

*IT from BIT from BITS in IT
understanding the*

**Complexity to
Simplicity to
Complexity**

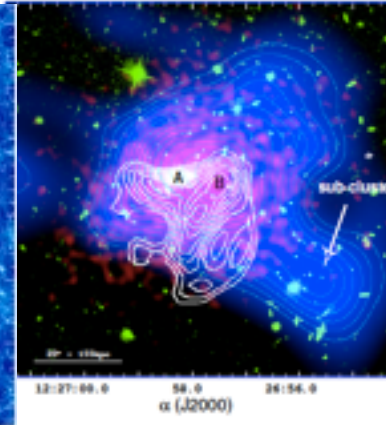
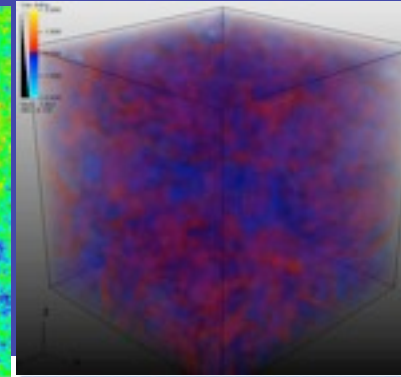
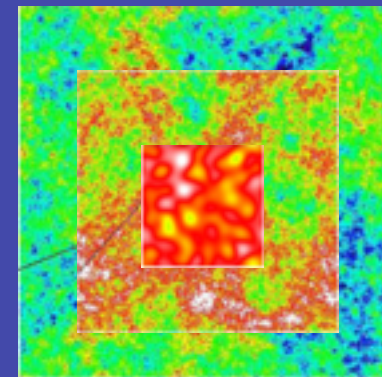
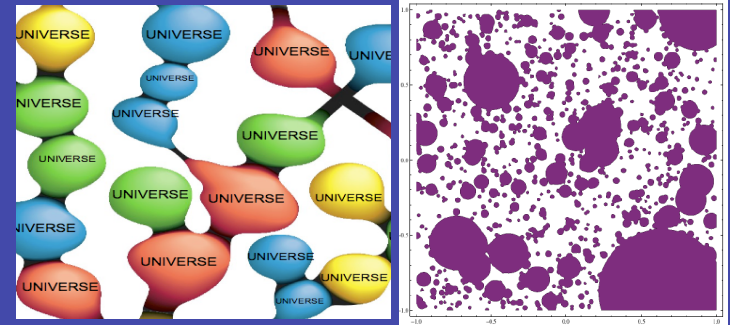
of the Universe = IT

*given that we are constrained to
see only a BIT of IT*

with rather few BITS from/in IT

information quantity = entropy Shannon 1948

information quality = IQ essence



*the coherent & the entropic, in all its forms,
from the ultra-early-U to Now to the ultra-late-U*

Bond@IAP 12.09.28



dS_G/dt

primary anisotropies

- linear perturbations: scalar/density, tensor/gravity wave
- tightly-coupled photon-baryon fluid: oscillations $\delta_\gamma v_\gamma \pi_\gamma$
- viscously damped
- polarization π_γ
- gravitational redshift

Decoupling LSS

17 kpc
(19 Mpc)

secondary
anisotropies

$dS/dt > 0$

• nonlinear evolution



• weak lensing

• thermal SZ
+ kinetic SZ

• $d\Phi/dt$

• dusty/radio galaxies, dGs

M
I
L
K
Y



$z=0$



Bayesian flow prior to posterior via likelihood

W
A
Y

DarkE

reionization

$dS_{astro} < 0$

$dS/dt > 0$

$z \sim 1100$ redshift z

$z \sim 10$

13.7- 10^{-50} Gyrs

13.7 Gyrs

time t

10 Gyrs

today

IT from BIT from BITs in IT

"Now I am in the grip of a new vision, that Everything Is Information. The more I have pondered the mystery of the quantum and our strange ability to comprehend this world in which we live, the more I see possible fundamental roles for logic and information as the bedrock of physical theory. ... I continue to search."



the coherent and the entropic, in all its forms, from ultra-early-U to ultra-late-U

$$S_{U,m+r} \sim 10^{88.6} \text{ cf. } S_G \sim 10^{121.9} \text{ asymptotic DE}$$

Studying the Cosmic Tango
en-TANGO-ment the dance of $U=R_U S$

the **medium** is the **message** McLuhan 1964 UofT

Universe = System(s)+Reservoir = Signal(s)+Residual noise = Effective Theory+Hidden variables, = Data+Theory, observer(s)+observed

$U=R_U S$ ruled by (information) entropy in bits, entangled.
the fine grains in the coarse grains

entropy = <information-content> Quantity Shannon 1948

generalized parameter space {q} ~ phase space

$$S_f(D, T) = \int dq P_f \ln[P_f^{-1}]$$



Boltzmann
 $S = k_B \ln W$,
 $W = N_{states}$
 $dS/dt > 0$



equal a priori probability

IT from BIT from BITs in IT

"Now I am in the grip of a new vision, that **Everything Is Information**. The more I have pondered the mystery of the quantum and our strange ability to comprehend this world in which we live, the more I see possible fundamental roles for logic and information as the bedrock of physical theory. ... I continue to search."



the coherent and the entropic, in all its forms, from ultra-early-U to ultra-late-U

$$S_{U,m+r} \sim 10^{88.6} \text{ cf. } S_G \sim 10^{121.9} \text{ asymptotic DE}$$

