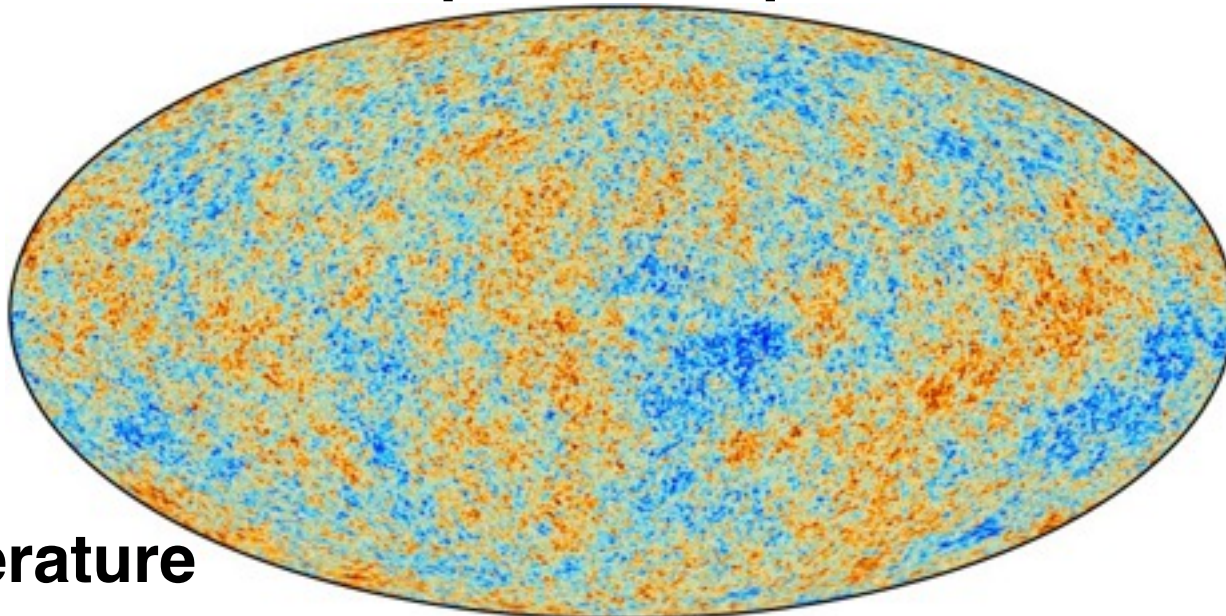
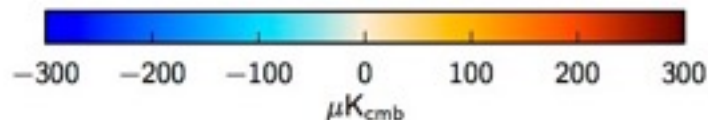


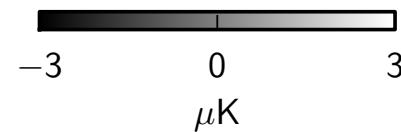
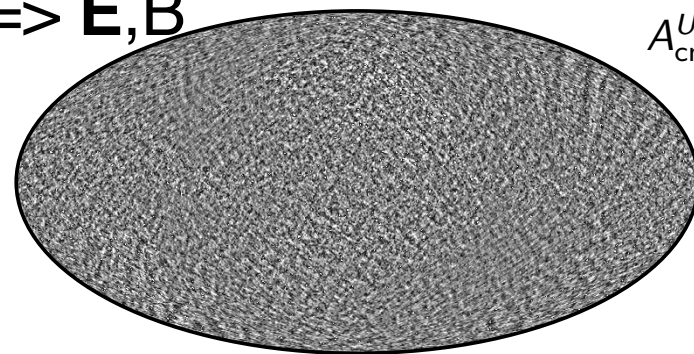
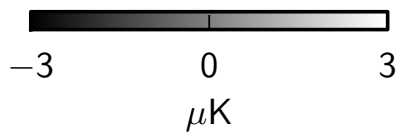
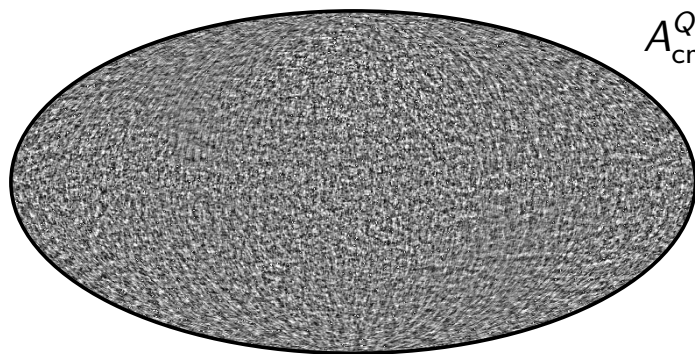
Planck 2015 Component Separated CMB Maps



CMB Temperature



**CMB polarization:
Stokes Q,U \Rightarrow E,B**



Wiener-filtered ζ maps make $\zeta_{LM}(\chi), \chi=|\mathbf{x}|$ instead of $\zeta(\mathbf{x})$

$$\zeta|T, E:$$

*~ Newton's gravitational potential $\Phi_{N,dec}$
at recombination (photon decoupling)*

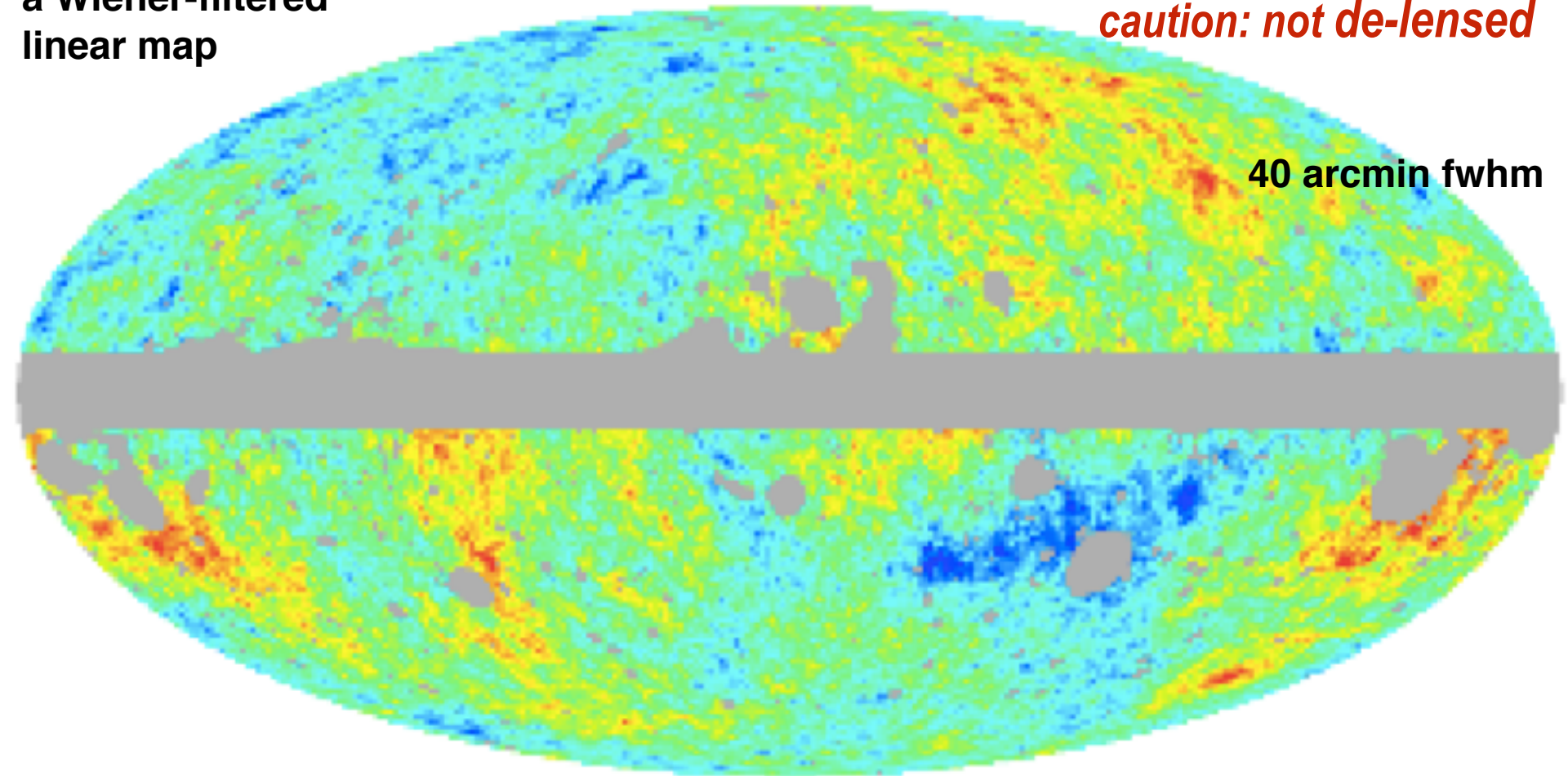
caution: not de-lensed

a Wiener-filtered
linear map

40 arcmin fwhm



visibility mask



a Map is an ensemble = mean-map + fluctuation-maps, encoding correlated errors

Maps = (radical) compressions of the **time ordered information T_{ol}** onto a parameterized space q^A : *Linear maps, Quadratic maps (power), cosmic parameter maps*
Prob(q | Data, Th prior) \Rightarrow $\langle q^A | D, Th \rangle$, $\langle \Delta q^A \Delta q^B | D, Th \rangle$, .. or q_{maxL}

TOPOGRAPHY & CARTOGRAPHY

of our Hubble-patch aka our bit of the universe

reconstructing $\zeta = \ln a(\mathbf{x}, t)$ @uniform density,
aka primordial **scalar curvature** ${}^{(3)}R = -4 {}^{(3)}\text{Laplacian}(\ln a)$

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$$\zeta(\mathbf{x}, t) = \ln \rho(\mathbf{x}, t) / \rho_b / 3(1 + p_b / \rho_b) + \ln a(\mathbf{x}, t) / a_b$$

phonon

isotropic strain =
volume deformation

BST83, SBB89, SB90,91, B95,
Bond+Braden2016 ζ for preheating

$\zeta(\mathbf{x}, t) = \int (dE + pdV) / E$ / $\langle 3(1 + p/\rho) \rangle(t)$ coarse-grained energy conservation,
 $\zeta \sim$ entropy, *changed by fine \Rightarrow coarse kicks + \perp drifts off coarse-attractor (isocon)*

a Map is an ensemble = mean-map + fluctuation-maps, encoding correlated errors

Maps = (radical) compressions of the time ordered information \mathbf{Tol} onto

a parameterized space q^A : Linear maps, Quadratic maps (power), cosmic parameter maps
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Wiener-filtered ζ maps make $\zeta_{LM}(\chi), \chi = |\mathbf{x}|$ instead of $\zeta(\mathbf{x})$

