

the **Cosmotician's Agenda: Statistical Paths in Cosmic Theory & Data**

Entropy/Information Generation in Post-inflation Preheating: A Shock-in-Time



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we compress the Petabit++ observed cosmic info into a precious few bits encoding 6+ parameters of the Minimal Cosmic Standard model (LCDM)

$$\rho_{\text{dm}}/\rho_{\text{b}}=5.1 \quad \rho_{\text{m}}/\rho_{\text{de}}=.30 \quad \Omega_{\text{m}}=0.268 \pm 0.012 \quad \Omega_{\Lambda}=0.736 \pm 0.012$$

$$\text{Power}_s=25 \times 10^{-10} \quad \text{Tilt}_s = 0.963 \pm 0.013 \quad \text{running} = -0.024 \pm 0.015 \quad r=T/S < 0.19$$

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CMBology uses WMAP7+ACT (SPT), past: Boom, CBI, Acbar,.. (QuAD, ...). **LSSology** BAO H0
SN lens, clusters. coming: **Planck cosmology** Jan2013,14 cosmic parameters Jan11(25p), Feb12
SZ,CIB,ISM ACTpol, ABS, Spider, Quiet-2, .. CARMA, Mustang2 on GBT, CCAT, ALMA, ..



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WMAP: 1.15 Tbits in 9yrs, cf. MyLifeBits, Gordon Bell, 1.28 Tbits in 9yrs, Planck 36 Tbits, ACT 304 Tbits. Terabit=10¹²bits=125 GigaBytes. e.g., Compress e.g., $\Delta S_{1f}(r) = -3.7$ Spider+Planck cf. ACT1

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How Structure in the Universe Arose?: fluctuation generation in curvature from an early inflaton: isocurvature, Gravity Wave, non-Gaussianity signatures

(coherence + quantum noise => incoherence via entropy/information generation)
morphs into the nonlinear Cosmic Web: clusters, filaments, voids; galaxies (SZ)

the fate of the U?: dark energy properties driving late inflation, S in asymptotic dS?

Studying the Cosmic Tango

Cosmotician

*$P(\text{cosmic parameters}|D,T)$, $P(D|T)$
 $D=\text{CMB,LSS,SN,...,complexity, life}$
 $T=\text{baryon, dark matter, vacuum}$
mass-energy densities,...,early and late inflation,structure of manifolds (extra compactifying $7 + 3+1$), holes, branes, fibres, strings,vacuua landscape, physical coupling 'constants'
Anthrostatician=superHorizon measurer*



Studying the Cosmic Tango

en-Tango-ment, the dance of $S+R=U$
Universe=System(s)+Reservoir,
=Signal(s)+Residual *noise*,
=Effective Theory+*Hidden variables*,
observer(s)+observed,
ruled by (information) entropy, entangled. *the
fine grains in the coarse grains*

*the coherent and the entropic, in all its
forms, from ultra-early-U to ultra-late-U*



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the emergence of the collective from the random:
coherence from driven zero-point vacuum
fluctuations $\Leftrightarrow V$ **inflaton**, gravity waves; decohere

let there be heat: entropy generation in **preheating**
from the coherent inflaton (origin of all matter)



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information in **nearly-Gaussian** random fields of U:
spatial coarse-grained **CMB entropy** & how we
capture it. **dark matter entropy, cluster &**
protocluster & cosmic web entropy. MHD
turbulence entropy with cooling & grain polarized
emission - a CMB fgnd. *How Shannon info-entropy*
flows from CMB bolometer timestreams to
*marginalized cosmic parameters via **Bayesian***
chains from prior to posterior.

Shannon entropy ~ von-Neumann entropy
= Trace $\rho \ln \rho^{-1}$ = full non-equilibrium S
 $\rho(U) = \rho(S,R) = \rho(R|S) \rho(S)$ entanglement of
phase & probability



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resolution dimension $\lambda = -\ln r/r_0$
S(λ |coarse-grained-measures) deals with
the **non-equilibrium & non-thermal S** in
clusters, includes DarkMatter coarse-grained S -
and of **preheating configurations**.

gravitational entropy remains a
mystery, horizon needed? **gravo-
thermal catastrophe** = negative
specific heat, what gravity wants is to
localize concentrating mass into black
holes and make accelerating voids to
straighten out U.



fluctuations in the early universe “vacuum” grow to *all* structure

χ

scalar field
fluctuations
in the
vacuum of
the ultra-
early
Universe

pre-
heating
patch
(~1cm)

*evolve
from early
U vacuum
potential
and
vacuum
noise*

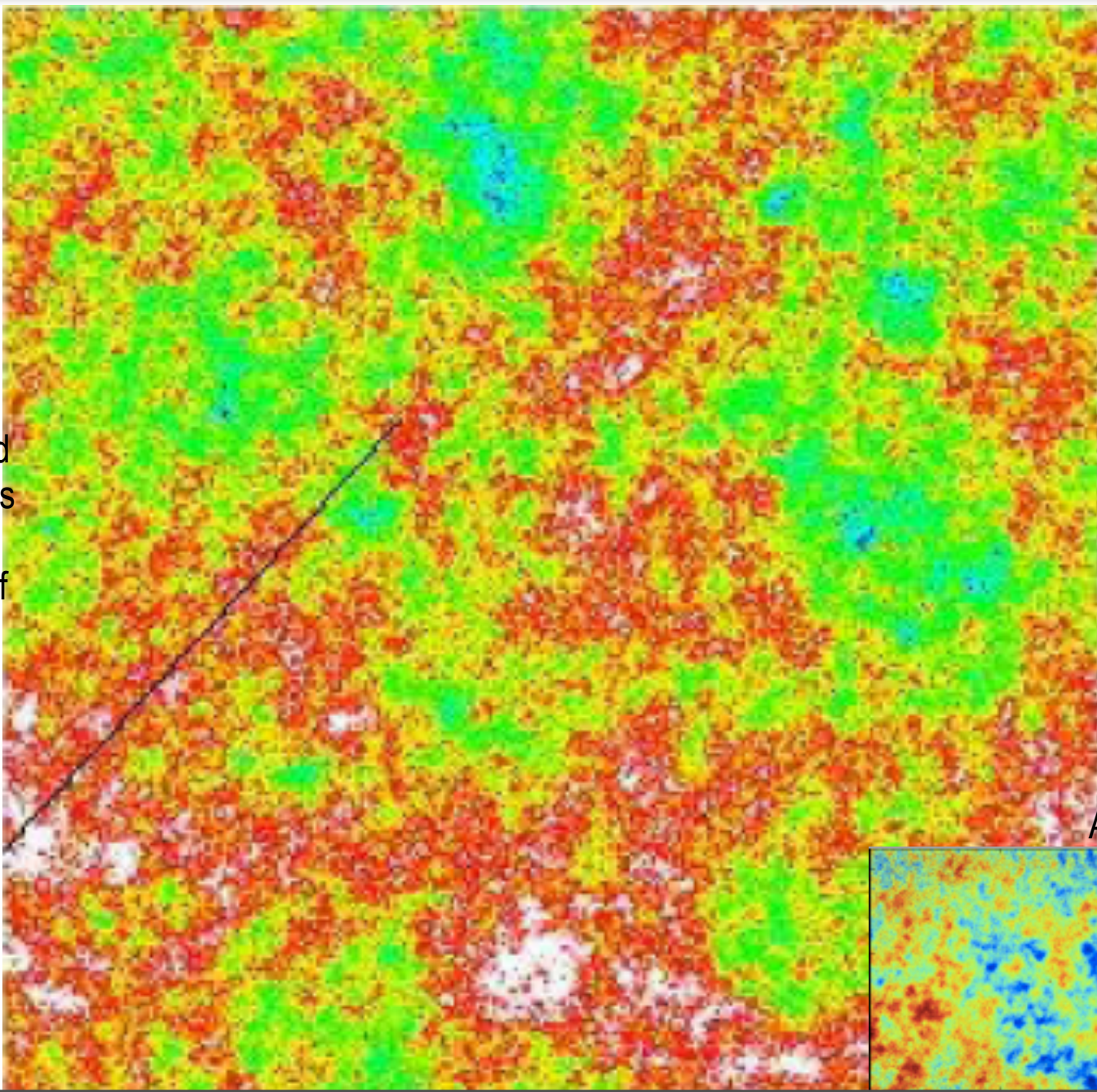
10 Gpc

fluctuations in the early universe “vacuum” grow to *all* structure

χ

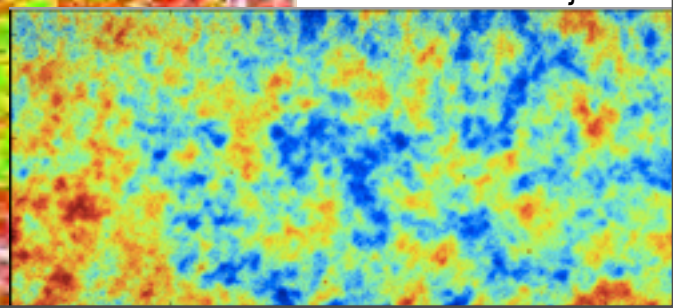
scalar field
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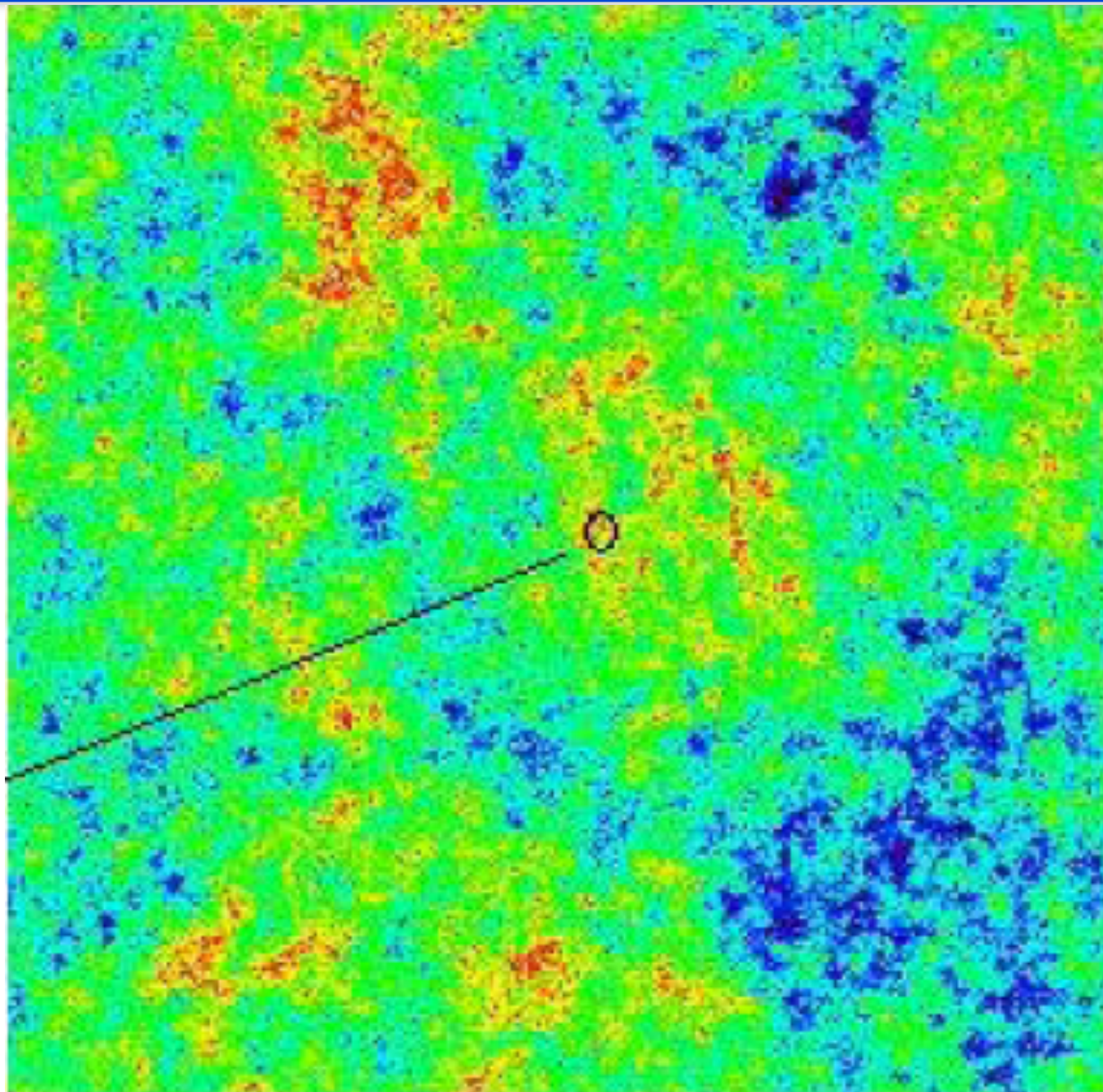
evolve
from early
U vacuum
potential
and
vacuum
noise

ACT+WMAP7 hajian+10



fluctuations in the early universe “vacuum” grow to *all* structure

χ



patterns
in the
quantum
jitter
evolve
under
gravity

(& gas
dynamics)

