



Is cosmic ray heating relevant in cool core clusters?

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in collaboration with

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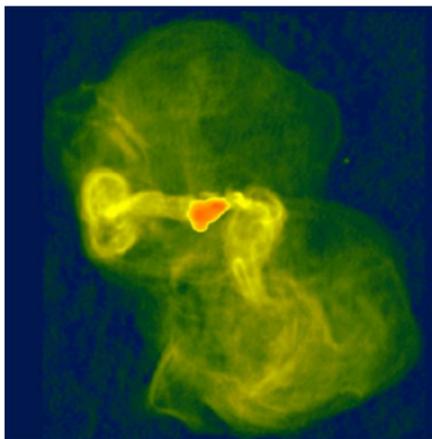
ICM 2016 Workshop, University of Minnesota, Aug 2016

Outline

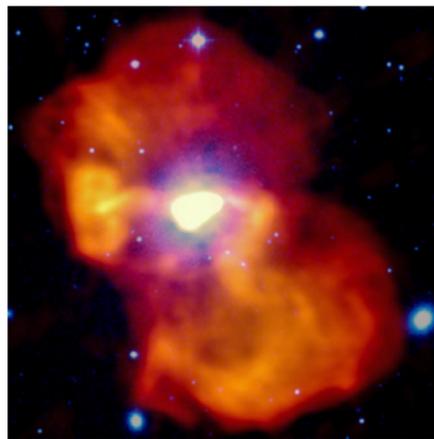
- 1 Cosmic ray feedback
 - Observations of M87
 - Cosmic ray heating
 - Local stability
- 2 Diversity of cool cores
 - Steady state solutions
 - Non-thermal emission
 - Simulations



Messier 87 at radio wavelengths



$\nu = 1.4$ GHz (Owen+ 2000)



$\nu = 140$ MHz (LOFAR/de Gasperin+ 2012)

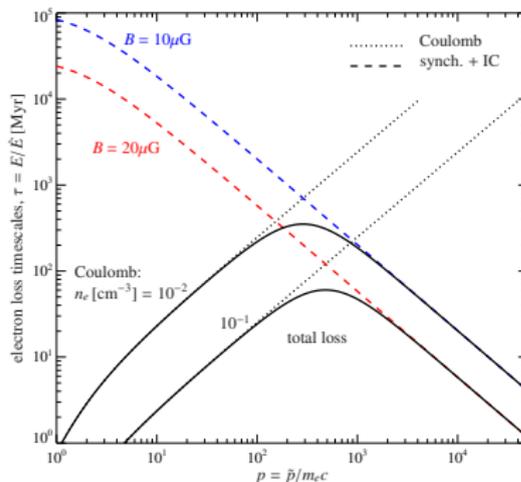
- high- ν : freshly accelerated CR electrons
low- ν : fossil CR electrons \rightarrow time-integrated AGN feedback!
- LOFAR: halo confined to same region at all frequencies and no low- ν spectral steepening \rightarrow puzzle of “missing fossil electrons”



Solution to the “missing fossil electrons” problem

solution:

- **Coulomb cooling removes fossil electrons**
→ efficient mixing of CR electrons and protons with dense cluster gas
→ predicts γ rays from CRp-p interactions:
 $p + p \rightarrow \pi^0 + \dots \rightarrow 2\gamma + \dots$

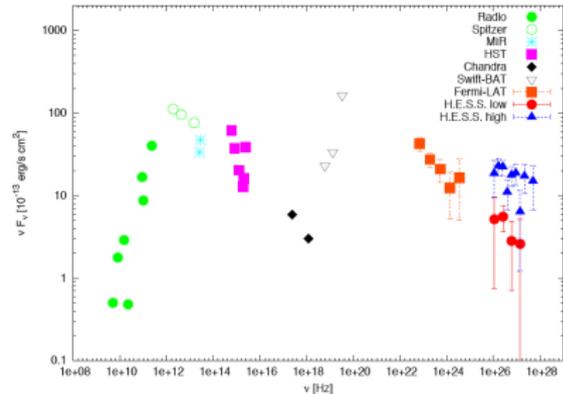


C.P. (2013)



The gamma-ray picture of M87

- **high state** is time variable
→ jet emission
- **low state:**
 - (1) steady flux
 - (2) γ -ray spectral index (2.2)
= CRp index
= CRe injection index as probed by LOFAR
 - (3) spatial extension is under investigation (?)



Rieger & Aharonian (2012)

→ **confirming this triad would be smoking gun for first γ -ray signal from a galaxy cluster!**



AGN feedback = cosmic ray heating (?)

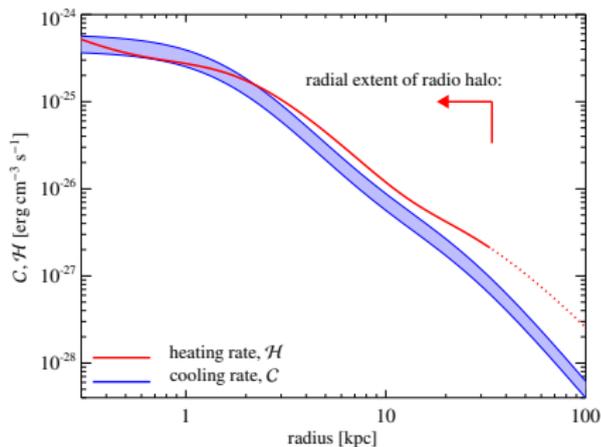
hypothesis: low state γ -ray emission traces π^0 decay within cluster

- cosmic rays excite Alfvén waves that dissipate the energy \rightarrow heating rate

$$\mathcal{H}_{\text{cr}} = |\mathbf{v}_A \cdot \nabla P_{\text{cr}}|$$

(Loewenstein+ 1991, Guo & Oh 2008, EnBlin+ 2011, Wiener+ 2013, C.P. 2013)

- calibrate P_{cr} to γ -ray emission and \mathbf{v}_A to radio/X-ray emission
 \rightarrow spatial heating profile

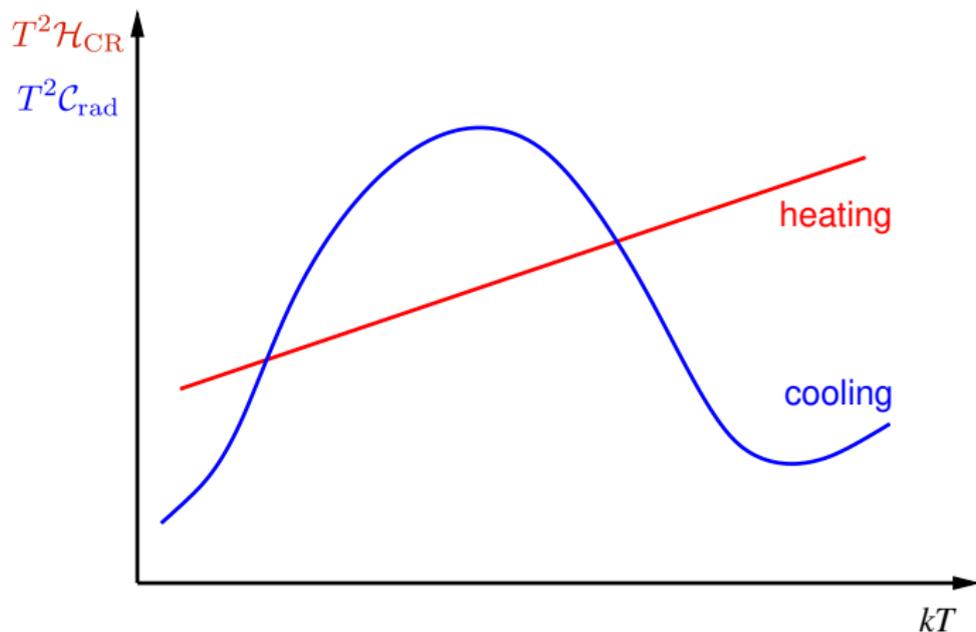


C.P. (2013)

\rightarrow cosmic-ray heating matches radiative cooling (observed in X-rays) and may solve the famous “cooling flow problem” in galaxy clusters!