$\mathbf{T}_{LM c,s} / \mathbf{E}_{LM c,s} = \int \mathbf{e}_\zeta^{T/E} L_{\chi c,s} \zeta_{LM c,s}(\chi) d\chi$, susceptibility \mathbf{e} depends on cosmic parameters

\Rightarrow Linear response $\zeta_{LM c,s}(\chi) = \mathbf{e} * \zeta^T L_{\chi c,s} \mathbf{T}_{LM c,s} + \mathbf{e} * \zeta^E L_{\chi c,s} \mathbf{E}_{LM c,s} + \delta \zeta_{LM c,s}$

susceptibility of ζ to T/E : $\mathbf{e} * \zeta^{T/E}$ interpolates T/E to ζ , if no info relax to $\delta \zeta$

project ζ to minimize fluctuations: $\int d\text{visibility}(\text{distance}) (\langle \zeta | Temp, E \text{ pol} \rangle + \delta \zeta)$

Reconstructing the Early Universe

$$\int d\text{visibility}(\text{distance}) \langle \zeta | \text{Temp}, E \text{ pol} \rangle \quad (\text{angles}, \text{distance})$$

$$\text{sb89, bb15 } \zeta_{NL} = \ln(\rho a^{3(1+w)}) / 3(1+w) \leq dE + pdV \sim d\text{Entropy} \quad \text{phonons / strain}$$

linear map

caution: not de-lensed

40 arcmin fwhm

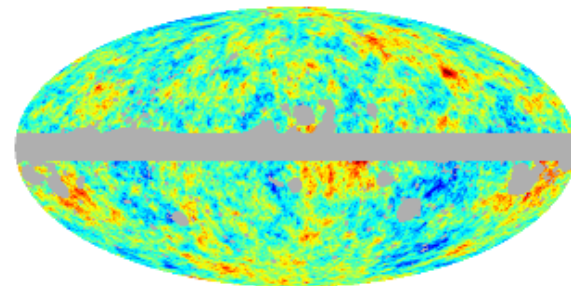
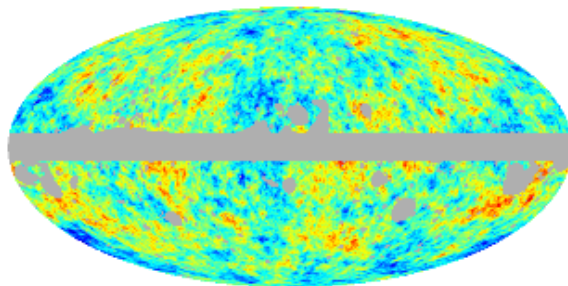
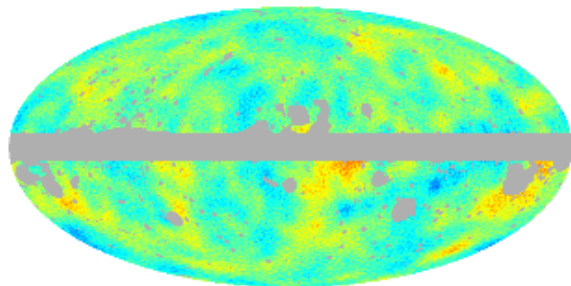


visibility mask

$\zeta|T$: mean

realization #1

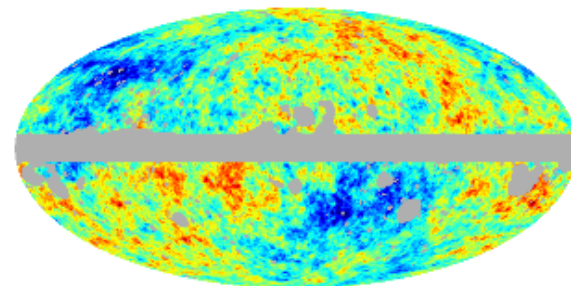
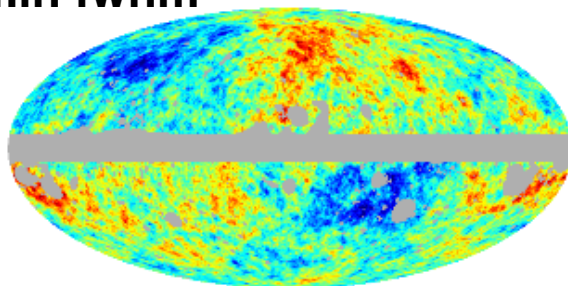
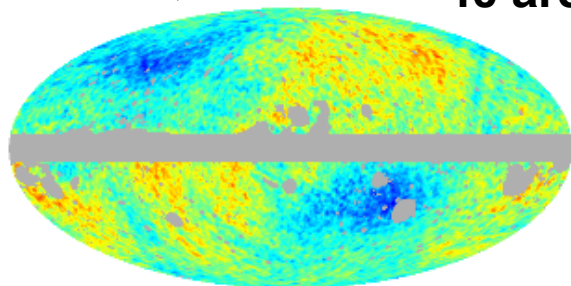
realization #2



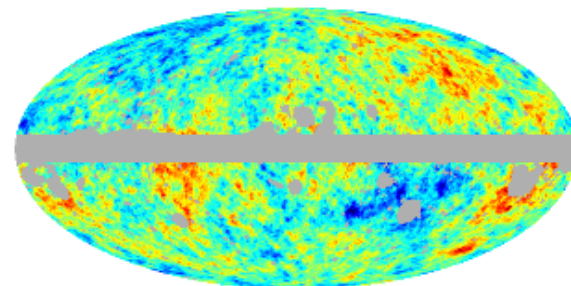
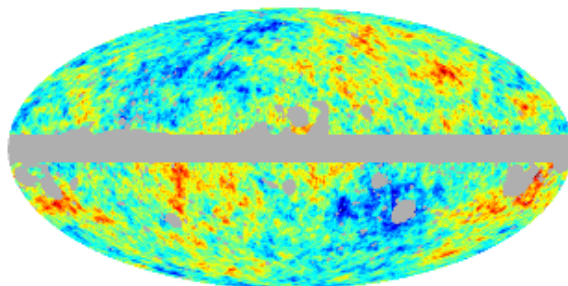
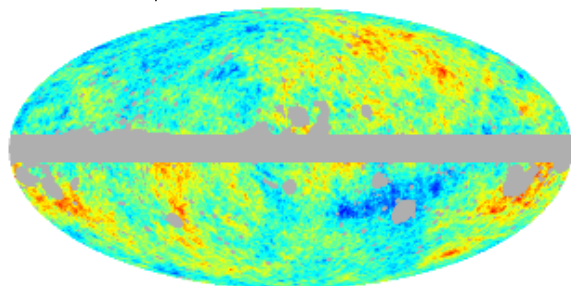
allowed fluctuations less noisy with E pol (extra mode/LM)

$\zeta|E$:

40 arcmin fwhm



$\zeta|T,E$:



caution: not de-lensed

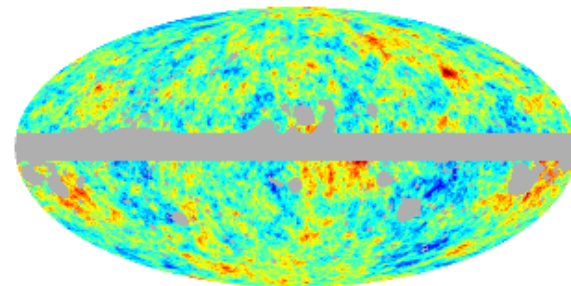
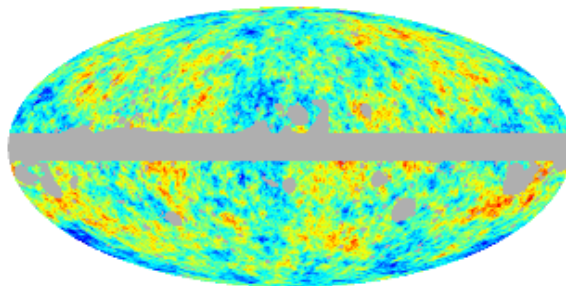
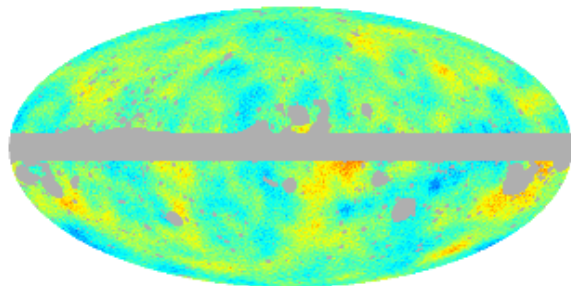
$10^5 \zeta$

visibility mask

$\zeta|T$: mean

realization #1

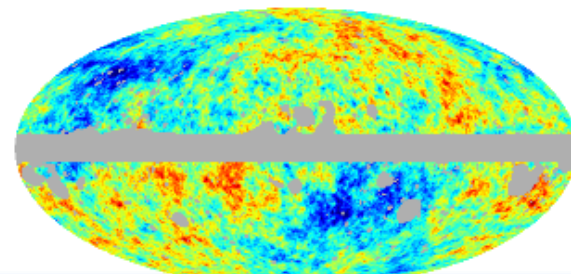
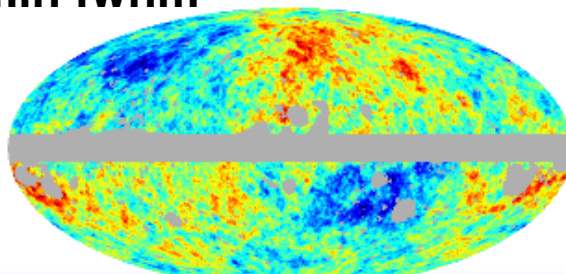
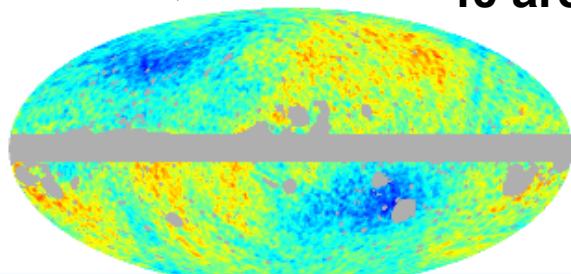
realization #2