current
Hubble
patch
~10 Gpc

speed
limit
horizon

1000 Gpc

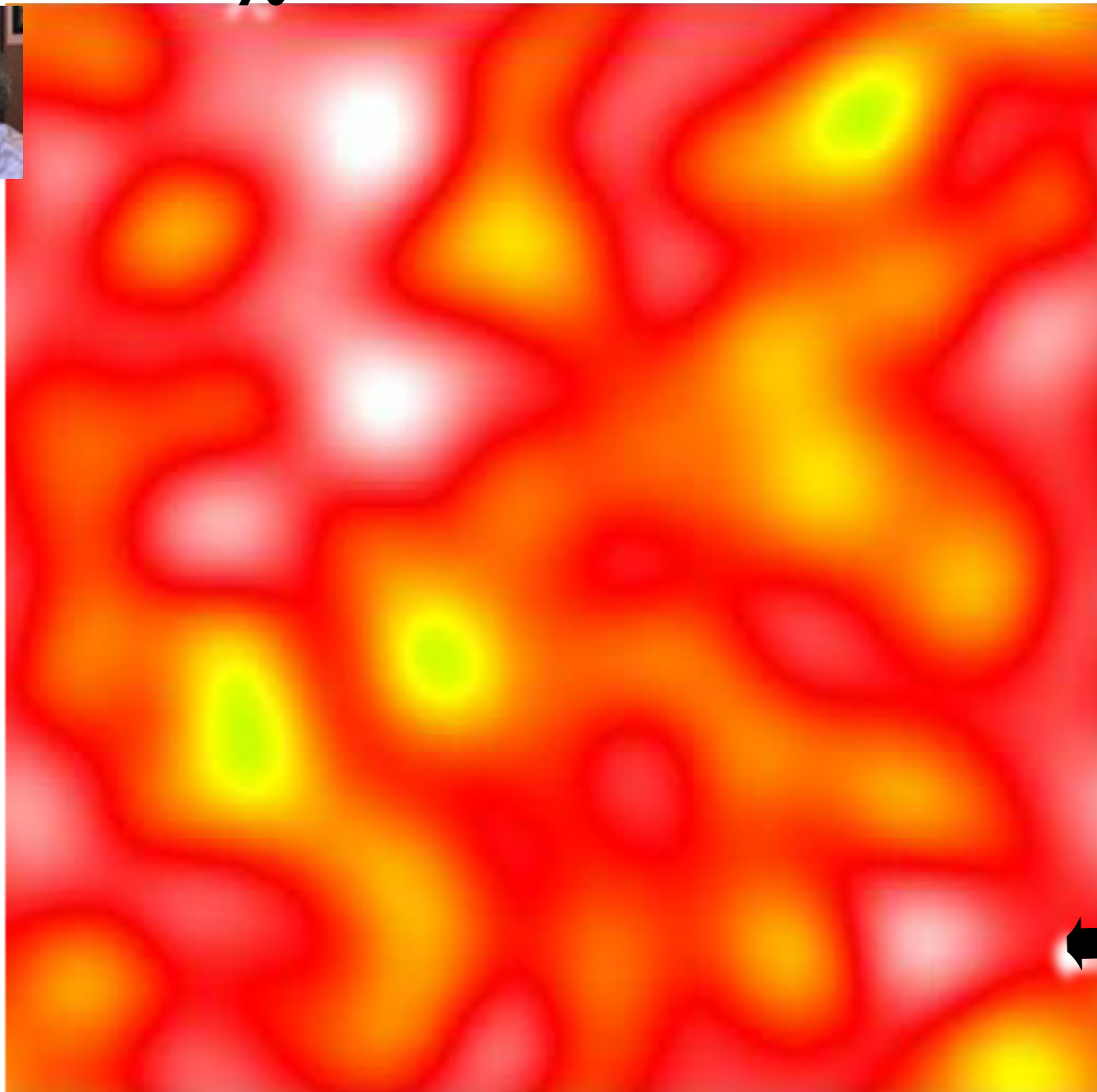
ϕ inflaton

χ isocon

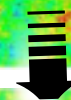
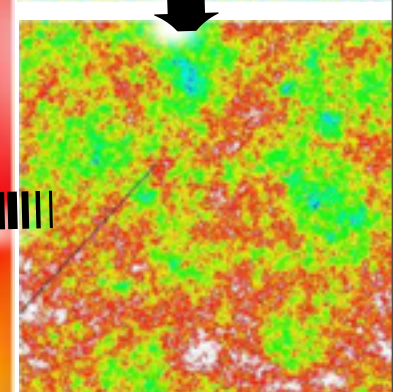
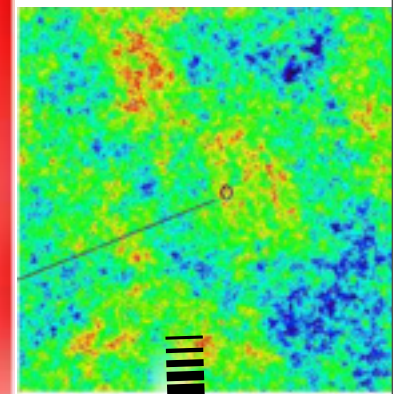
$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$

**Parametric
Resonance**

$$g^2 / \lambda \sim 1$$



pre-
heating
patch
(~1cm)



end of inflation @ $\epsilon=1$ through preheating

(linear resonance, nonlinear backreaction $\delta\psi, \delta\chi$)

to thermal equilibrium

$$\ln(n_k^{-1} + 1) \Rightarrow k/T, \quad \rho_k \sim E_k(n_k + 1/2)$$

from coherent “background” field with nearly-Gaussian linear fluctuations to incoherent heat bath through a not-that-turbulence-like cascade:

development of complexity: information (multi-scale entropy) b+braden 11

@

$k > H_{\text{end}}^{-1}$

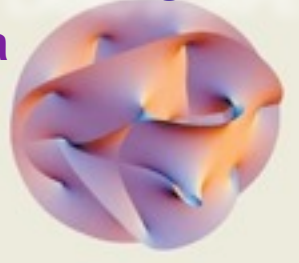
\Rightarrow no effect on k -observed? **MAYBE:**

relics (e.g., strings, isocons), HF gravity waves (kHz-GHz cf. 10^{-19} Hz), isocon modulation & non-Gaussianity

Old view: Theory prior = delta function of THE correct one and only theory

New: Theory prior = probability distribution of late-flows on an energy LANDSCAPE

6/7 tiny extra dimensions



1980

R^2 -inflation

Old Inflation

Chaotic inflation



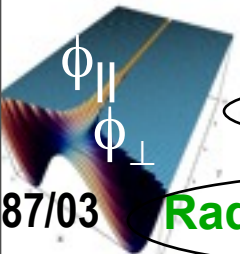
New Inflation



Power-law inflation

SUGRA inflation

Double Inflation



87/03

Radical BSI inflation

running (nee variable M_P) inflation

Extended inflation

1990



Natural pMGB inflation

Hybrid inflation



KLS94 preheating

SUSY F-term inflation

SUSY D-term inflation

Assisted inflation

Brane inflation



SUSY P-term inflation

Super-natural Inflation

K-flation

2000

N-flation

2003 KKL

D3,D7 brane inflation

DBI inflation

ekpyrotic/cyclic

moving brane separations

Racetrack inflation

Tachyon inflation



Warped Brane inflation

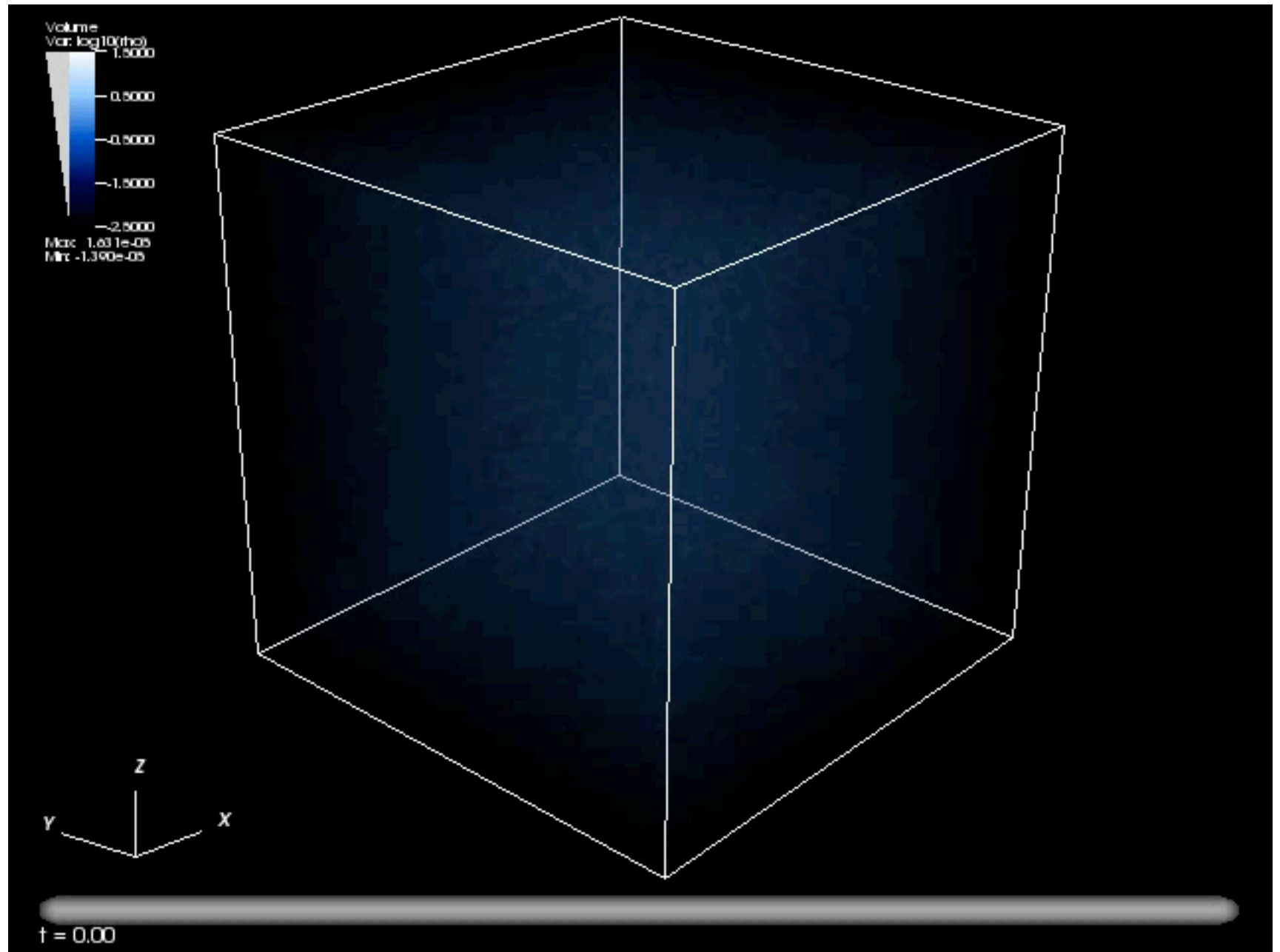
moduli fields

monodromy
Higgs inflation



Roulette inflation Kahler moduli/axion fibre inflation

$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$



Preheating = Shock-in-time Jonathan Braden + B 2011

Initial State = Nearly Homogeneous Inflaton

Low entropy (vac fluc.), information encoded in a few parameters

Preheating

Instabilities result in nonlinear transition to an incoherent state

KLS 94, 97, e.g. Tkachev, Felder, Garcia-Bellido, ...

Transition Regime

Complex slowly evolving nonlinear, nonequilibrium state e.g. Micha and Tkachev 2004, turbulence analogy??? not quite

the shock-in-time is the sharp mediator between the linear & the highly nonlinear transition a fascinating non-Gaussianity through a

Thermal Equilibrium

Maximum spreading of information in modes subject to energy and particle number constraints.

A Shocking End to Post Inflation Mean Field Dynamics

Shock-in-space $t = \text{const}$

$$V_{\text{bulk}}^2 > c_s^2 \Rightarrow V_{\text{bulk}}^2 < c_s^2$$

supersonic \Rightarrow subsonic

Characteristic spatial scale

Jump Conditions: $\Delta T^{\mu\nu}$

Randomizing Shock Front: ΔS

Mediation: width via viscosity
or collisionless dynamics

post-shock evolution, slow, of
temperature, etc.

Shock-in-time $x = \text{const}$ (deviations for nonG)

$$\langle \rho \rangle \gg \delta \rho \Rightarrow \langle \rho \rangle \ll \delta \rho$$

Homogeneous \Rightarrow Fluctuations

Characteristic temporal scale

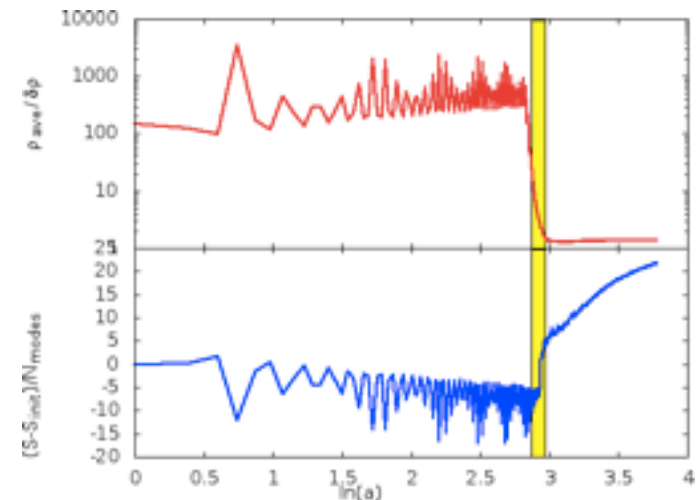
Jump Conditions: $\Delta T^{\mu 0}$

Randomizing mode cascade & Particle Production: ΔS

Mediation: width via gradients
and nonlinearities

post-shock evolution, slow, of fluctuations

***Preheating is a shockingly
efficient entropy source***



nonequilibrium Shannon (~von Neumann) entropy

$$S = -\text{Tr } P[f] \ln P[f] \Leftarrow -\text{Tr } \rho \ln \rho$$

$P[f]$: probability density functional, ρ density matrix

classical \Leftarrow quantum

$e(U) = e(S,R) = e(R|S) e(S)$ entanglement of phase & probability

Coarse Graining & Entropy Production

we have explored many ways of treating non-eq S. max S
constrained by measurements we theorists make on the medium
Field \Rightarrow *Correlation Functions*

Measurements: Constraints (information) on Correlators

Maximize entropy subject to given constraints

Generation of higher order correlators \Rightarrow entropy generation



Entropy & Correlator Constraints & Gaussian Distributions

if only power spectrum is constrained \Rightarrow multivariate Gaussian maximizes S

$$S/N = 1/2N \text{Tr} \ln P(k) + 1/2 + 1/2 \ln(2\pi)$$

$\ln = \log_e$ measure info in nats, $\text{lb} = \log_2$ measure info in bits

$P(k)$ dimensional, so ΔS relative to a S_i , counting states \Rightarrow normalize to =1 state

Power Spectrum

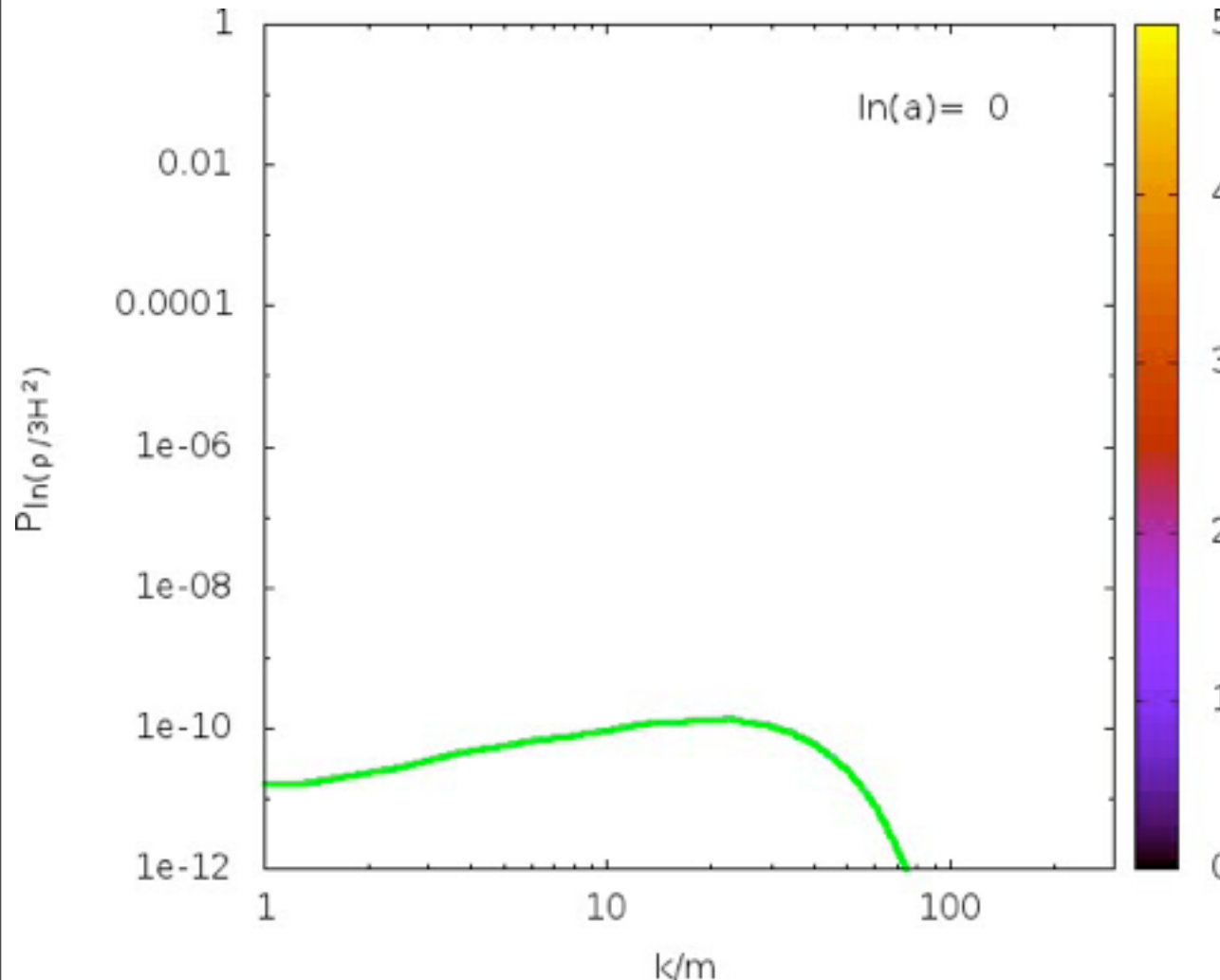
Nonlinear dynamics via large parallel lattice simulations using modified version of DEFROST Frolov 2008

log is more Gaussian

$\ln(\rho/3H^2) \sim \ln(\rho/\langle\rho\rangle)$ as the dynamical random field.