Studying the **Cosmic Tango**
en-TANGO-ment the dance of $U=R_{U}S$

the **medium** is the **message** McLuhan 1964 UofT

Universe = System(s)+Reservoir = Signal(s)+Residual noise = Effective Theory+Hidden variables, = Data+Theory, observer(s)+observed

$U=R_{U}S$ ruled by (information) entropy in bits, entangled.
the fine grains in the coarse grains

entropy = <information-content> Quantity Shannon 1948

generalized parameter space $\{q\} \sim$ phase space

$$S_f(D, T) = \int dq P_f \ln[P_f^{-1}]$$



Boltzmann
 $S = k_B \ln W,$
 $W = N_{states}$
 $dS/dt > 0$



A Long View of Particle Physics Frank Wilczek 2012, 25th Solvay:
Information as Foundation? There are, I think, significant hints that it should be.

QITA Quantum Information Theory & Analysis

the coherent and the entropic, in all its forms, from ultra-early-U to ultra-late-U

$S_{U,m+r} \sim 10^{88.6}$ cf. $S_G \sim 10^{121.9}$ asymptotic DE

Studying the Cosmic Tango
 en-TANGO-ment *the dance of U=R_US*

our Cosmoticians' Agenda: Statistical Paths in Cosmic Theory & Data via the Bayesian chain drawing what we know of *It from Its Bits*

$P(q|D,T) = P(D|q,T)P(q|T)P(T)/P(D|T)$ **D=CMB,LSS,SN,...,complexity, life**
T=baryon, dark matter, vacuum mass-energy densities,...,
 early & late inflation as low energy flows/trajectories on a (string) landscape

entropy =<information-content> Quantity Shannon 1948

generalized parameter space {q} ~phase space

$S_f(D,T) = \int dq P_f \ln[P_f^{-1}]$

$S_{fi}(D,T) = \int dq P_f \ln[P_f^{-1} P_i]$

relative Shannon entropy = - Kullback Leibler divergence

$P_f(q)$ probability density functional distribution function

⇐ quantum (von Neumann) $S = -Tr \rho \ln \rho$ density matrix

Boltzmann
 $S = k_B \ln W,$
 $W = N_{states}$
 $dS/dt > 0$

Bayes measure
 => "dS_f/dt < 0"

as System knowledge ↑



the coherent and the entropic, in all its forms, from ultra-early-U to ultra-late-U

$S_{U,m+r} \sim 10^{88.6}$ cf. $S_G \sim 10^{121.9}$ asymptotic DE

Studying the Cosmic Tango
en-TANGO-ment *the dance of U=R_US*

our Cosmoticians' Agenda: Statistical Paths in Cosmic Theory & Data via the Bayesian chain drawing what we know of *It from Its Bits*

$P(q|D,T) = P(D|q,T)P(q|T)P(T)/P(D|T)$ $D=CMB,LSS,SN,...,complexity, life$
 $T=baryon, dark matter, vacuum mass-energy densities,...$
early & late inflation as low energy flows/trajectories on a (string) landscape

entropy = <information-content> Quantity Shannon 1948

generalized parameter space {q} ~phase space

$$S_f(D,T) = \int dq P_f \ln[P_f^{-1}]$$

$$S_{fi}(D,T) = \int dq P_f \ln[P_f^{-1} P_i] = \langle \sigma_{fi} \rangle_f$$

relative Shannon entropy = - Kullback Leibler divergence

$P_f(q)$ probability density functional distribution function

⇐ quantum (von Neumann) $S = -Tr \rho \ln \rho$ density matrix $-\langle \ln \rho \rangle_\rho$

relative RENYI entropy of order n a concentration measure (1 is Shannon)

$$\exp[-(n-1)S_{n,fi}(D,T)] = \langle \exp[-(n-1)\sigma_{fi}] \rangle_f \sim - \ln \langle \rho^n \rangle_v / \langle \rho \rangle_v^n$$



IT from BIT from BITS in IT

the coherent and the entropic, in all its forms, from ultra-early-U to ultra-late-U

$$S_{U,m+r} \sim 10^{88.6} \text{ cf. } S_G \sim 10^{121.9} \text{ asymptotic DE}$$

Studying the **Cosmic Tango**
en-TANGO-ment *the dance of U=R_US*

our **Cosmoticians' Agenda: Statistical Paths in Cosmic Theory & Data**
via the **Bayesian chain** drawing what we know of *It from Its Bits*

$P(q|D,T) = P(D|q,T)P(q|T)P(T)/P(D|T)$ **D=CMB,LSS,SN,..., complexity, life**
T=baryon, dark matter, vacuum mass-energy densities,...,
early & late inflation as low energy flows/trajectories on a (string) landscape

entropy = <information-content> Quantity Shannon 1948

generalized parameter space {q} ~phase space

$$S_f(D,T) = \int dq P_f \ln[P_f^{-1}]$$



IQ=information quality

IQ~{minimal length messages/codes | error tolerance} Planck(E/T),
genetic code, recipes, axioms, algorithms, IC/BC/evolution eq'n's

cat information_overload.txt | grep fundamental | grep physics > exec_summary.tex

filter, compress, reduce, marginalize



early U applications of "CITA" to cosmic-complexity



$$S_{U,m+r} \sim 10^{88.6}$$

$$\text{cf. } S_G \sim 10^{121.9}$$

☆ *the superhorizon measure problem & the Lambda-scape*



☆ *the emergence of the collective from the random!*
coherence from driven zero-point vacuum fluctuations $\Rightarrow V$
inflaton, gravity waves; decohere



