

Inflation = phenomenology of a collective mode, the **phonon**, fundamental field but composed of many fundamental fields. in linear theory phonon $\sim \sum$ fundamental;

in nonlinear theory, phonon $\sim \ln(\rho a^{3(1+w)})/3(1+w) = \zeta_{NL}$

Geometrical view, a theory of condensed strain & strain waves $\epsilon_{ij} = [1/2 \ln^{(3)} g]_{ij}$, phonons $\sim \text{Trace}(\epsilon)$, gravity waves ϵ^{TT} .

Inflaton = phonon condensate, fluctuations are phonons. relativistic negative-pressure EOS.

Stochastic inflation works: ballistic trajectories for fields q_x with kicks from sub-horizon waves dW_x causing nearby trajectories to deviate, ζ_{NL} like $dE+pdV$ a near-adiabatic invariant, sourced by stress*strain-rate & energy currents (regularizer between nearby X).

fundamental scalar fields (inflaton, isocons) & effective potentials & kinetic energies

$\epsilon = -3/2 d \ln \rho / d \ln a^3 = 1$ defines End of Inflation, but not a magic boundary, dragged trajectories break into (spatially independent) oscillations. weak point-to-point coupling until ...

HEATING: how to damp coherent ballistic trajectories into high-k entropy. old, eg SBB87 Γ (KE+PE). still used! post KLS93: via inflaton self-couplings; isocon-inflaton field couplings, gauge fields FF_{dual} , fermion-bar fermion

new picture: ballistic until the shock-in-time = huge time-localized non-eq entropy generation; slow S-evolution after which is V-dependent. only weak-coupling of nearby points before. ULSS & LSS & SSS modulator field $\zeta_{NL}(\text{modulator}(x))$, e.g. modulator = $\chi_i(x), g(x)$

nonG from post-inflation but pre-entropy generation ballistic trajectories can lead to pre-shock-in-time caustics and other phase space convergences in the deformations (!) Zeldovich map-ish

eg $\partial \ln a / \partial \chi_i(x), \partial \ln a / \partial g(x) \Rightarrow P[\ln a(x), t_{shock} | \chi_i(x), g(x), t_{end-of-inflation}]$

***spikes persist with flattened effective potentials
only the potential bowl at the bottom matters***

calculating ballistic
evolution to caustics
gives the spikes in
perfect agreement
with
full nonlinear lattice
simulations

(now being done for a suite of
flattened potentials to better
deal with the shock-in-time)

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eg $\partial \ln \mathbf{a} / \partial \chi_i(\mathbf{x})$, $\partial \ln \mathbf{a} / \partial \mathbf{g}(\mathbf{x}) \Rightarrow \mathbf{P}[\ln \mathbf{a}(\mathbf{x}), \mathbf{t}_{\text{shock}} \mid \chi_i(\mathbf{x}), \mathbf{g}(\mathbf{x}), \mathbf{t}_{\text{end-of-inflation}}]$

$$dS/dt(t, \mathbf{g}) \Rightarrow$$

the Shock-in-time: entropy production rate

non-Gaussianity
(WMAP, Planck, LSS)
spiky nG preheating

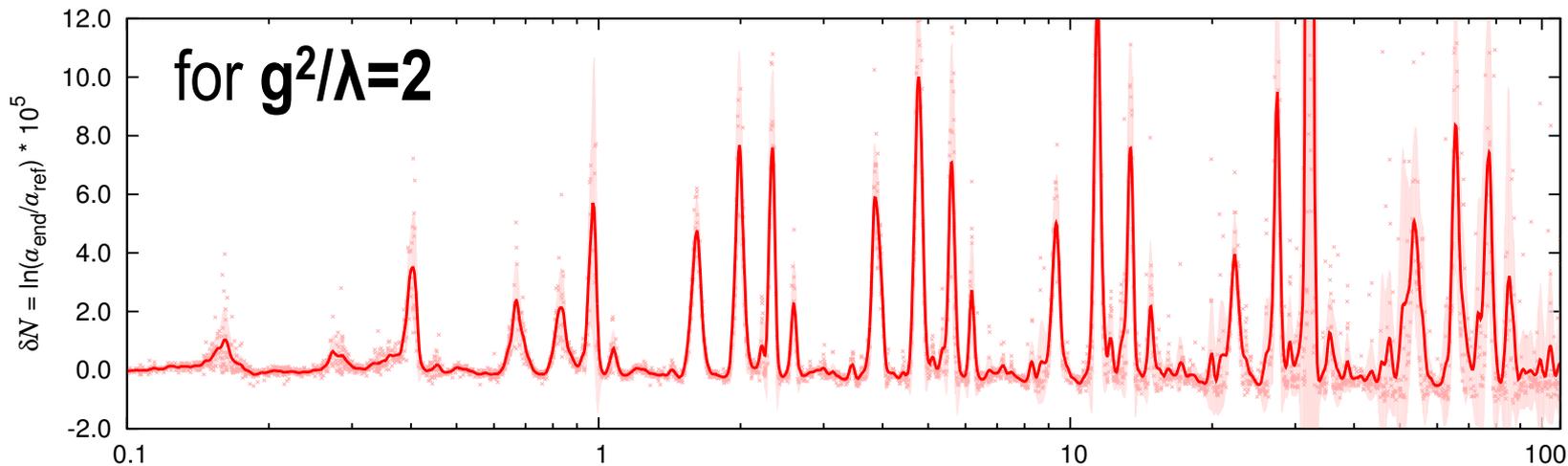
$$\delta \ln a_{\text{shock}}(\chi_i(\mathbf{x}) | g^2/\lambda) \Rightarrow \text{Chaotic Billiards: NonG from Parametric Resonance in Preheating}$$

B+Frolov, Huang, Kofman 09

B+Braden, Frolov, Huang 14

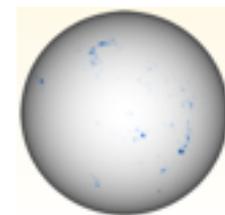
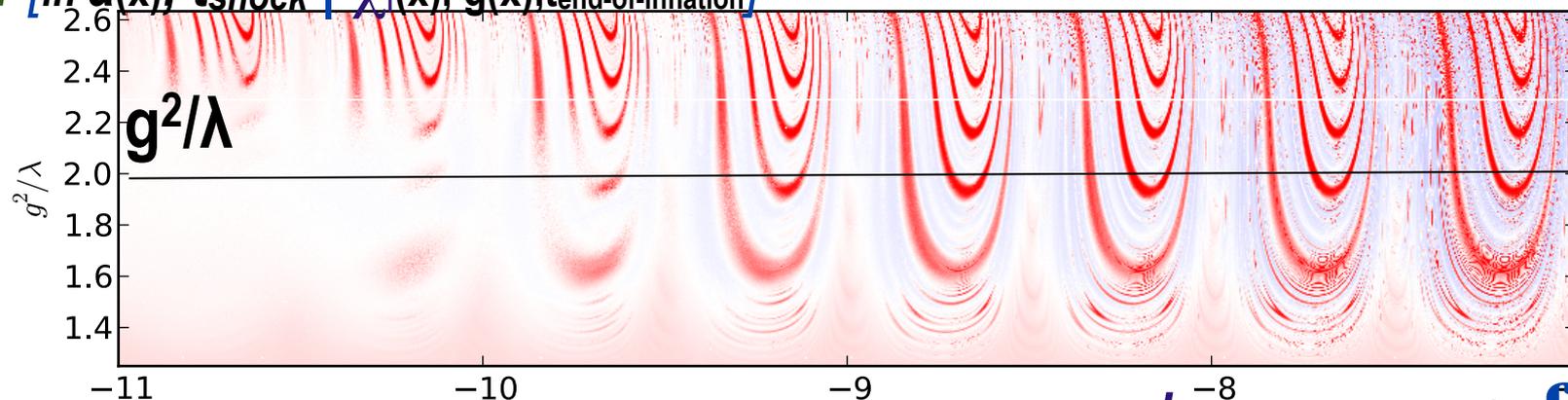
$\ln a$

$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$



huge number of
 64^3 sims to
show the
wondrous
complexity of
 $\ln a(\chi_i, g^2/\lambda)$

$$P[\ln a(\mathbf{x}), t_{\text{shock}} | \chi_i(\mathbf{x}), g(\mathbf{x}), t_{\text{end-of-inflation}}] (\chi_{\text{ini}}/m_{\text{pl}}) * 10^7$$