$$V = \frac{m^2}{2}\phi^2 + \frac{g^2}{2}\phi^2\chi^2$$

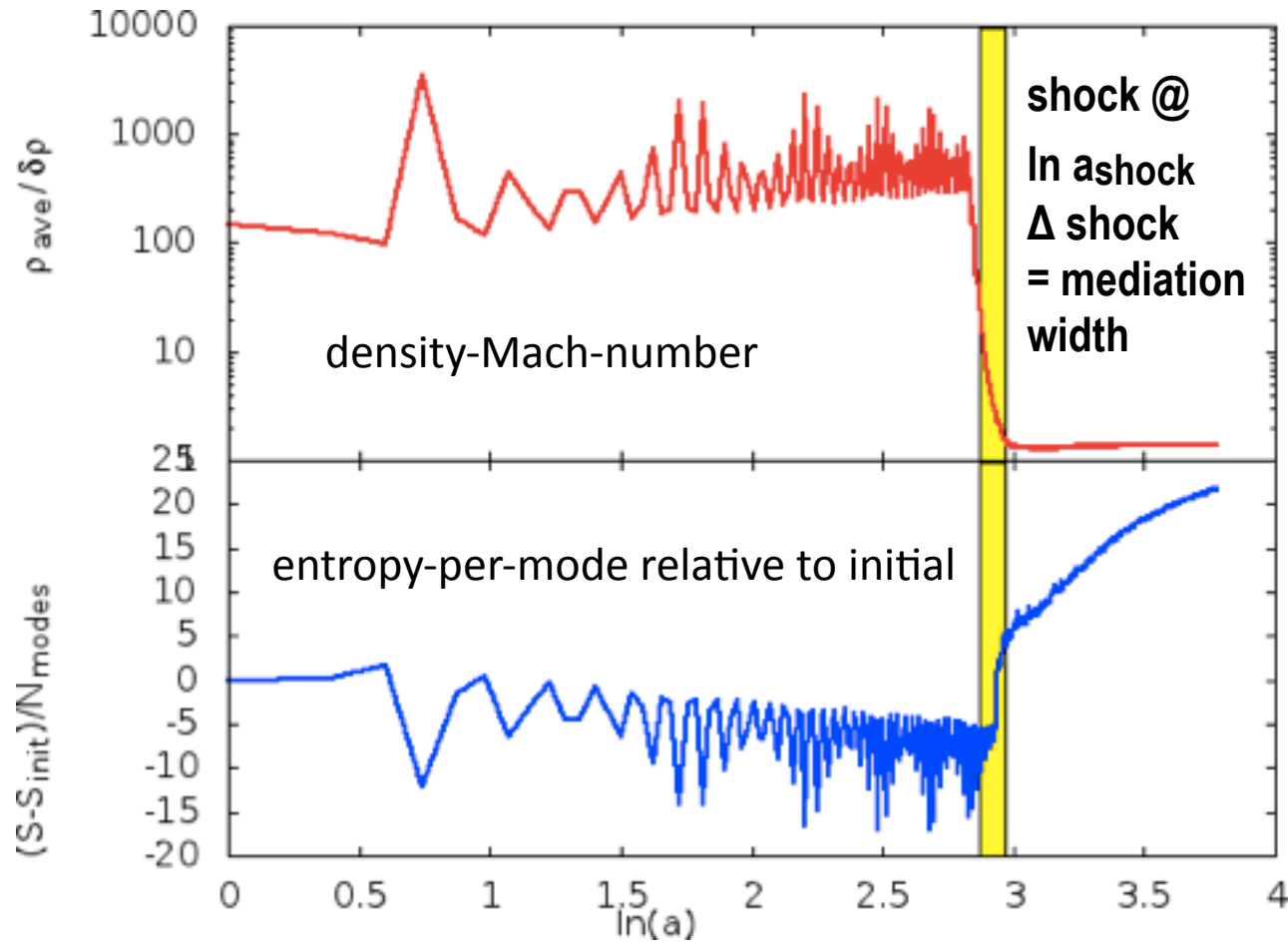
$$m/M_{\text{Pl}}=10^{-6}, g^2=10^{-5}$$



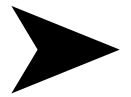
low entropy initial state:
uniform inflaton + simulated vacuum aka quantum fluctuations, initial isocon field rapid classical increase in nonlinear fluctuation power through mode-mode coupling \Rightarrow shock-in-time.

post shock evolution of power is relatively slow
(coupling to standard model?? accelerates particle production at very high k ? subgrid phenomenology a la eddy viscosity.)

Entropy Production & the Shock-in-time



true
thermal
equil.
far off

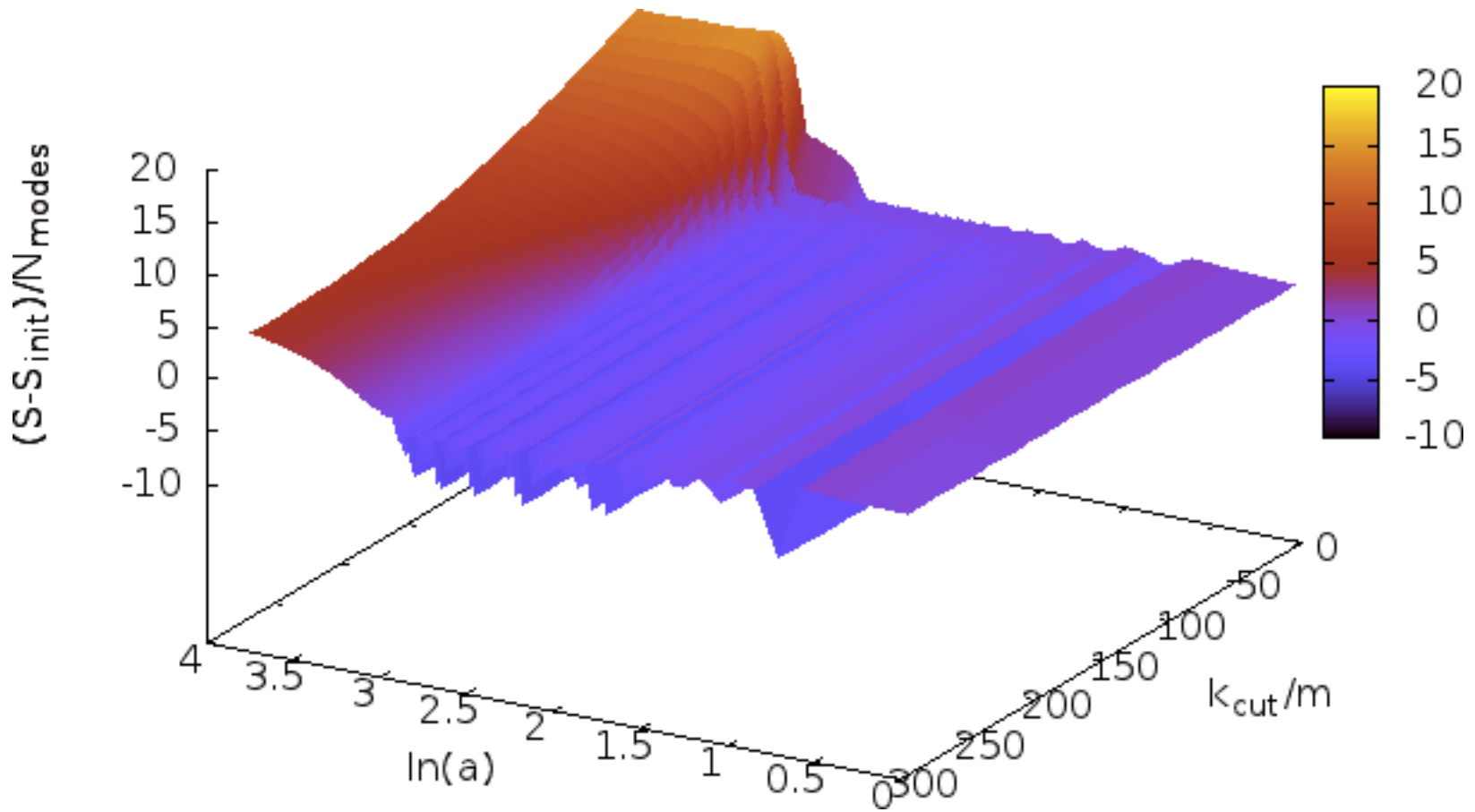


& to std
model

constrained coarse-grained Shannon entropy is taken relative to the initial entropy with its Gaussian random field entropy from band-limited quantum fluctuations

there is indeed a spike of entropy production at the shock front.

Scale Dependence of Shock-in-Time



entropy production is not scale-localized. resolution of the field = k_{cut} (sharp k space cut). Rapid spread in k , but not a turbulence-like cascade, slower movement to high k . Suggests **Renormalization Group Flow picture**.

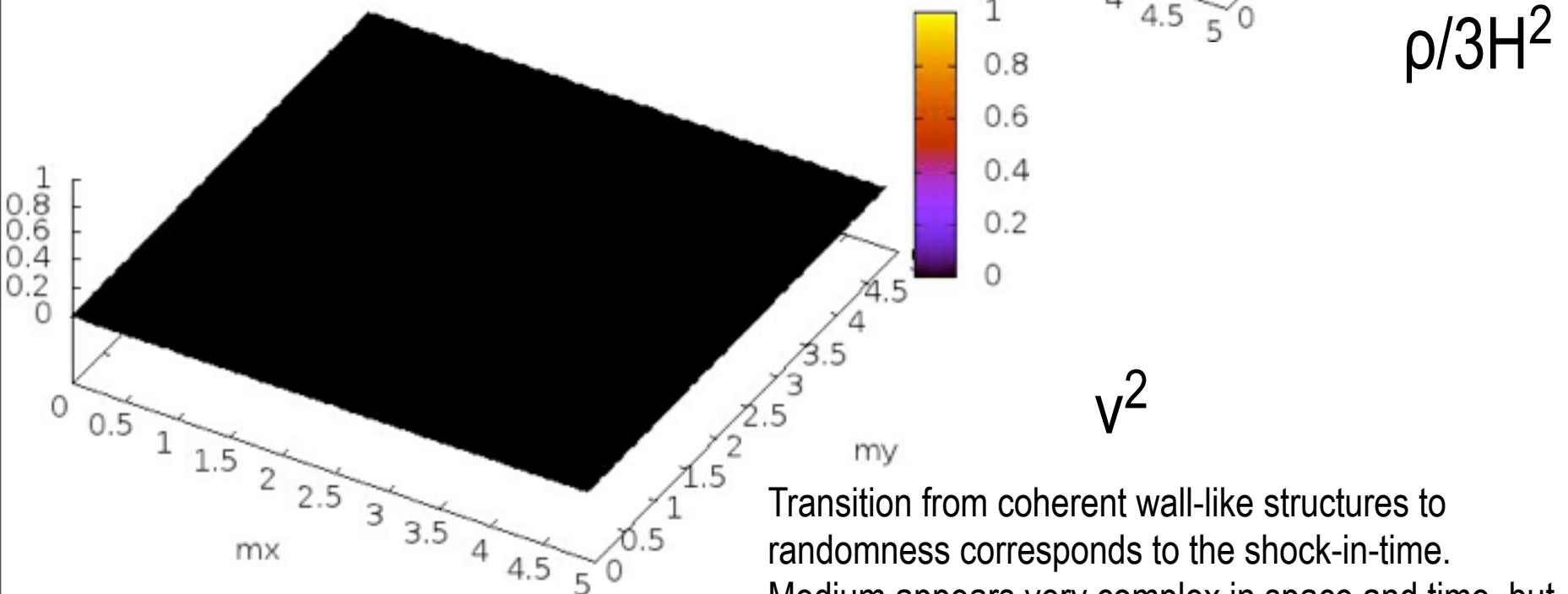
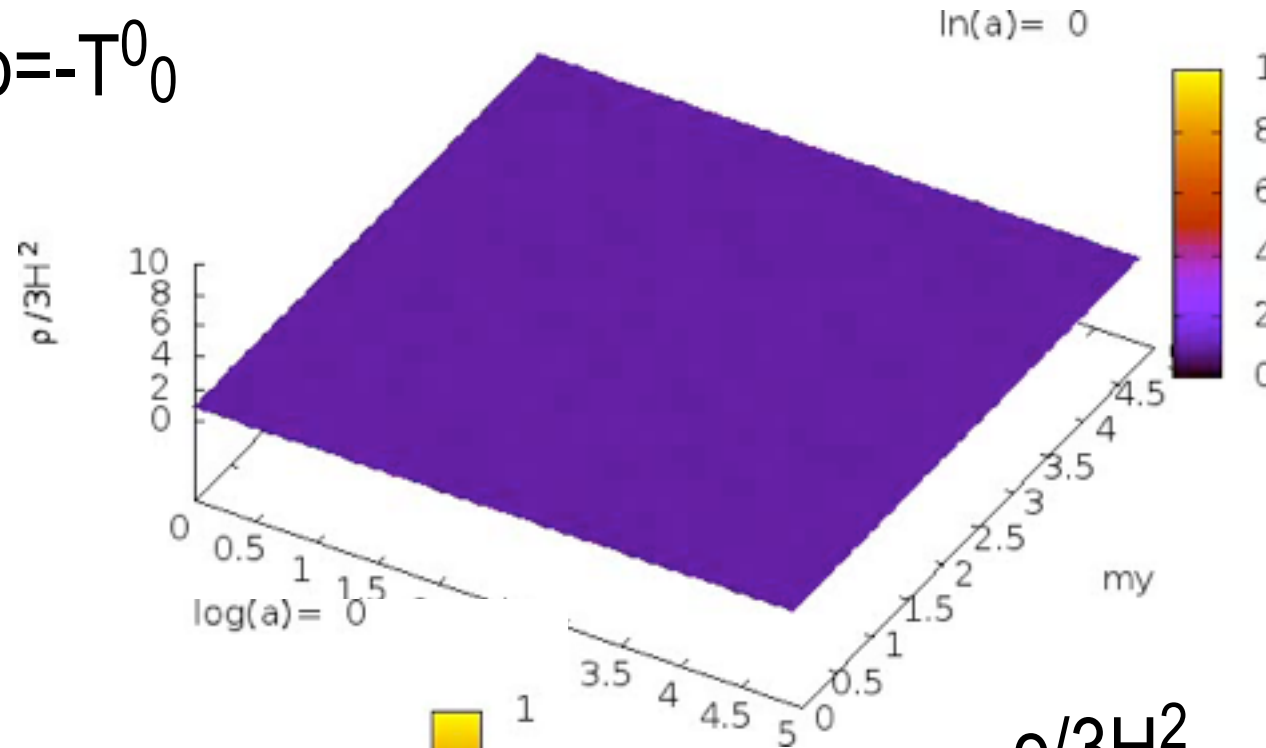
Post Shock Evolution