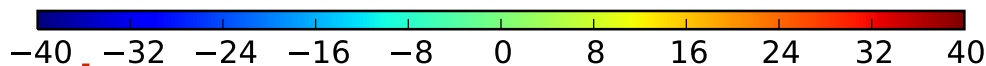
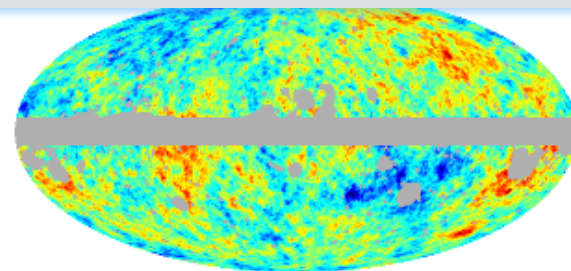
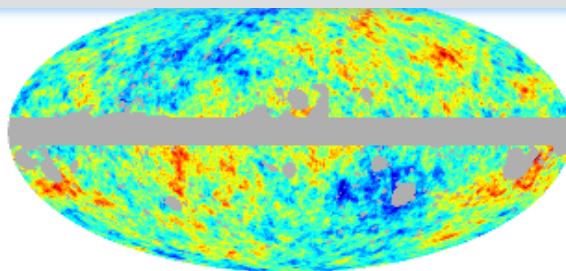
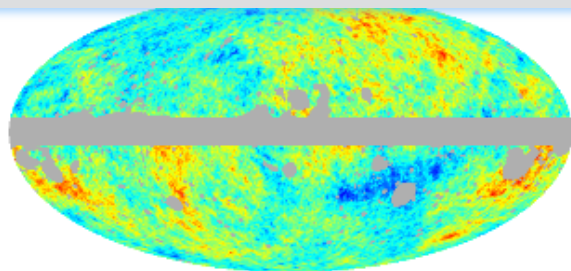
allowed fluctuations less noisy with E pol (extra mode/LM)

$\zeta|E$:

40 arcmin fwhm



$\zeta = \langle \zeta | Temp, E pol \rangle + \delta \zeta$ optimal filtering for quadratics: $\langle \zeta \zeta \rangle$ power spectrum, trilinears $\langle \zeta \zeta \zeta \rangle$ bispectrum $\Rightarrow f_{nl}$, non-Gaussian anomalies



caution: not de-lensed

$10^5 \zeta$

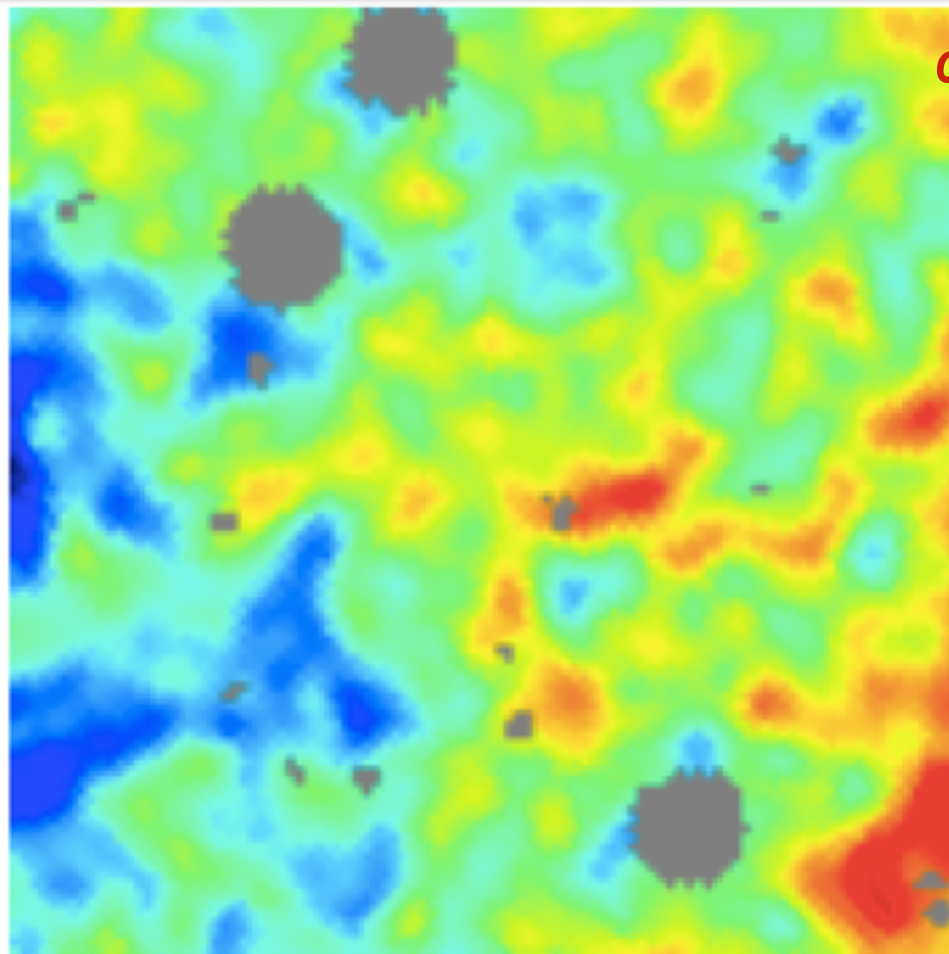
visibility mask

Reconstructing the Early Universe

$$\int d\text{visibility}(\text{distance}) \langle \zeta | \text{Temp}, E \text{ pol} \rangle \quad (\text{angles, distance})$$

$$\text{sb89, bb15 } \zeta_{NL} = \ln(\rho a^{3(1+w)}) / 3(1+w) \leftarrow dE + pdV \sim d\text{Entropy} \quad \text{phonons / strain}$$