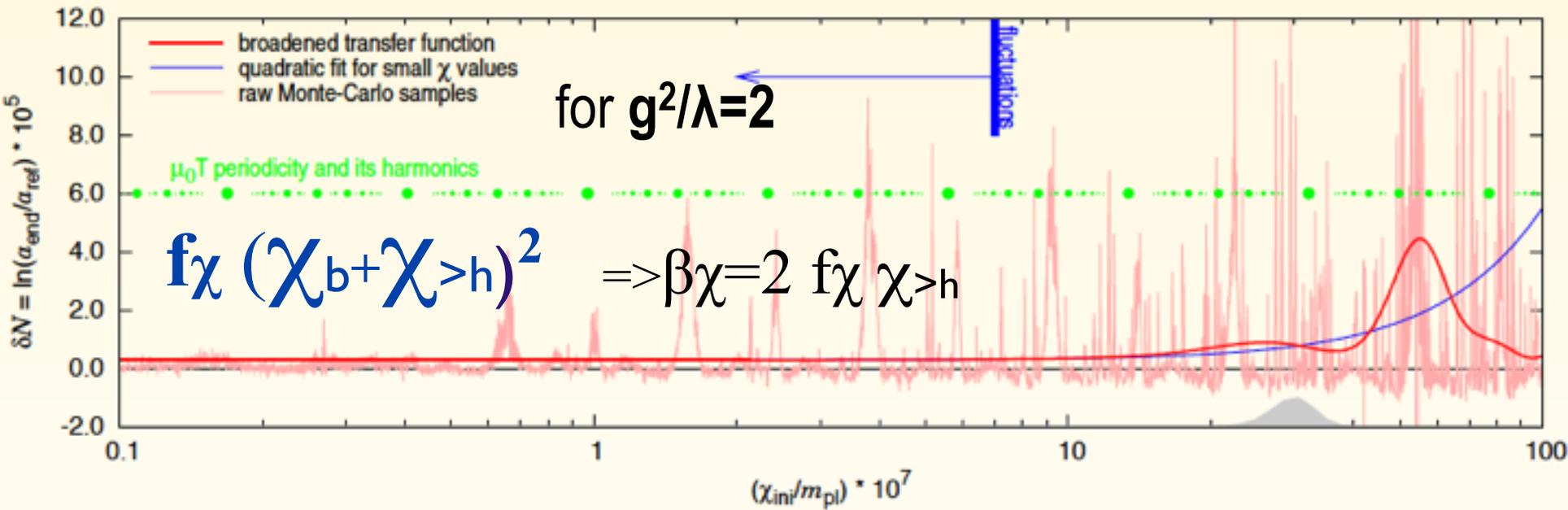
$\ln \chi_i$ & f_{NL}^7 equiv

field smoothing over χ_{HF} over ~ 50 e-folds of HF structure

$$\langle F_{\text{NL}} | \chi_b + \chi_{>h} \rangle \sim \beta \chi(\chi_{>h}) \chi_b + f_\chi(\chi_{>h}) \chi_b^2 + \dots$$

cf. $F(x) = F_G(x) + f_{\text{NL}} * F_G^2(x)$

$$1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$



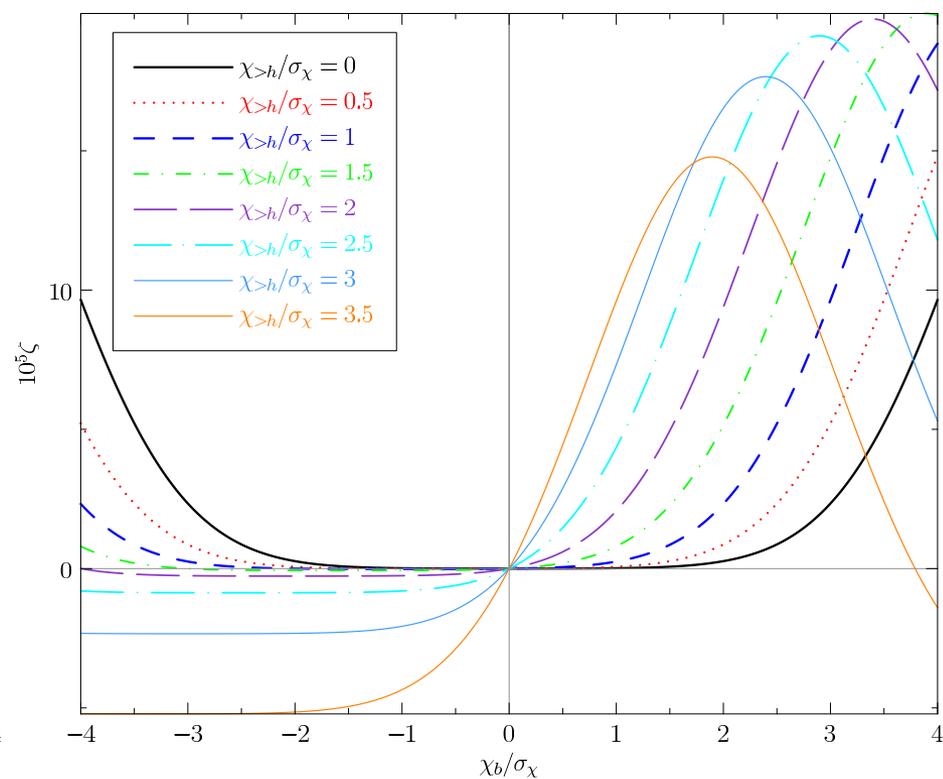
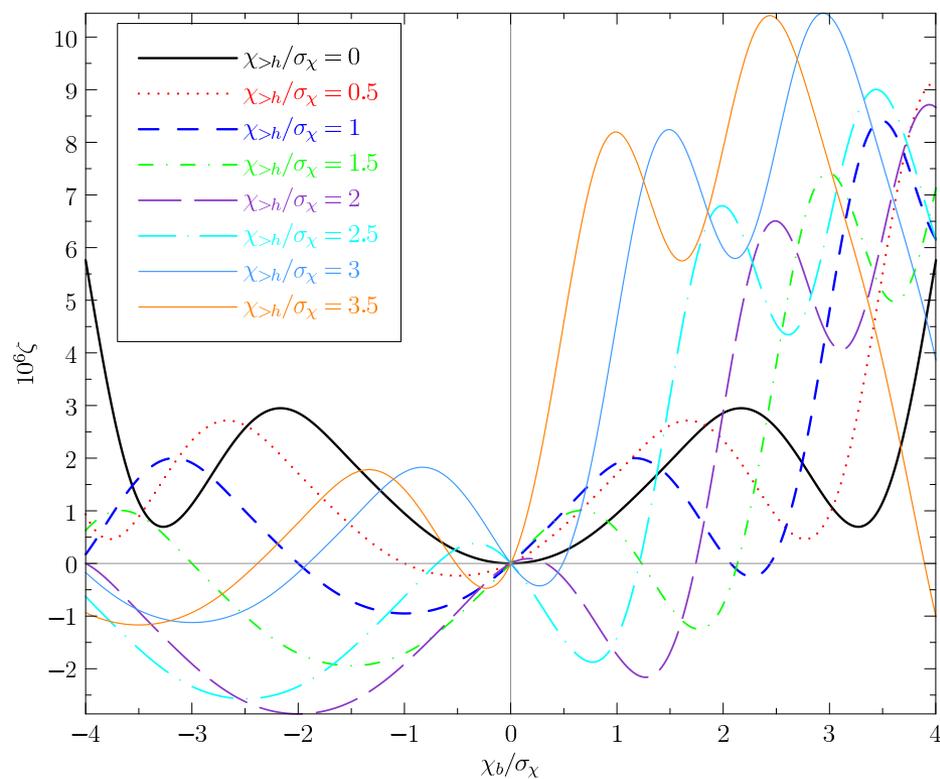
$$f_{\text{NL}}^{\text{equiv}} = \beta \chi^2 f_\chi [P_\chi / P_\phi]^2 (k_{\text{pivot}}) \quad \text{Local } f_{\text{NL}} = 2.7 \pm 5.8 \text{ Planck1.3}$$

$$\Rightarrow \text{constrain } f_\chi^3 \chi_{>h}^2 \quad (P_\chi / P_\phi \sim 2\varepsilon \Rightarrow \text{relaxed limit})$$

simulated sky with Gaussian inflaton-induced + **uncorrelated subdominant non-Gaussian isocon-modulated preheating**. Landscape-accessing super-horizon

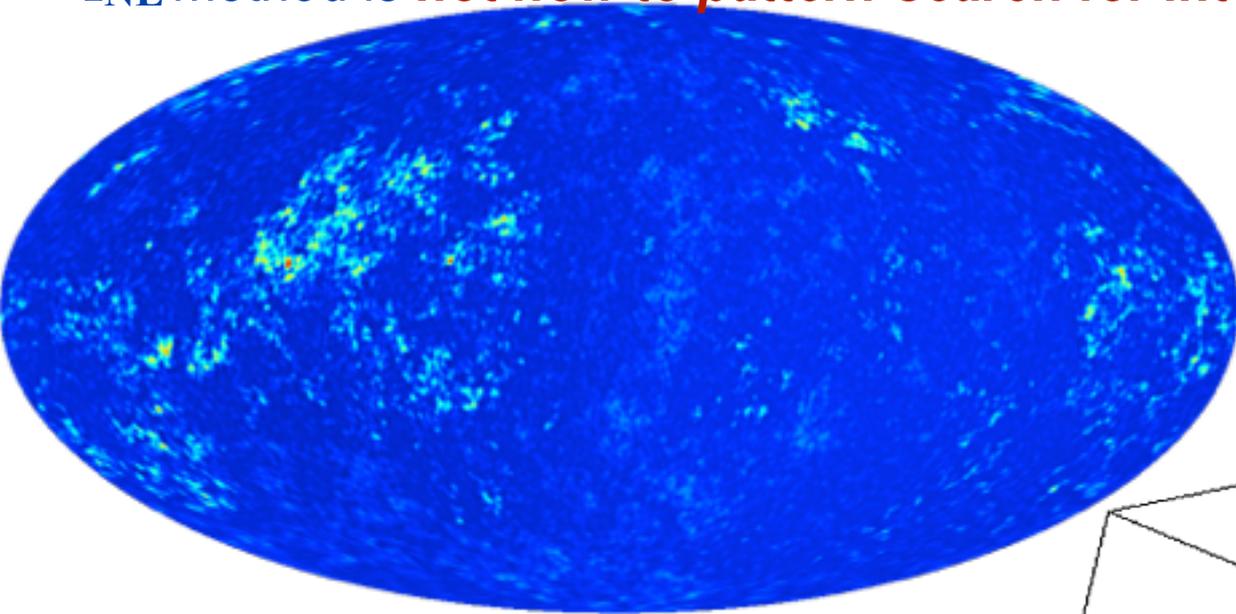
control variable = $\chi_{>h}$ \Rightarrow **super-bias, intermittent, extended source-like rare event tails**