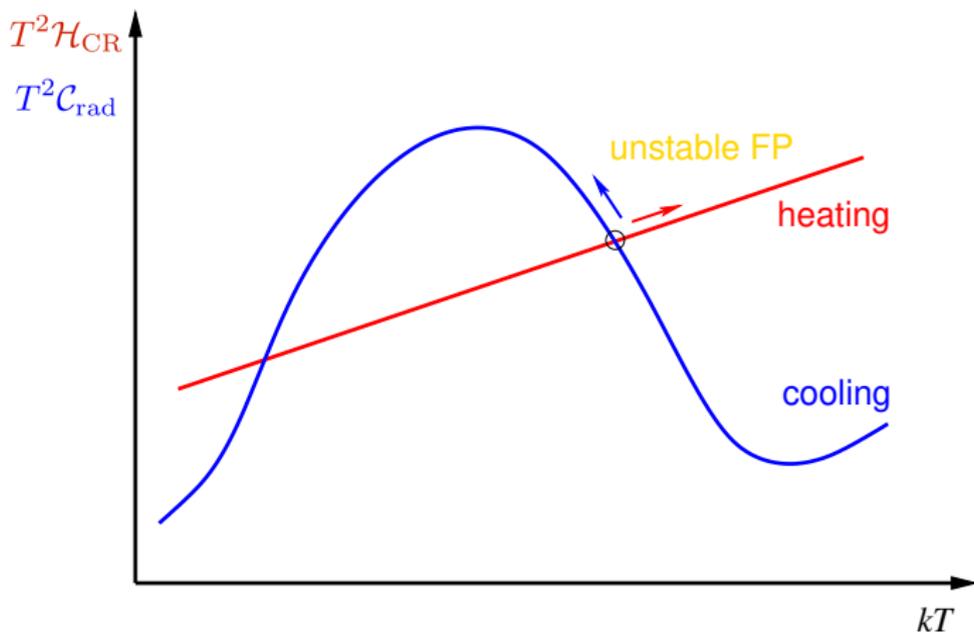
Local stability analysis (1)



- isobaric perturbations to global thermal equilibrium
- CRs are adiabatically trapped by perturbations



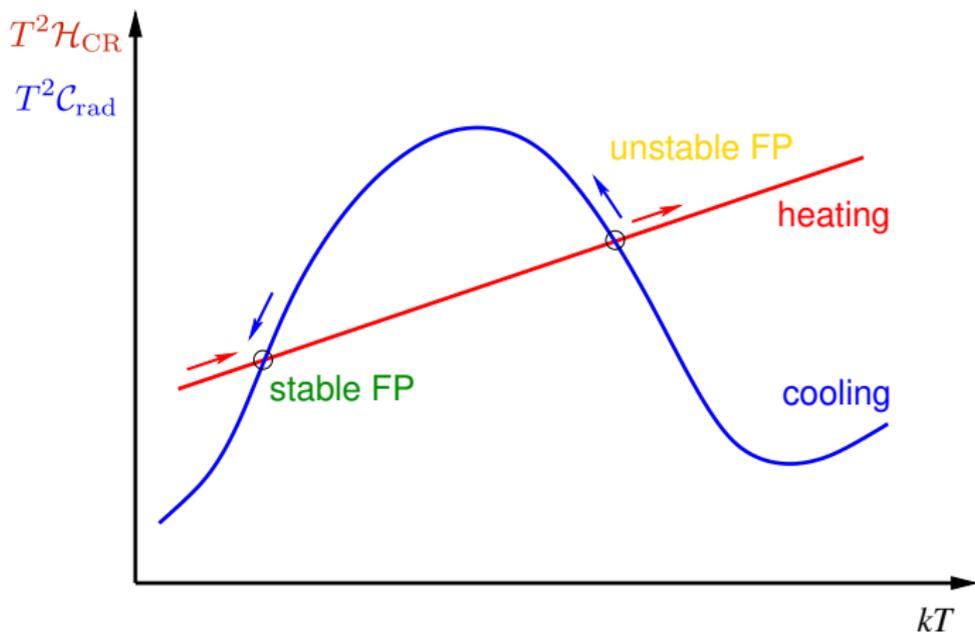
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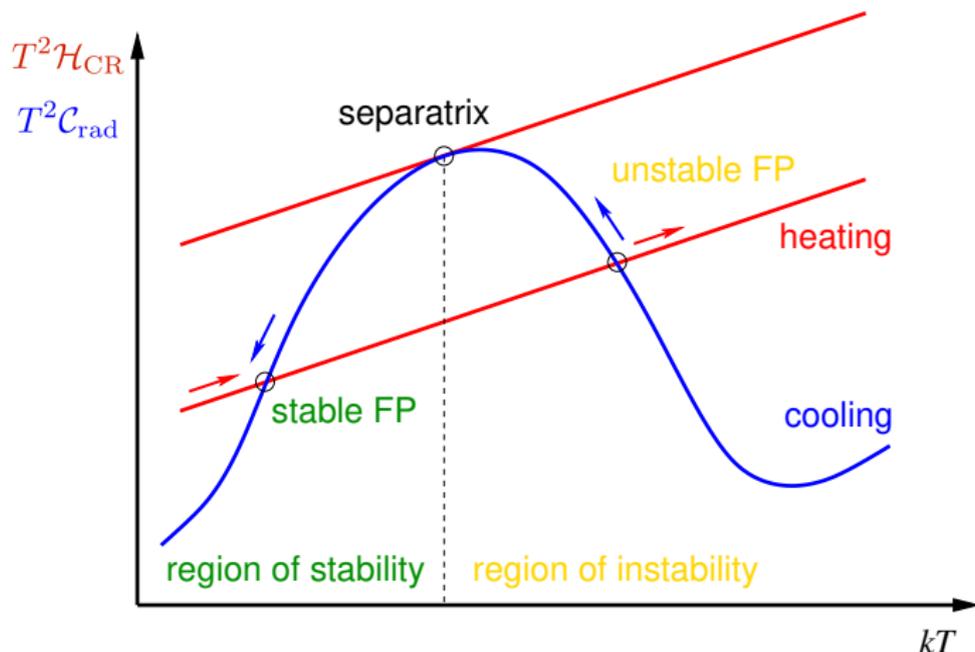
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Local stability analysis (1)

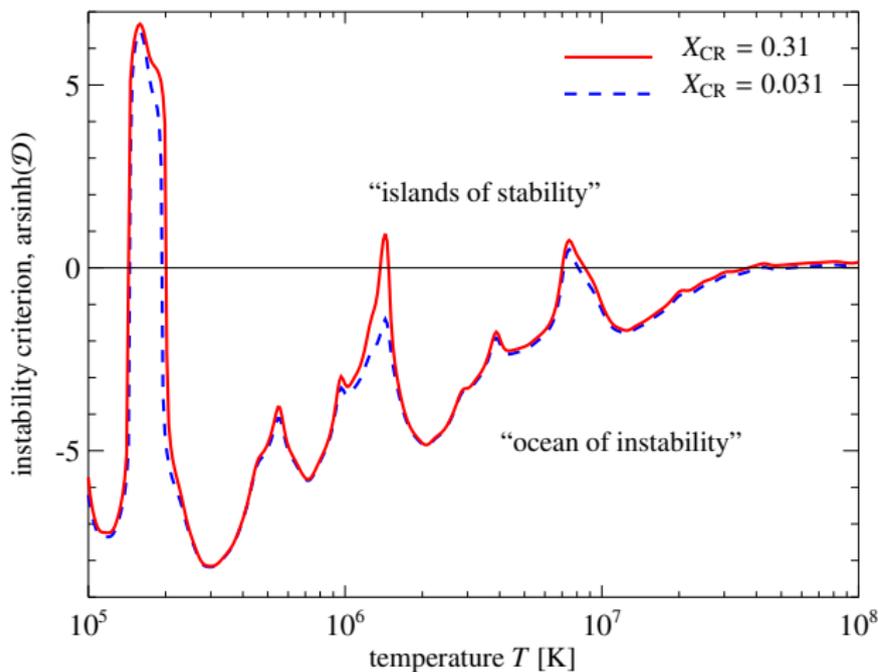


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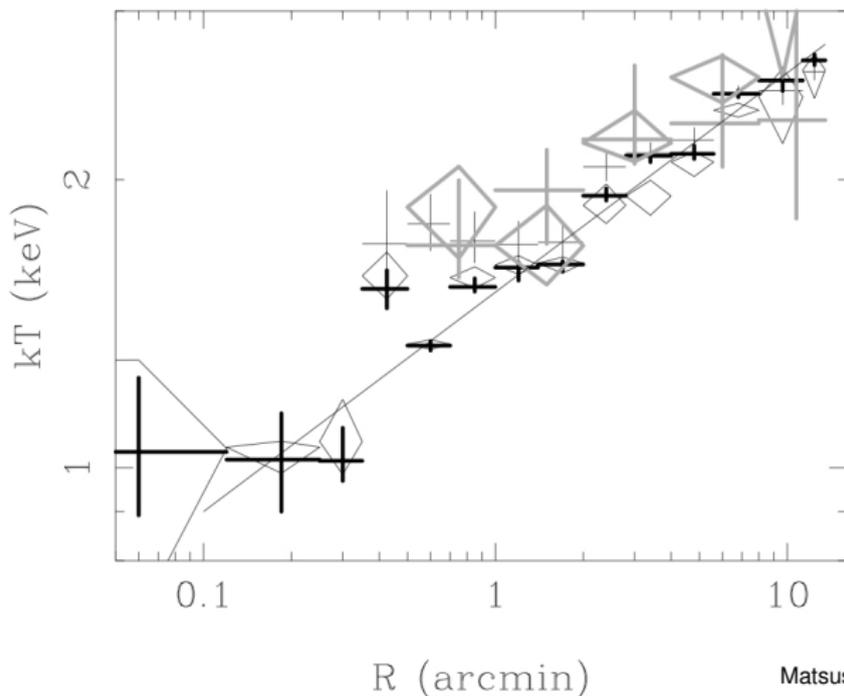
Local stability analysis (2)

Theory predicts observed temperature floor at $kT \simeq 1$ keV



Virgo cluster cooling flow: temperature profile

X-ray observations confirm temperature floor at $kT \simeq 1$ keV



How universal is CR heating in cool core clusters?