linear map



caution: not de-lensed

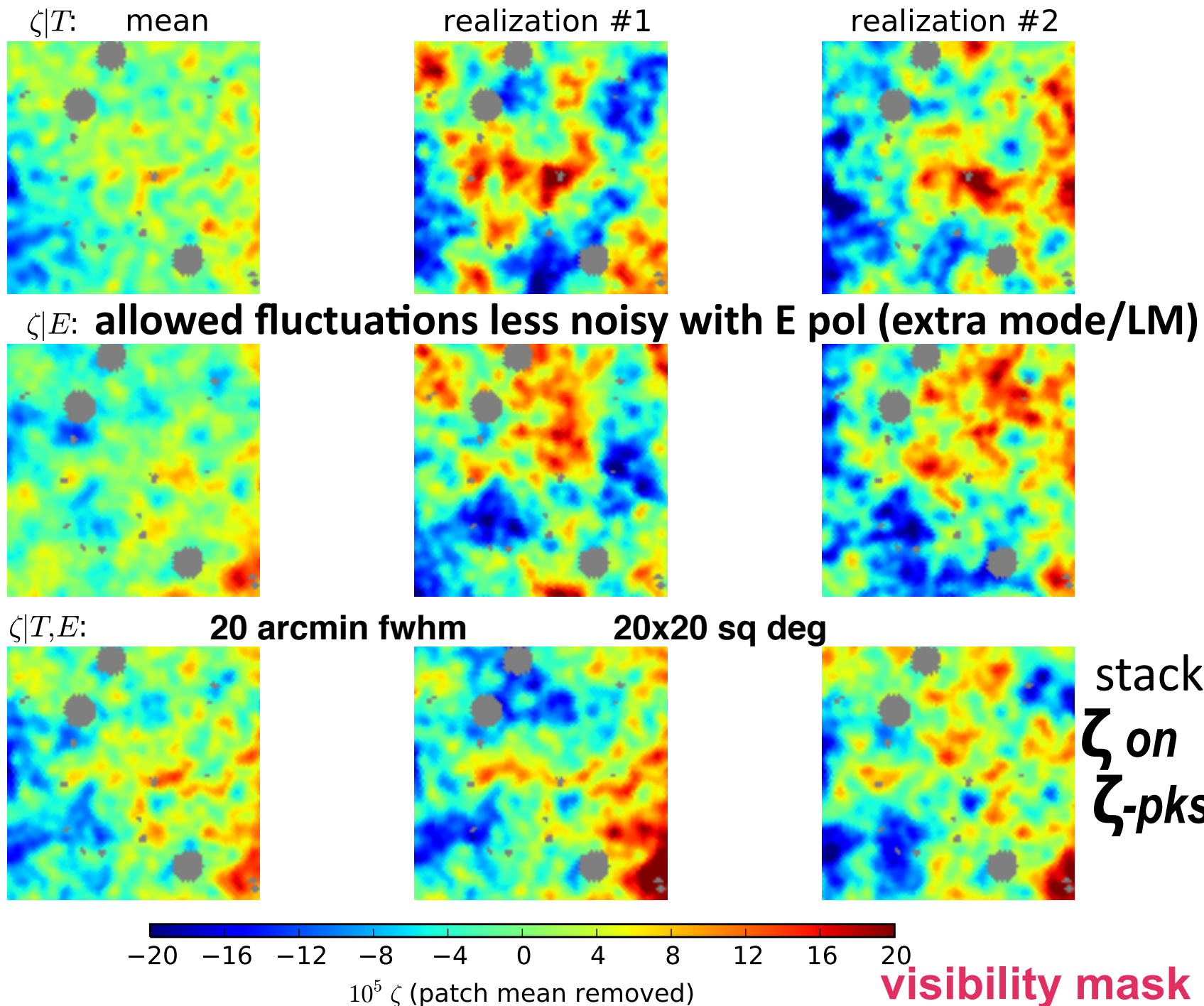
20x20 sq deg

20 arcmin fwhm

$\zeta/10^{-5}$



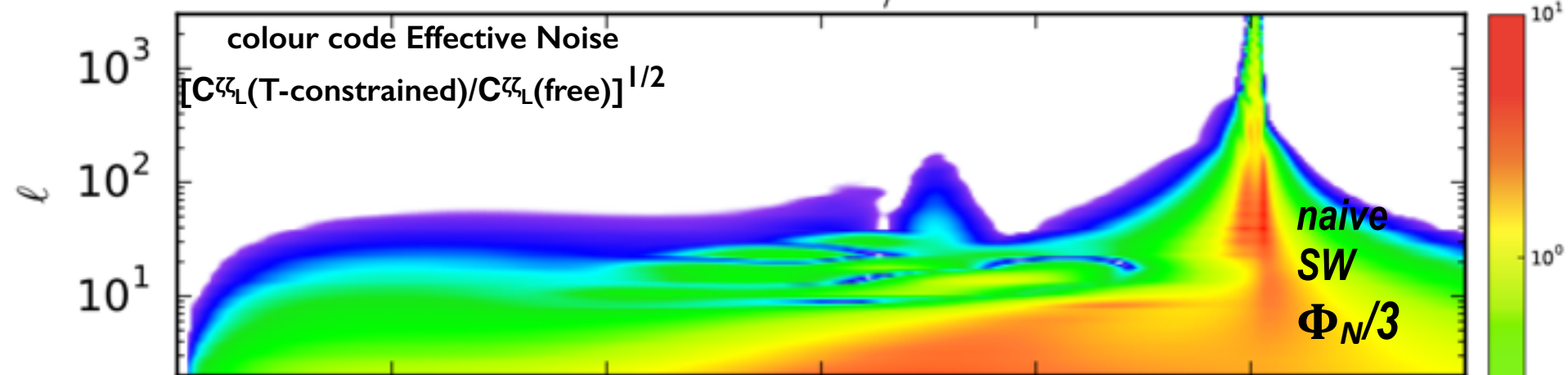
visibility mask



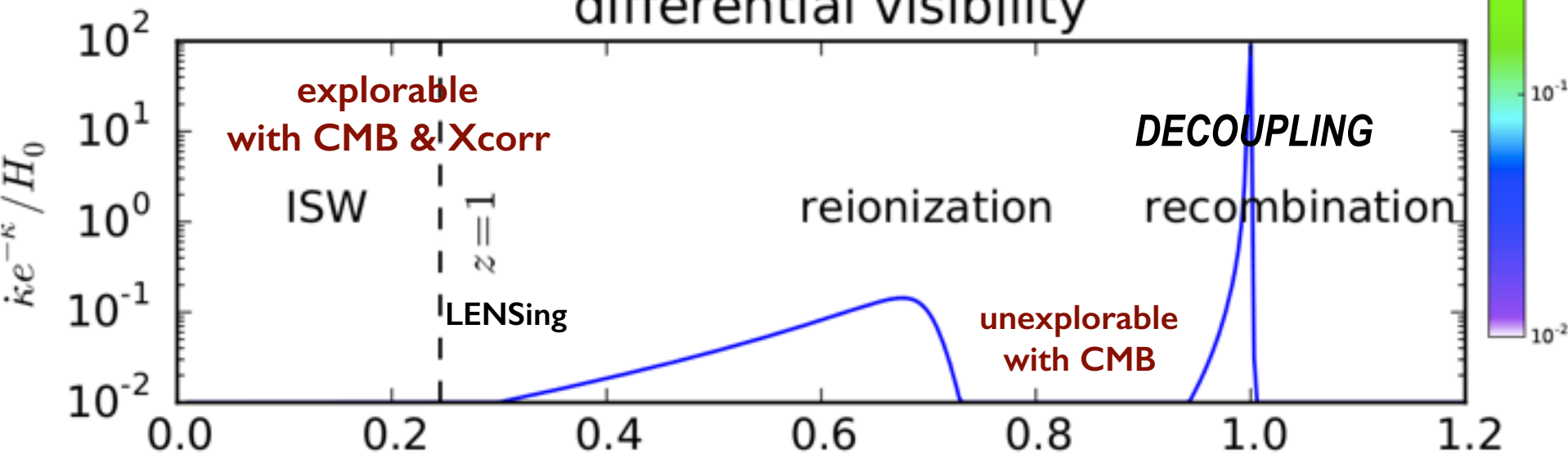
$$\langle \zeta_{LM}(\chi) | T_{LM} E_{LM} \rangle$$

the vast CMB-un-illuminated $\zeta_{LM}(d)$

$T + E \ S/N$



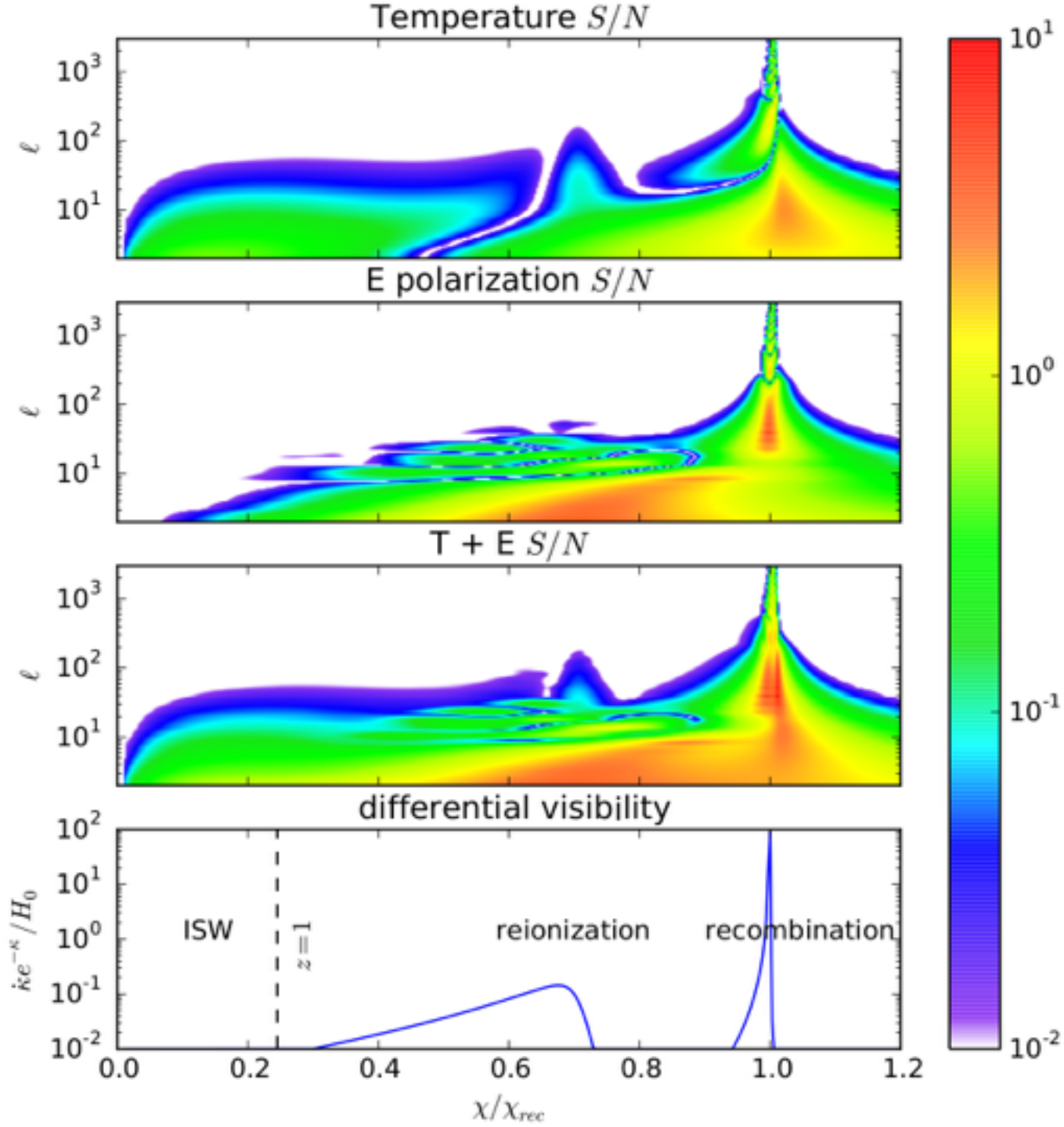
differential visibility



$$[S/N]_L^T(\chi) = \frac{\rho}{\sqrt{(1-\rho^2)}}; \rho \equiv \frac{C_L^{\zeta T}(\chi)}{\sqrt{C_L^{TT} C_L^{\zeta\zeta}(\chi, \chi)}}$$