Bond, Braden, Frolov, Huang14

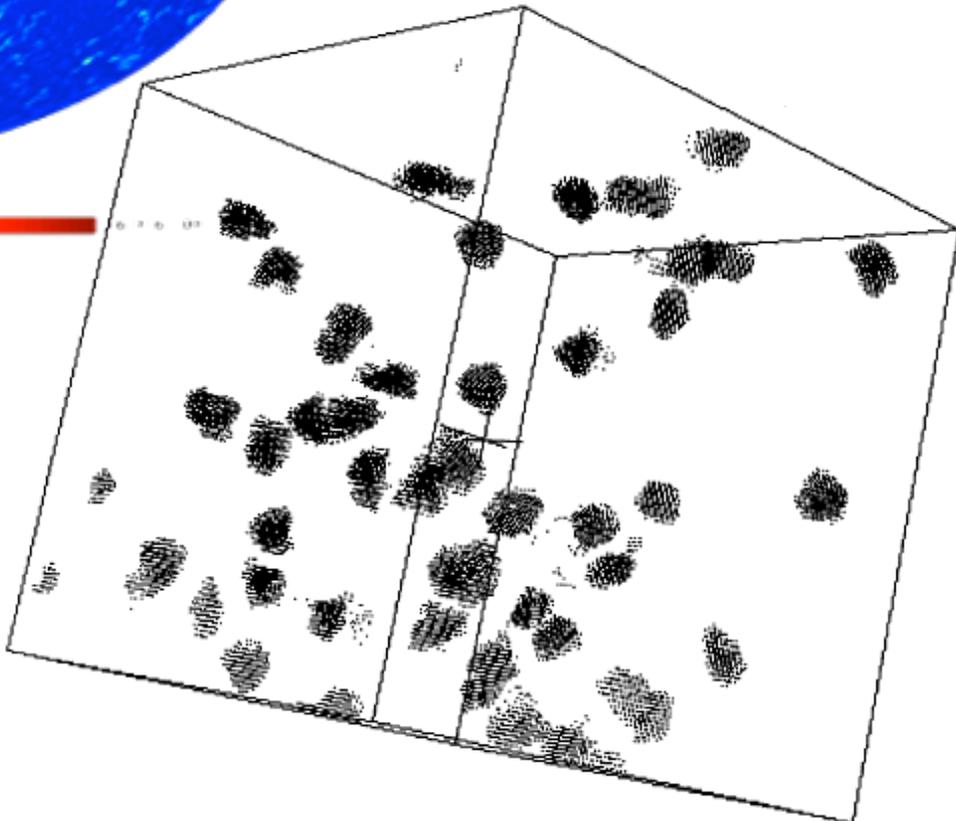


bispectrum & 3-point \sim fsky,patches³ => not overly constraining & standard f_{NL} method is *not how to pattern-search for intermittent power bursts*

Bond,Braden,Frolov,Huang13



intermittency from steep threshold functions acting on a slightly red curvature field (gravitational potential) lead to very-large-scale splotch “anomalies”



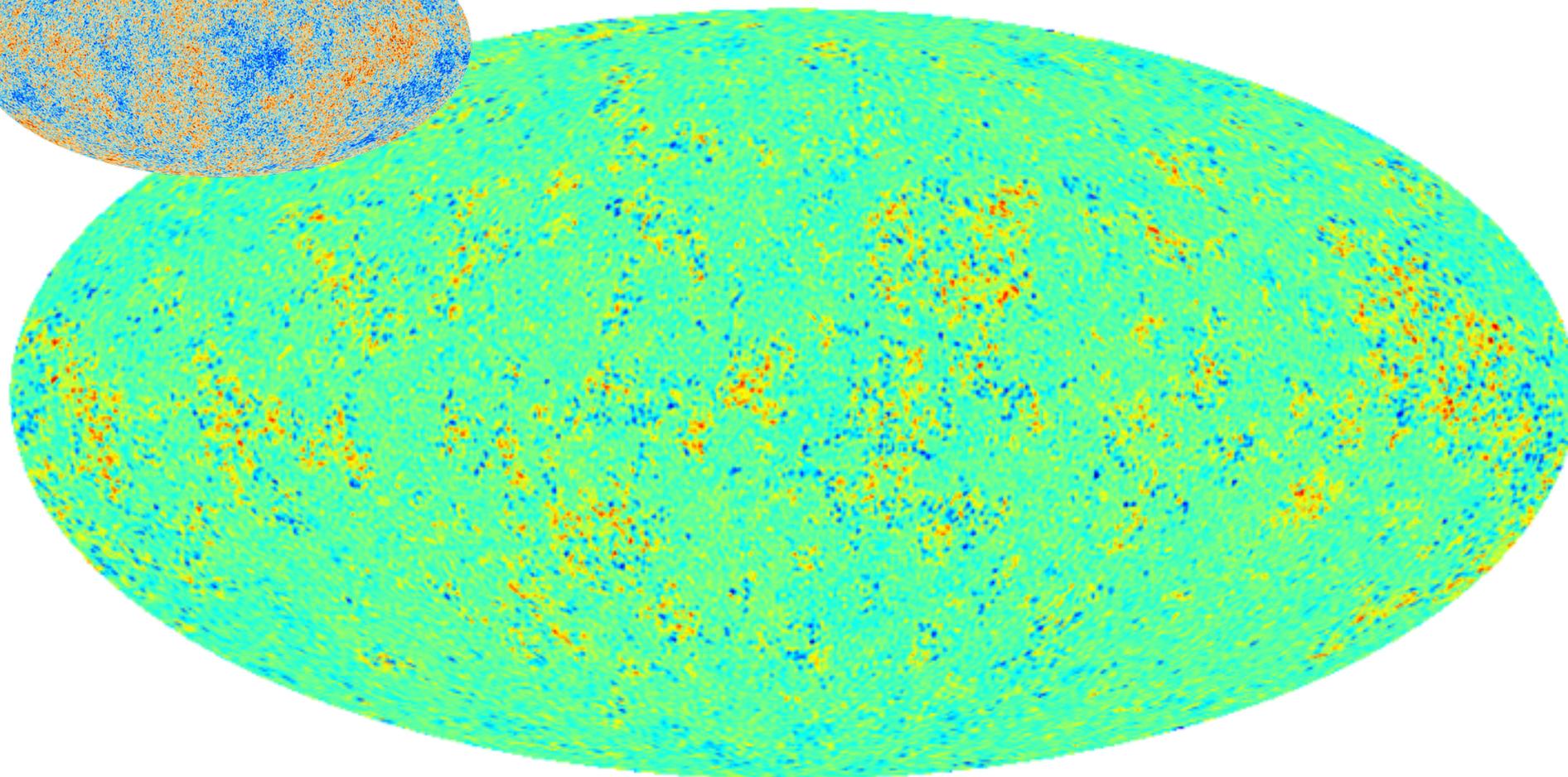
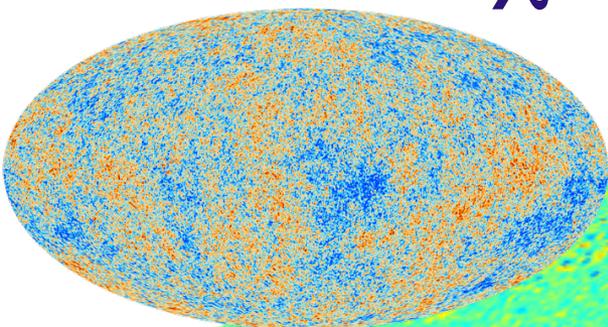
cf. the more localized Lagrangian space **intermittency** from steep cluster-threshold functions acting on the **density field**. **Cluster-patches** lead to pressure intermittency and SZ sources in the CMB

simulated sky with Gaussian inflaton-induced + **uncorrelated subdominant non-Gaussian isocon-modulated preheating**. Landscape-accessing super-horizon

control variable = $\chi > h \Rightarrow$ **super-bias, intermittent, extended source-like rare event tails**

Bond, Braden, Frolov, Huang 14

T (mK)