- no γ rays observed from other clusters $\rightarrow P_{\text{cr}}$ unconstrained
- **strategy:**
 - (1) construct large sample of 39 cool cores
 - (2) search for spherically symmetric, steady-state solutions:
 $\text{CR heating } (\mathcal{H}_{\text{cr}}) + \text{conductive heating } (\mathcal{H}_{\text{th}}) \approx \text{cooling } (\mathcal{C}_{\text{rad}})$
 - (3) calculate hadronic radio and γ -ray flux \mathcal{F}_{had} and compare to observed fluxes \mathcal{F}_{obs}
- **consequences:**
 - \Rightarrow if $\mathcal{H}_{\text{cr}} + \mathcal{H}_{\text{th}} \approx \mathcal{C}_{\text{rad}} \forall r$ and $\mathcal{F}_{\text{had}} \leq \mathcal{F}_{\text{obs}}$:
successful CR heating model that is locally stable at 1 keV
 - \Rightarrow otherwise **CR heating ruled out** as dominant heating source

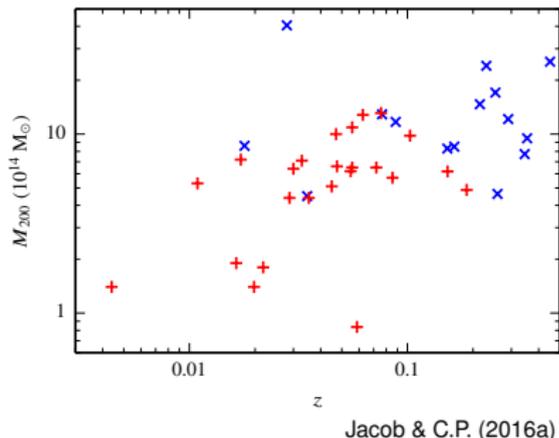


Sample selection

select 39 cool cores (CCs):

- **brightest 23 CCs** from X-ray flux-limited sample (HIFLUGCS) that are also in ACCEPT
- 10 high-resolution Chandra data (Vikhlinin+ 2006)
- 15 clusters with **radio-mini halos (RMHs)** (Giacintucci+ 2014)
- add Virgo + A2597

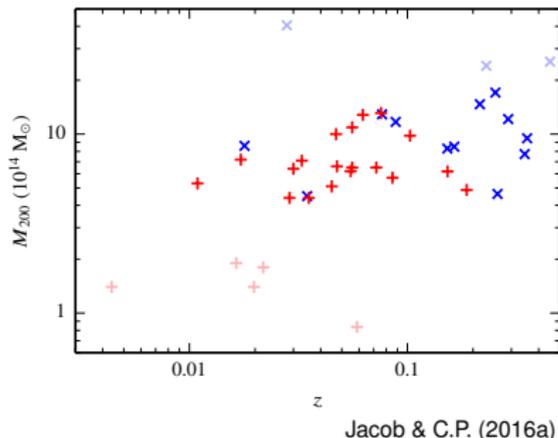
⇒ RMH clusters show selection bias towards high- z and being more massive (fixed surface brightness limit)



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- ⇒ RMH clusters show selection bias towards high- z and being more massive (fixed surface brightness limit)
- ⇒ study **sub-sample that is unbiased in M_{200}** and **entire sample**



Governing equations

- conservation of mass, momentum, thermal and CR energy:

$$\frac{d\rho}{dt} + \rho \nabla \cdot \mathbf{v} = 0$$

$$\rho \frac{d\mathbf{v}}{dt} = -\nabla (P_{\text{th}} + P_{\text{cr}}) - \rho \nabla \phi$$

$$\frac{de_{\text{th}}}{dt} + \gamma_{\text{th}} \mathbf{e}_{\text{th}} \nabla \cdot \mathbf{v} = -\nabla \cdot \mathbf{F}_{\text{th}} + \mathcal{H}_{\text{cr}} - \rho \mathcal{L}$$

$$\frac{de_{\text{cr}}}{dt} + \gamma_{\text{cr}} \mathbf{e}_{\text{cr}} \nabla \cdot \mathbf{v} = -\nabla \cdot \mathbf{F}_{\text{cr}} - \mathcal{H}_{\text{cr}} + S_{\text{cr}}$$

- Lagrangian derivative $d/dt = \partial/\partial t + \mathbf{v} \cdot \nabla$
- equations of state:

$$P_{\text{th}} = (\gamma_{\text{th}} - 1) e_{\text{th}}$$

$$P_{\text{cr}} = (\gamma_{\text{cr}} - 1) e_{\text{cr}}$$



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$$\frac{de_{\text{cr}}}{dt} + \gamma_{\text{cr}} e_{\text{cr}} \nabla \cdot \mathbf{v} = -\nabla \cdot \mathbf{F}_{\text{cr}} - \mathcal{H}_{\text{cr}} + \mathcal{S}_{\text{cr}}$$

- gravitational potential $\phi = -\frac{GM_s}{r} \ln\left(1 + \frac{r}{r_s}\right) + v_c^2 \ln\left(\frac{r}{r_0}\right)$

- radiative cooling $\rho \mathcal{L} = n_e^2 (\Lambda_l + \Lambda_b T^{1/2})$

- CR source $\mathcal{S}_{\text{cr}} = -\frac{\nu \epsilon_{\text{cr}} \dot{M} c^2}{4\pi r_{\text{cr}}^3} \left(\frac{r}{r_{\text{cr}}}\right)^{-3-\nu} \left(1 - e^{-(r/r_{\text{cr}})^2}\right)$



Governing equations

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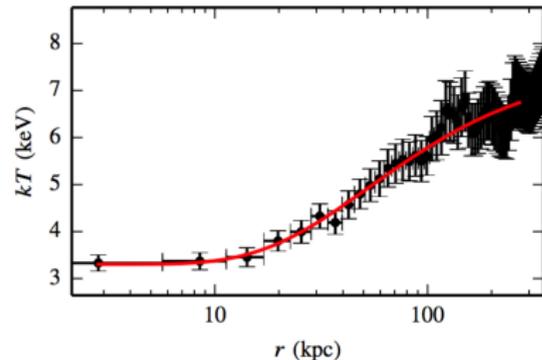
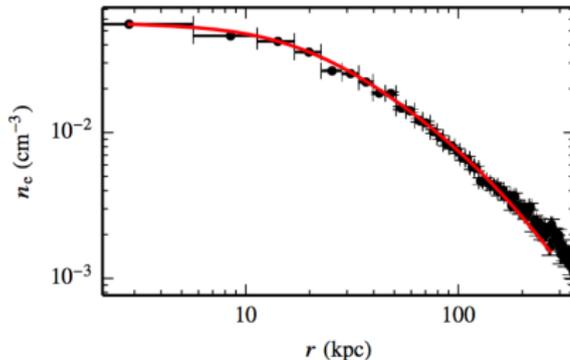
$$\frac{de_{\text{th}}}{dt} + \gamma_{\text{th}} e_{\text{th}} \nabla \cdot \mathbf{v} = -\nabla \cdot \mathbf{F}_{\text{th}} + \mathcal{H}_{\text{cr}} - \rho \mathcal{L}$$

$$\frac{de_{\text{cr}}}{dt} + \gamma_{\text{cr}} e_{\text{cr}} \nabla \cdot \mathbf{v} = -\nabla \cdot \mathbf{F}_{\text{cr}} - \mathcal{H}_{\text{cr}} + S_{\text{cr}}$$

- thermal heat flux $\mathbf{F}_{\text{th}} = -\kappa \nabla T$
- CR streaming flux $\mathbf{F}_{\text{cr}} = (e_{\text{cr}} + P_{\text{cr}}) \mathbf{v}_{\text{st}}$ with $\mathbf{v}_{\text{st}} = -v_A \frac{\nabla P_{\text{cr}}}{|\nabla P_{\text{cr}}|}$
- CR heating rate $\mathcal{H}_{\text{cr}} = -\mathbf{v}_{\text{st}} \cdot \nabla P_{\text{cr}}$



Case study A1795: density and temperature



Jacob & C.P. (2016a)

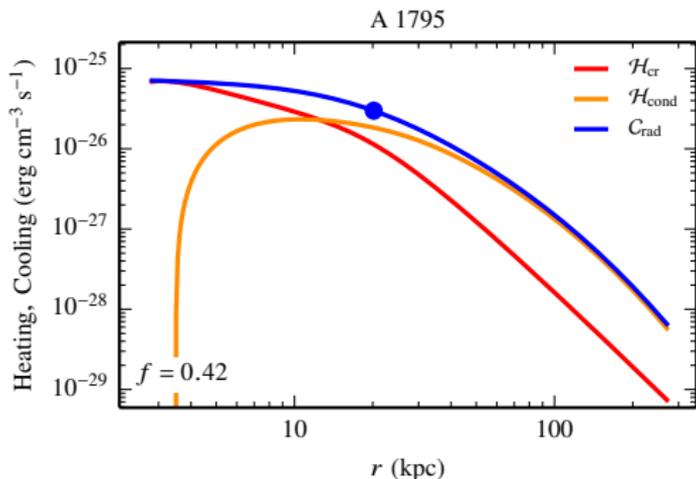
- beautiful match of steady-state solutions to observed profiles
- pure NFW mass profile in A1795