*for an ideal
noiseless expt*

*for Planck
noise, E mode
S/N erodes a bit*

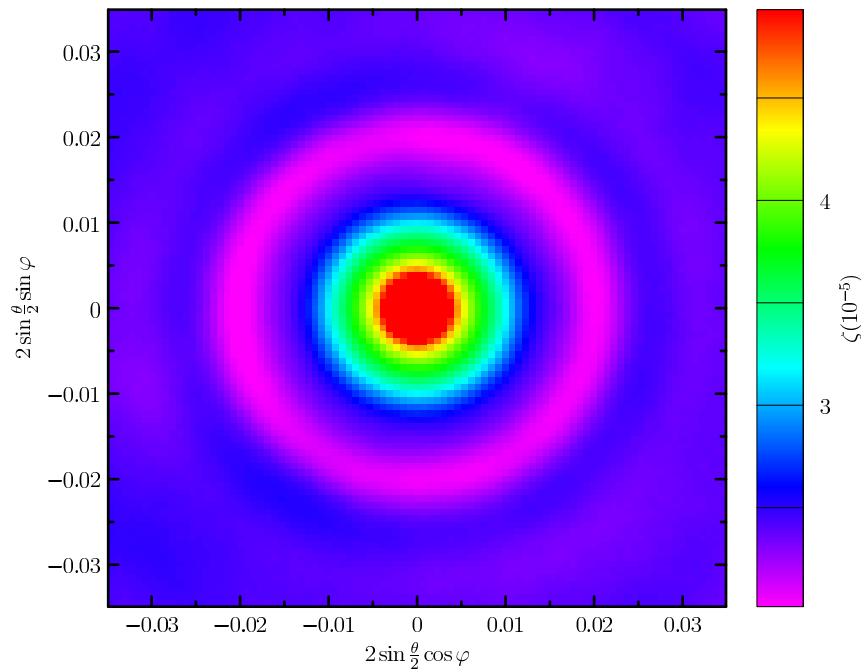


Planck2015 early U structure map

stacked linear map aka
mean-field map

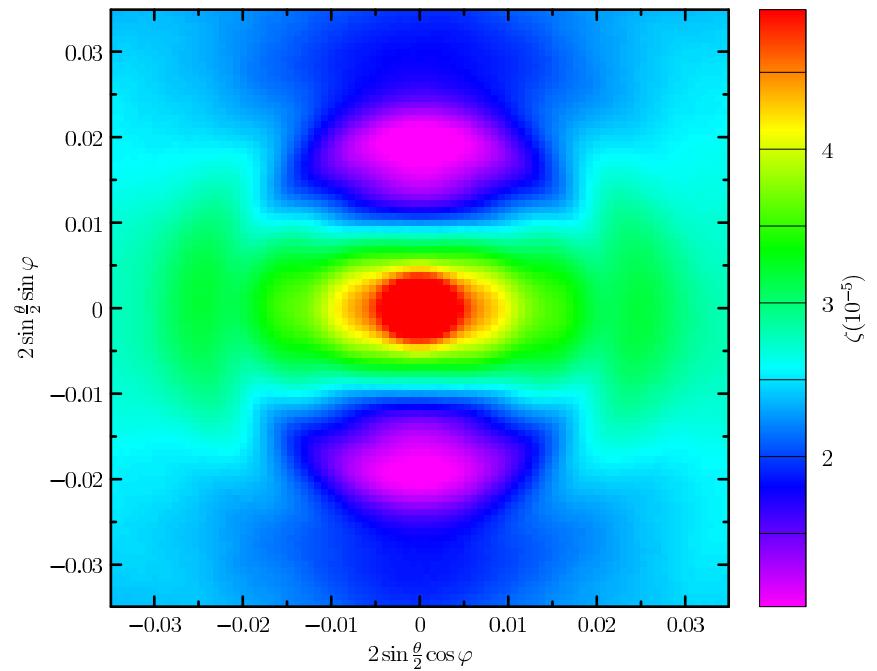
stacked
 $\langle \zeta_{dv} | \zeta_{dv-pk} \rangle$

20857 patches on ζ maxima, random orientation, threshold $\nu=0$



stacked
 $\langle \zeta_{dv} | \text{oriented } \zeta_{dv-pk} \rangle$

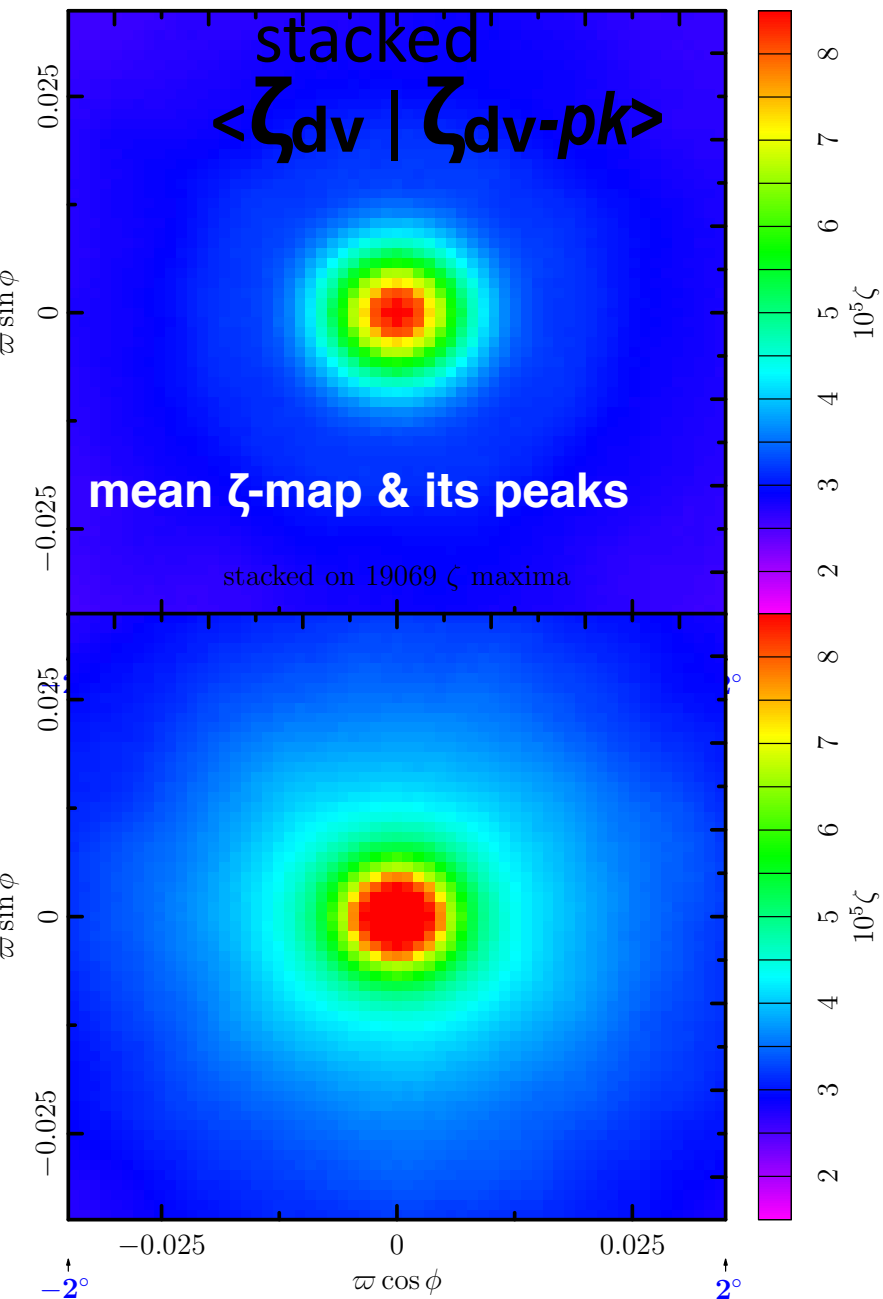
20854 patches on ζ maxima, oriented, threshold $\nu=0$



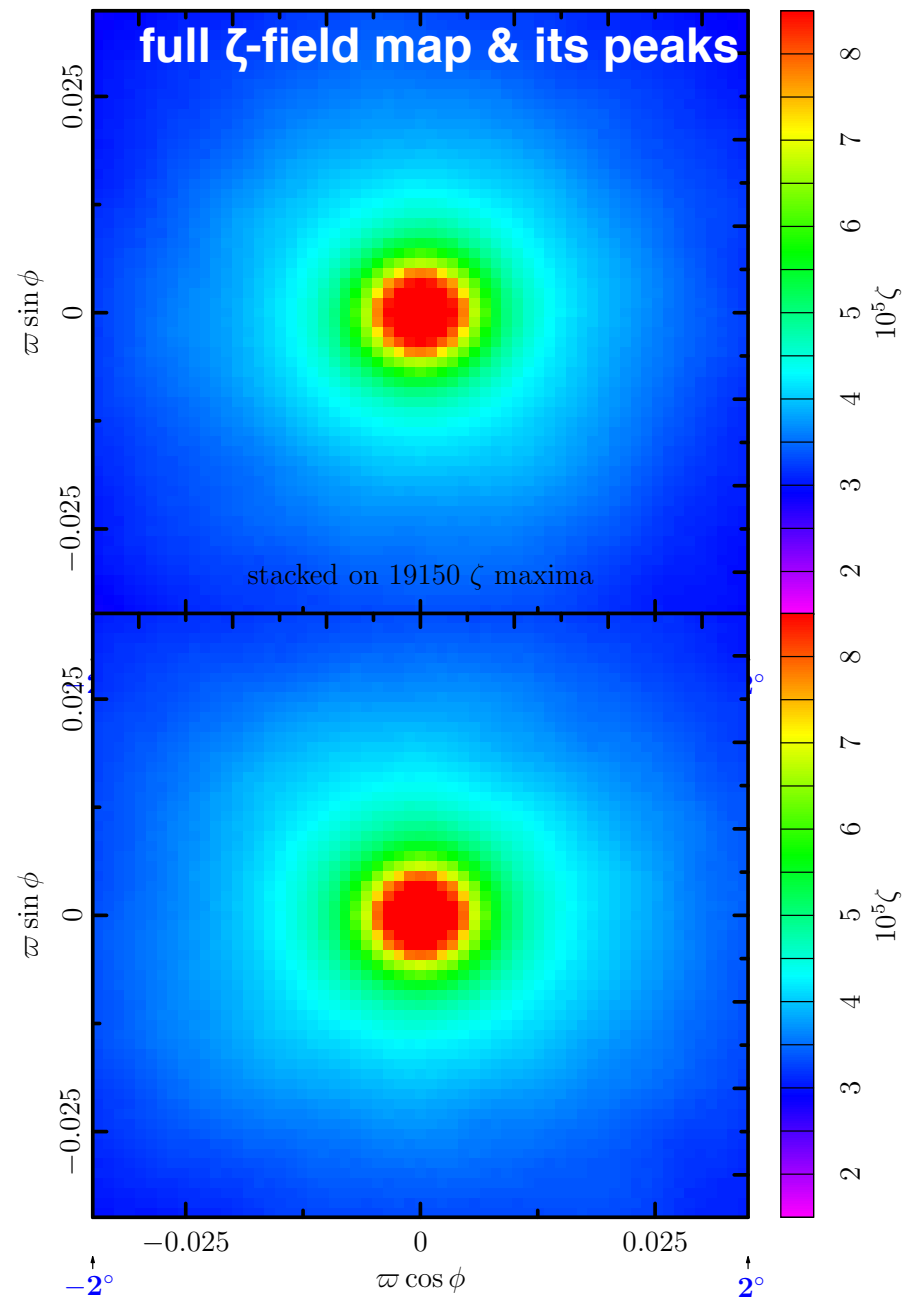
*ζ stacks of Planck 2013 & WMAP9 look very similar
simulations look very similar*