☆ *let there be heat:* entropy generation in **preheating** from the coherent inflaton (origin of all "matter")



Studying the Cosmic Tango



$P(q|D,T) = P(D|q,T)P(q|T)P(T)/P(D|T)$ $D=CMB,LSS,SN,\dots$ **complexity**, life
 $T=baryon, dark\ matter, vacuum\ mass-energy\ densities,\dots$,
early & late inflation as low energy flows/trajectories on a (string) landscape

some non-early U applications of "CITA" to cosmic-complexity



➤ information in **nearly-Gaussian** density/potential random fields of U, & in weakly and strongly non-linear fields. *ergodic theorem & constrained fields*



➤ spatial coarse-grained **CMB entropy** & how we capture it



➤ dark matter entropy, cluster & **protocluster** & **cosmic web** entropy



MHD turbulence entropy with cooling & grain polarized emission - CMB fgnd

➤ *How Shannon info-entropy flows from CMB bolometer timestreams to marginalized cosmic parameters via Bayesian chains from prior to posterior. 1D & 2D & ... $\Delta S(q,DT)$ (cf. ACT10), $q=r, w, n_s, \dots$*

Studying the Cosmic Tango



some non-early U applications of “CITA” to cosmic-complexity 

➡ information in **nearly-Gaussian** density/potential random fields of U,  & in weakly and strongly non-linear fields. *ergodic theorem & constrained fields*

➡ spatial coarse-grained **CMB entropy** & how we capture it 

➡ dark matter entropy, cluster & **protocluster** & **cosmic web** entropy 

MHD turbulence entropy with cooling & grain polarized emission - CMB fgnd

➡ **How Shannon info-entropy flows from CMB bolometer timestreams to marginalized cosmic parameters via Bayesian chains from prior to posterior. 1D & 2D & ... $\Delta S(q,DT)$ (cf. ACT10), $q=r, w, n_s, \dots$**



dS_G/dt

primary anisotropies

- linear perturbations: scalar/density, tensor/gravity wave
- tightly-coupled photon-baryon fluid: oscillations $\delta_\gamma v_\gamma \pi_\gamma$
- viscously damped
- polarization π_γ
- gravitational redshift

Decoupling LSS

17 kpc
(19 Mpc)

secondary
anisotropies

$dS/dt > 0$

• nonlinear evolution



• weak lensing

• thermal SZ
+ kinetic SZ

• $d\Phi/dt$

• dusty/radio galaxies, dGs

M
I
L
K
Y



$z=0$



Bayesian flow prior to posterior via likelihood

W
A
Y

DarkE

reionization

$dS_{astro} < 0$

$dS/dt > 0$

$z \sim 1100$ redshift z

$z \sim 10$

13.7- 10^{-50} Gyrs

13.7 Gyrs

time t

10 Gyrs

today

CITA = Cosmic Information Theory & Analysis: IT from BIT, from BITs in IT, Studying the Cosmic Tango en-TANGO-ment Universe=System+Res=Data+Theory =Signal(s)+noise=EFT+Hidden variables

we compress the Petabit++ observed cosmic info into a precious few bits encoding 6+ parameters of the Minimal Cosmic Standard model (tilted Λ CDM)

WMAP: 1.15 Tbits in 9yrs, cf. MyLifeBits, Gordon Bell, 1.28 Tbits in 9yrs, Planck 36 Tbits, ACT 304 Tbits.
Radically Compress to high quality Bits. Terabit= 10^{12} bits=125 GigaBytes.

Shannon entropy difference $\Delta S_{fi}(q,DT) = \int dq P_f \ln P_f^{-1} - \int dq P_i \ln P_i^{-1}$

a new **figure of merit** for experiments, $\langle \ln \text{VOLUME}_{ps} \rangle \sim$ posterior Shannon entropy: *how the (radically compressed) one-dimensional entropy of cosmic parameters, the high quality bits we quest, did/will change as the experiments became/become more & more precise:*

CMB@CITA: Boomerang, Acbar, CBI1,2, WMAP, Planck, ACT, Spider, Blast, & ACTpol, ABS, QUIET2;
GBT-Mustang2, CARMA/SZA, SCUBA2, ALMA, CCAT. CMB@CIFAR: these + APEX, SPT, SPTpol, EBEX

CITA = Cosmic Information Theory & Analysis: IT from BIT, from BITS in IT, Studying the Cosmic Tango en-TANGO-ment