Slow Dynamics of IR Modes \Rightarrow
Hydrodynamic Description

$$P = -T^i_i$$

$$v^i = a T^i_0 / (\rho + P)$$

$$\rho = -T^0_0$$

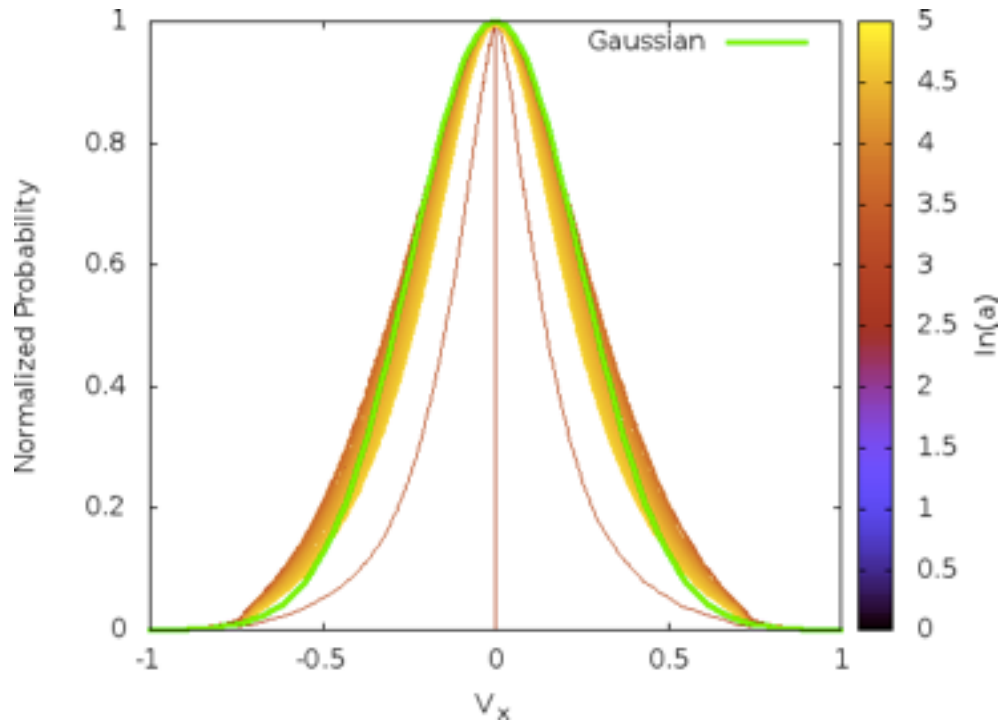
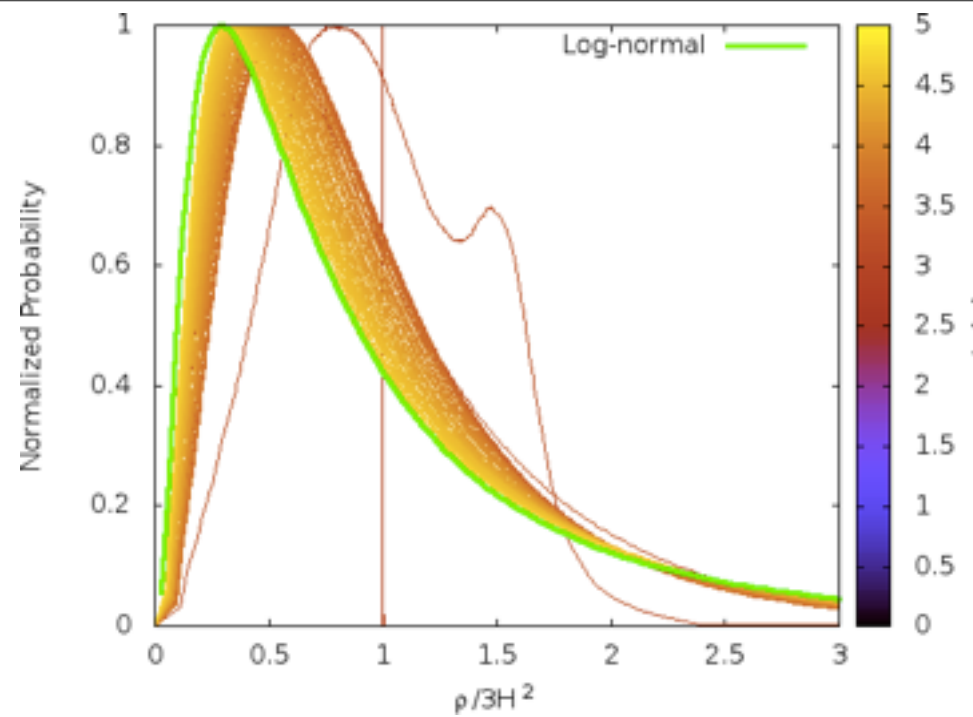


Transition from coherent wall-like structures to randomness corresponds to the shock-in-time. Medium appears very complex in space and time, but ...

but Statistical Simplicity

Density PDF ~ log-normal after initial transient Frolov

Velocity components ~ Gaussian PDF



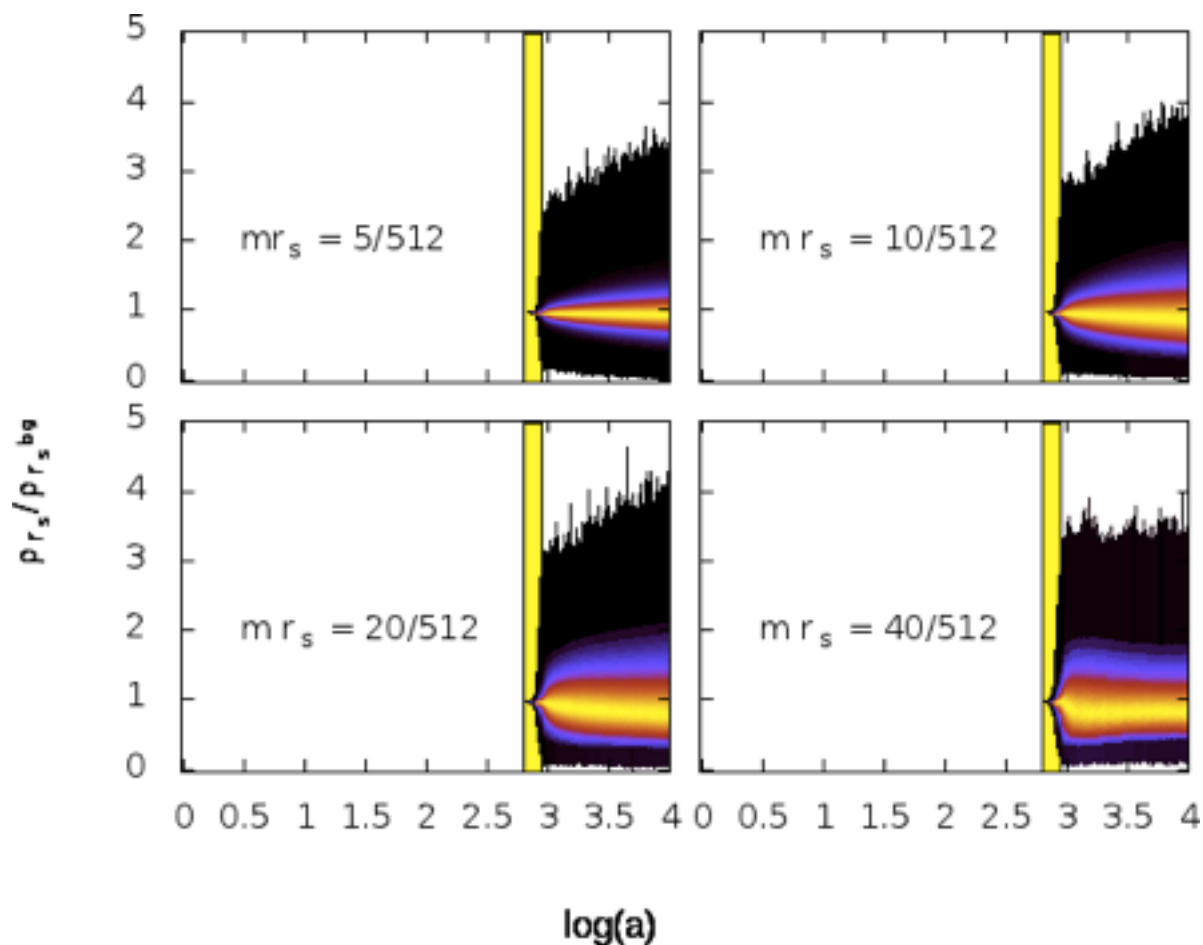
Renormalization and Scale Dependence via Wilsonian RG Blocking

Sequence of smoothed fields ρ_s defined by averaging over groups of 8 nearest neighbours with $r_s = 2^s \delta X_{\text{lat}}$ the smoothing scale.

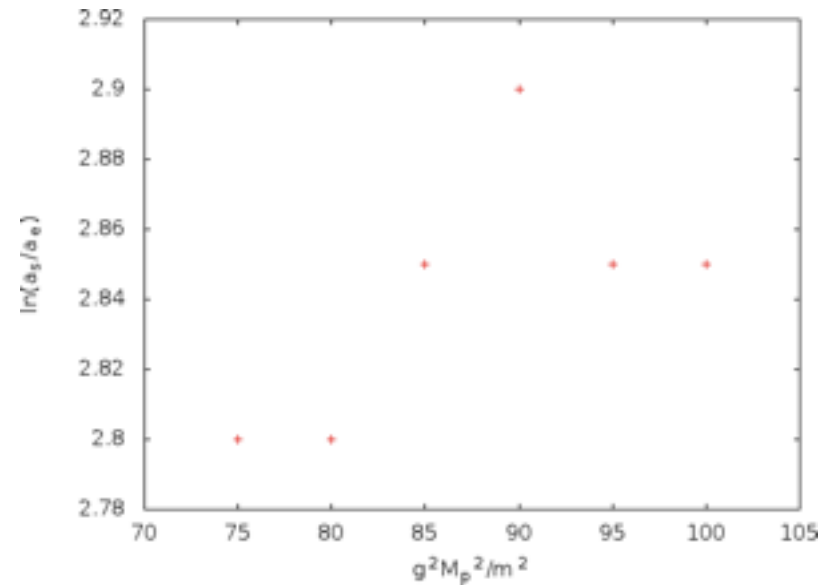
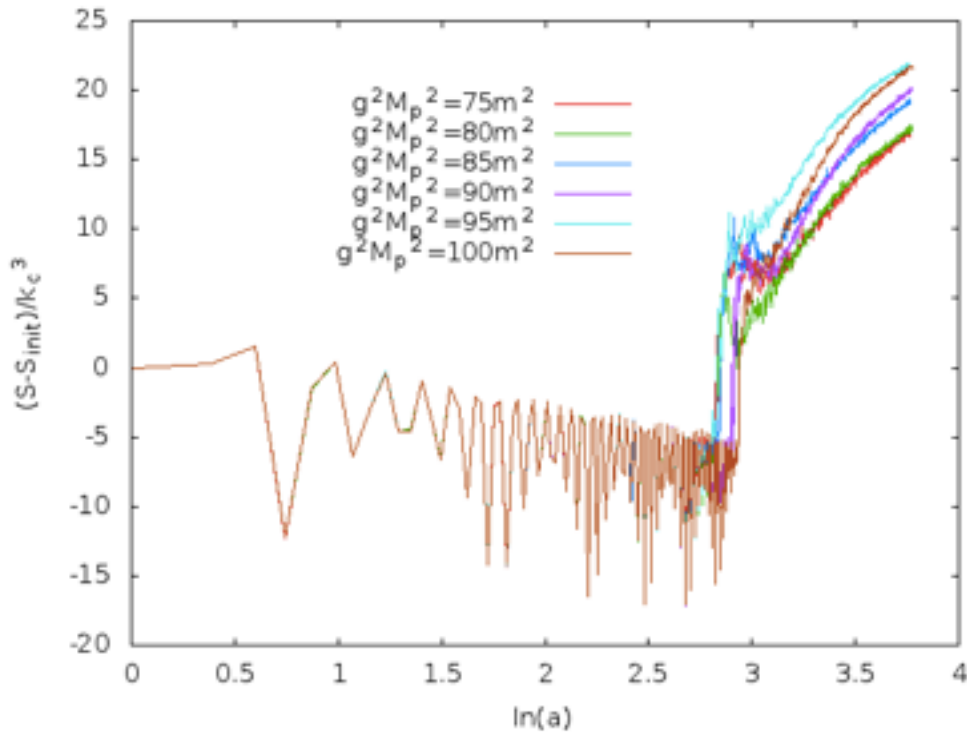
Define local background for $\rho_s(x)$ by ρ_{s+1}

Idea: fluctuations *layered on* fluctuations *layered on* fluctuations ...

The shock-in-time has a more pronounced effect on larger scales
At late times, local fluctuation PDFs evolve more slowly on larger scales than on small
White bounds the extremal values in the simulation box.



Relation to Nongaussianities entropy change as coupling changes



dependence of $\ln(a_{\text{shock}}/a_{\text{end}})$ on parameters (coupling constants, $\langle X_{\text{init}} \rangle$, ...)
relationship to nongaussianities from preheating

Bond, Frolov, Huang, Kofman (2009), and e.g. Chambers and Rajantie (2008)

The spatial structure of $\ln(a_{\text{shock}}/a_{\text{end}})$ (x) from modulated initial conditions encodes information about the perturbation spectra including nongaussianities.

a case with small post-shock nonG??