-5.13



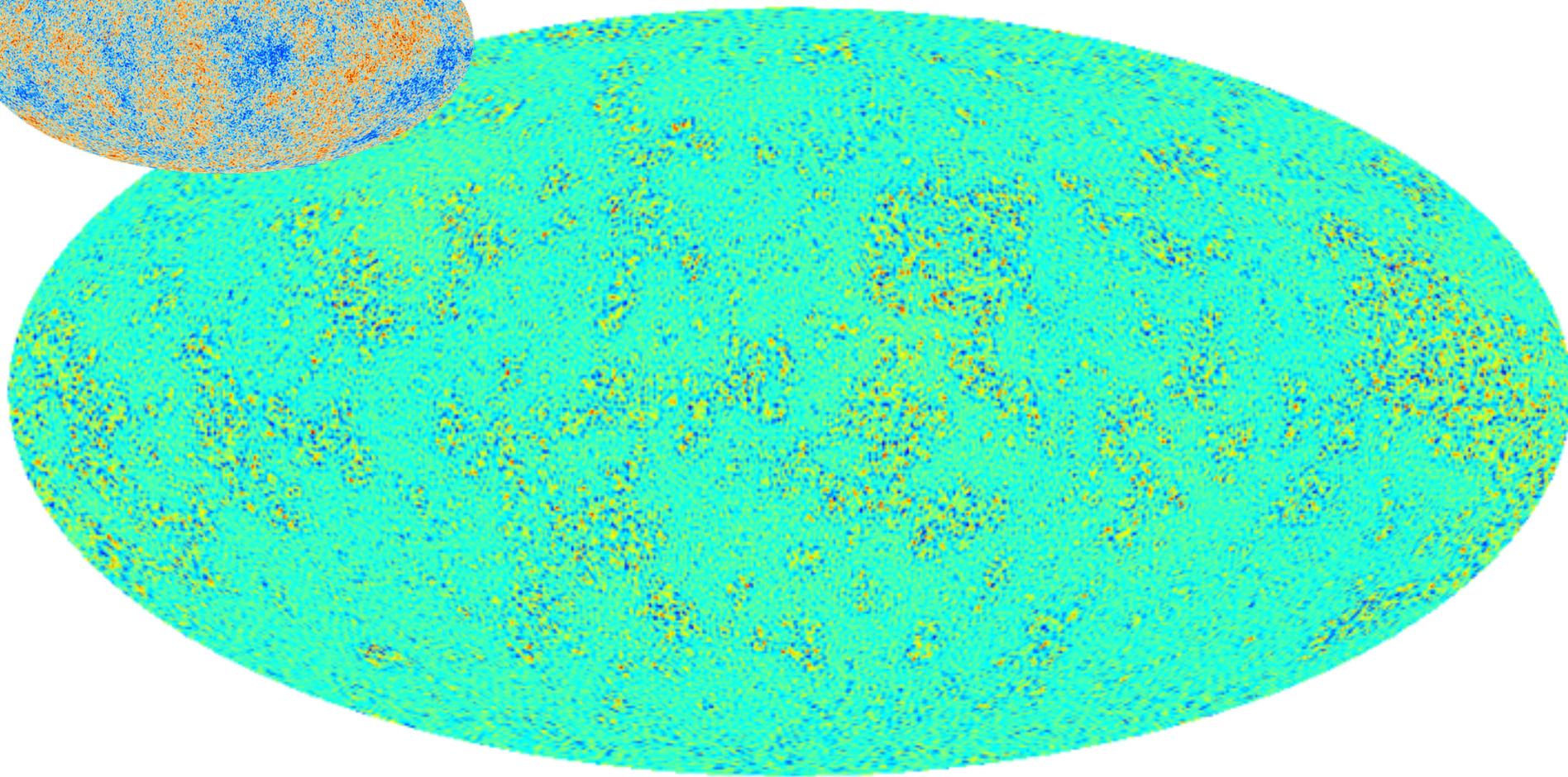
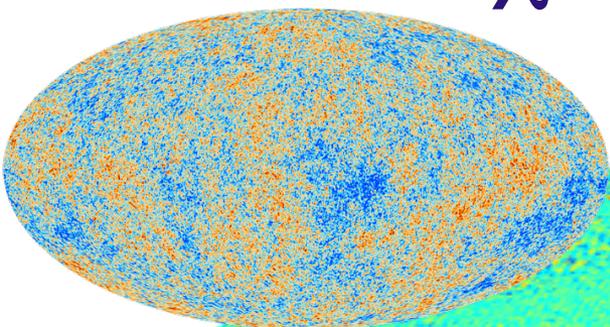
+5.36

simulated sky with Gaussian inflaton-induced + **uncorrelated subdominant non-Gaussian isocon-modulated preheating**. Landscape-accessing super-horizon

control variable = $\chi > h \Rightarrow$ **super-bias, intermittent, extended source-like rare event tails**

Bond, Braden, Frolov, Huang14

E (nuK)



-7.126E-02

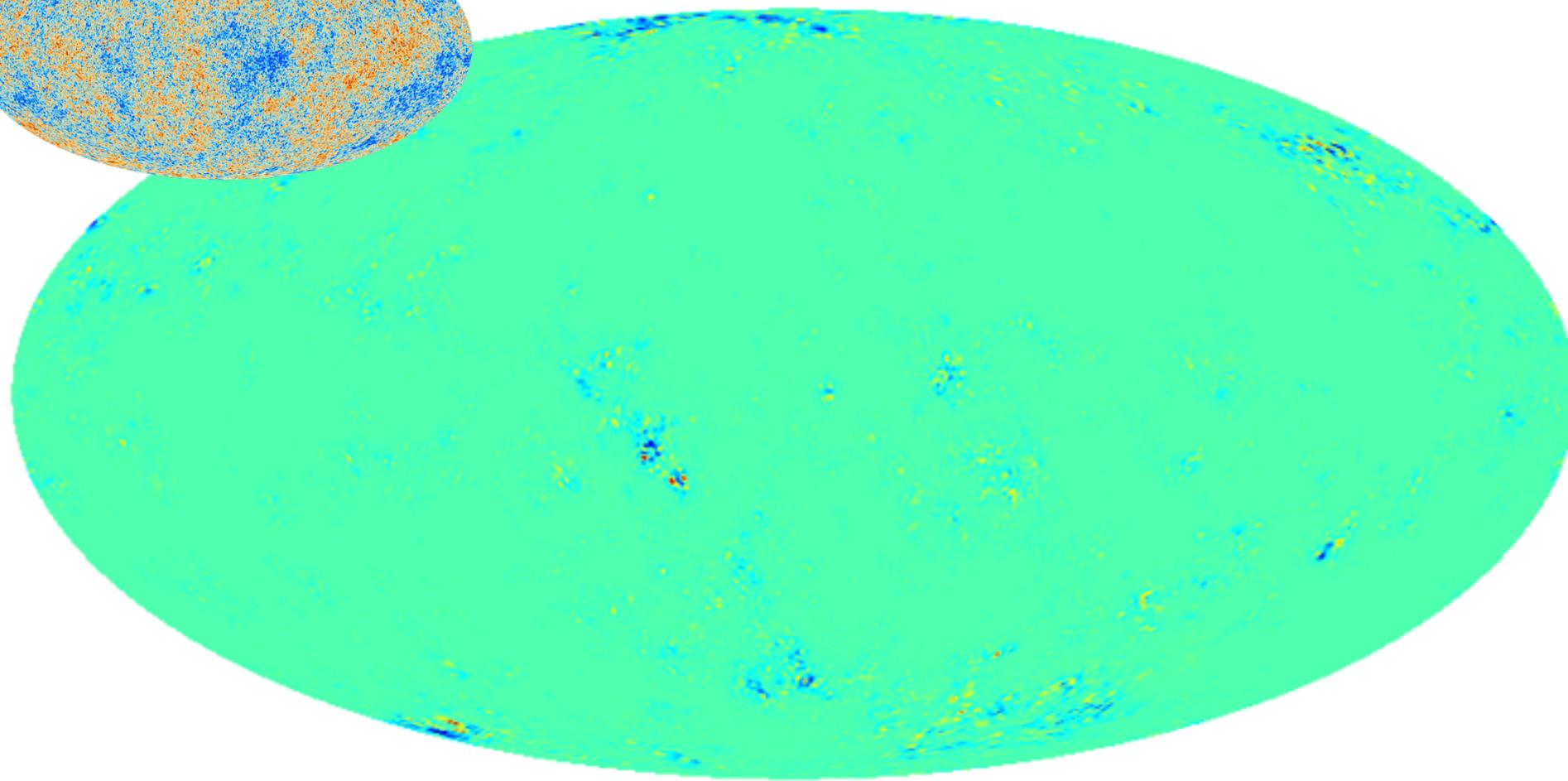
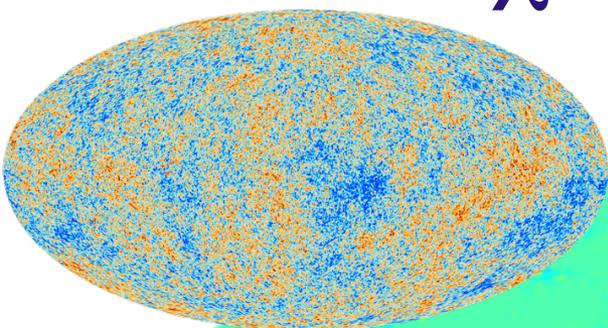


+8.911E-02

simulated sky with Gaussian inflaton-induced + **uncorrelated subdominant non-Gaussian isocon-modulated preheating**. Landscape-accessing super-horizon

control variable = $\chi > h \Rightarrow$ **super-bias, intermittent, extended source-like rare event tails**