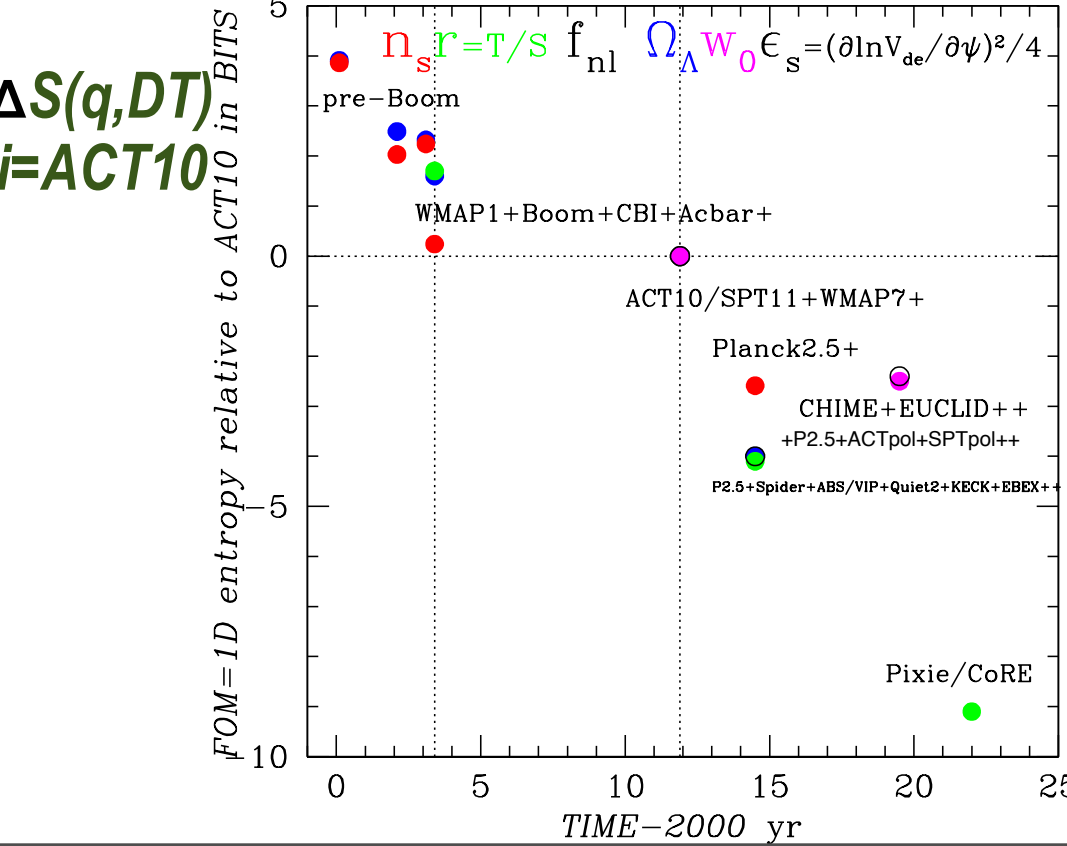
Universe=System+Res=Data+Theory=Signal(s)+noise=EFT+Hidden variables

we compress the Petabit++ observed cosmic info into a precious few bits encoding 6+ parameters of the Minimal Cosmic Standard model (tilted Λ CDM)

WMAP: 1.15 Tbits in 9yrs, cf. MyLifeBits, Gordon Bell, 1.28 Tbits in 9yrs, Planck 36 Tbits, ACT 304 Tbits. Radically Compress to high quality Bits. Terabit=10¹²bits=125 GigaBytes.

Shannon entropy difference $\Delta S_{fi}(q,DT) = \int dq P_f \ln P_f^{-1} - \int dq P_i \ln P_i^{-1}$

a new figure of merit for experiments, $\langle \ln VOLUME_{ps} \rangle =$ posterior Shannon entropy: how the (radically compressed) one-dimensional entropy of cosmic parameters, the high quality bits we quest, did/will change as the experiments became/become more & more precise:



2D ΔS_{2f} for DarkE improves by ~5 bits

CITA = Cosmic Information Theory & Analysis: IT from BIT, from BITS in IT, Studying the Cosmic Tango en-TANGO-ment

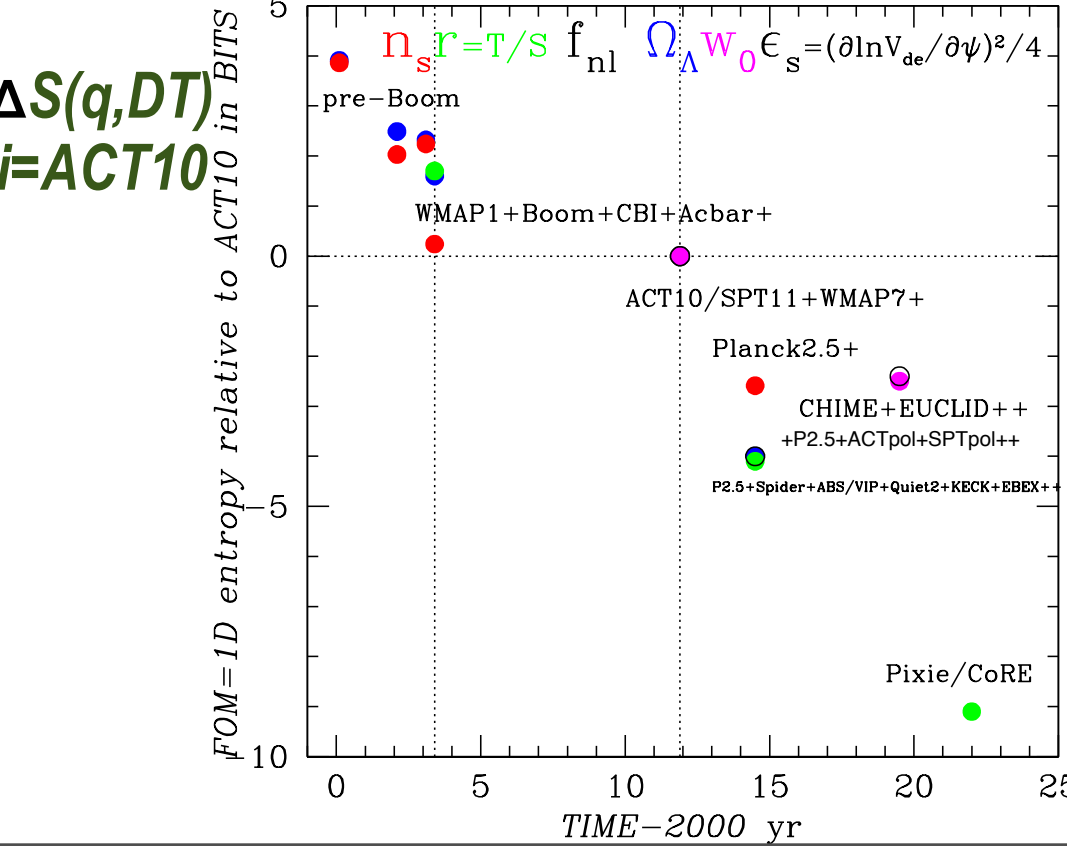
Universe=System+Res=Data+Theory=Signal(s)+noise=EFT+Hidden variables