Preheating After Roulette Inflation

pre-heating patch (<1cm)

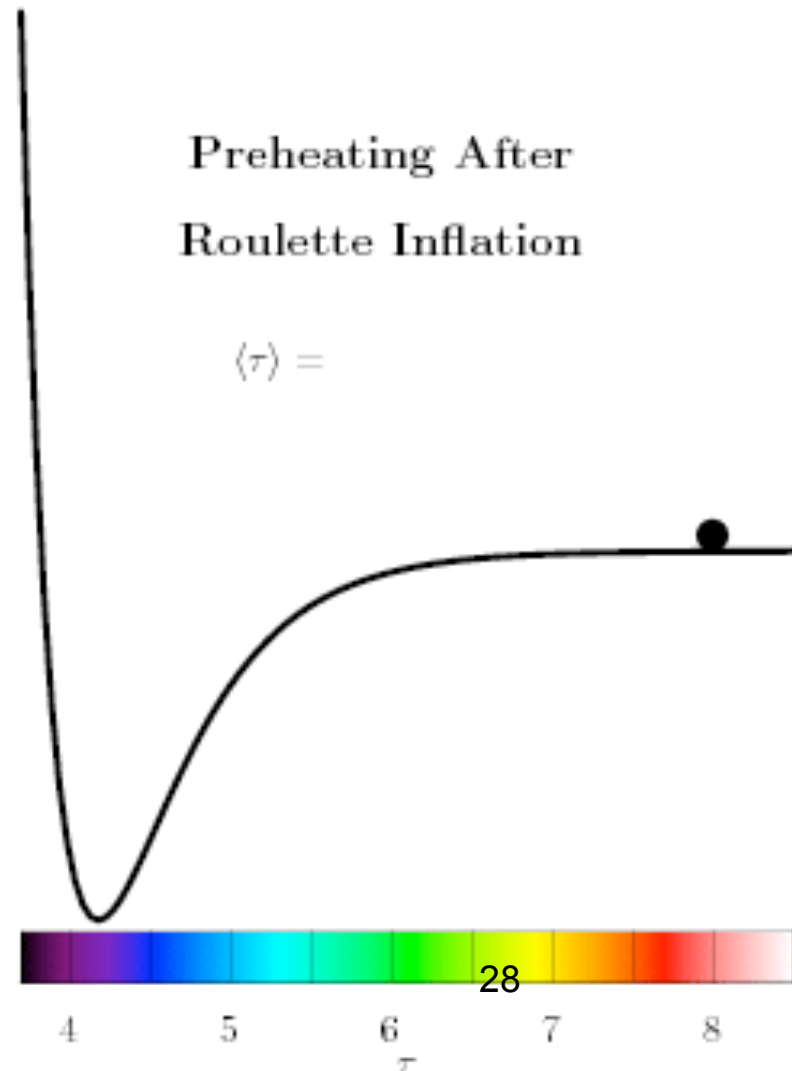
$$a = 1$$

A visualized 2D slice
in lattice simulation

Barnaby, Bond, Huang, Kofman 2009

HLattice code: arbitrary number of fields,
hybrid symplectic, to ~ trillionth accuracy!

Huang 2011 added full metric back action



www.youtube.com/watch?v=FW__su-W-ck&NR=1

large post-shock nonG??

trying to prove that $\ln a_{\text{final}}/a_{\text{end}} \sim \ln a_{\text{shock}}/a_{\text{end}}$

curvature $F_{\text{NL}}(\chi(x,t)) = \delta \ln a|_{\text{H}}(\chi_i)$

highly nonlinear function of a Gaussian random 'isocon' field



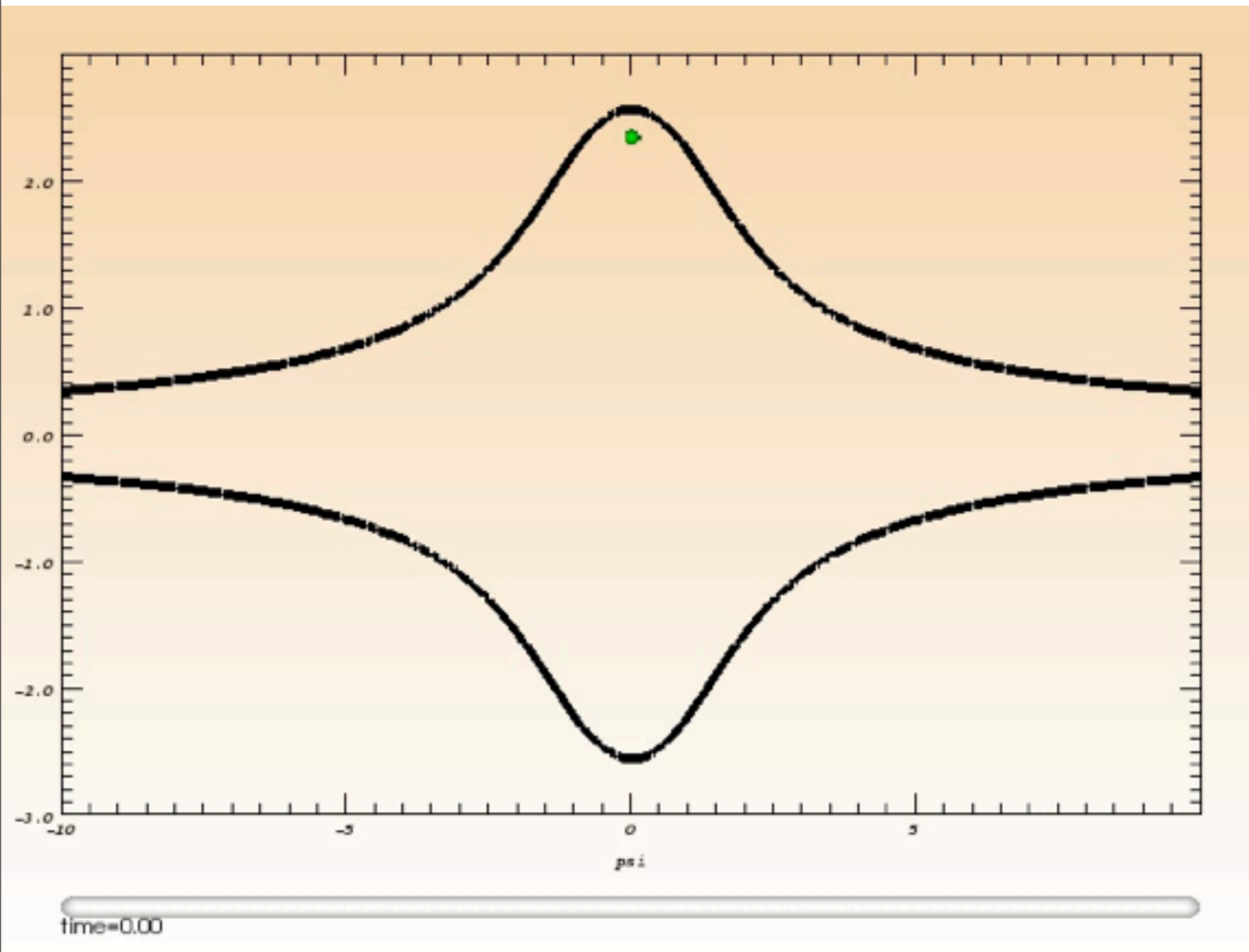
$$\chi(x,t) = \chi_{\text{HF}} + \chi_{\text{b}} + \chi_{>h}$$

The equation is visualized with three colored plots: a red/yellow field for χ_{HF} , a green/yellow field for χ_{b} , and a blue/green field for $\chi_{>h}$.

large post-shock nonG??

calculate $\delta \ln a [\chi_i(x,t)]$ from $\epsilon=1$ (end of inflation) through preheat (copious mode-mode-coupling aka particle creation) to thermal equilibrium

Bond, Andrei Frolov, Zhiqi Huang, Kofman 09



linear regime of zero-modes:

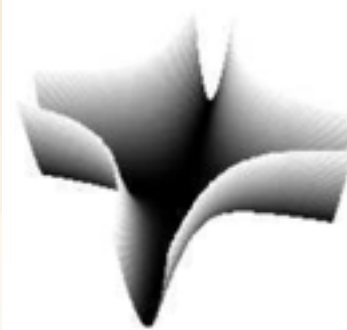
$$\phi_0(t+T) = \phi_0(t)$$

$$\chi_0(t+T) =$$

$$\chi_0(t) \exp[\mu_0 T]$$

\Rightarrow spikes are

log χ_i spaced

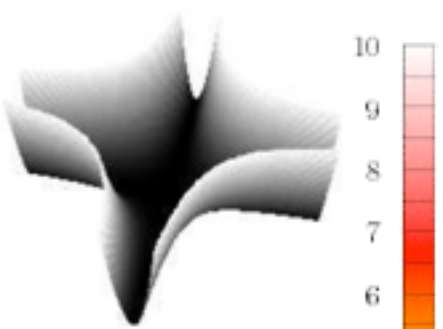


Cosmic Chaotic Billiards: NonGaussianity from Parametric Resonance in Preheating

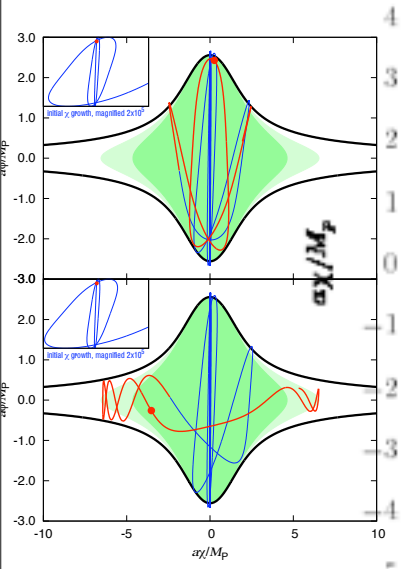
Bond, Andrei Frolov, Zhiqi Huang, Kofman 09

$$a = \frac{1}{\alpha\chi} \frac{d\chi}{dt} = \frac{1}{\alpha\phi} \frac{d\phi}{dt}$$

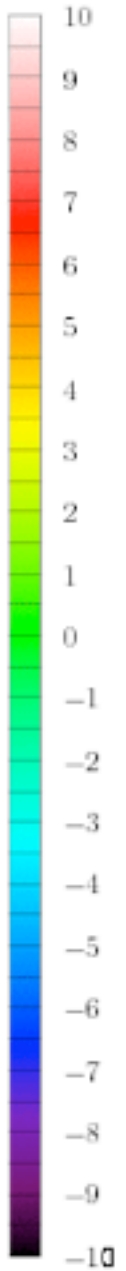
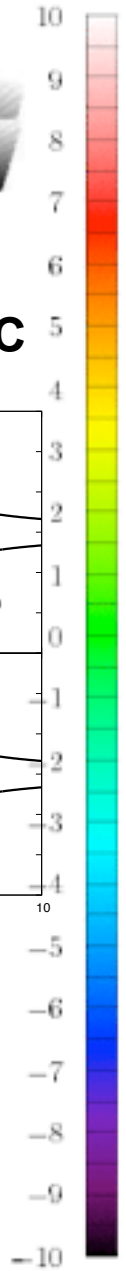
Preheating in model $V = \lambda\phi^4 + 1/2g^2\phi^2\chi^2$



non-spike IC



spike IC



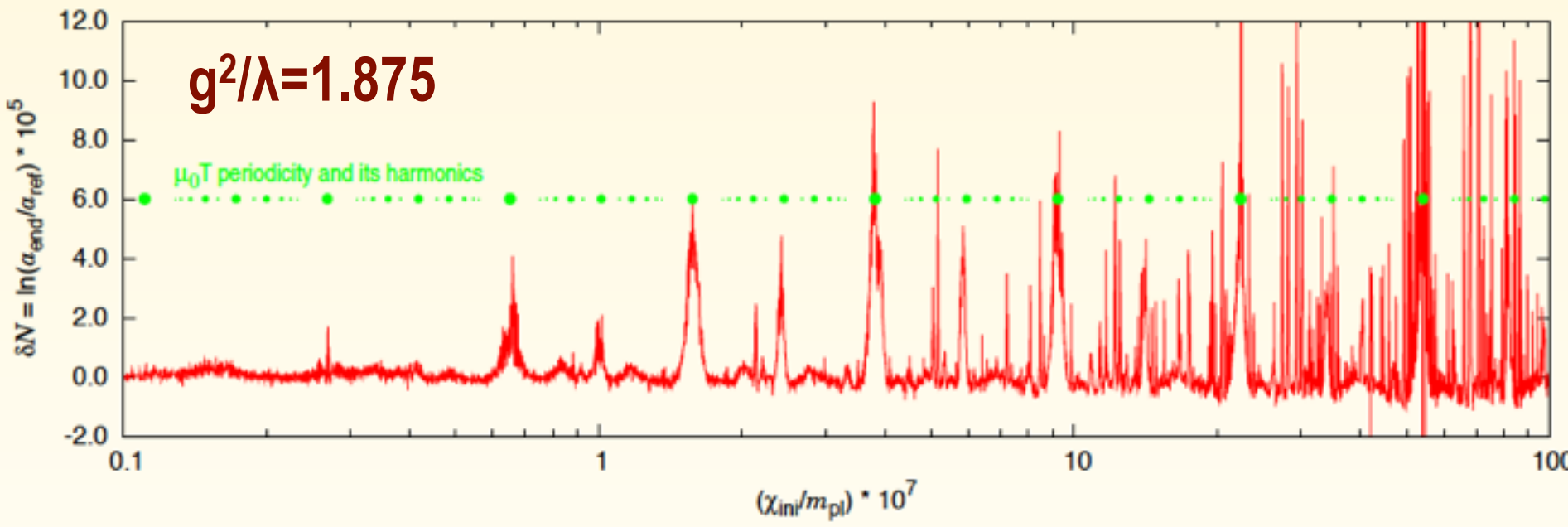
www.youtube.com/watch?v=6Uczz-WBBjU

large post-shock nonG???

trying to prove that $\ln a_{\text{final}}/a_{\text{end}} \sim \ln a_{\text{shock}}/a_{\text{end}}$

curvature $F_{\text{NL}}(\chi(x,t)) = \delta \ln a|_{\text{H}}(\chi_i)$

highly nonlinear function of a Gaussian random 'isocon' field



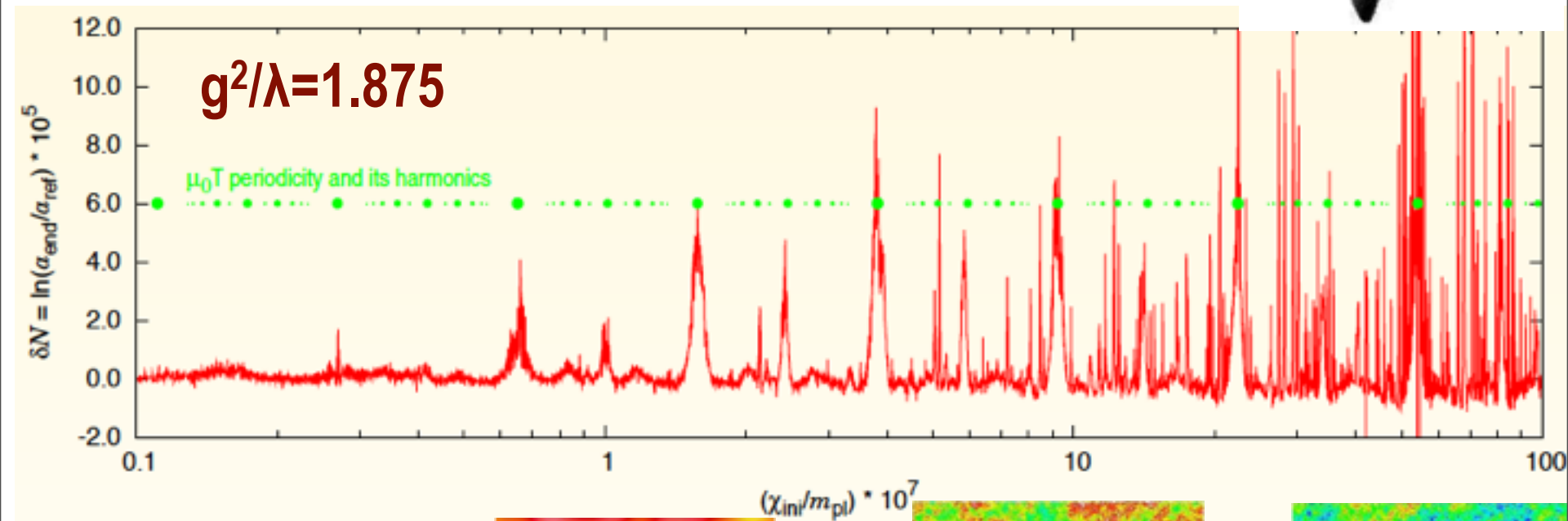
$$\chi(x,t) = \chi_{\text{HF}} + \chi_{\text{b}} + \chi_{>\text{h}}$$

large post-shock nonG???