Bond, Braden, Frolov, Huang14

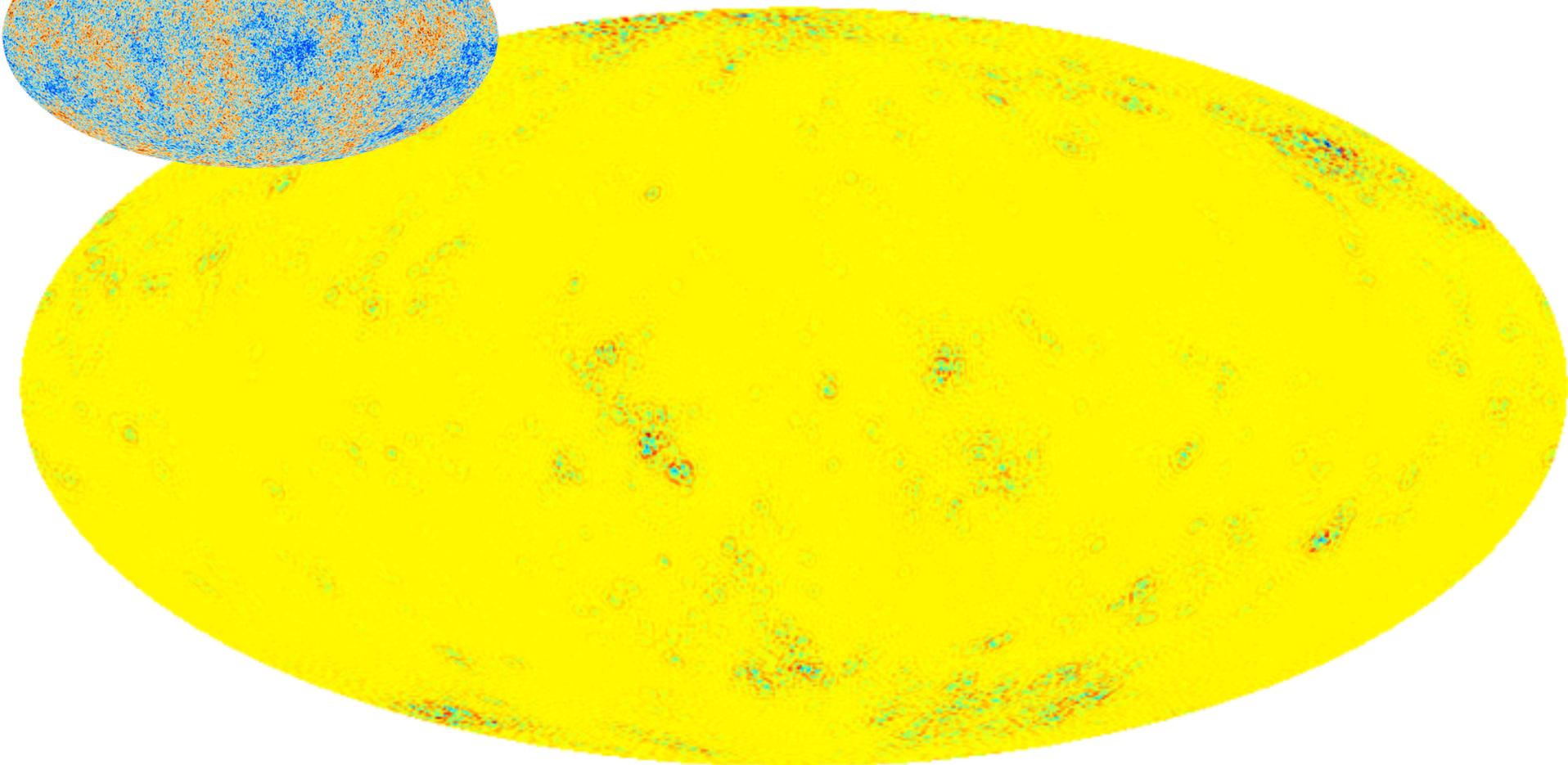
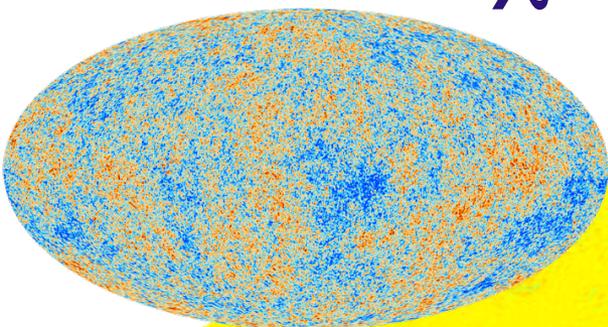


simulated sky with Gaussian inflaton-induced + **uncorrelated subdominant non-Gaussian isocon-modulated preheating**. Landscape-accessing super-horizon

control variable = $\chi > h \Rightarrow$ **super-bias, intermittent, extended source-like rare event tails**

Bond, Braden, Frolov, Huang14

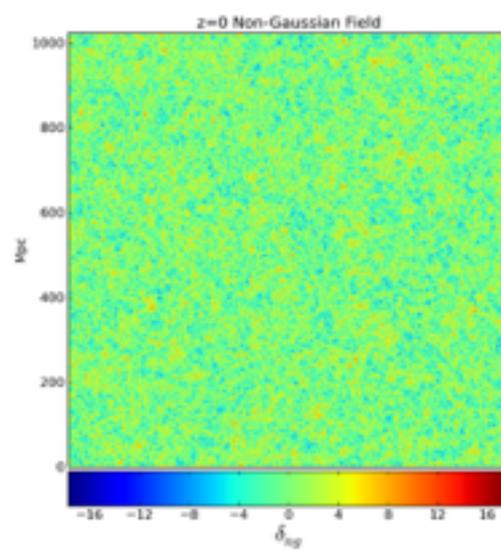
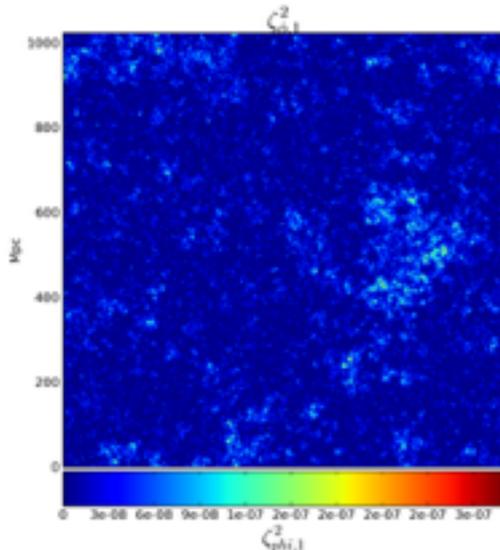
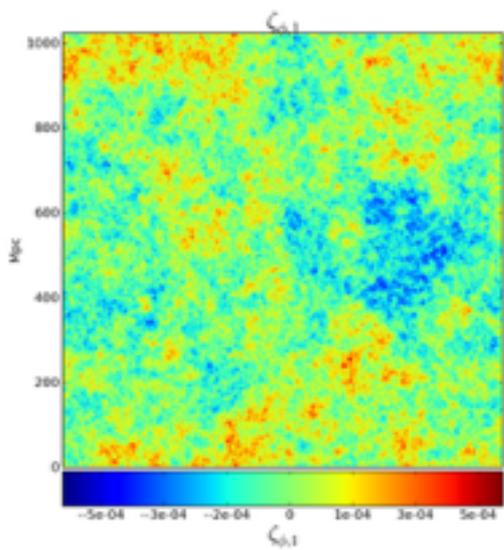
E (nK)



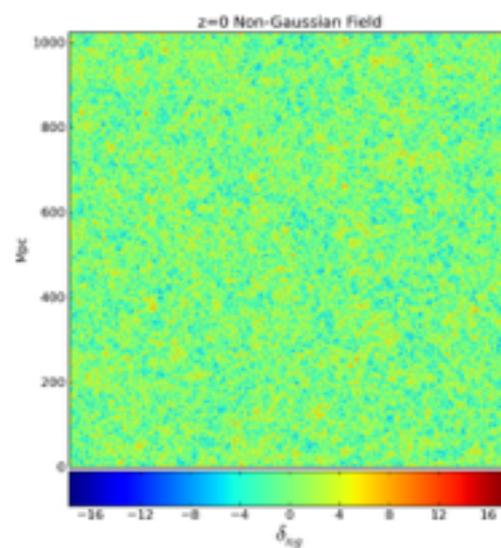
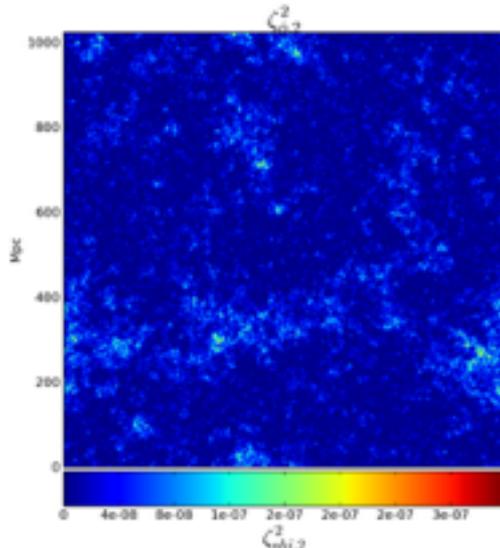
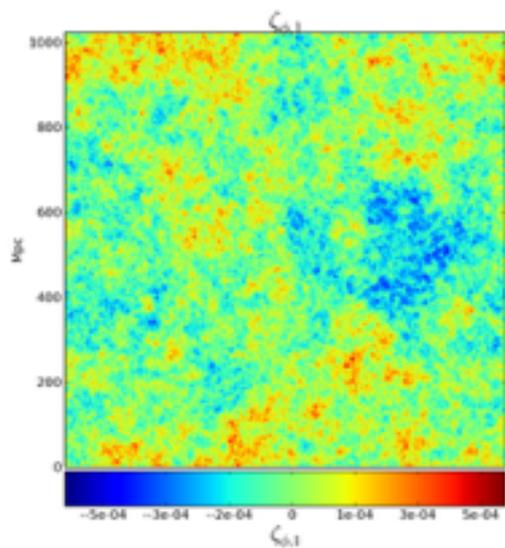
-0.243

