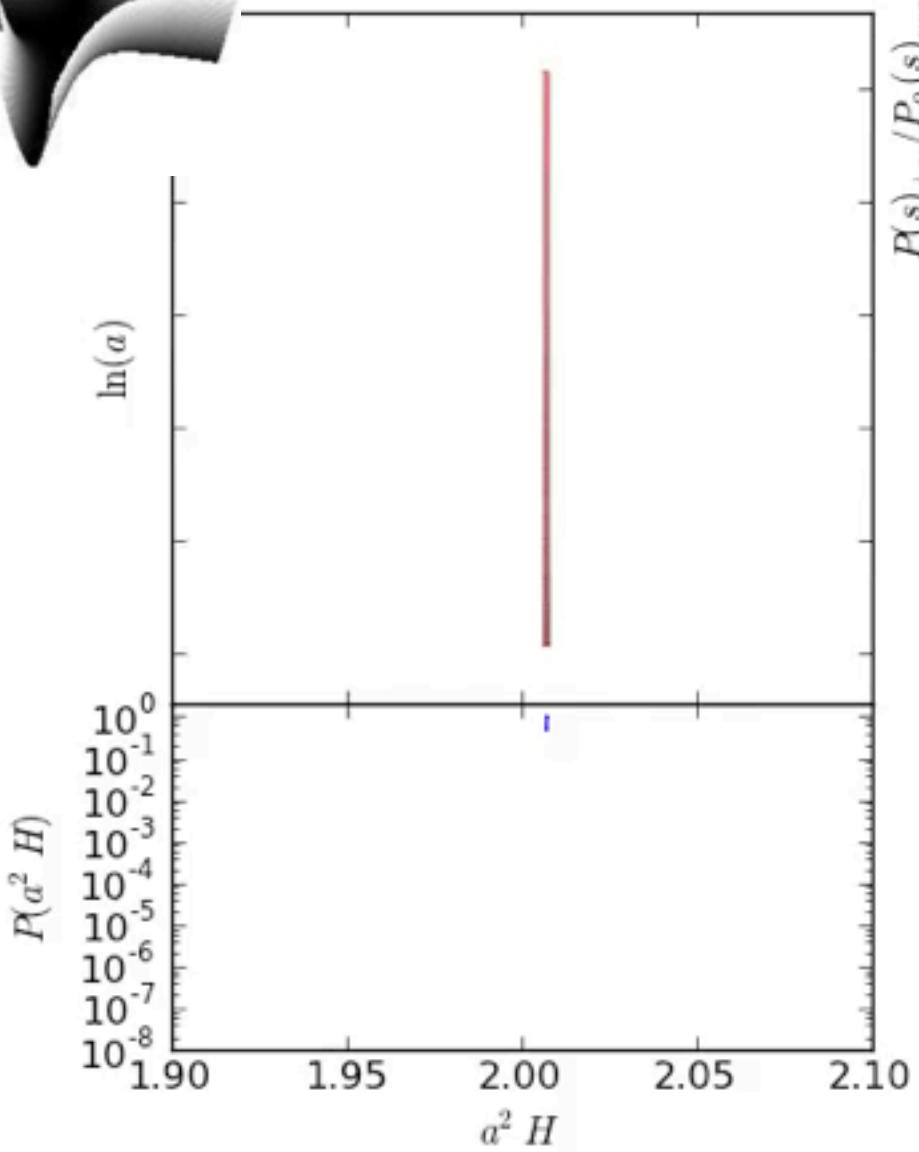


huge number of
 64^3 sims to
show the
wondrous
complexity of
 $\ln a(\chi_i, g^2/\lambda)$