we compress the Petabit++ observed cosmic info into a precious few bits encoding 6+ parameters of the Minimal Cosmic Standard model (tilted Λ CDM)

WMAP: 1.15 Tbits in 9yrs, cf. MyLifeBits, Gordon Bell, 1.28 Tbits in 9yrs, Planck 36 Tbits, ACT 304 Tbits. Radically Compress to high quality Bits. Terabit=10¹²bits=125 GigaBytes.

Shannon entropy difference $\Delta S_{fi}(q,DT) = \int dq P_f \ln P_f^{-1} - \int dq P_i \ln P_i^{-1}$

a new figure of merit for experiments, $\langle \ln VOLUME_{ps} \rangle =$ posterior Shannon entropy: how the (radically compressed) one-dimensional entropy of cosmic parameters, the high quality bits we quest, did/will change as the experiments became/become more & more precise:



inflation
 $n_s : 0.963 \pm 0.011 \Rightarrow \pm 0.002$ (Pext)
 $r : < 0.17 \Rightarrow < 0.007-0.013$ (Pext)
 $f_{NL} : -10 < f_{NL} < 74 \Rightarrow \pm 5$ (Pext)

dark energy
 $\Omega_\Lambda : \pm 0.012 \Rightarrow \pm 0.001$ (Pext)
 $w_0 : \pm 0.06 \Rightarrow \pm 0.01$ (Pext) ($\pm 0.14 \Rightarrow \pm 0.03$ if w_a)
 $\ln V$ -slope²/4 $0.0 \pm 0.18 \Rightarrow \pm 0.03$ (Pext)
 +2 other w-trajectory parameters BHK11, BH12

2D ΔS_{2f} for DarkE improves by ~5 bits

late-inflaton DE trajectories

$$(1+W_{de}) = -d \ln p_{de} / d \ln a^3$$

$\Omega_\Lambda: \pm 0.012 \Rightarrow \pm 0.001$ (Pext)

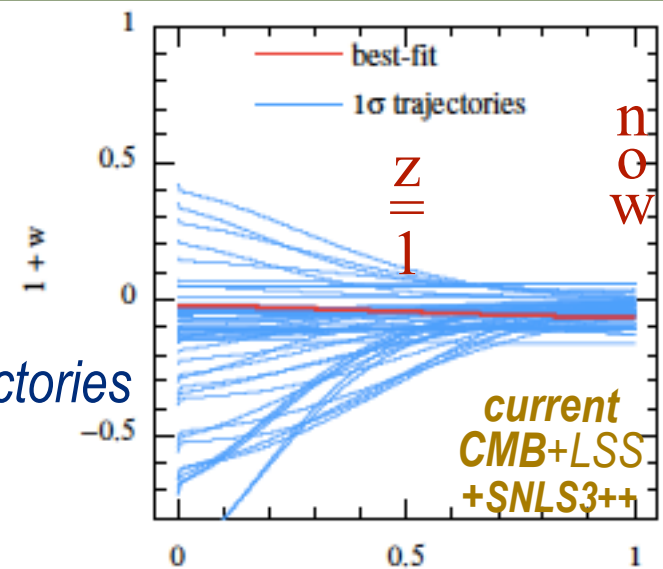
$w_0: \pm 0.06 \Rightarrow \pm 0.01$ (Pext) ($\pm 0.14 \Rightarrow \pm 0.03$ if w_a)

$\epsilon_s = \ln V\text{-slope}^2 / 4: 0.0 \pm 0.18 \Rightarrow \pm 0.03$ (Pext)

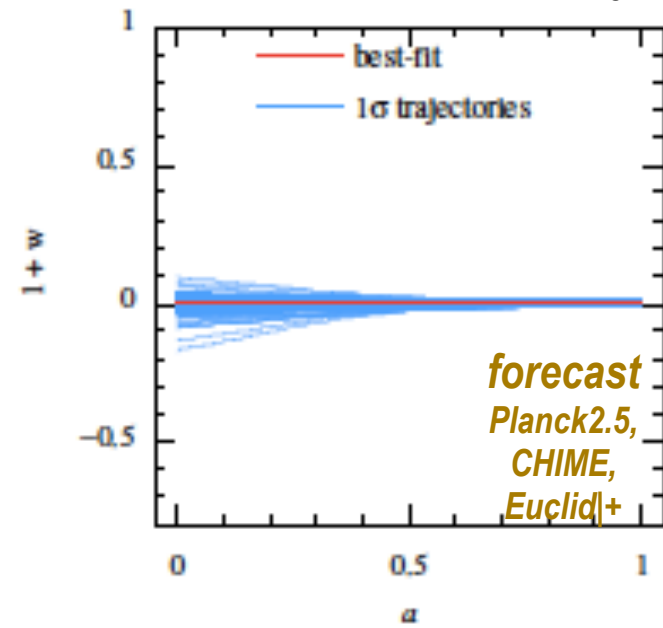
+2 other w -trajectory parameters BHK11, BH12