+0.131

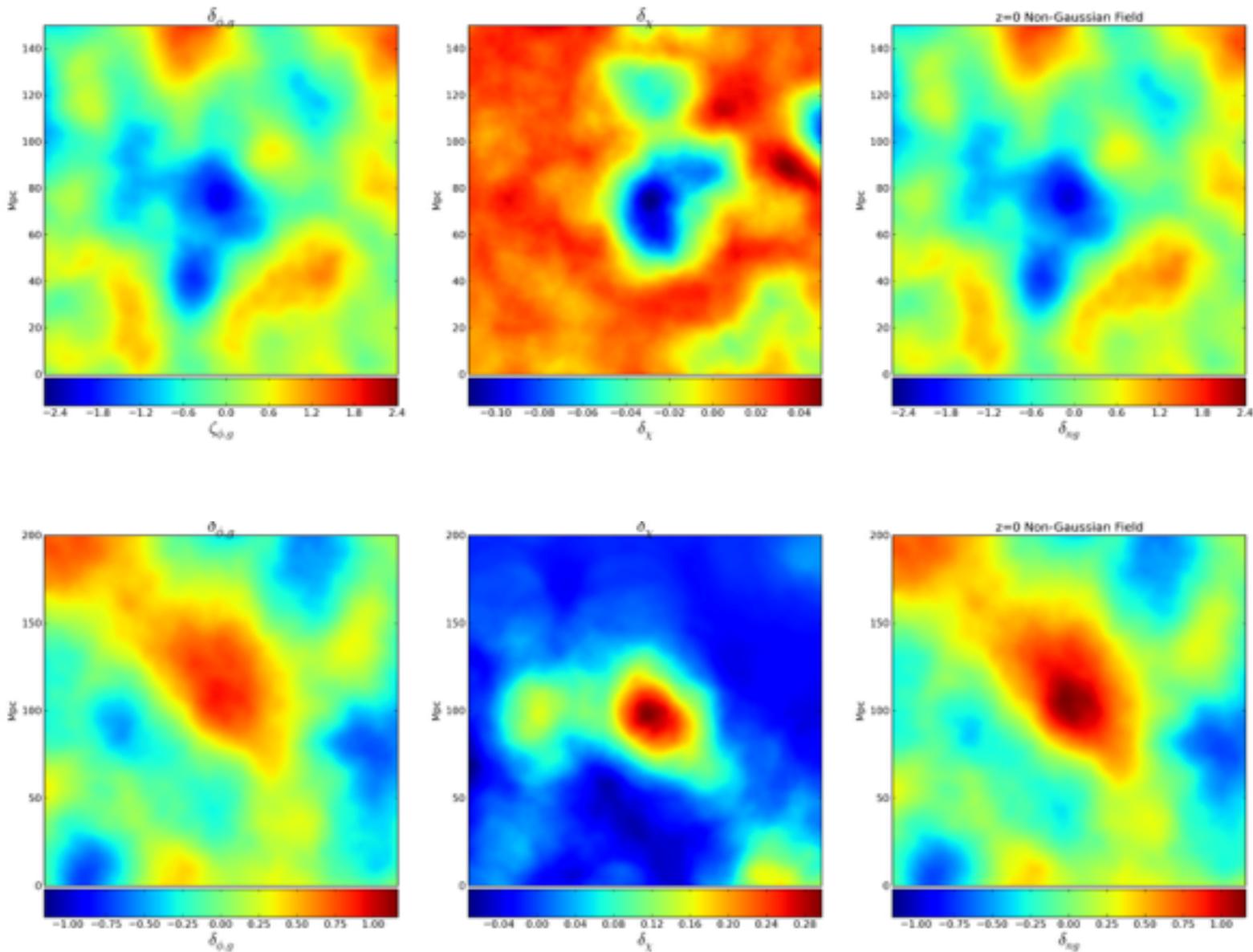
correlated zeta_inf^2



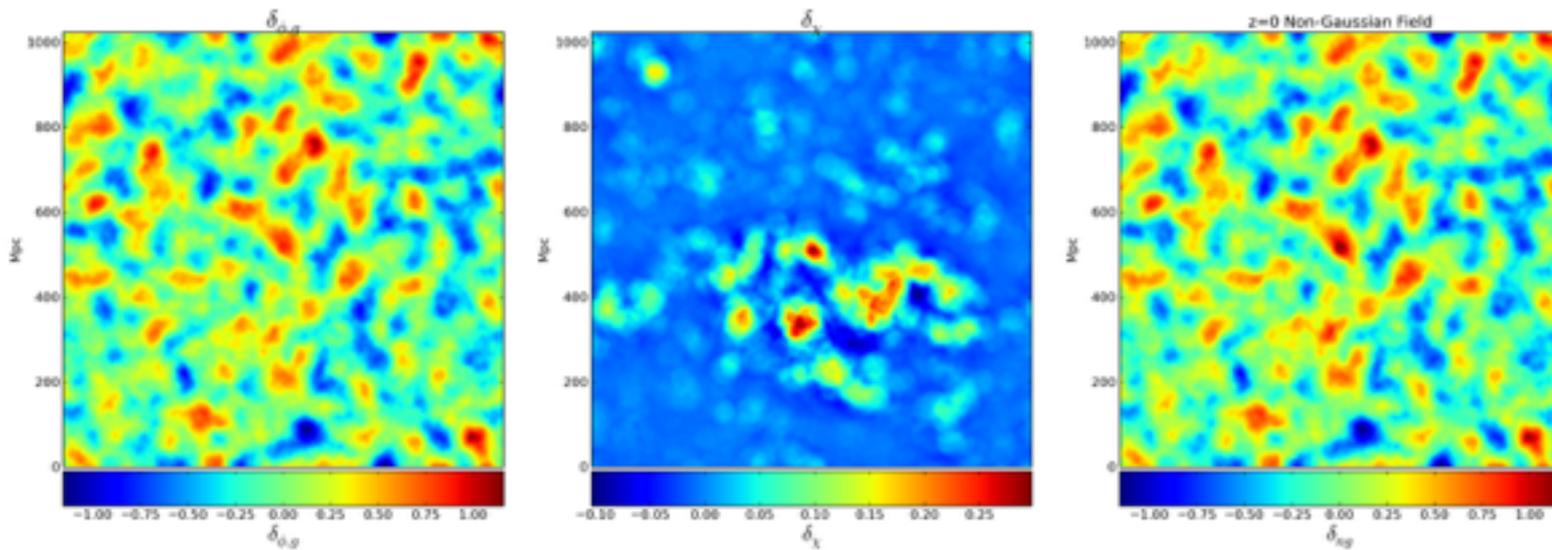
uncorrelated zeta_isoc^2



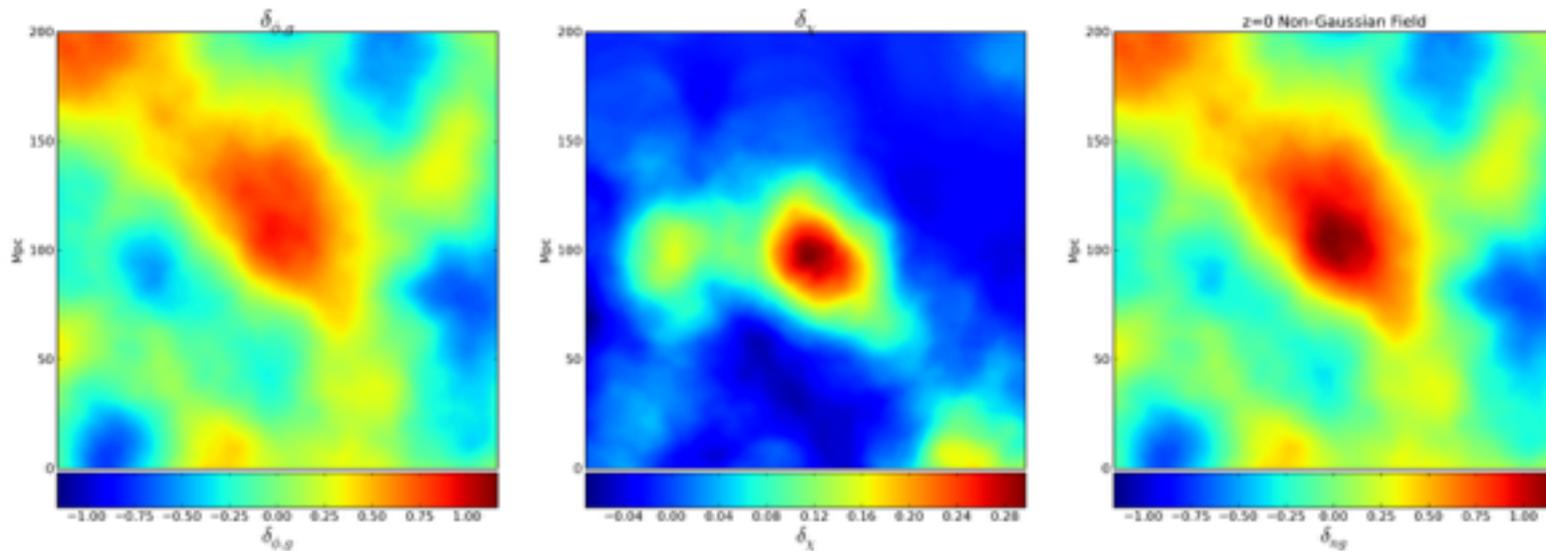
Chaotic Billiard Model Smoothed on $R=16\text{Mpc}$