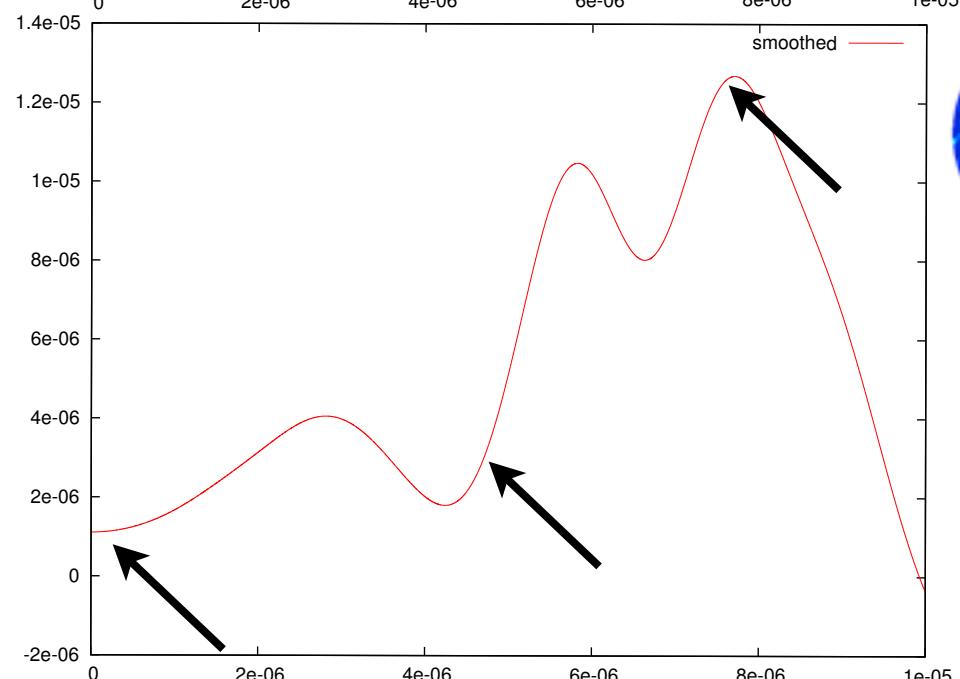
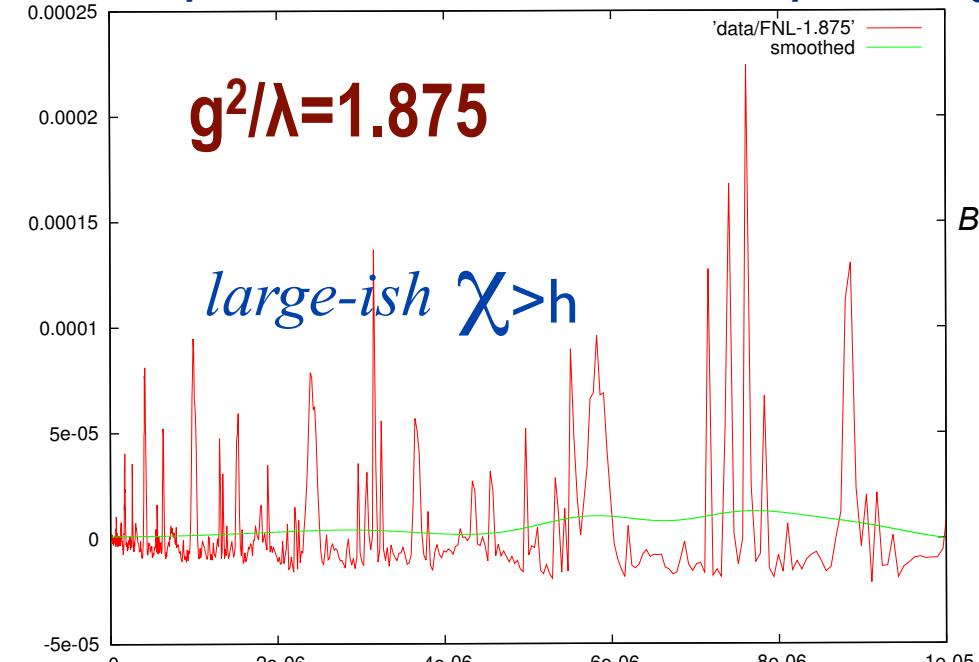