2D ΔS_{2f} for DarkE ($\epsilon_s \epsilon_{de\infty}$ or $w_0 w_a$) improves by ~ 5 bits

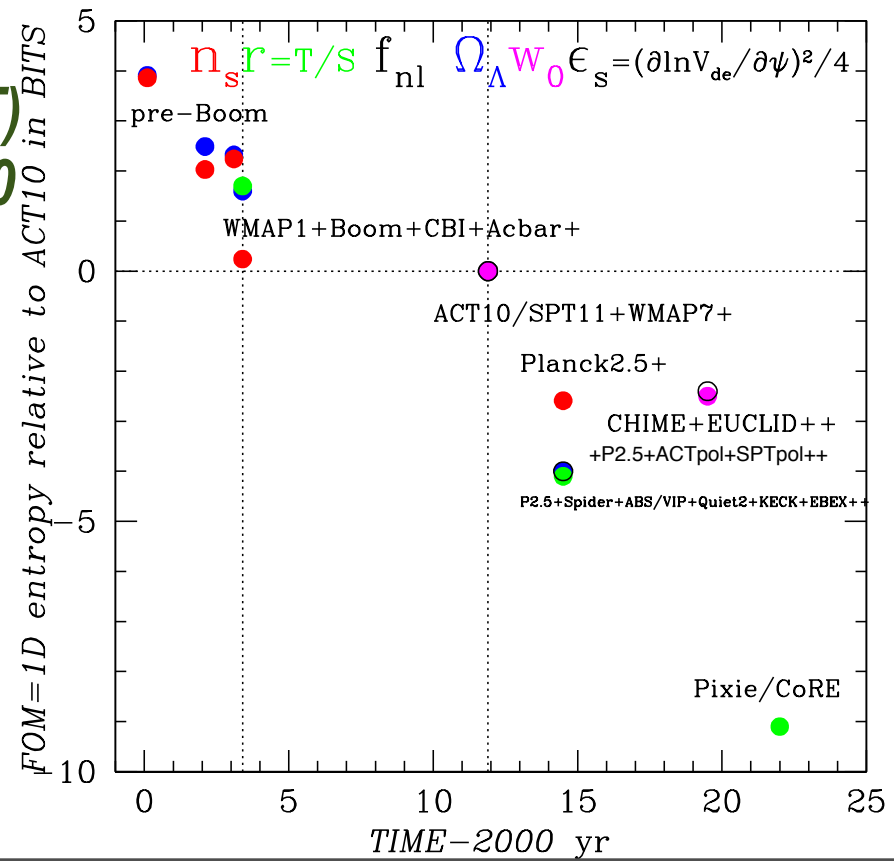
informed $w(a | \epsilon_s \epsilon_{de\infty} \zeta_s)$ fits even wild late-inflaton trajectories



a Bond, Huang 2012



$\Delta S(q, DT)$
 $i=ACT10$



future fate of



the cold-death of the Universe



(cf. ~1800s heat-death)

coherence

 (dark energy $\rho_{de}(t,x) \Rightarrow V_{de} \sim \Lambda$)

beats incoherence

 ($\Upsilon, v, h+x, \dots p, n, e$)

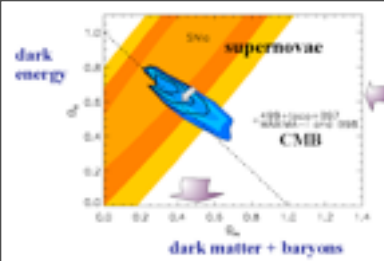
but entropy/particle

remains

 (*for surviving particles*) e.g., 5.2 bits/photon

the **gravo-thermal catastrophe** = negative specific heat - goal to localize all mass into black holes & make accelerating voids *to straighten U out, radiating entropy along the way*

although $S_G = M_{bh}^2/2M_P^2$ decays into radiation, $S_G = M_P^2/2(H/2\pi)^2 \sim 10^{121.9}$ remains (until tunnel)





dS_G/dt

primary anisotropies

- linear perturbations: scalar/density, tensor/gravity wave
- tightly-coupled photon-baryon fluid: oscillations $\delta_\gamma v_\gamma \pi_\gamma$
- viscously damped
- polarization π_γ
- gravitational redshift

Decoupling LSS

17 kpc
(19 Mpc)

secondary anisotropies

$dS/dt > 0$

• nonlinear evolution



• weak lensing

• thermal SZ
+ kinetic SZ

• $d\Phi/dt$

• dusty/radio galaxies, dGs

MILKY



$z=0$



Bayesian flow prior to posterior via likelihood

WAY

DarkE

reionization

$dS_{astro} < 0$

$dS/dt > 0$

$z \sim 1100$ redshift z

$z \sim 10$

13.7- 10^{-50} Gyrs

13.7 Gyrs

time t

10 Gyrs

today

early U applications of "CITA" to cosmic-complexity



☆ *the superhorizon measure problem & the Lambda-scape*



☆ *the emergence of the collective from the random!*
coherence from driven zero-point vacuum fluctuations $\Rightarrow V$
inflaton, gravity waves; decohere