Planck2015 early U structure map

stacked on 16213 ζ maxima



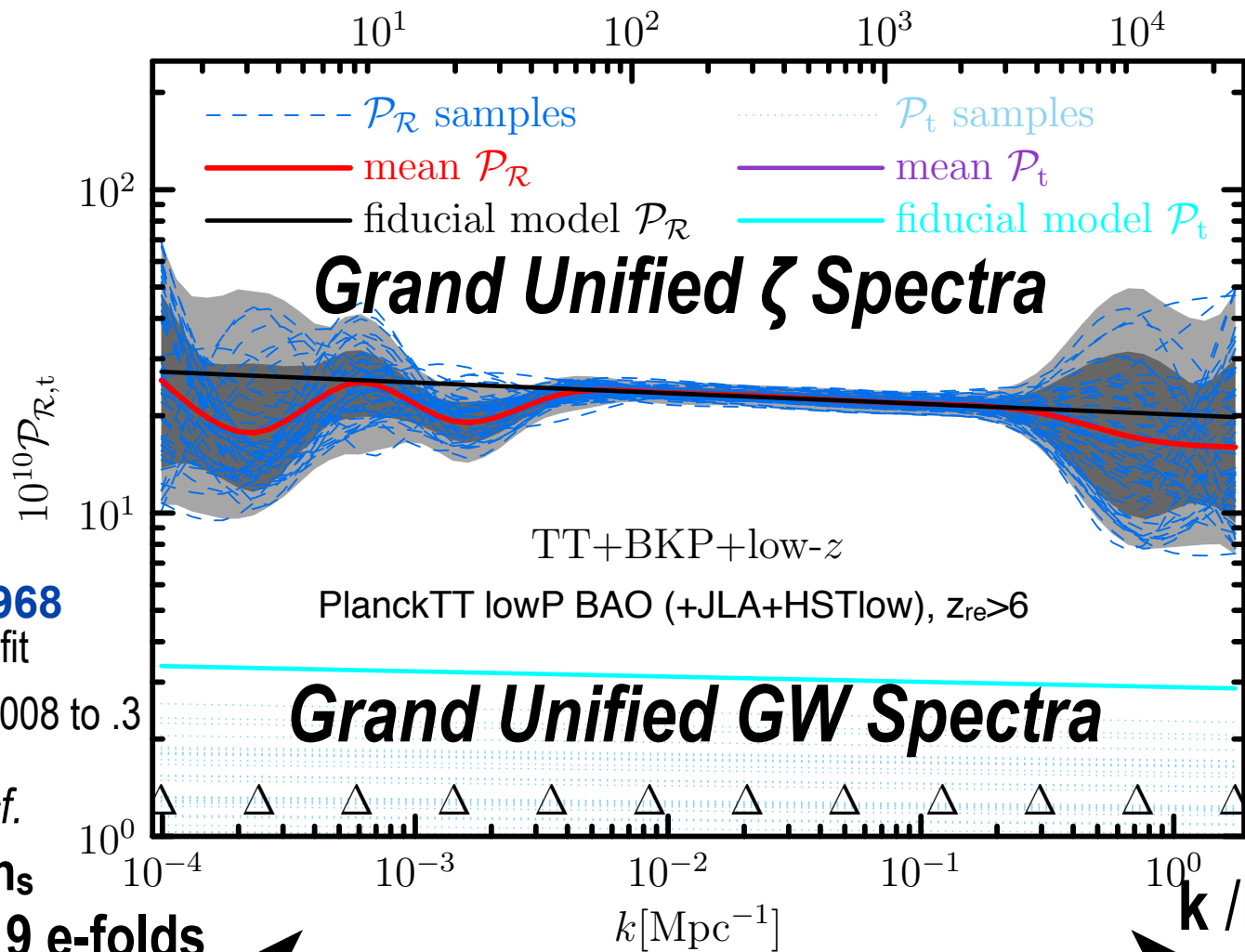
stacked on 19137 ζ maxima



even more (radical) **compression in quadratic space, using Planck likelihood rather than linear** ($\langle \zeta | \text{Temp}, E \text{ pol} \rangle + \delta \zeta$) maps, e.g., onto 12 bands in k -space (LM projection)

=> a quadratic map, includes lensing & BB from BKP

$$\ell_k \equiv k D_{\text{rec}} \quad kd_{\text{rec}} \gtrsim L$$



EE
($L > 30$)
looks similar

=>
 $V(\phi)$

uniform $n_s = 0.968$
P15+LSS best fit

superb 12-knot fit $k \sim .008$ to $.3$

$r < .11$ 95%CL cf.
 $r < 0.09$ uniform n_s

9 e-folds



BSMc = SMc + primordial anomalies
 $\langle \zeta | T, E \rangle + \delta \zeta \Rightarrow$ study non-Gaussian anomalies

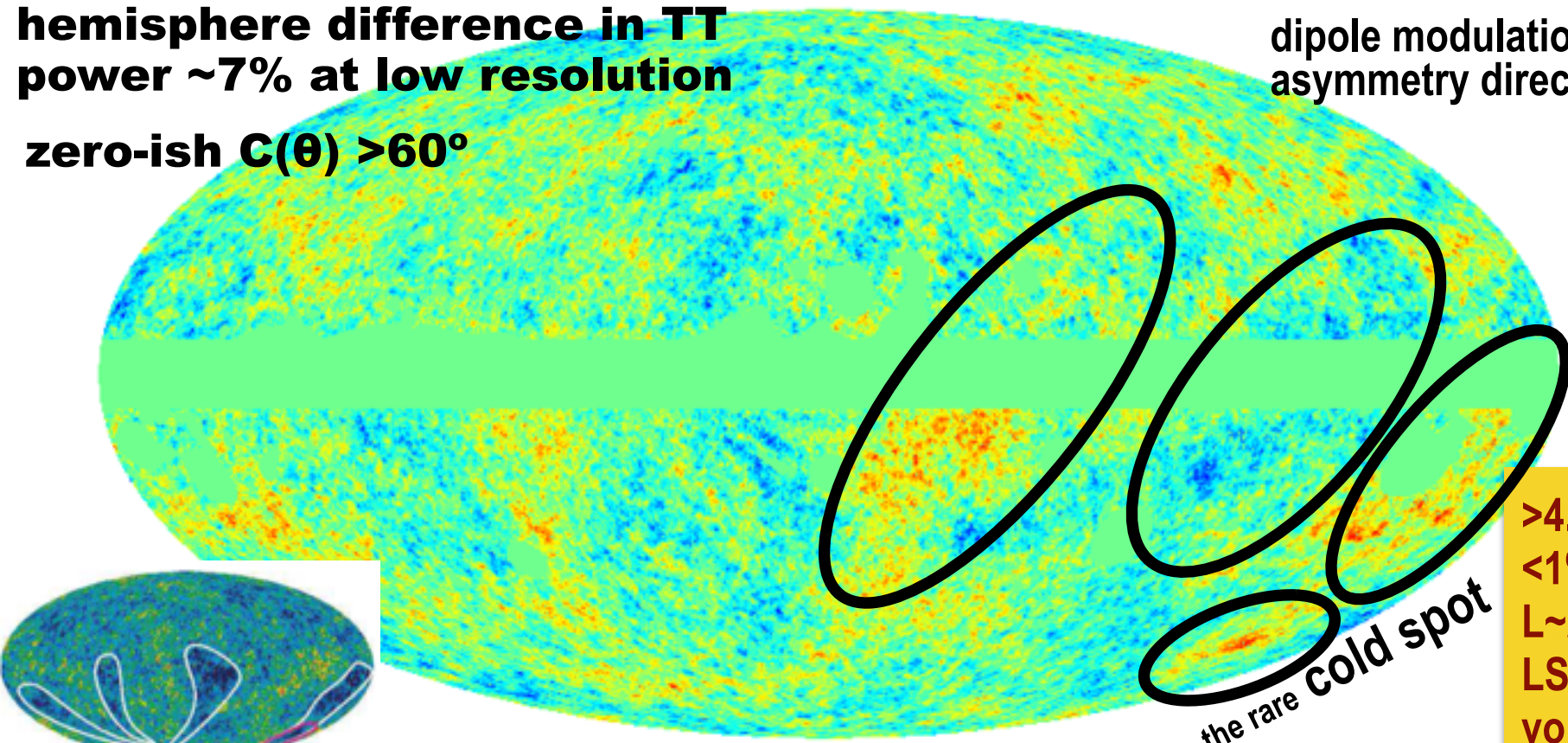
*sigh, Mother Nature puts her
Anomalies @ low L where sample
variance \Rightarrow tantalizing $\sim 2\sigma$'s?*

15 arcmin fwhm

CMB TT power $L \sim 20-30$ dip \Rightarrow
Grand Unified ζ -Spectrum k-dip
hemisphere difference in TT
power $\sim 7\%$ at low resolution
zero-ish $C(\theta) > 60^\circ$

octupole/quadrupole
alignment

dipole modulation/
asymmetry direction



>4.5 σ
<1%
L~20
LSS
void?

the rare cold spot

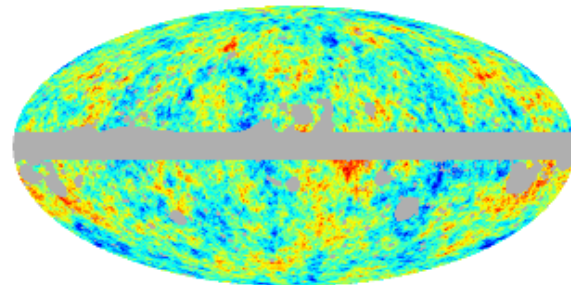
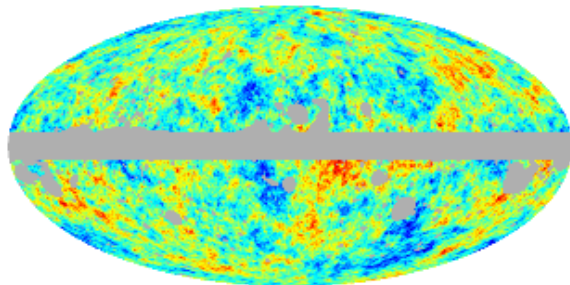
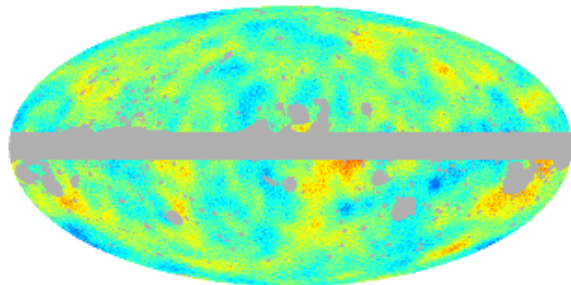
-35.0  +35.0

intermittent?