Note: 3D model vs. projected 2D kT profiles

Wish to X-ray community: update ACCEPT + include 3D kT profiles



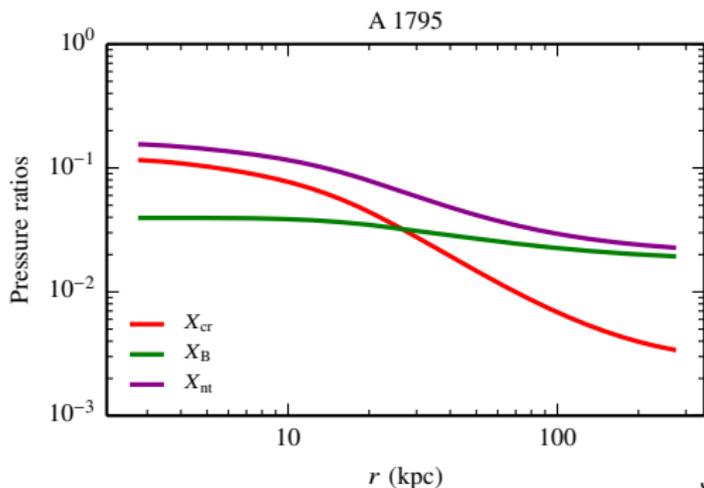
Case study A1795: heating and cooling



Jacob & C.P. (2016a)

- CR heating dominates in the center
- conductive heating takes over at larger radii, $\kappa = 0.42\kappa_{\text{Sp}}$
- $\mathcal{H}_{\text{cr}} + \mathcal{H}_{\text{th}} \approx C_{\text{rad}}$: modest mass deposition rate of $1 M_{\odot} \text{yr}^{-1}$



Case study A1795: CR and B pressure ratios

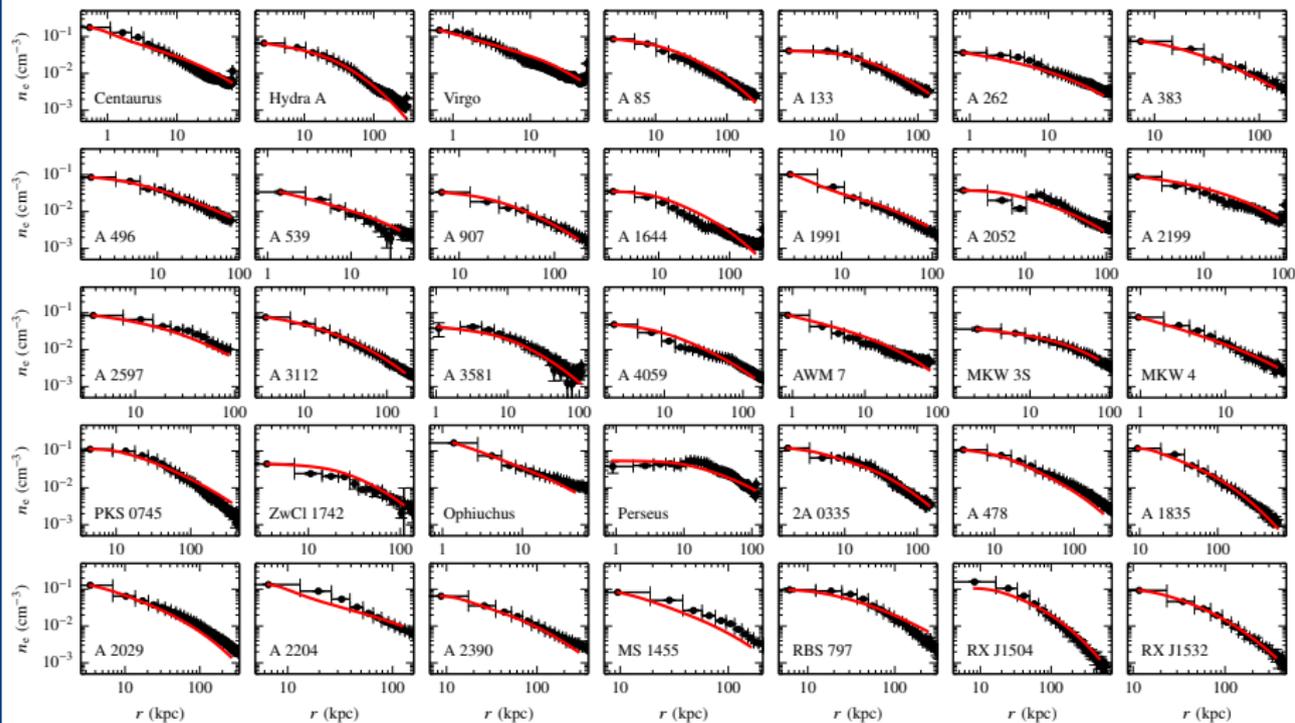
Jacob & C.P. (2016a)

- define $X_{\text{cr}} = P_{\text{cr}}/P_{\text{th}}$, $X_{\text{B}} = P_{\text{B}}/P_{\text{th}}$, $X_{\text{nt}} = P_{\text{nt}}/P_{\text{th}}$
- $X_{\text{cr}} \approx \text{const.}$ in center: $\Delta \epsilon_{\text{th}} = -\tau_{\text{A}} \mathbf{v}_{\text{st}} \cdot \nabla P_{\text{cr}} \approx P_{\text{cr}} = X_{\text{cr}} P_{\text{th}}$
- adopt B model from Faraday rotation studies:

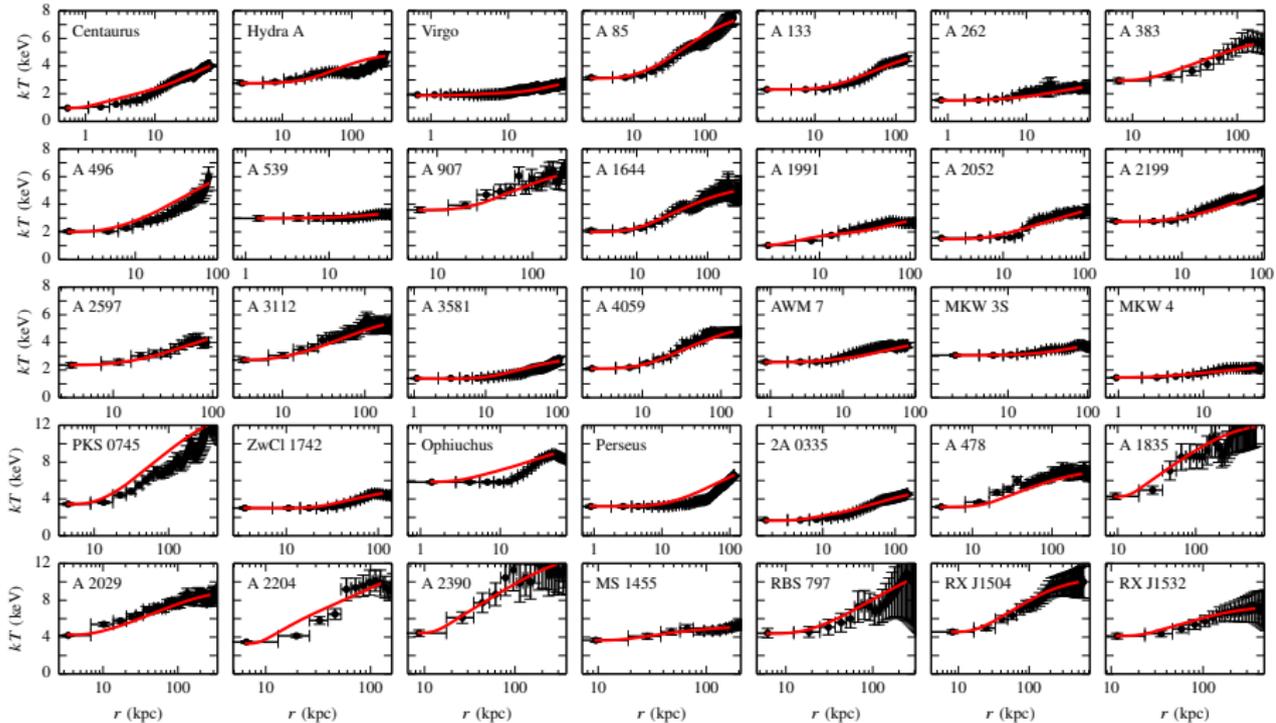
$$B = 10 \mu\text{G} \times (n/0.01 \text{ cm}^{-3})^{0.5}$$