to develop the $\ln a(\chi_i)$ response curve, we perform $> 10^4$ lattice simulations for each g^2/λ

curvature $F_{NL}(\chi(x,t)) = \delta \ln a|_H(\chi_i)$

highly nonlinear function of a Gaussian random 'isocon' field



$$\chi(x,t) =$$

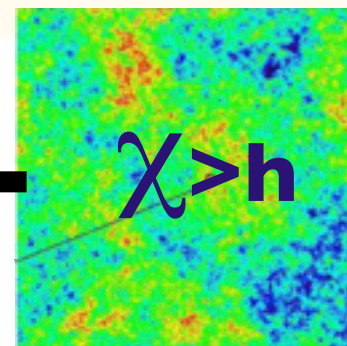
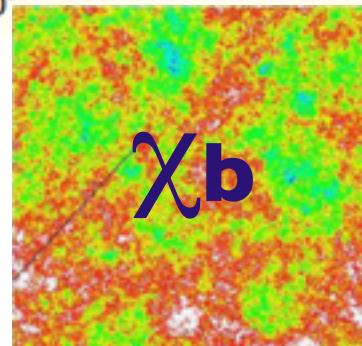
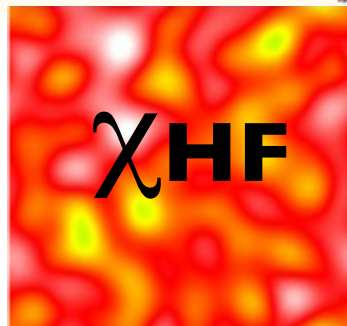
χ_{HF}

+

χ_b

+

$\chi > h$

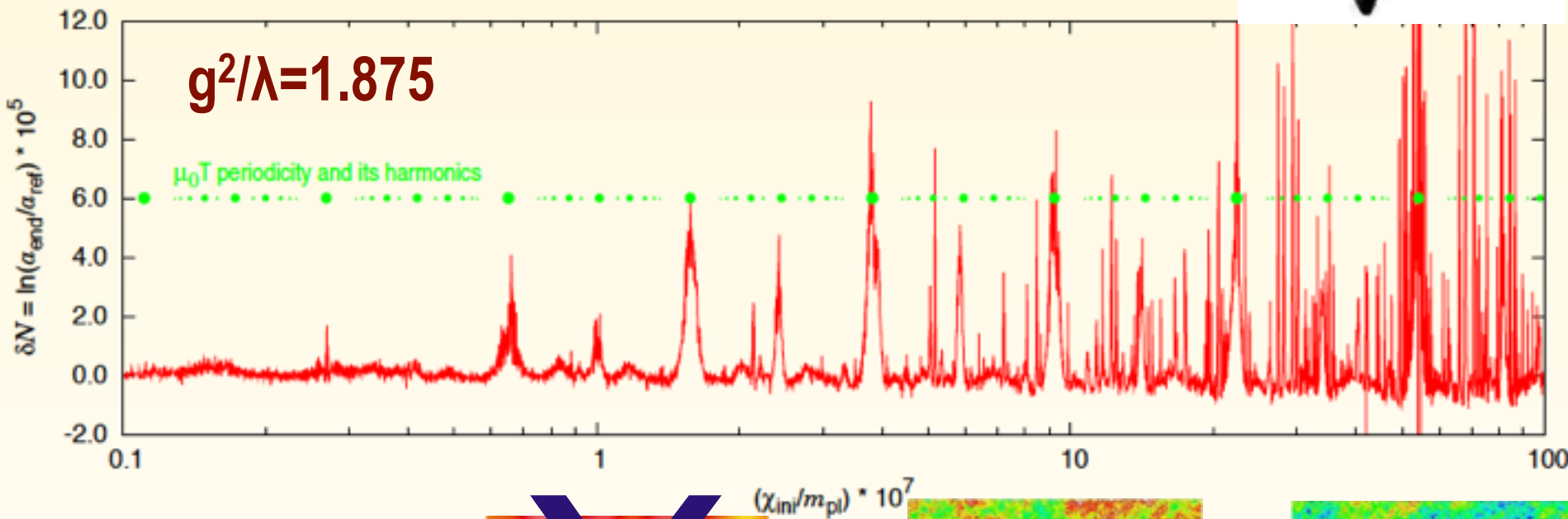


large post-shock nonG???

to develop the $\ln a(\chi_i)$ response curve, we perform $> 10^4$ lattice simulations for each g^2/λ

curvature $F_{NL}(\chi(x,t)) = \delta \ln a|_H(\chi_i)$

highly nonlinear function of a Gaussian random 'isocon' field



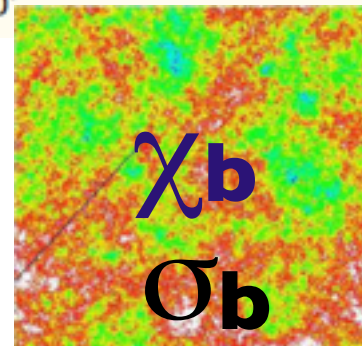
effective field theory

$$\chi_{\text{eff}}(x,t) =$$

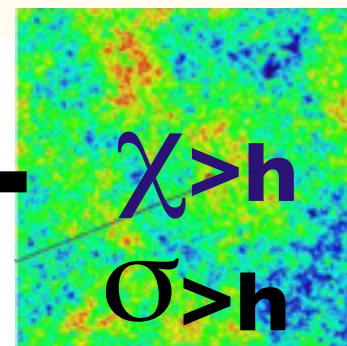
field smoothing over χ_{HF}



+



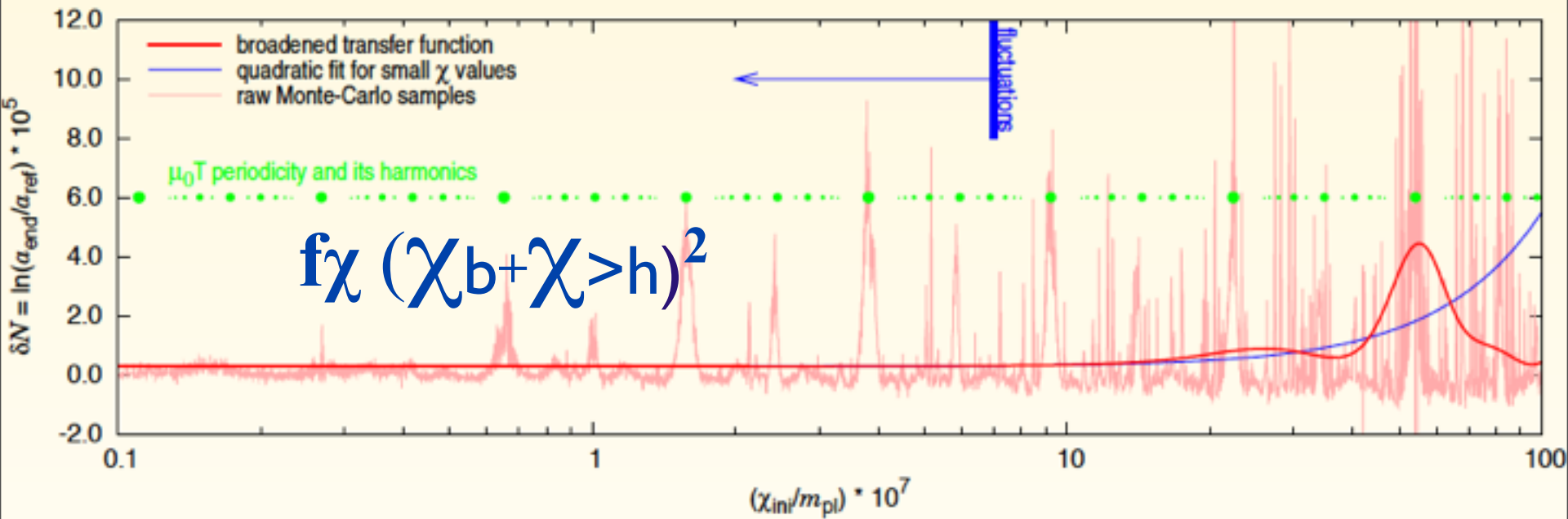
+



field smoothing over χ_{HF} over ~ 50 e-folds of HF structure

$$\langle F_{\text{NL}} | \chi_b + \chi_{>h} \rangle \sim \beta(\chi_{>h}) \chi_b + \mathbf{f}(\chi_{>h}) \chi_b^2 + \dots$$

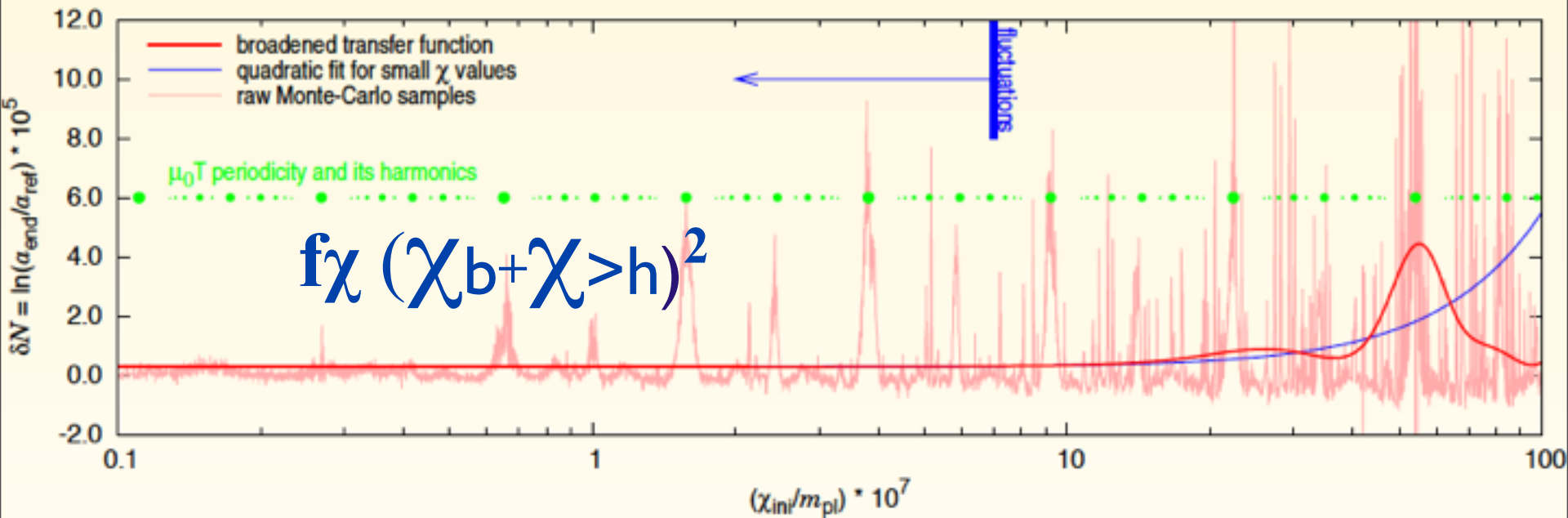
cf. $F(\mathbf{x}) = F_G(\mathbf{x}) + \mathbf{f}_{\text{NL}} F_G^2(\mathbf{x})$



field smoothing over χ_{HF} over ~ 50 e-folds of HF structure

$$\langle F_{\text{NL}} | \chi_b + \chi_{>h} \rangle \sim \beta(\chi_{>h}) \chi_b + f(\chi_{>h}) \chi_b^2 + \dots$$

cf. $F(\mathbf{x}) = F_G(\mathbf{x}) + \mathbf{f}_{\text{NL}} F_G^2(\mathbf{x})$



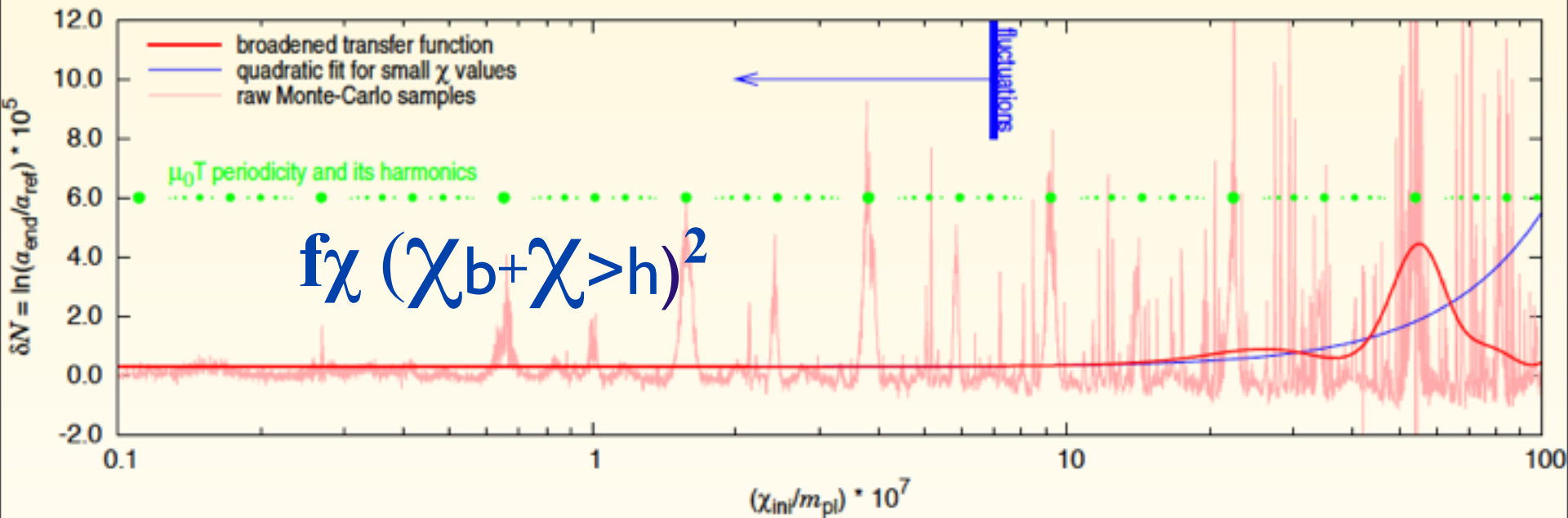
$$\mathbf{f}_{\text{NL}}^{\text{equiv}} = \beta^2 f_\chi [\mathbf{P}_\chi / \mathbf{P}_\phi]^2(k_{\text{pivot}})$$

$$\Rightarrow \text{constrain } f_\chi^3 \chi_{>h}^2 \quad (\mathbf{P}_\chi / \mathbf{P}_\phi \sim 2\varepsilon \Rightarrow \text{relaxed limit})$$

field smoothing over χ_{HF} over ~ 50 e-folds of HF structure

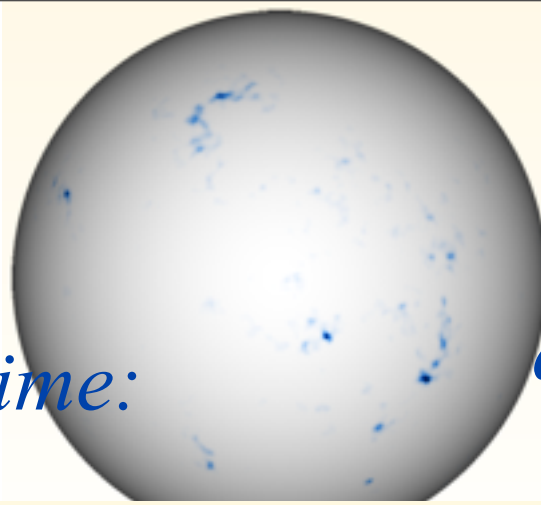
$$\langle F_{\text{NL}} | \chi_{\text{b}} + \chi_{>h} \rangle \sim \beta(\chi_{>h}) \chi_{\text{b}} + \mathbf{f}(\chi_{>h}) \chi_{\text{b}}^2 + \dots$$

cf. $F(\mathbf{x}) = F_{\text{G}}(\mathbf{x}) + \mathbf{f}_{\text{NL}} F_{\text{G}}^2(\mathbf{x})$