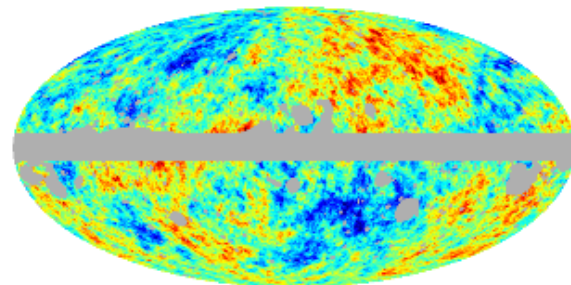
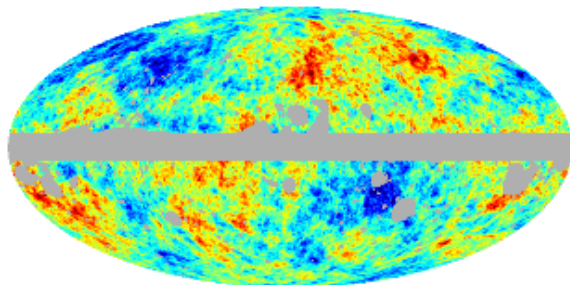
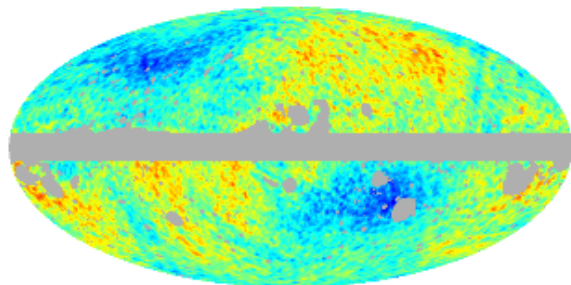
$\zeta|T$: mean

realization #1

realization #2

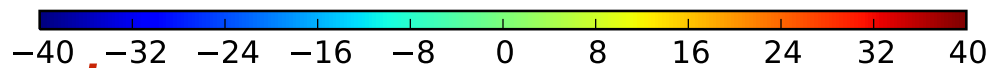
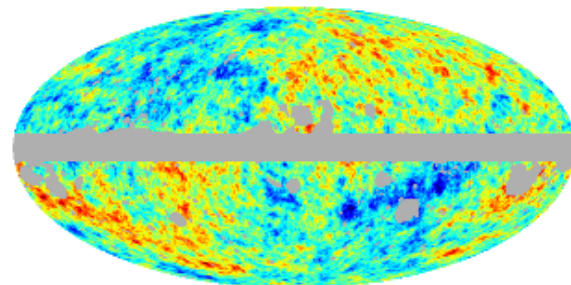
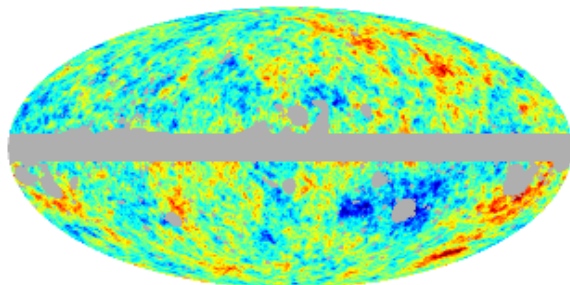
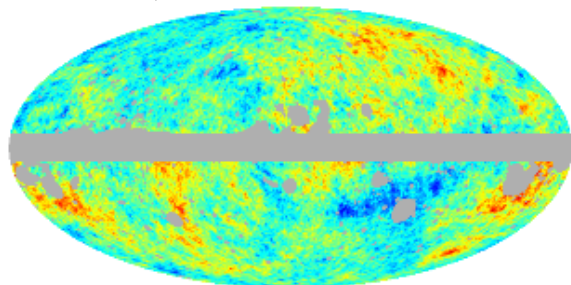


$\zeta|E$:



40 arcmin fwhm

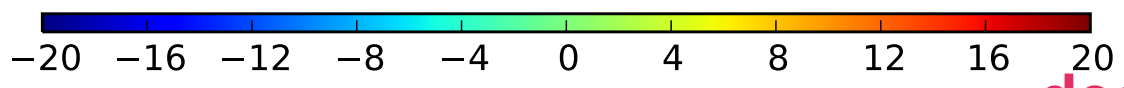
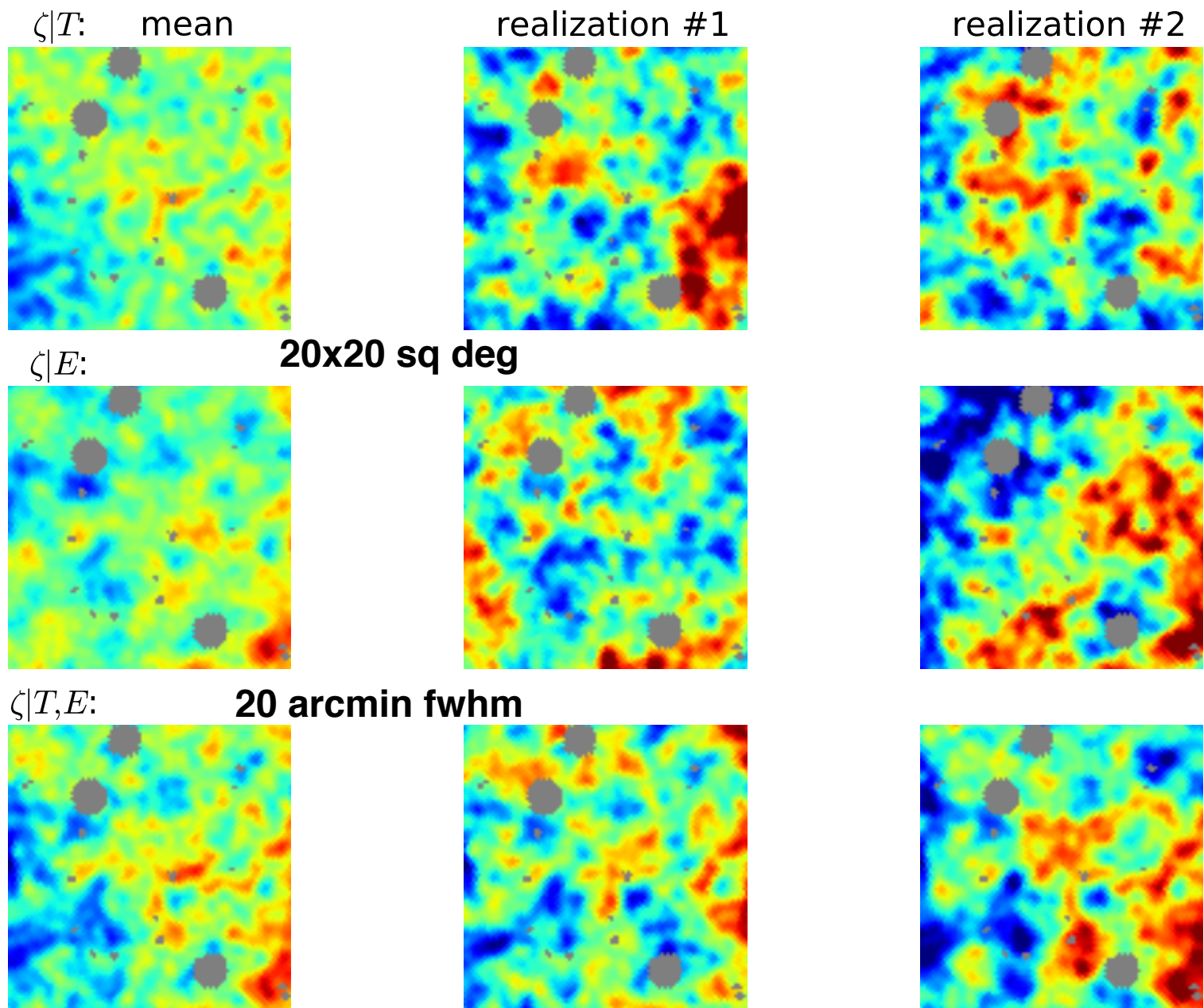
$\zeta|T,E$:



caution: not de-lensed

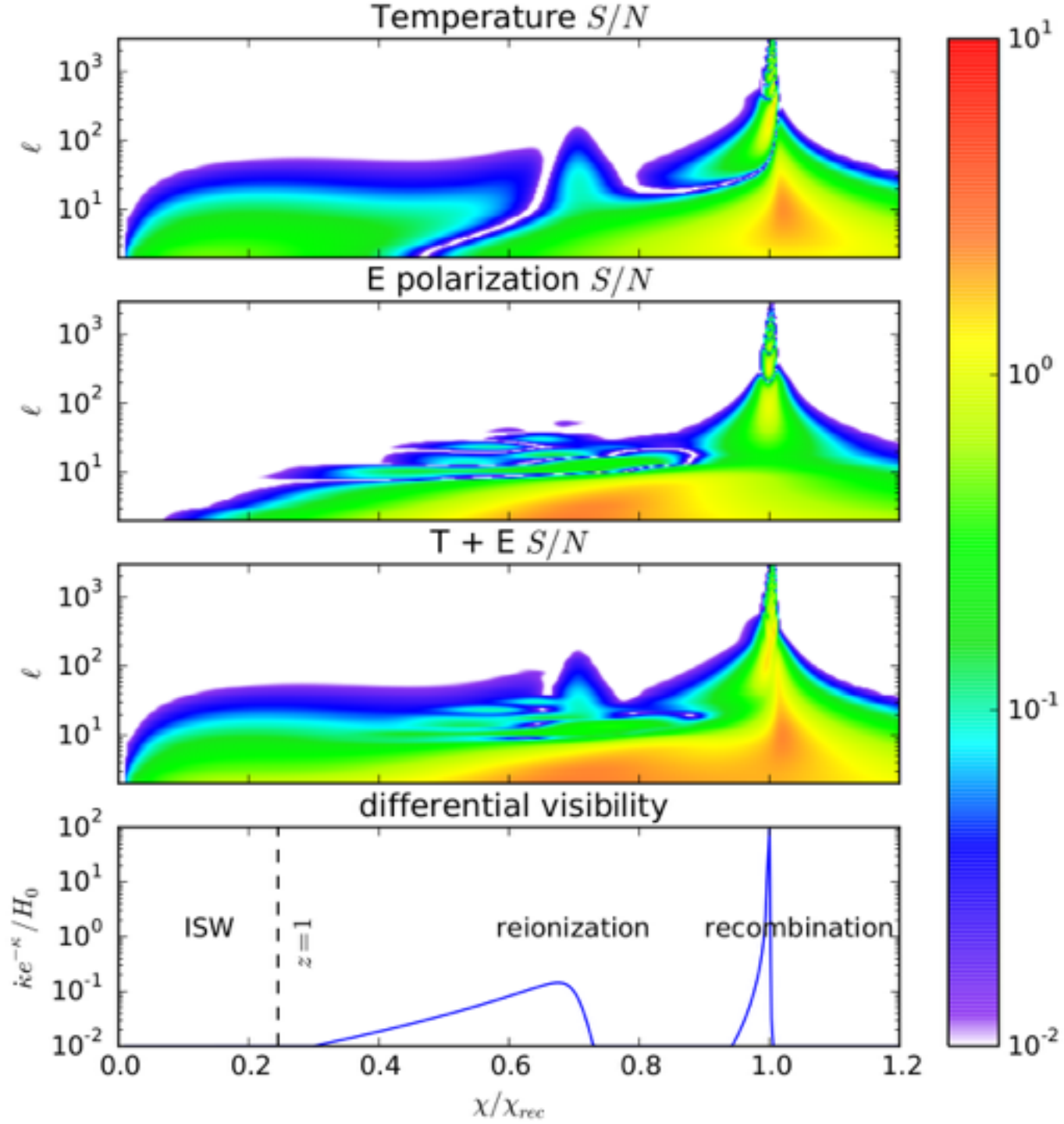
$10^5 \zeta$

decoupling slice



$10^5 \zeta$ (patch mean removed)