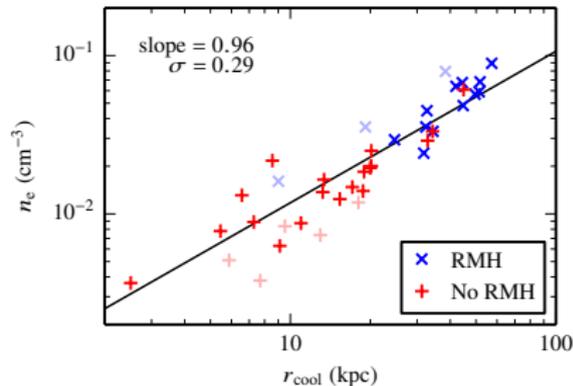
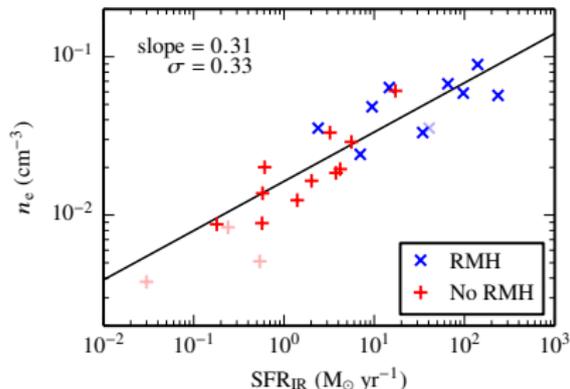
Gallery of solutions: density profiles



Gallery of solutions: temperature profiles



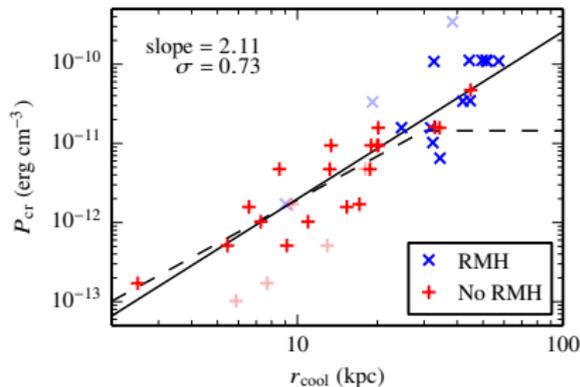
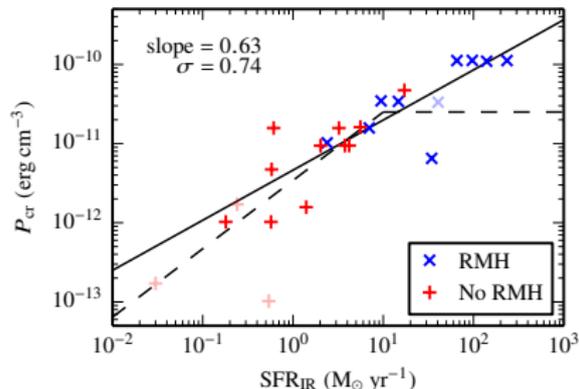
Steady state solutions: density correlations



Jacob & C.P. (2016b)

- tight correlation of gas density n_e (30 kpc) with SFR and with 1 Gyr cooling radius
- RMH clusters are on average denser, show larger SFRs and cooling radii

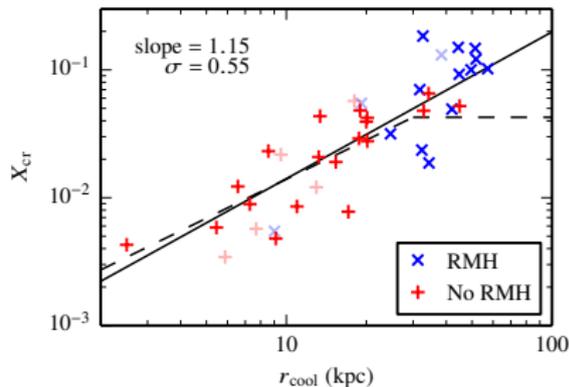
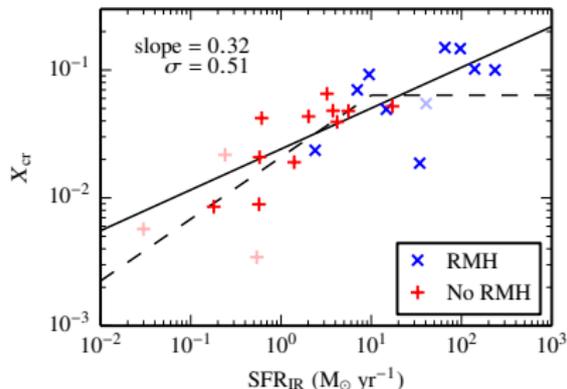


Steady state solutions: P_{cr} correlations

Jacob & C.P. (2016b)

- strong correlation of CR pressure P_{cr} with SFR and r_{cool}
- **strongly cooling RMH clusters require larger CR heating rates, $\mathcal{H}_{\text{cr}} \propto P_{\text{cr}}$, and thus CR pressure values to balance cooling**
- P_{cr} correlations significantly steeper than n_e correlations



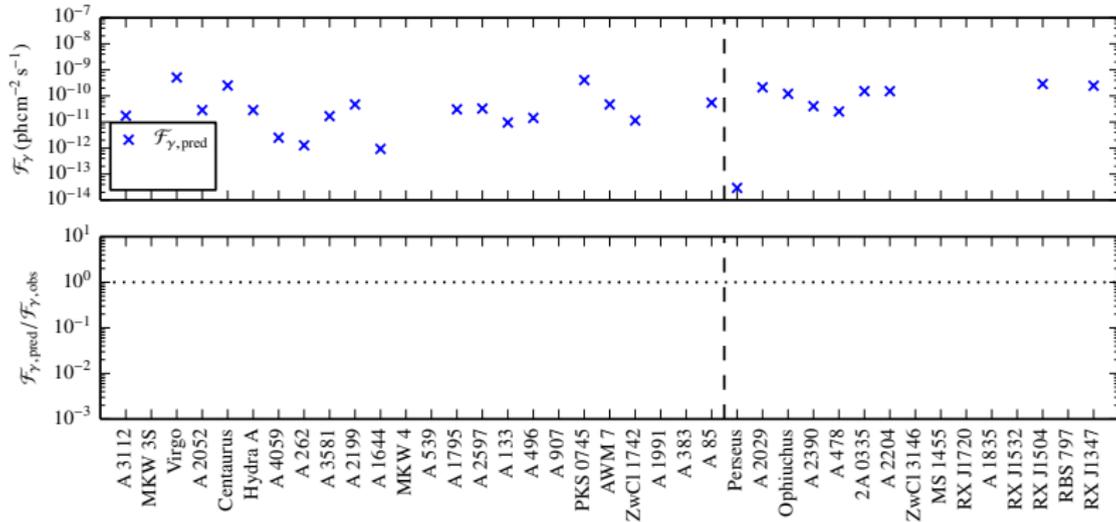
Steady state solutions: X_{cr} correlations

Jacob & C.P. (2016b)

- remainder made up by correlation of CR-to-thermal pressure ratio $X_{\text{cr}} = P_{\text{cr}}/(nkT)$ with SFR and r_{cool}
- **strongly cooling RMH clusters require not only larger P_{cr} but also larger X_{cr} to balance cooling**



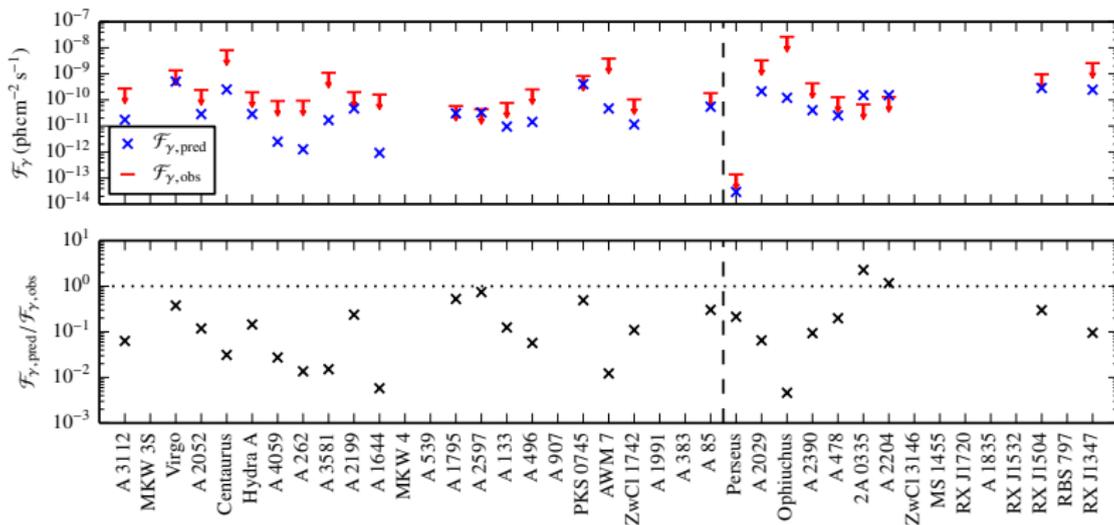
Hadronic gamma-ray emission



Jacob & C.P. (2016b)