☆ *let there be heat:* entropy generation in **preheating** from the
coherent inflaton (origin of all "matter")



$$S_{U,m+r} \sim 10^{88.6}$$

$$\text{cf. } S_G \sim 10^{121.9}$$

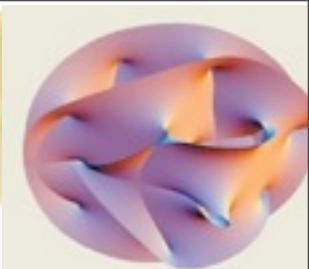
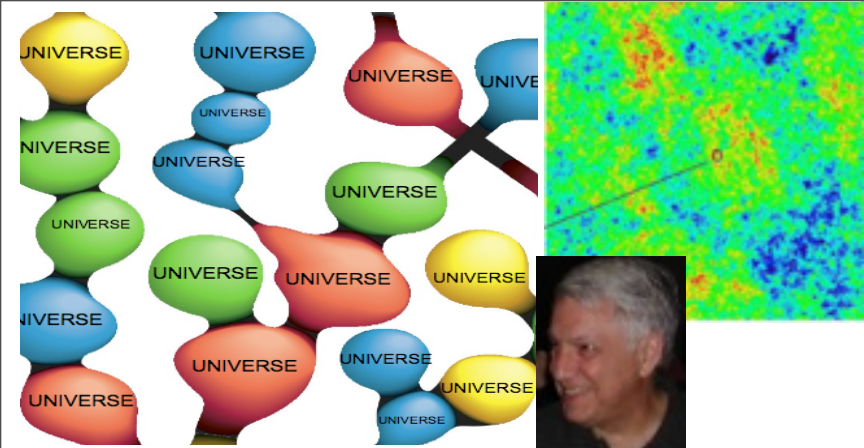
*Studying the
Cosmic
Tango*



$P(q|D,T) = P(D|q,T)P(q|T)P(T)/P(D|T)$ $D=CMB,LSS,SN,\dots$ **complexity**, life
 $T=baryon, dark\ matter, vacuum\ mass-energy\ densities,\dots$,
early & late inflation as low energy flows/trajectories on a (string) landscape

Old: Theory prior = delta function of THE correct one&only

New: Theory prior = probability distribution of
late-ish-flows on a **LANDSCAPE**

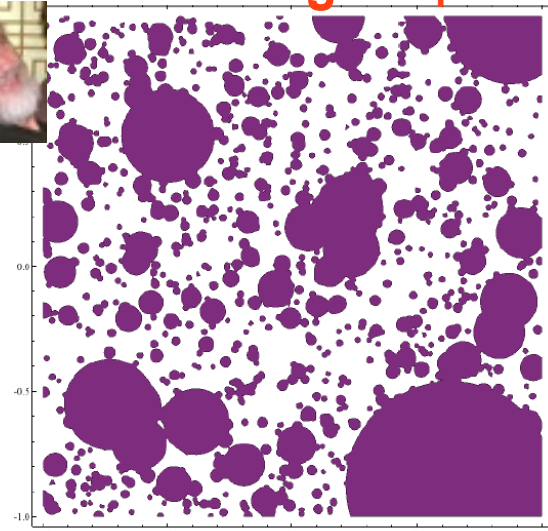


statistical mini-landscapes e.g.,
Roulette Inflation in a holey U cf. braney Us

$S_{U, UUULSS} = \langle \ln P[U|Time] \rangle^1$
measure problem

when quantum kicks
beat classical drifts
 we are in the
semi-ETERNAL INFLATION regime