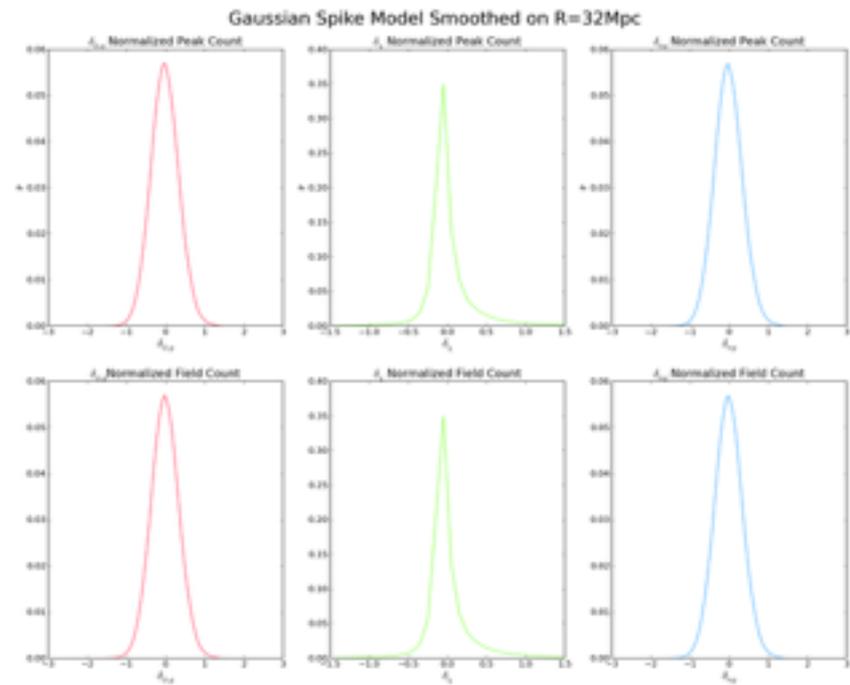
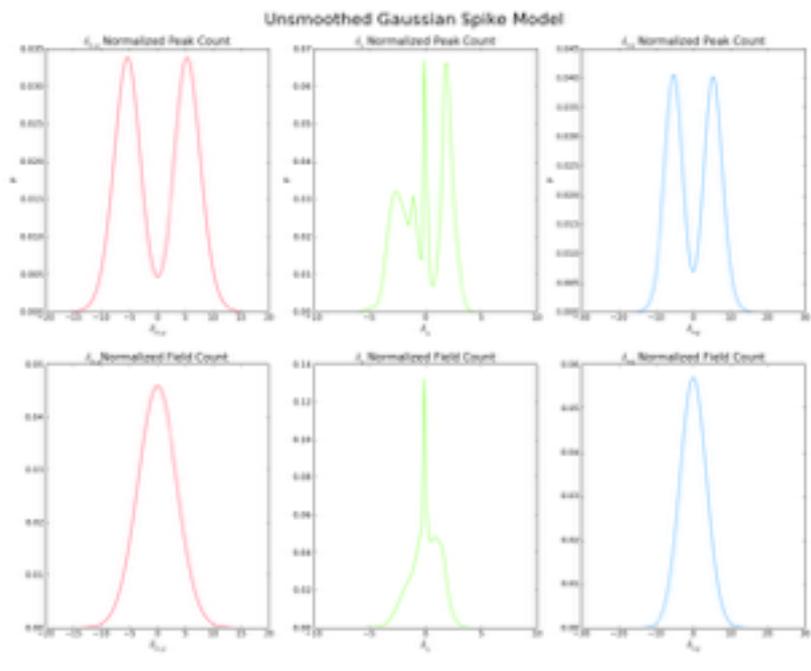
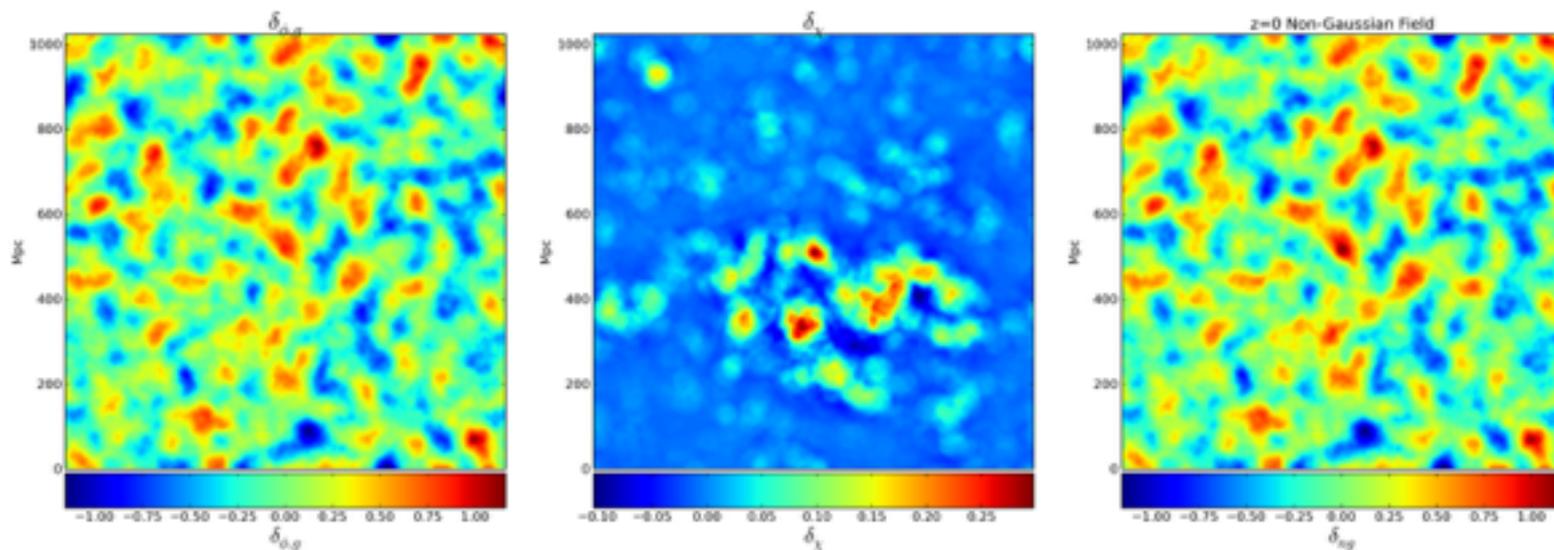
Gaussian Spike Model Smoothed on $R=32\text{Mpc}$

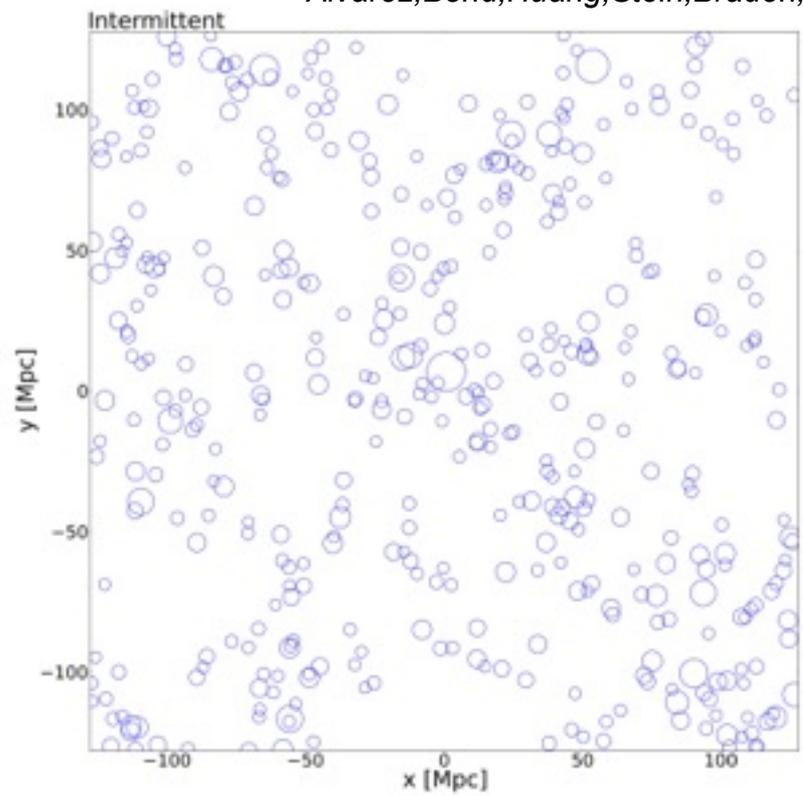
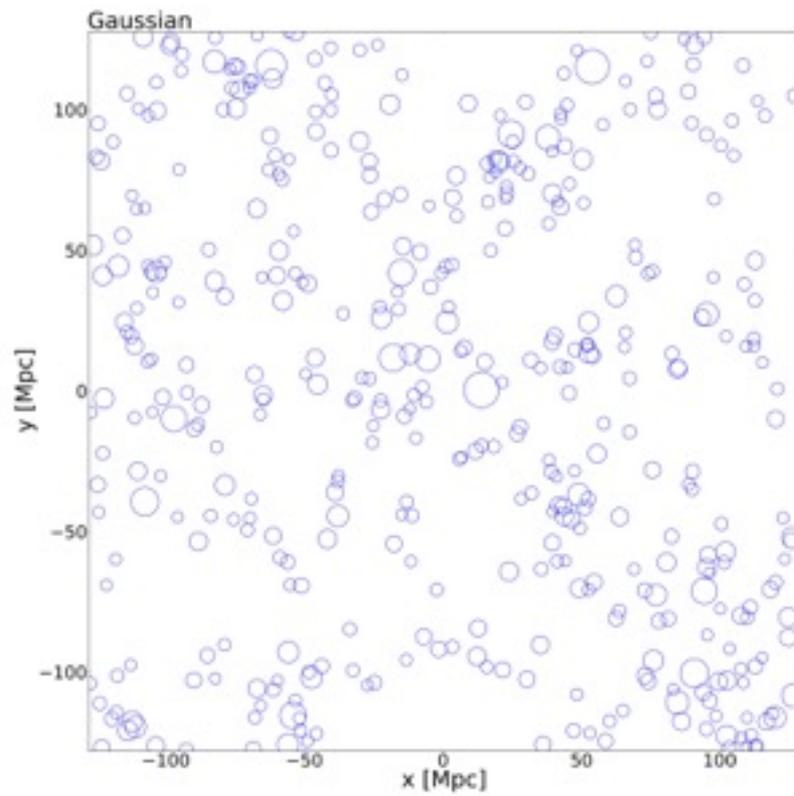