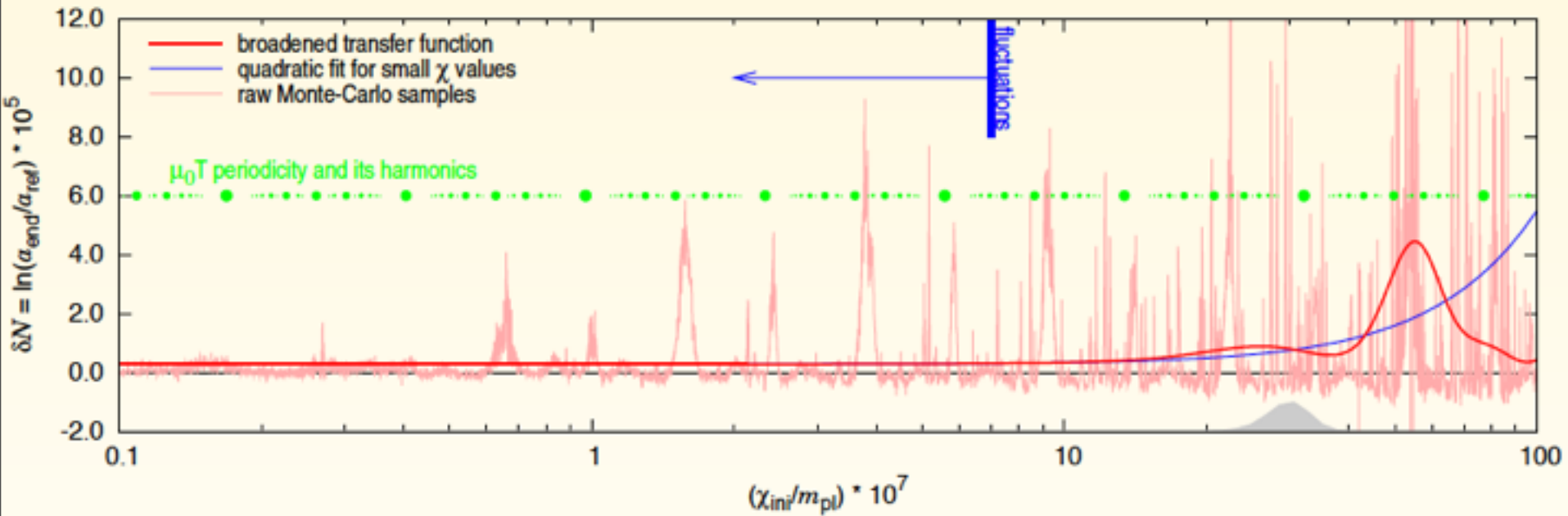
$$\mathbf{f}_{\text{NL}}^{\text{equiv}} = \beta^2 \mathbf{f}_\chi [\mathbf{P}_\chi / \mathbf{P}_\phi]^2(k_{\text{pivot}}) \quad -10 < \mathbf{f}_{\text{NL}} < 74 \text{ WMAP5 } (\pm 5 \text{ Planck})$$

$$\Rightarrow \text{constrain } \mathbf{f}_\chi^3 \chi_{>h}^2 \quad (\mathbf{P}_\chi / \mathbf{P}_\phi \sim 2\epsilon \Rightarrow \text{relaxed limit})$$



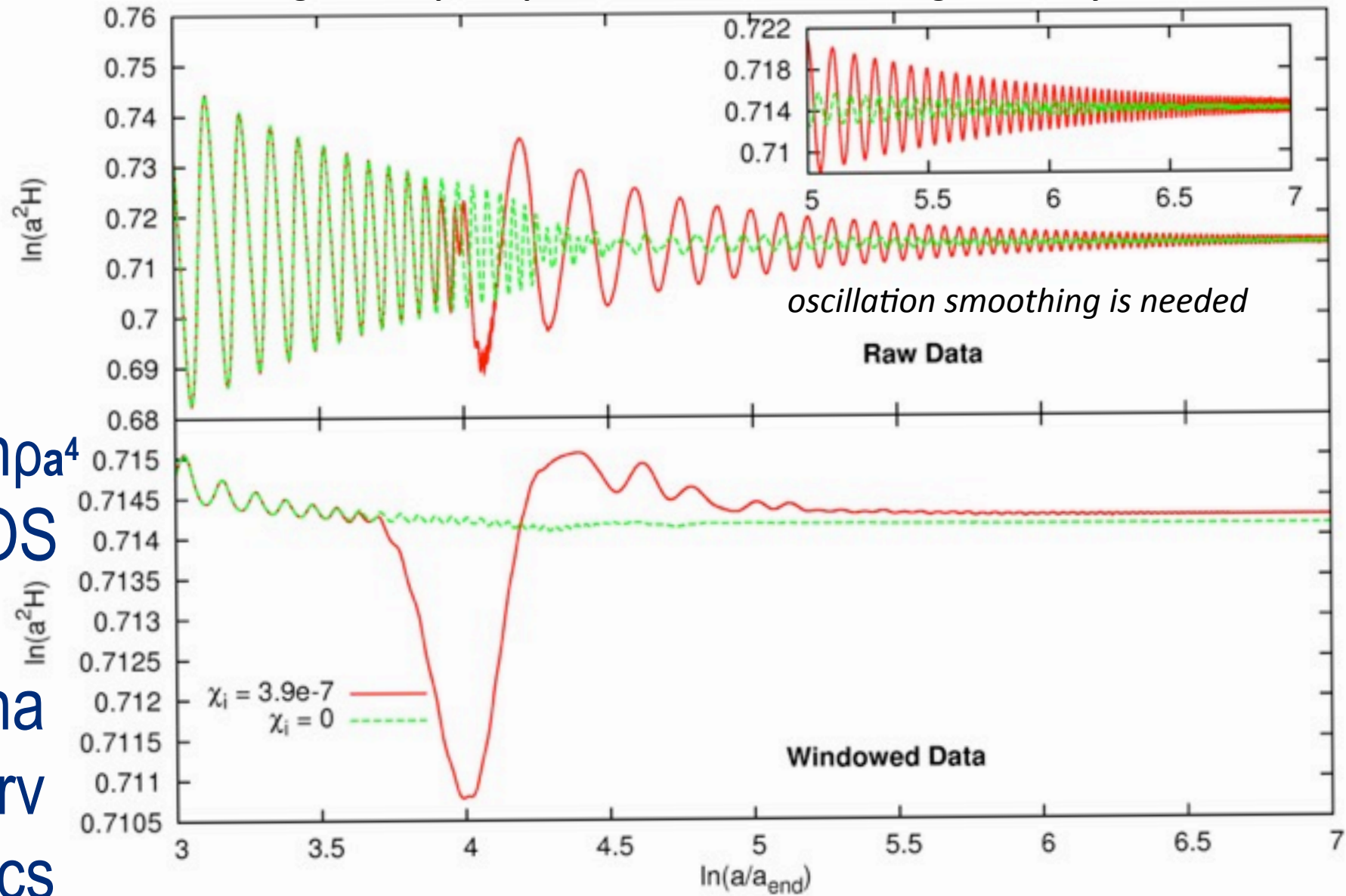
large-ish $\chi > h$ regime:

quadratic + cold spot
“rare events”



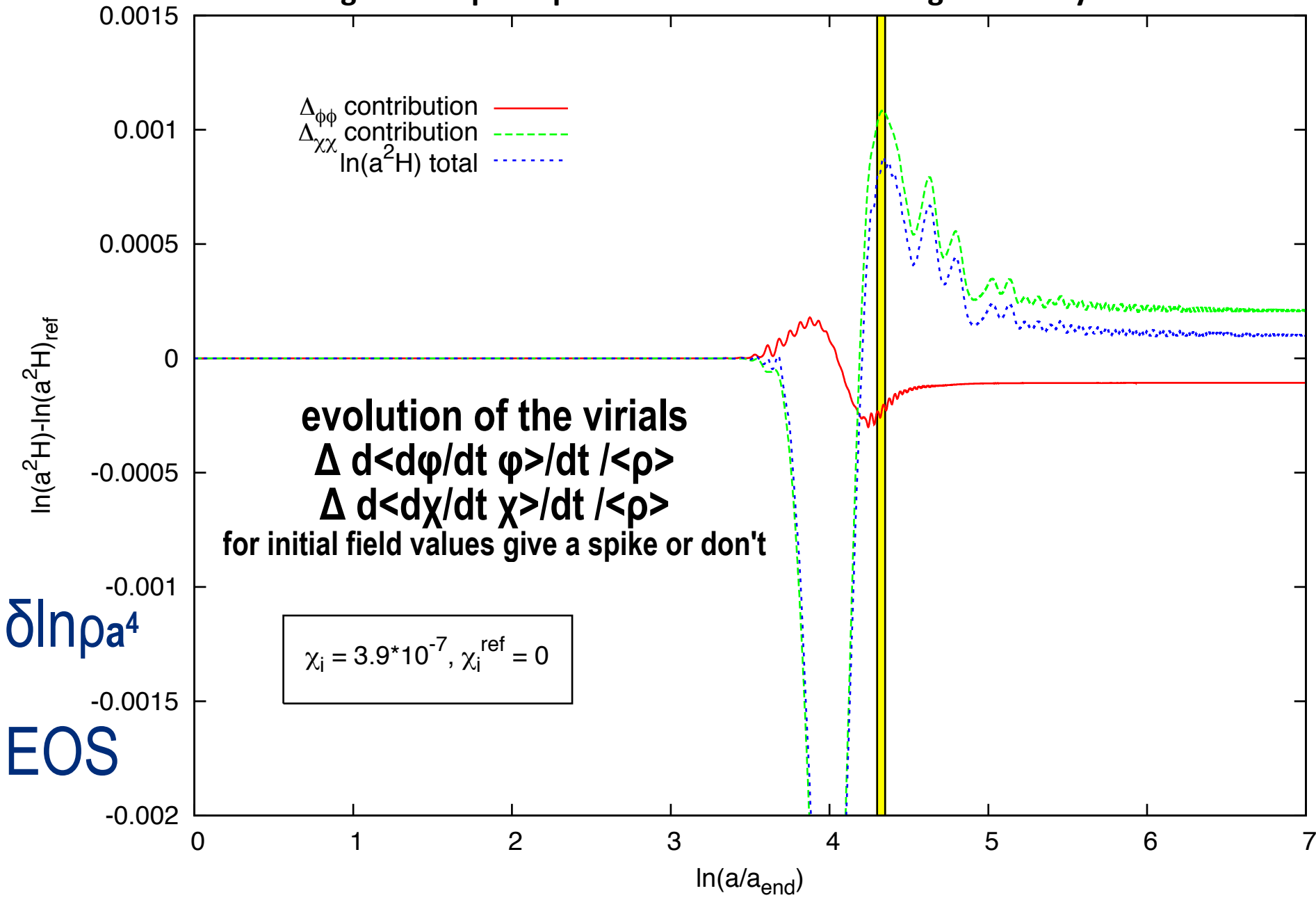
long aside: novel ways of finding hot & cold spots in the CMB vs. resolution; probing their interior structures; their polarization & relation to anisotropic T-strain; use of L-statistics (L-mean, L-skewness, L-kurtosis, ..) less biased than conventional central moment estimators

Relation to Nongaussianities smooth in time over oscillations gives EOS change ρa^4
 looking for sub-parts-per-million deviations so high accuracy fundamental



$\delta \ln \rho a^4$
 EOS
 \sim
 $\delta \ln a$
 curv
 flucs

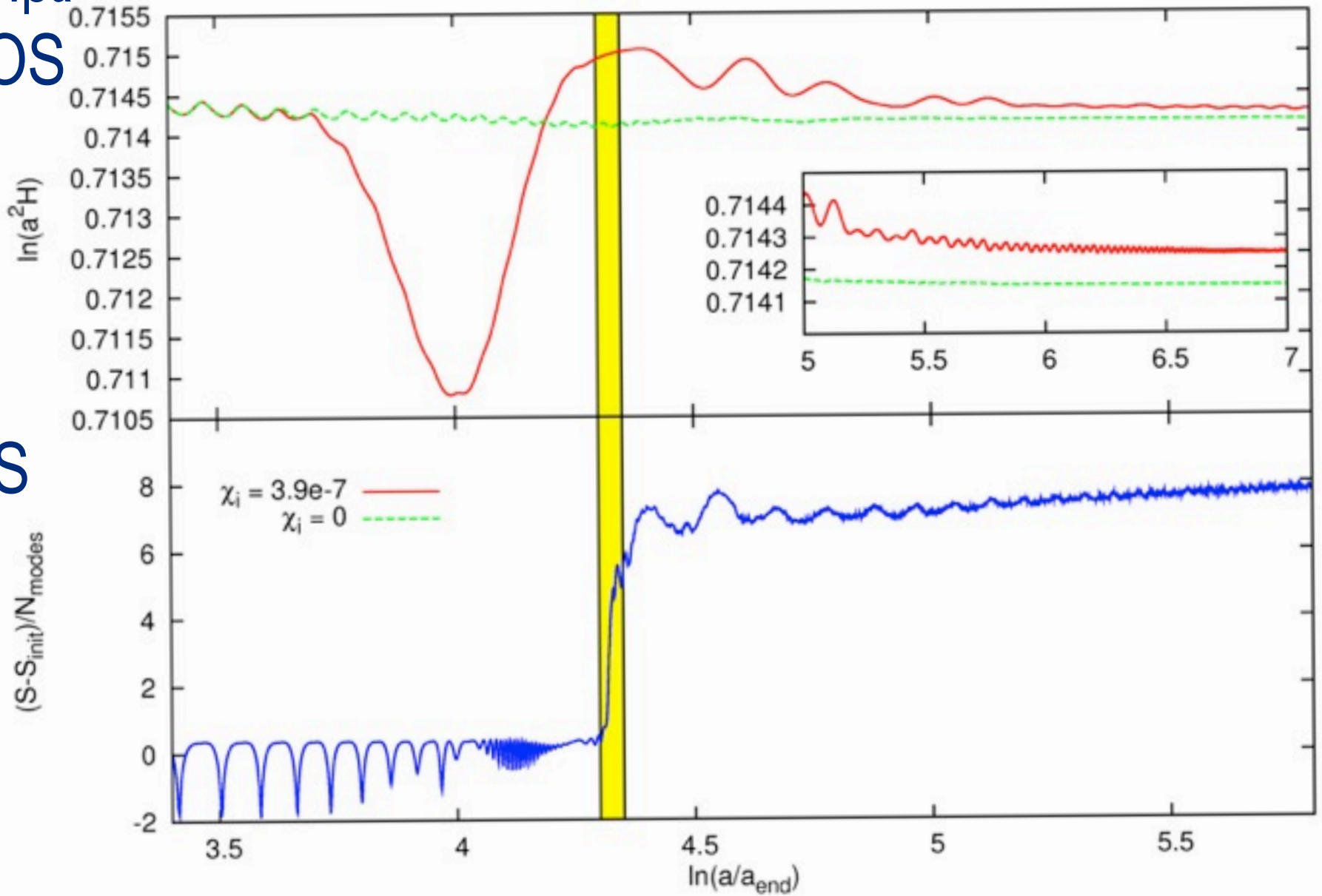
Relation to Nongaussianities smooth in time over oscillations gives EOS change ρa^4
 looking for sub-parts-per-million deviations so high accuracy fundamental