decoupling slice

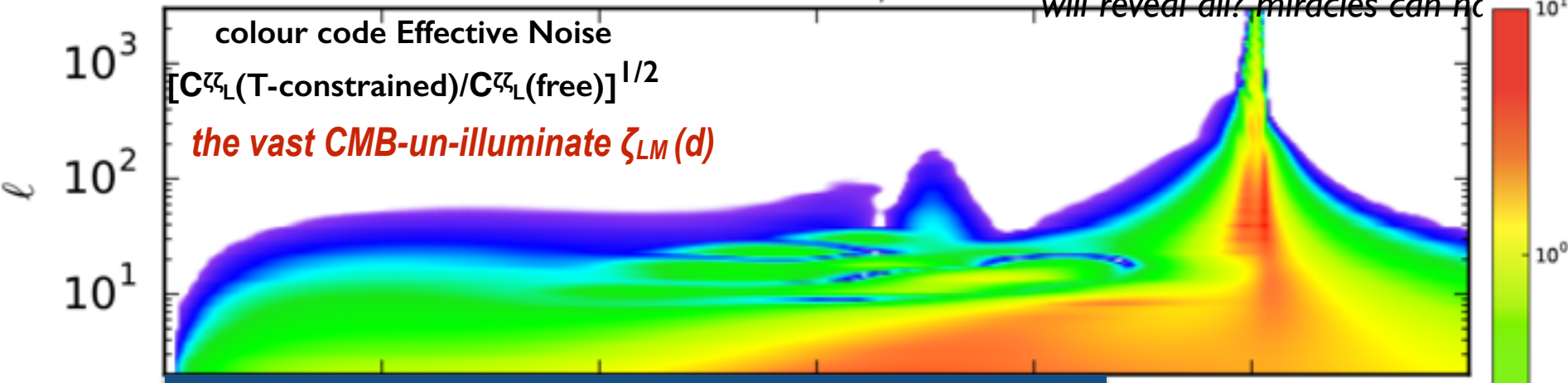


Planck
noise
(FFP8
sims)

$$\langle \zeta_{LM}(\chi) | T_{LM}^{E_{LM}} \rangle$$

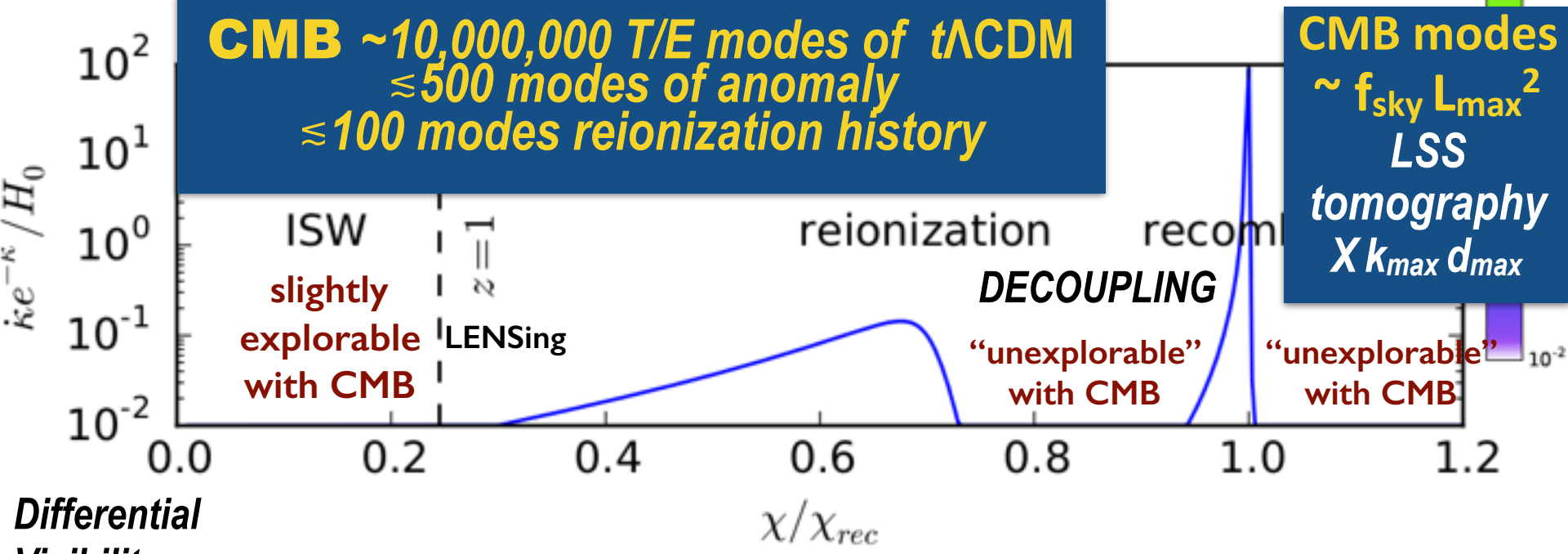
the unexplorable ζ -scape,
 explore with landscape++ ideas
 ideas made up in our Hubble Bit
 will reveal all? miracles can hc

$T + E S/N$



CMB $\sim 10,000,000$ T/E modes of $t\Lambda$ CDM
 ≈ 500 modes of anomaly
 ≈ 100 modes reionization history

CMB modes
 $\sim f_{\text{sky}} L_{\text{max}}^2$
 LSS
 tomography
 $\propto k_{\text{max}} d_{\text{max}}$



Differential Visibility

limits to our knowledge

naive SW $\sim \Phi_N/3$

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a parameterized space q^A : **Linear maps, Quadratic maps (power), cosmic parameter maps**
 $Prob(q | Data, Th \text{ prior}) \Rightarrow \langle q^A | D, Th \rangle, \langle \Delta q^A \Delta q^B | D, Th \rangle, \dots$ or q_{maxL}

TOPOGRAPHY & CARTOGRAPHY

of our Hubble-patch aka our bit of the universe

reconstructing $\zeta = \ln a(\mathbf{x}, t)$ @uniform density,
aka primordial **scalar curvature** ${}^{(3)}R = -4 {}^{(3)}Laplacian(\ln a)$

Wiener-filtered ζ maps make $\zeta_{LM}(\chi), \chi = |\mathbf{x}|$ instead of $\zeta(\mathbf{x})$

Super-duper LSS & the Super-WEB

aka the primordial 3-curvature web aka the phonon/isotropic strain= volume deformation web

$$\ln \rho(x,t) / \langle \rho \rangle |_{\nu} \quad \ln V / \langle V \rangle |_{\rho} = 3 \ln a(x,t) / \langle a \rangle |_{\rho}$$

$$\zeta(x,t) = \int (dE + p dV) / E \quad / \langle 3(1 + p/\rho) \rangle (t) \quad \text{BST83, SBB89, SB90,91, B95, Bond+Braden2016 } \zeta \text{ for preheating}$$

$$\zeta(x,t) = \ln \rho(x,t) / \langle 3(1 + p/\rho) \rangle (t) + \int (1 + p/\rho)(x,t) d \ln a(x,t) / \langle 1 + p/\rho \rangle (t)$$

$$\text{or: } \zeta(x,t) = \ln \rho(x,t) / \rho_b / 3(1 + p_b/\rho_b) + \ln a(x,t) / a_b$$

cf. the density web ~ strain web
 ~ gravitational potential web

$$- \ln \rho / \langle \rho \rangle = \text{Trace } \ln \mathbf{e}_J^J = \ln V / \langle V \rangle |_{\rho}$$

cold $\langle p/\rho \rangle \sim 0 \Rightarrow \zeta(x,t | \text{cdm})$ conserved before shell crossing (preheating)

the $\zeta_{\text{-LAND}}$ -scape attractor trajectories & their drift plus quantum diffusion instabilities

**Hamiltonian-density $\rho(\phi_b, \pi_b, \ln a) \Rightarrow$ coarse-grained $k \ll \text{Ha}$
attractor $\rho(\phi_b) = 3M_P^2 H^2$**

*SB90,91 $d\phi_b/d\ln a = -M_P^2 \nabla_{\phi_b} \ln \rho$, a gradient / Morse flow a field superweb flow
 \Leftarrow Hamilton-Jacobi eqⁿ $\delta\zeta_{NL} = \delta \ln a + \delta \ln \rho / 3(1 + p/\rho) =$ fine-coarse kicks + \perp drifts*

*“adiabatic” fluctuations along the Morse flow river valleys (phonons)
isocurvature directions \perp flow: basins, saddles, watersheds, valley-to-valley tunnels, ..
reduced action (Hamilton’s Principal function) $\sim H \sim \rho^{1/2}$
stochastic kicks $\delta\phi_b$ along the attractor give no $\delta\zeta_{NL}$
kicks off the attractor ($\delta\pi_b$ damps) give $\delta\zeta_{NL}$ entropy fine \rightarrow coarse drift off the attractor give
 $\delta\zeta_{NL}$ instabilities, bifurcations, pre-heating Lyapunov growth*

*kls94 entangled isocons as heating triggers \Rightarrow Lyapunov instability? $b^2 f h \epsilon = 1$ ballistics \Rightarrow
caustics \Rightarrow bb shock-in-time entropy coarse \rightarrow fine observable intermittent nG ?*