$\ln \chi_i$ & f_{NL}^7 equiv

initial conditions spanning (roughly) a single period (ie. $\mu_0 T$ with μ_0 the Floquet exponent of χ_0)

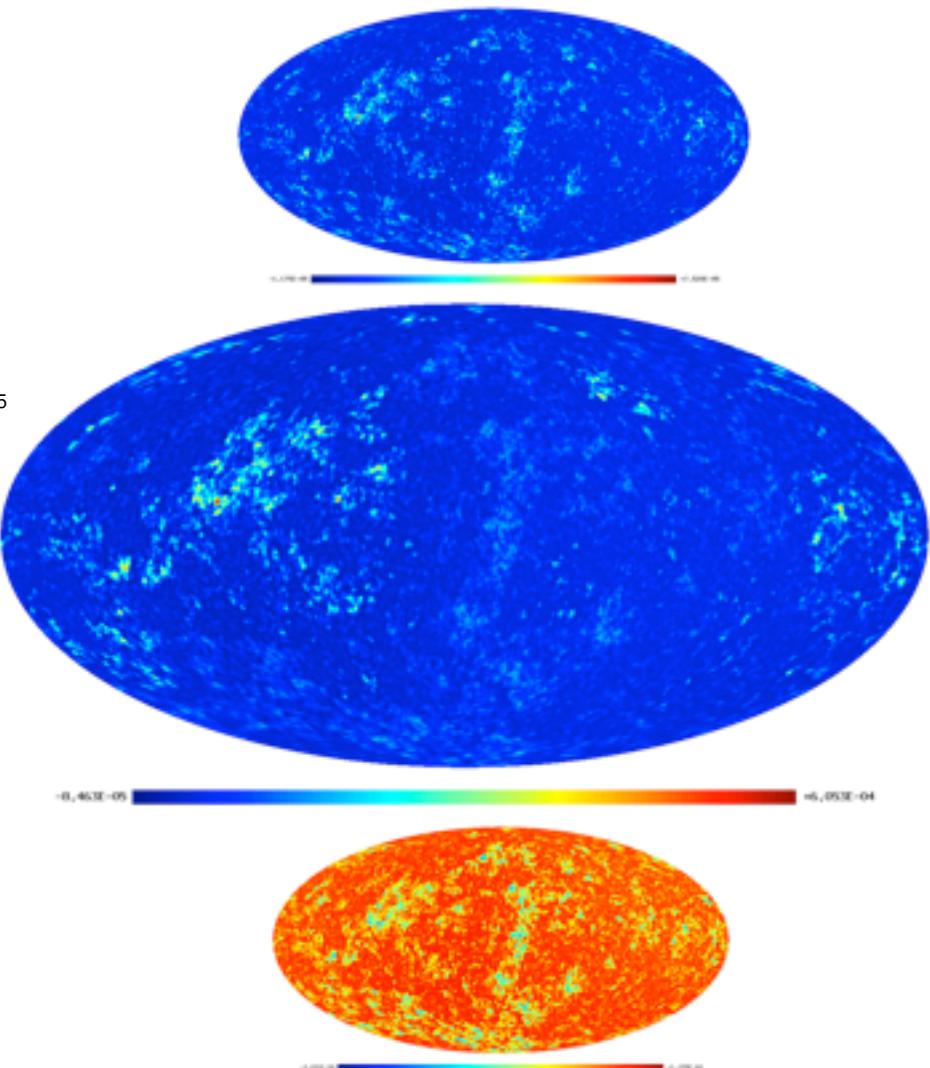


Samples of subdominant modulated preheating $CMB^*\zeta_{NL\text{shock}}(\chi_i(x) | g^2/\lambda)$



intermittent NL isocon χ map to be superposed upon nearly Gaussian inflaton-generated curvature fluctuation map