Hadronic gamma-ray emission: observational limits

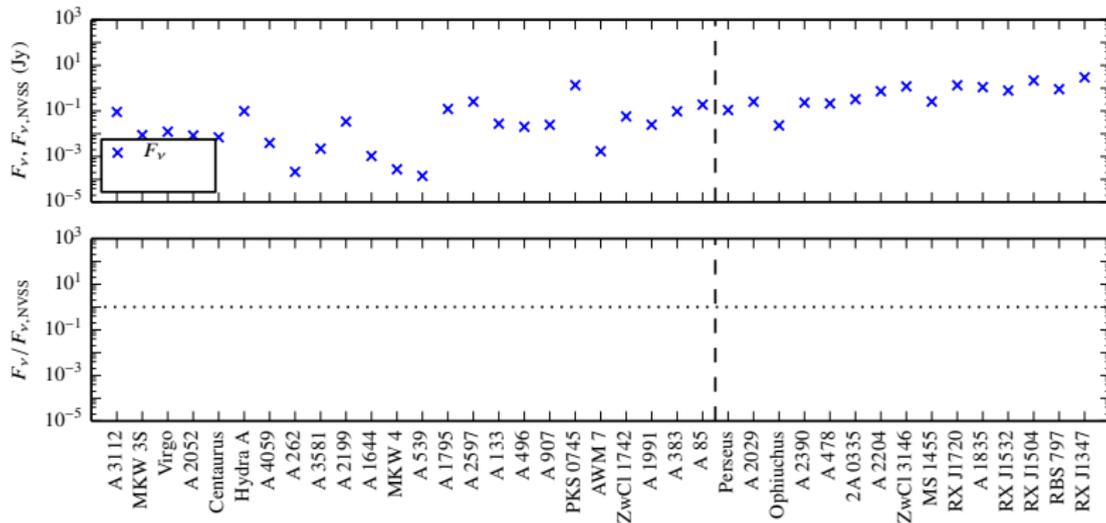


Jacob & C.P. (2016b)

- predictions close to observational limits
- sensitivity not sufficient to be constraining



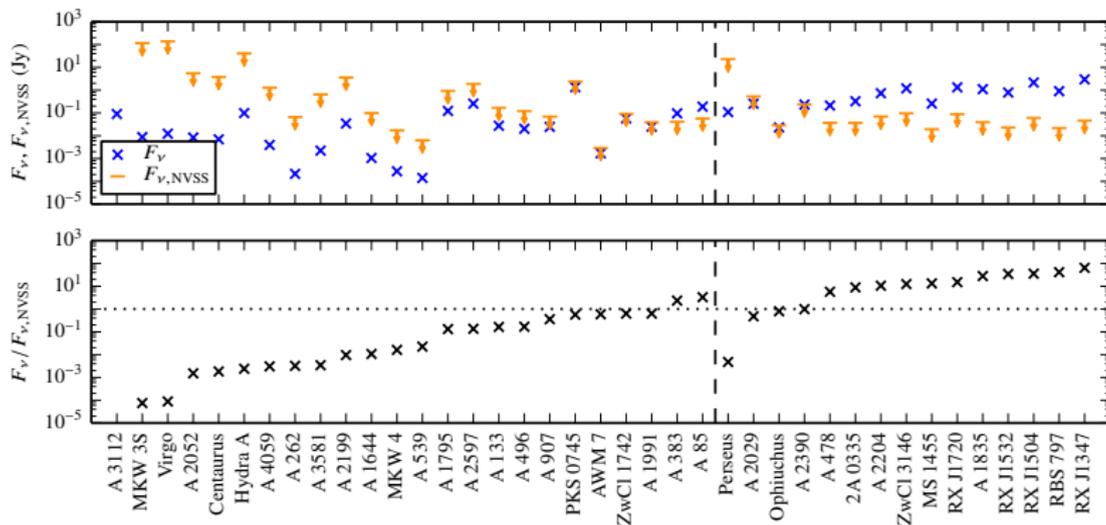
Hadronically induced radio emission



Jacob & C.P. (2016b)



Hadronically induced radio emission: NVSS limits

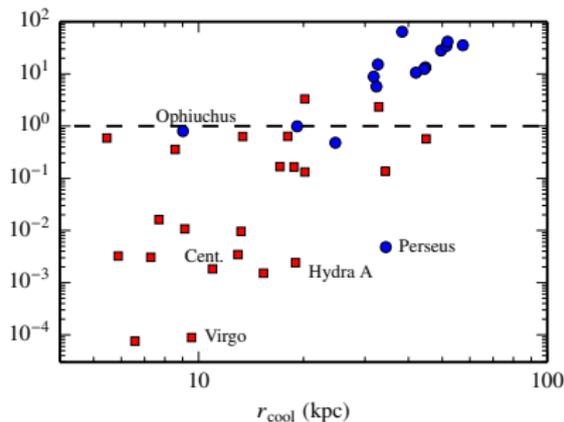
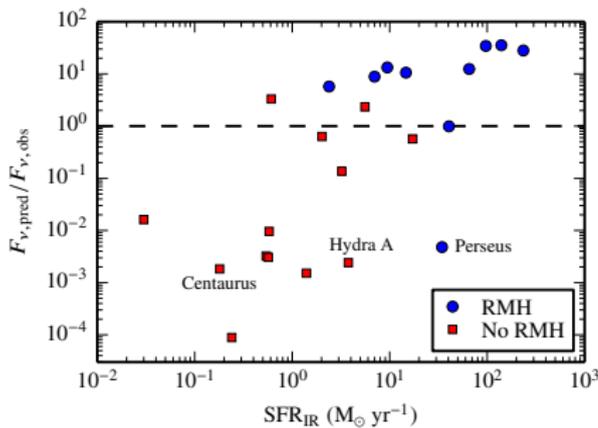


Jacob & C.P. (2016b)

- continuous sequence in $F_{\nu,pred}/F_{\nu,NVSS}$
- CR heating solution ruled out in radio mini halos
- CR heating viable solution for non-RMH clusters



Self-regulated heating/cooling cycle in cool cores



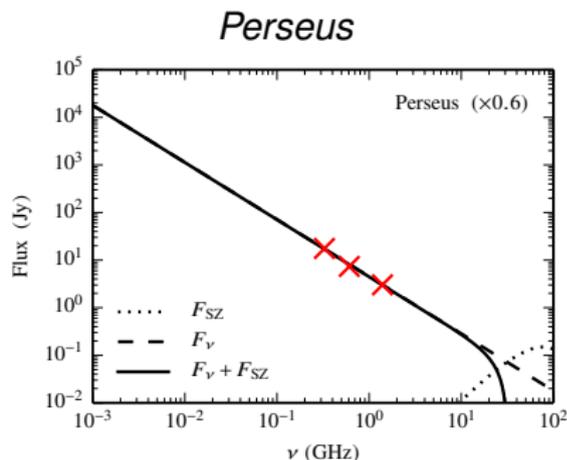
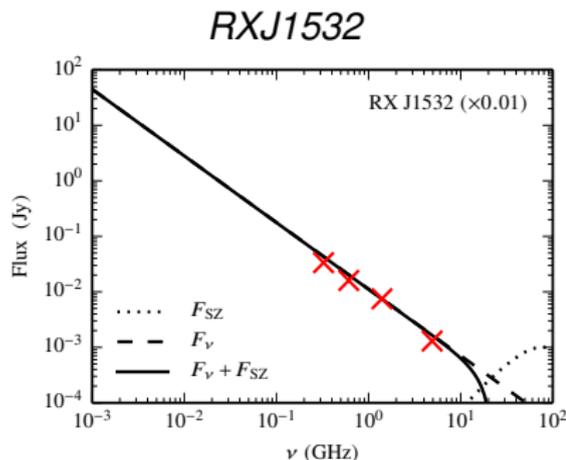
Jacob & C.P. (2016b)

possibly CR-heated cool cores vs. radio mini halo clusters:

- simmering SF: CR heating is effectively balancing cooling
- abundant SF: heating/cooling out of balance
- $F_{\nu, \text{obs}} > F_{\nu, \text{pred}}$: strong radio source = abundant injection of CRs
 ⇒ predicting existence of **radio micro halos** in CR heated clusters



Radio mini halos

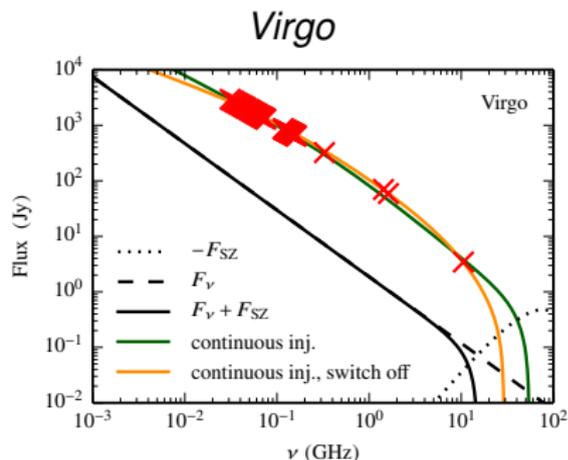
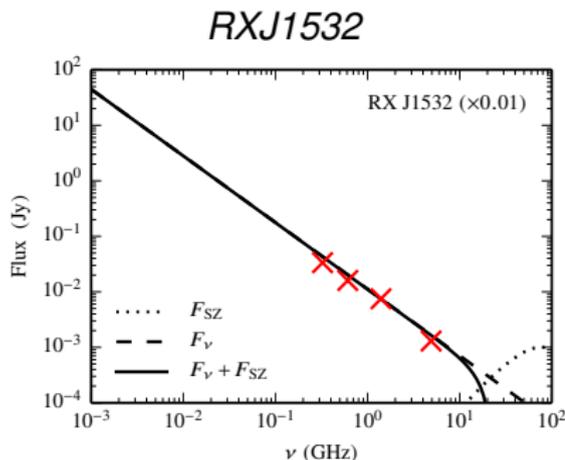