Relation to Nongaussianities EOS change ρa^4 near the entropy jump

$\delta \ln \rho a^4$
EOS

looking for sub-parts-per-million deviations so high accuracy fundamental



Conclusions

new language for preheating with complex information measures at its core: the shock-in-time = randomization front, an efficient entropy source

Spatial block RenormGp smoothing indicates that PDF's of fluctuations around local values evolve slowly post-shock

nearly Gaussian PDF for **$\ln \rho$ & \mathbf{V} hydro/phonon regime**

Observable preheating nongaussianities can be encoded in the spatial structure

of the shock-in-time, characterized by **$\ln \mathbf{a}_{\text{shock}}(X)/\mathbf{a}_{\text{end}}$** &

the mediation width. reasonable case made for **$\sim \ln \mathbf{a}_{\text{final}}(X)/\mathbf{a}_{\text{end}}$**

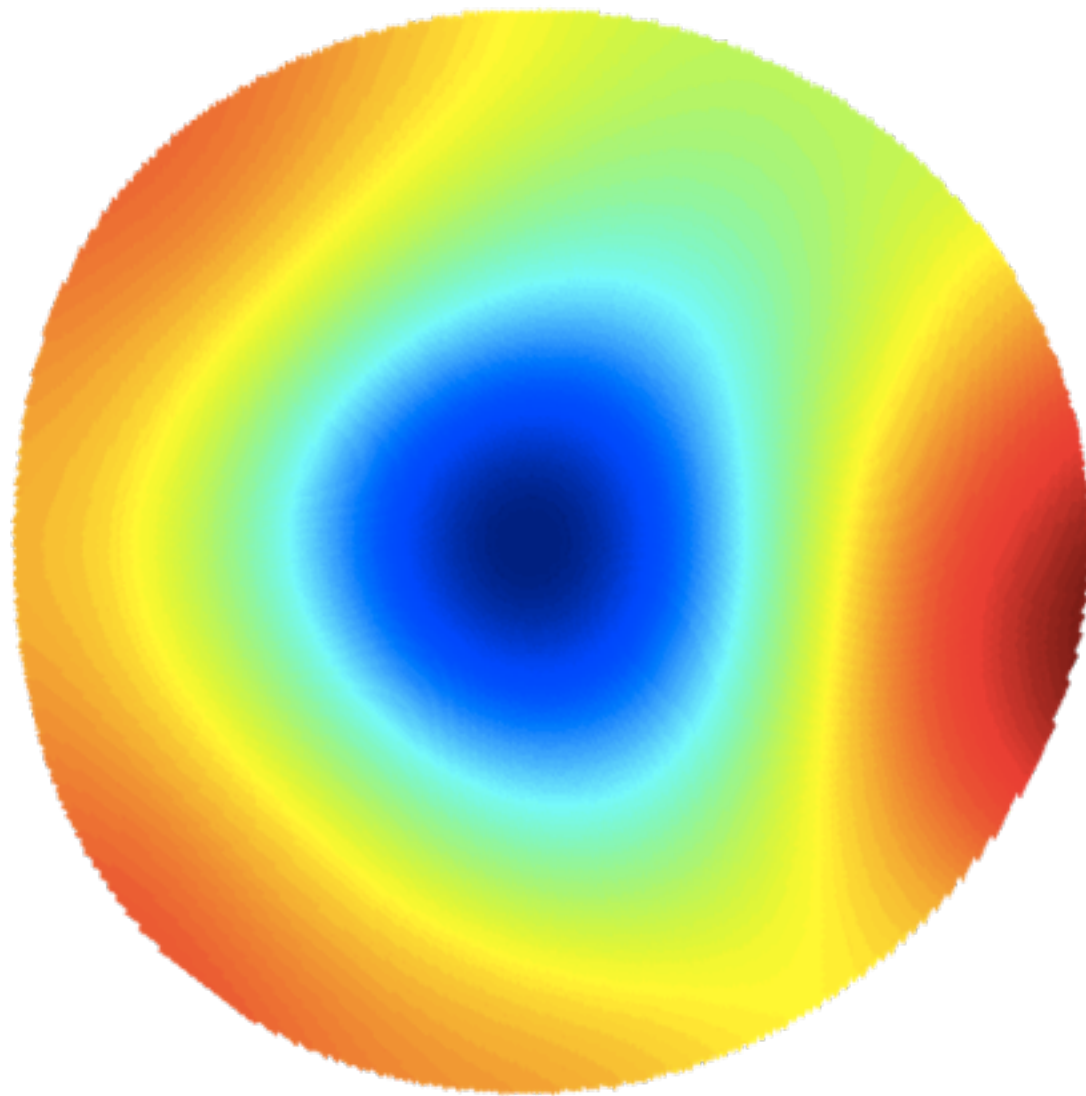
TBD: solidify the case for nonG from shock-in-time(x | couplings, isocon, ...) & explore the parameter dependence, and thus the **variety of nonG** that can arise.

constrain/detect with Planck. explore more short-astro-distance exotica of spiky potential pits whence opening of large number of particle dofs & standard model? can this kick in earlier, aka warm inflation. anyway, we are having fun with the high k drain

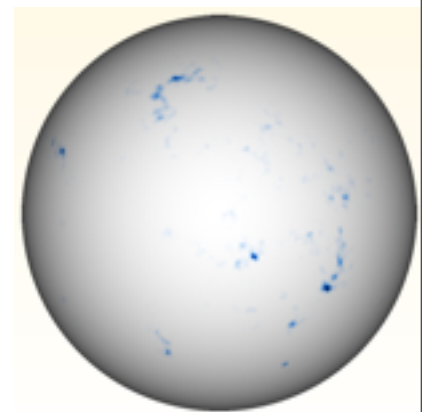
publish all of our cold spot /quadratic constraints nonG-S stuff

end

closing in on cold spot structure (*resolution*)

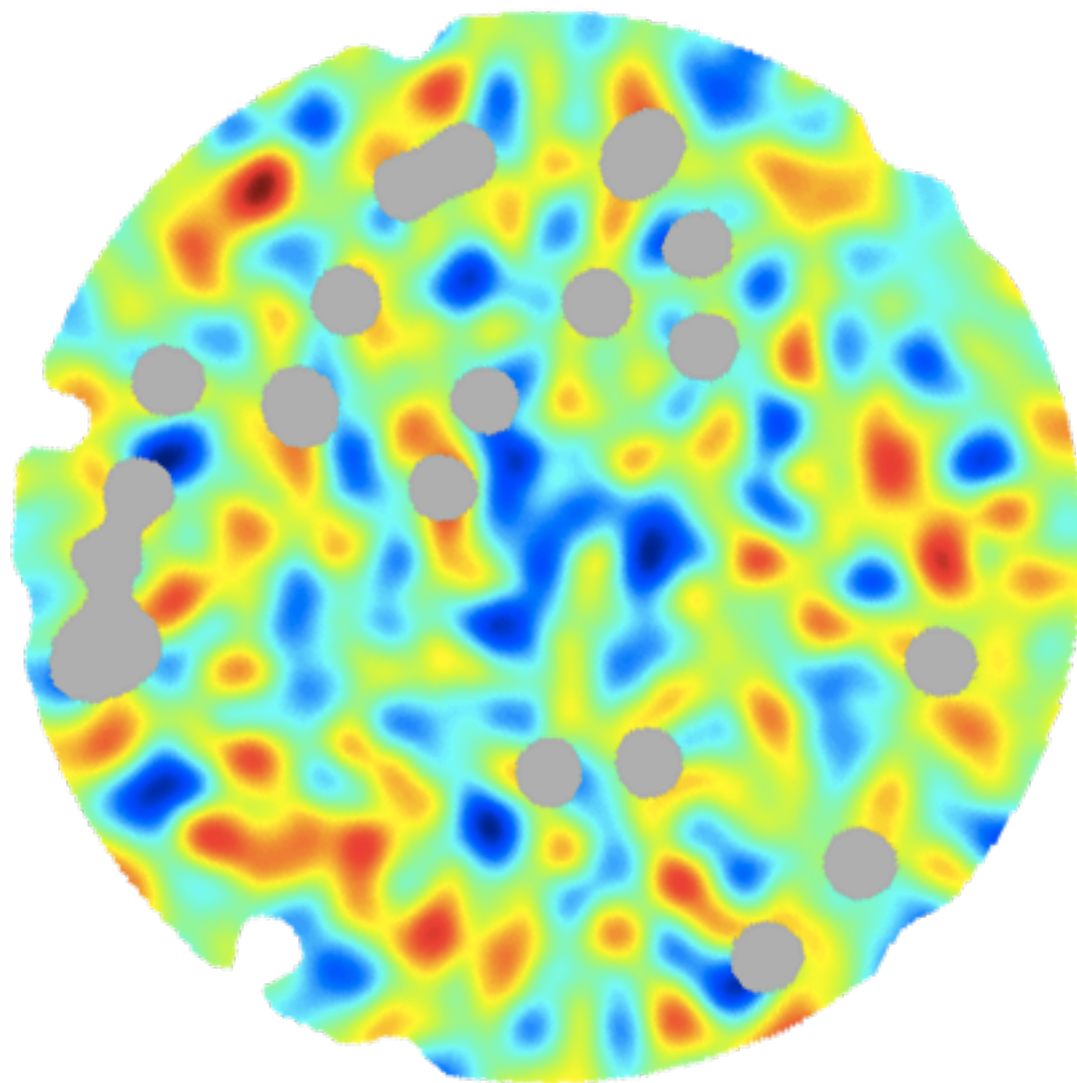


13 deg

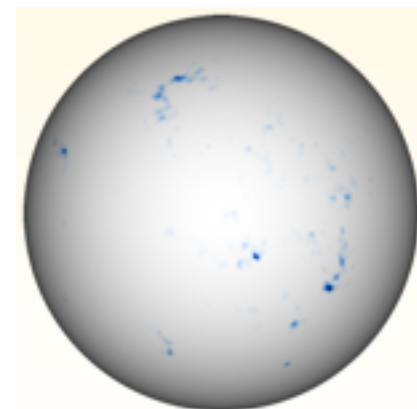
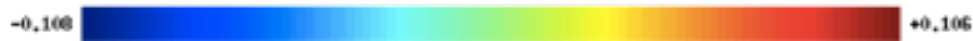


45

closing in on cold spot structure (*resolution*)

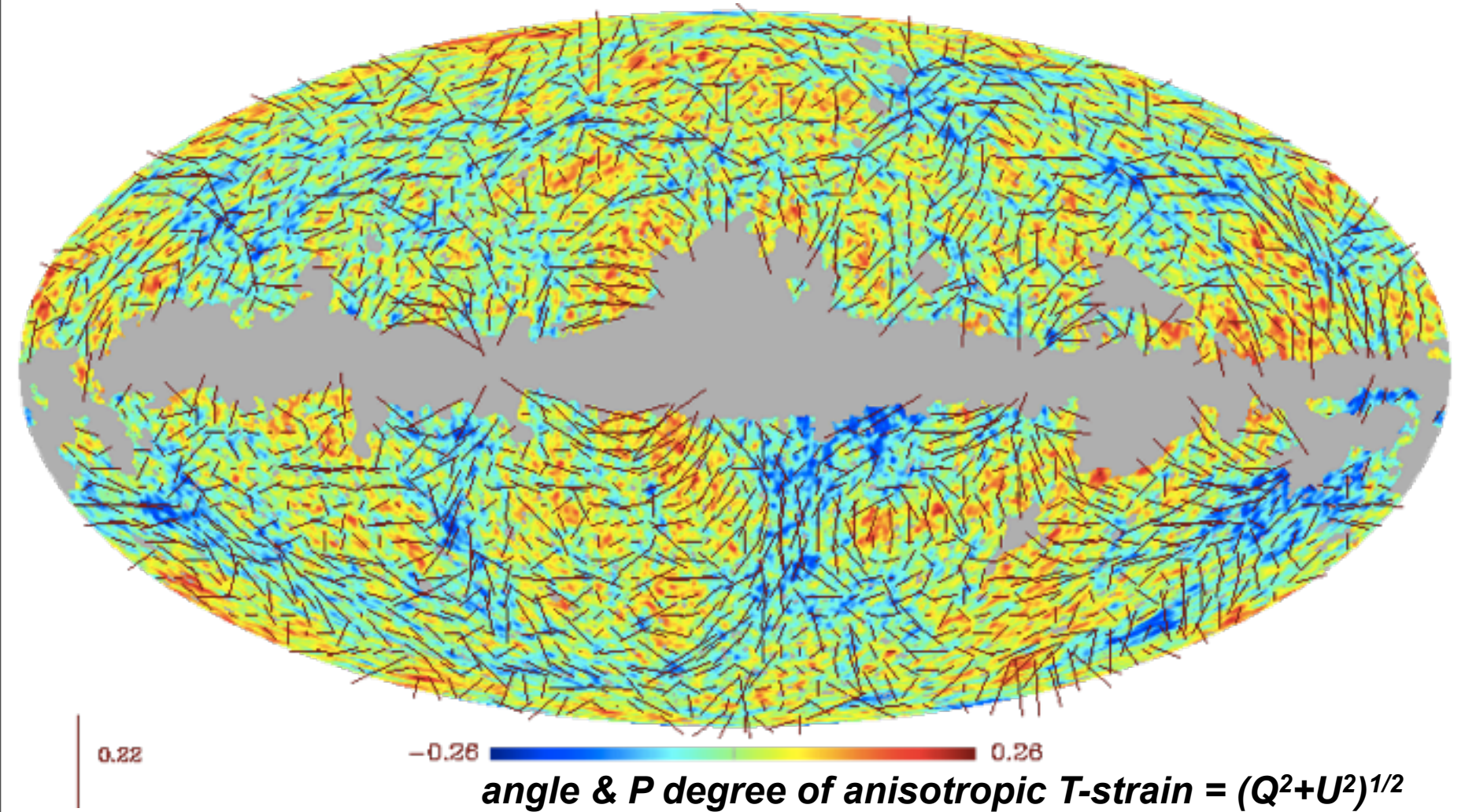


2 deg



46

$K_{ab} \equiv \Delta^{-1} \nabla_a \nabla_b T$ isotropic T-strain: = I Stokes
anisotropic T-strain: $K_{11}-K_{22} \sim Q$ E-like Stokes
anisotropic T-strain: $K_{12}+K_{21} \sim U$ E-like Stokes



end