Bond,Frolov,Huang, Kofman09 => Bond,Braden,Frolov,Huang13



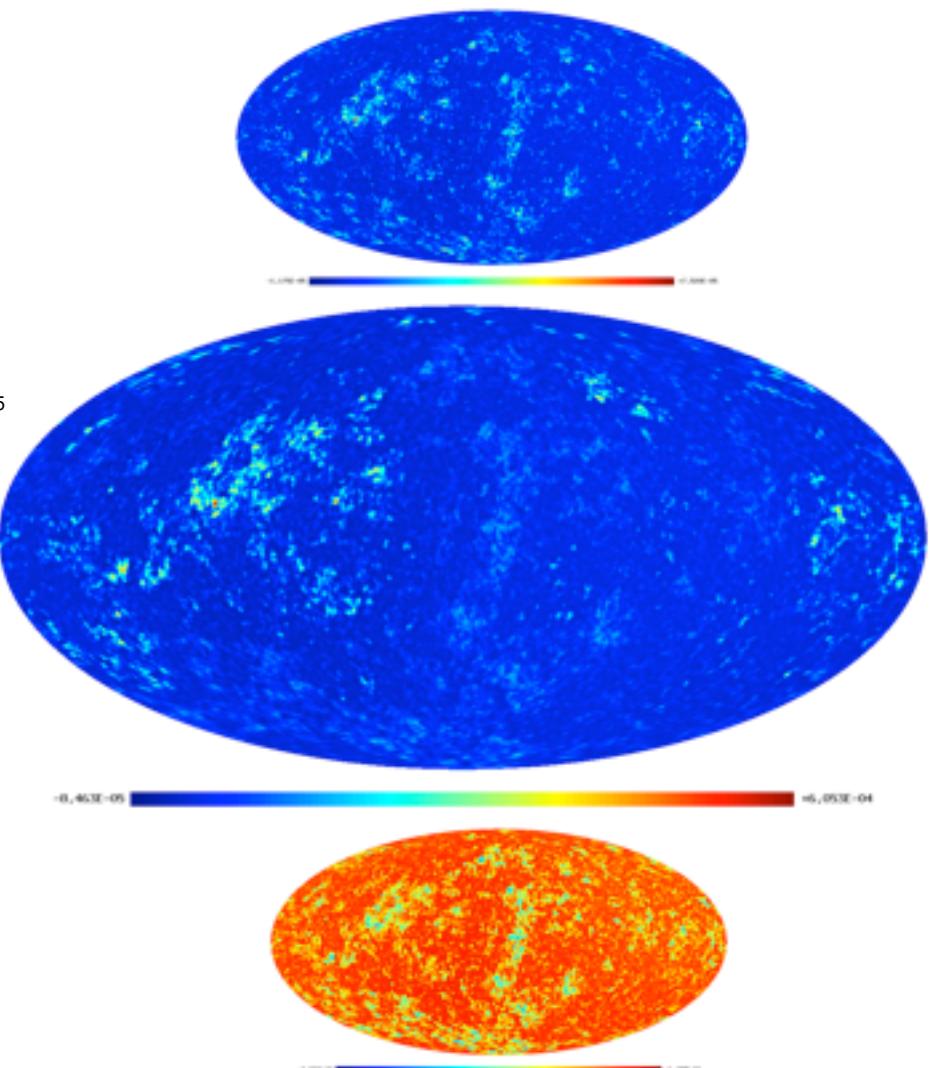
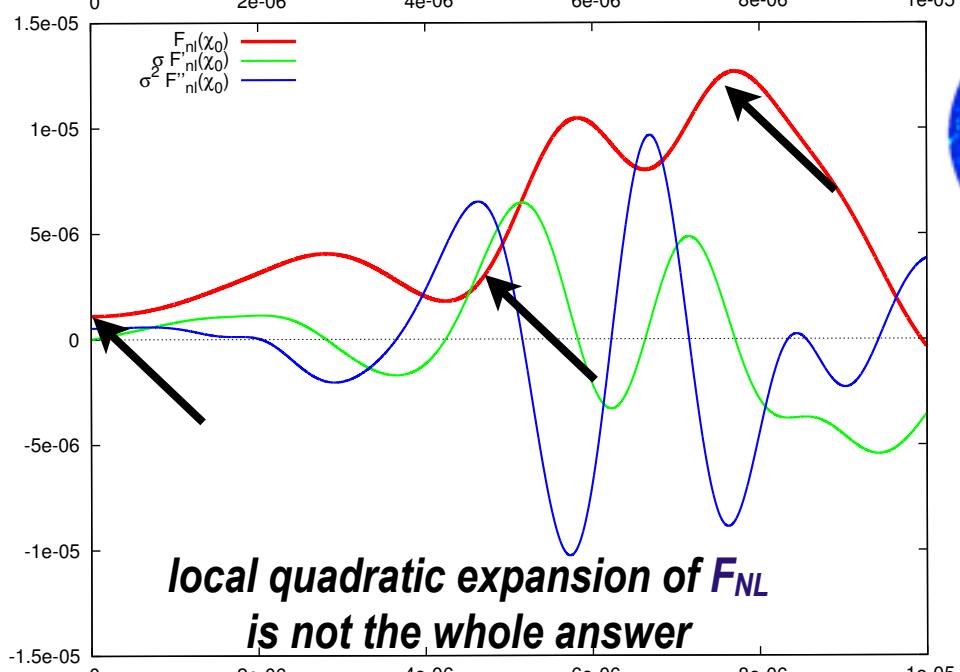
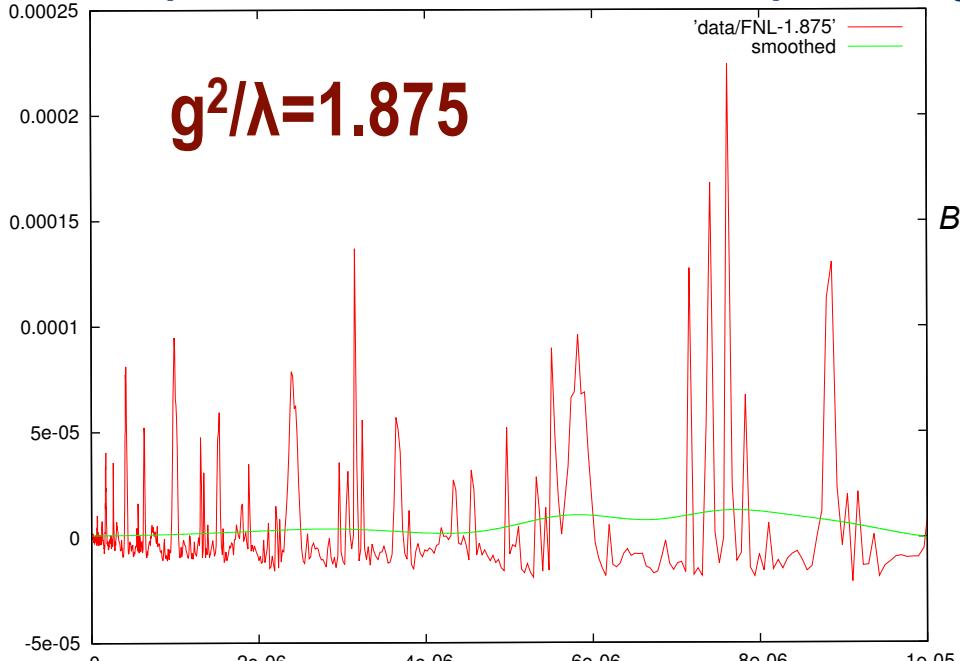
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$g^2/\lambda=1.875$



conclusions:
nothing definitive
yet for anomalies,
may just lead to
potential & >horizon
constraints
but amusing patterns do arise