Jacob & C.P. (2016a)

- radio mini halos may be of hadronic origin: CR protons from AGN that have streamed outwards and cooled via Alfvén-wave excitation
- *RXJ1532*: dying radio mini halo
Perseus: transitional object, was CR heated until recently



Predicting radio micro halos

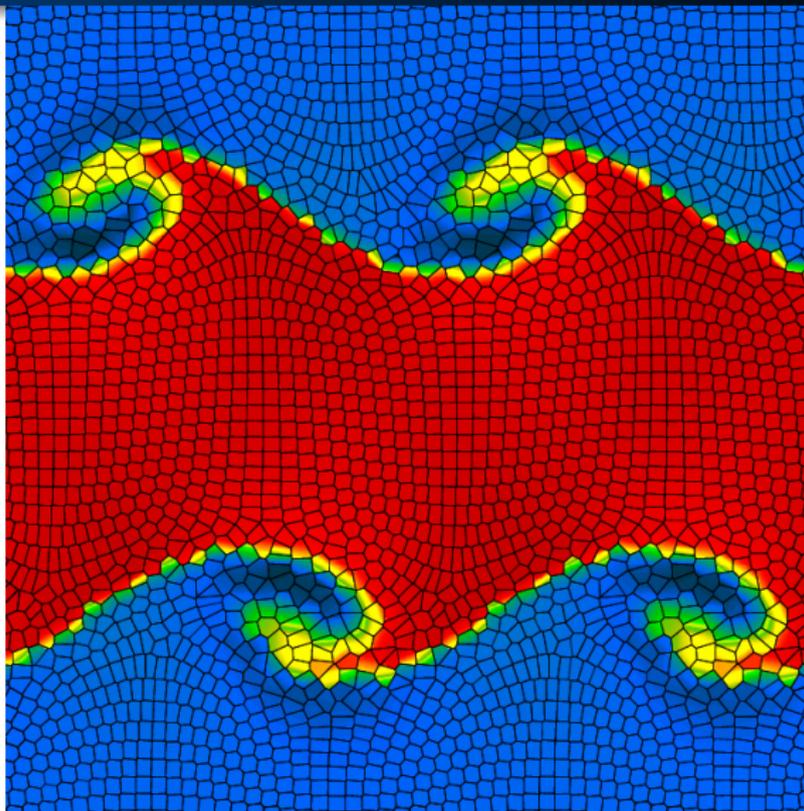


Jacob & C.P. (2016a)

- radio mini halos may be of hadronic origin: CR protons from AGN that have streamed outwards and cooled via Alfvén-wave excitation
- predicting radio micro halos of primary origin in CR-heated CCs: CR electrons that escaped from AGN; subdominant hadronic emission



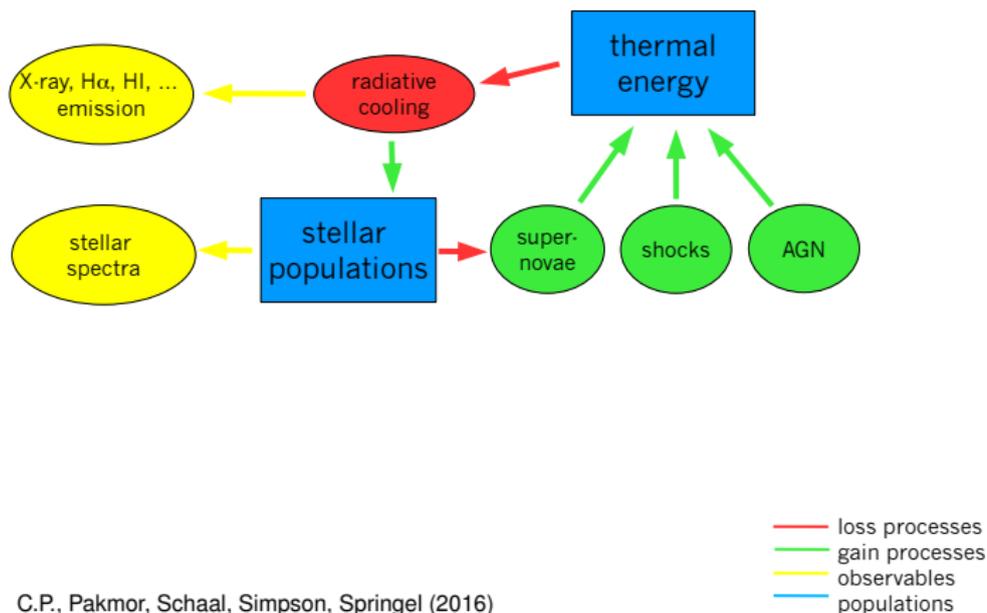
Cosmological moving-mesh code AREPO (Springel 2010)



Simulations – flowchart

ISM observables:

Physical processes in the ISM:



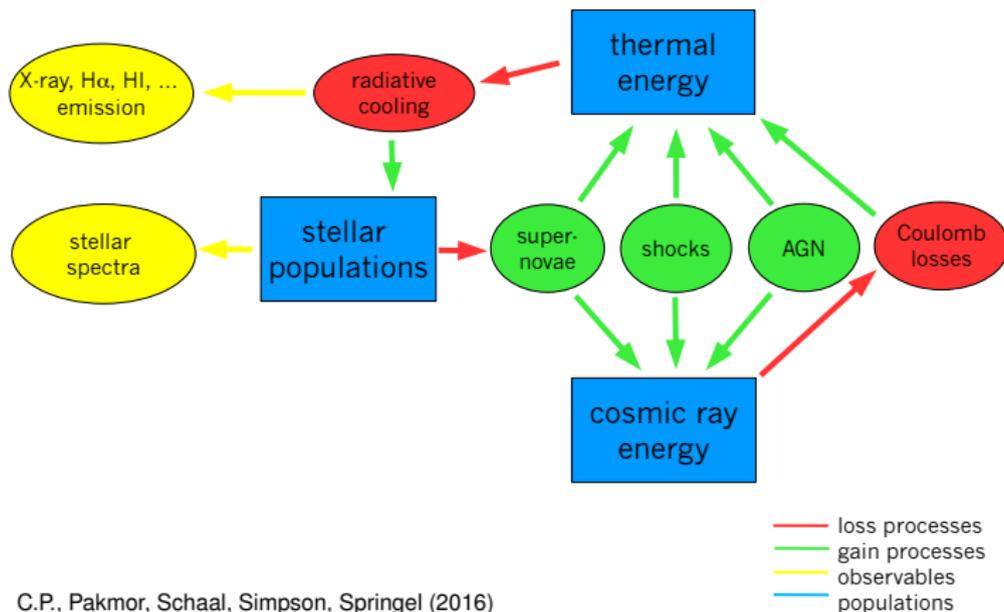
C.P., Pakmor, Schaal, Simpson, Springel (2016)



Simulations with cosmic ray physics

ISM observables:

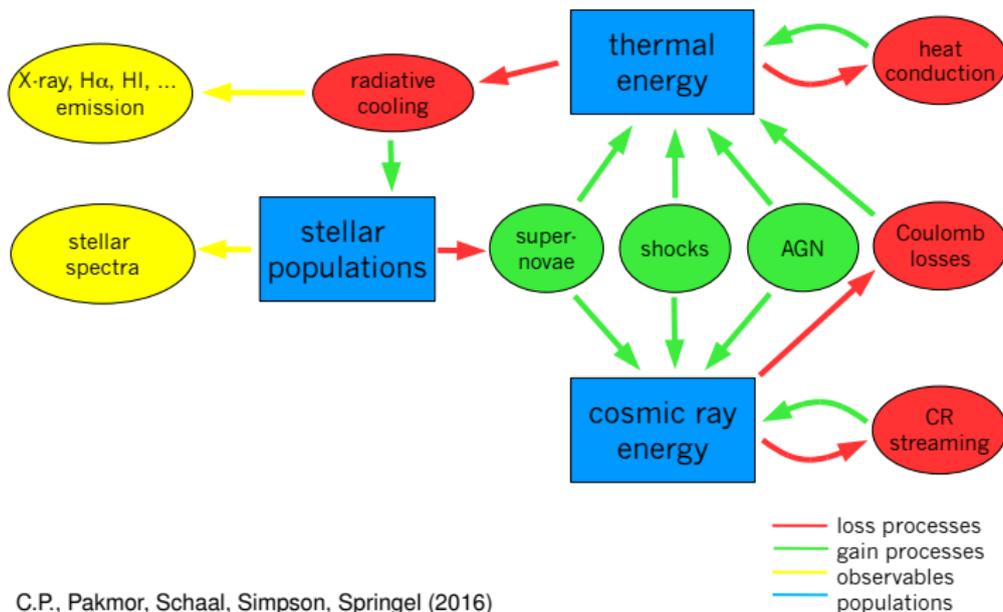
Physical processes in the ISM:



Simulations with cosmic ray physics

ISM observables:

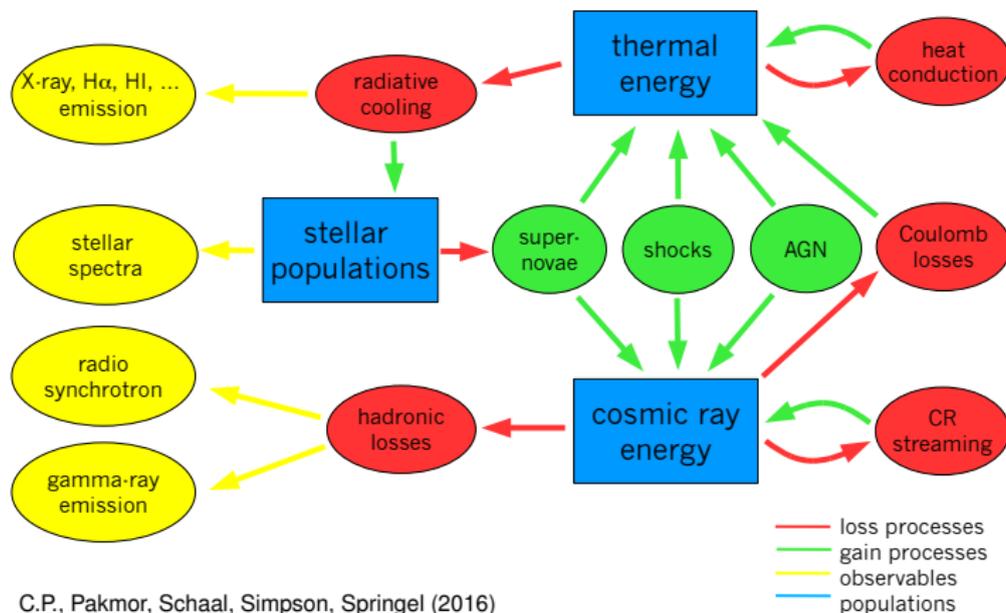
Physical processes in the ISM:



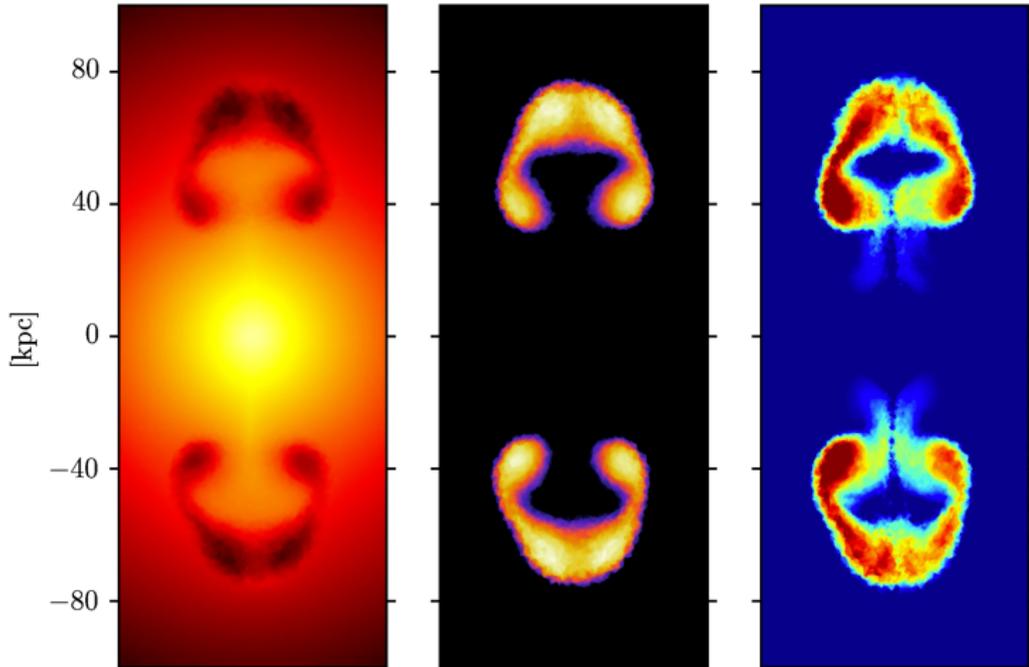
Simulations with cosmic ray physics

ISM observables:

Physical processes in the ISM:



Jet simulation: gas density, CR energy, B field



Weinberger+ in prep.



Conclusions on AGN feedback by cosmic-ray heating

cosmic-ray heating in M87:

- radio and γ -ray data of M87 imply CR mixing with dense cluster gas with a CR-to-thermal pressure ratio of $X_{\text{cr}} = 0.3$
- CR Alfvén wave heating balances radiative cooling on all scales within the central radio halo ($r < 35$ kpc)
- local thermal stability analysis predicts observed temperature floor at $kT \simeq 1$ keV

large sample of cool cores \Rightarrow self-regulation cycle

- low-density cool cores: possibly stably heated by cosmic rays
- radio mini halo clusters: cosmic-ray heating ruled out systems are strongly cooling and form stars at large rates
- predicting continuous sequence of diffuse radio emission in all cool cores: from radio micro to mini halos



Literature for the talk

AGN feedback by cosmic rays:

- Pfrommer, *Toward a comprehensive model for feedback by active galactic nuclei: new insights from M87 observations by LOFAR, Fermi and H.E.S.S.*, 2013, ApJ, 779, 10.
- S. Jacob & C. Pfrommer, *Cosmic ray heating in cool core clusters I: diversity of steady state solutions*, 2016a, in prep.
- S. Jacob & C. Pfrommer, *Cosmic ray heating in cool core clusters II: self-regulation cycle and non-thermal emission*, 2016b, in prep.

Cosmic ray simulations with AREPO:

- Pfrommer, Pakmor, Schaal, Simpson, Springel, *Simulating cosmic ray physics on a moving mesh*, 2016, submitted.



Cosmic ray feedback
Diversity of cool cores

Steady state solutions
Non-thermal emission
Simulations

CRAGSMAN: The Impact of Cosmic RAYs on Galaxy and CluSTER ForMAtion



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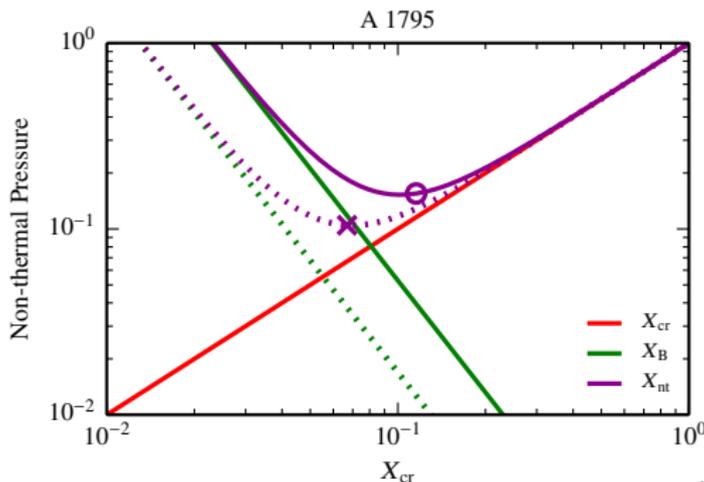
Christoph Pfrommer

Cosmic ray heating in cool core clusters

Additional slides



Case study A1795: non-thermal pressure balance



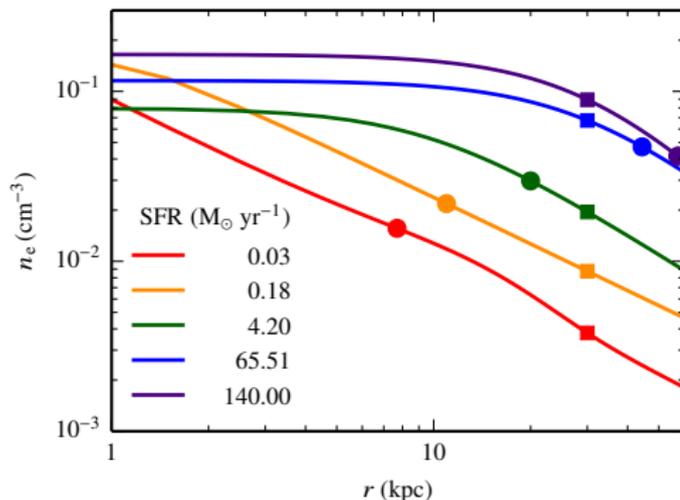
Jacob & C.P. (2016a)

- define $X_{cr} = P_{cr}/P_{th}$ and $X_B = P_B/P_{th}$
- CR heating rate: $\mathcal{H}_{cr} = -\mathbf{v}_{st} \cdot \nabla P_{cr} \propto X_B^{0.5} X_{cr}$
- non-thermal pressure at fixed heating rate:

$$X_{nt} \equiv (X_B + X_{cr})|_{\mathcal{H}_{cr}} = AX_{cr}^{-2} + X_{cr} \rightarrow X_{cr, \min} = (2A)^{1/3}$$



Steady state solutions: origin of density correlations



Jacob & C.P. (2016a)

- tight correlation of gas density n_e (30 kpc) (squares) with SFR and with 1 Gyr cooling radius r_{cool} (circles)
- clusters with larger SFRs are on average denser and show larger r_{cool} : more cool gas available for star formation