Gaussian Spike Model Smoothed on $R=32\text{Mpc}$

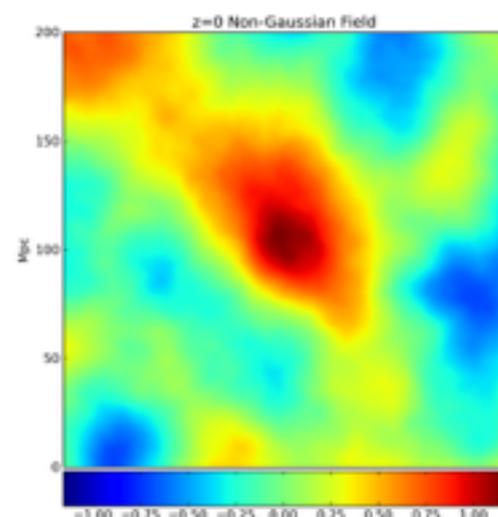
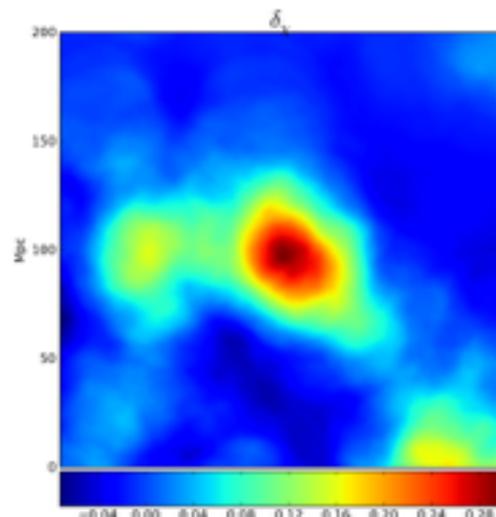
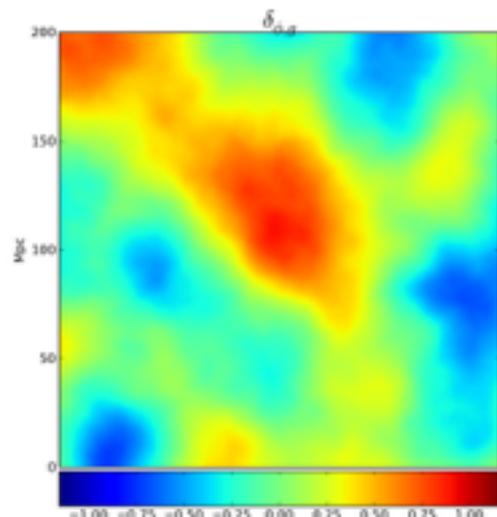


Gaussian Spike Model Smoothed on $R=32\text{Mpc}$





Gaussian spike model smoothed on $\kappa=25$ Mpc



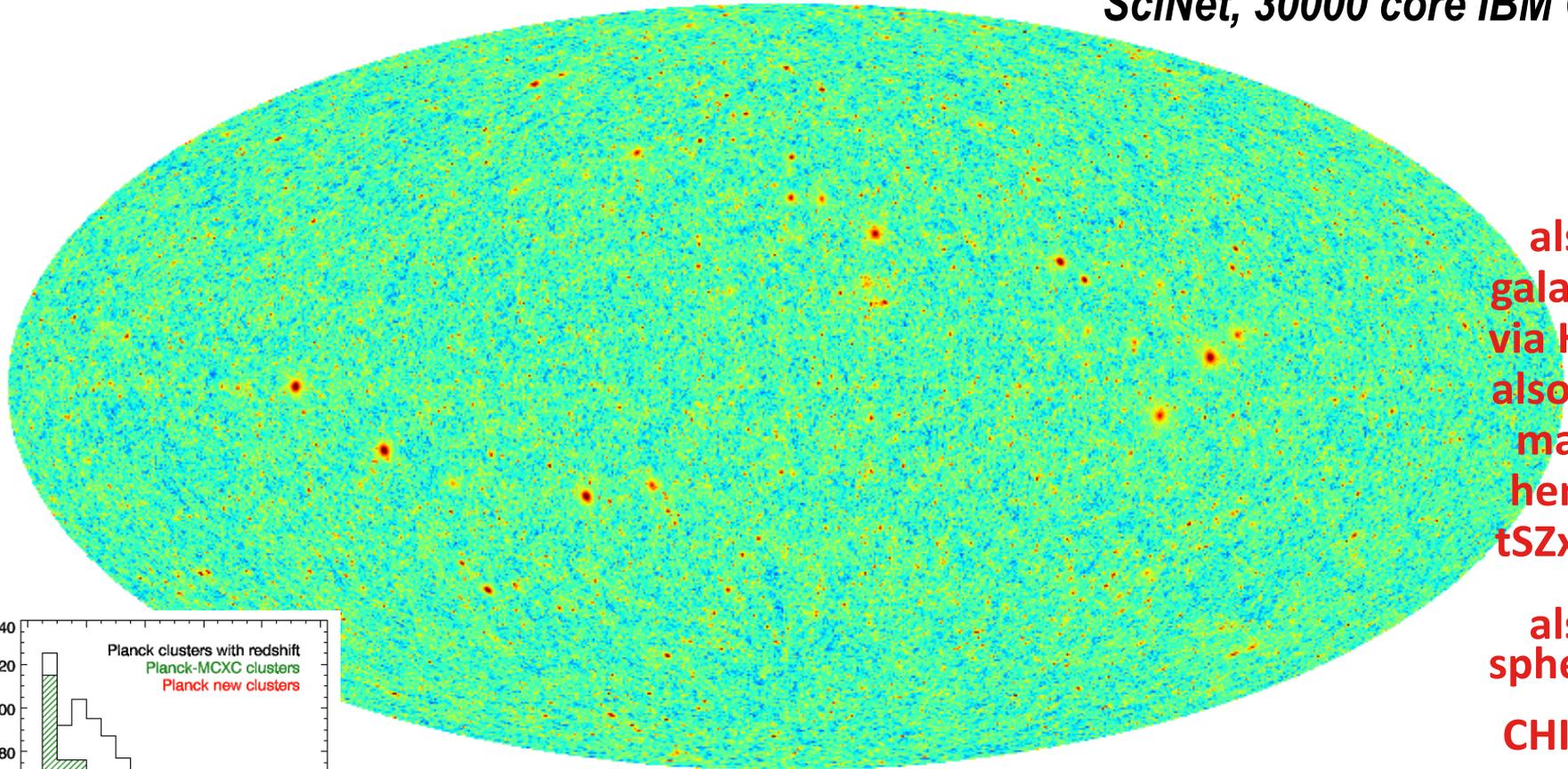
the Cosmic Web of Clusters, seen thru Compton cooling of high pressure electrons by the CMB

tSZ
effect

Lightcone Simulation of Clusters $> 1.5 \times 10^{13} M_{\text{sun}}$ to $z=1.3$ in projected pressure

Alvarez, Bond, Hajian, Stein, Battaglia, Emberson,..2014

~5 hours on 256 cores on
SciNet, 30000 core IBM GPC

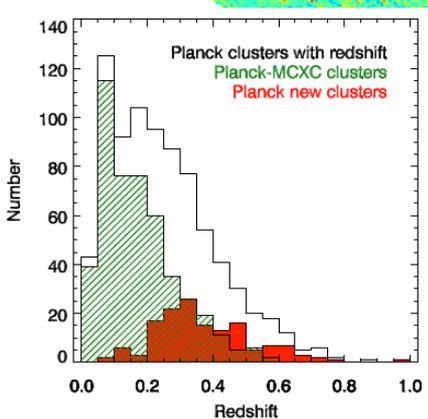


also
galaxies
via HOD
also CIB
maps
hence
tSZxCIB

also
sphereX

CHIME

COMA
mocks



how to characterize map errors? by SIMs
inhomogeneous, CIB contamination, ..

END

linear regime of
zero-modes:

$$\phi_0(t+T) = \phi_0(t)$$

$$\chi_0(t+T) =$$

$$\chi_0(t) \exp[\mu_0 T]$$

\Rightarrow *spikes are*

log χ_i spaced