or via **tunnelling** thru potential wells
 => the
**hubble
 bubble U**



$S_{G, GH}$
 $\propto m_P^2 / H_V^2$
 $\propto m_P^4 / \rho_V$

Preheating After
 Roulette Inflation

$\langle \tau \rangle =$

**quantum
 diffusion
 spatial jitter**

drift

$\ln a(\mathbf{x}, \ln H)$

let there be
 heat

 $= \langle \ln P[U|Time] \rangle^1$

semi-ETERNAL INFLATION

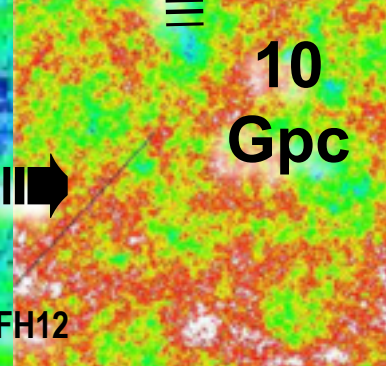
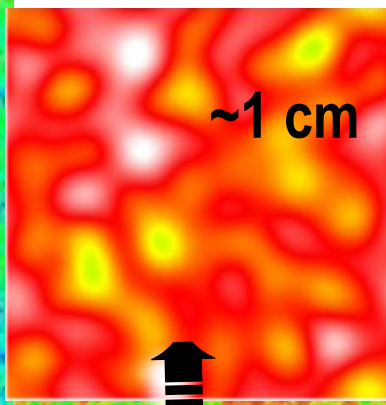
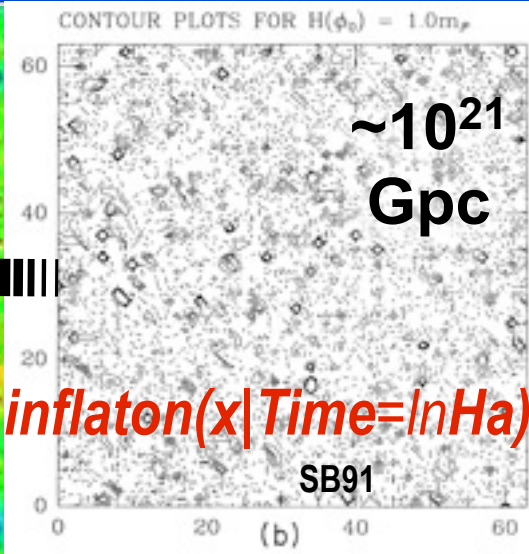
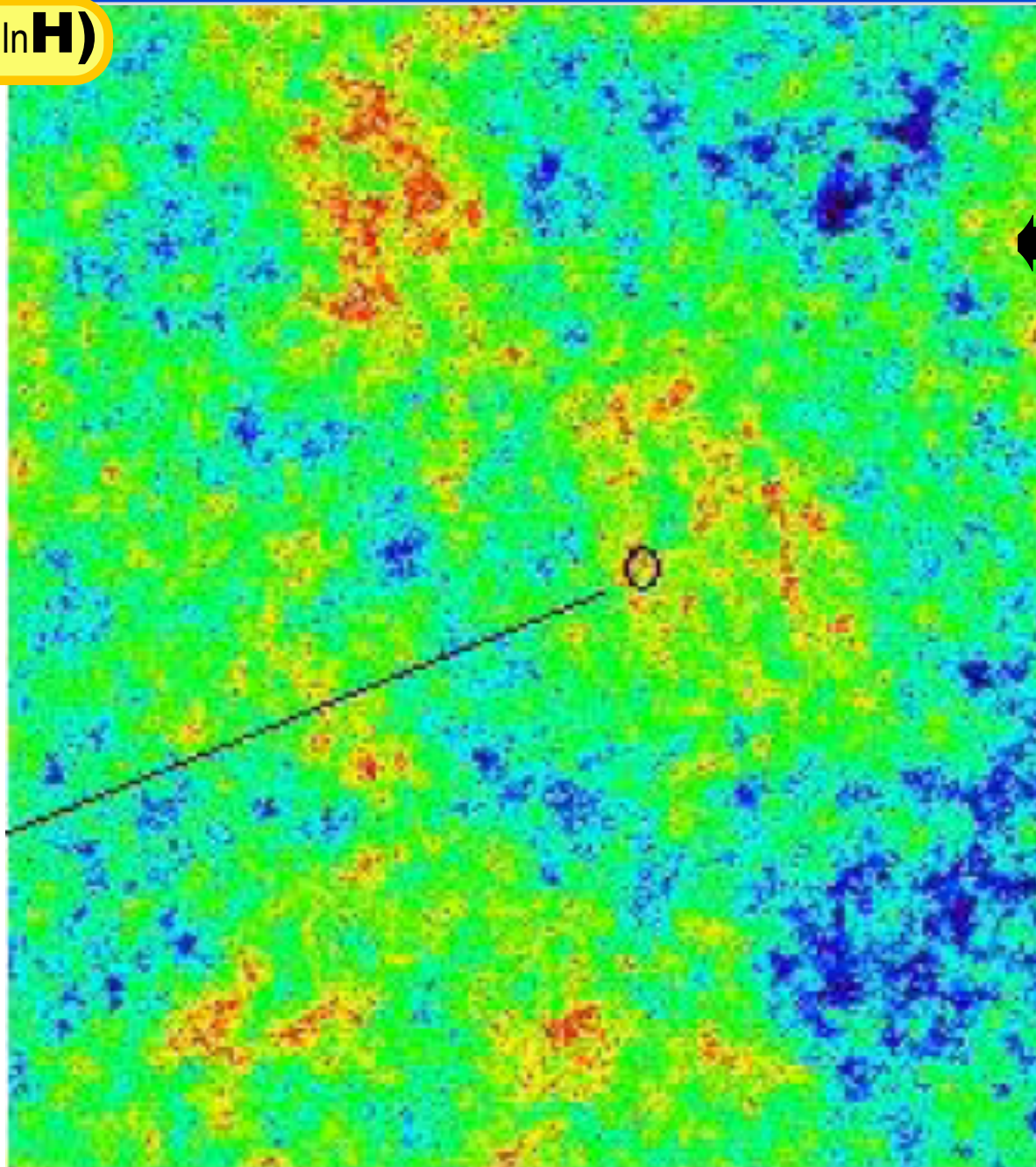
fluctuations in the early universe “vacuum” grow to *all* structure

$\ln a(\mathbf{x}, \ln H)$

χ
1000
Gpc

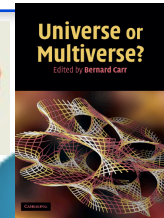
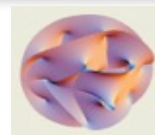
current
Hubble
patch
~10 Gpc

speed
limit
horizon



quantum stochastic *non-Gaussian* time landscape cf. stringy landscape

multiverse
 Starobinsky,
 Vilenkin,
 Linde, SB,
 Rees, ...,
 stringy:
 Susskind et al



$$\ln a(\mathbf{x}, \ln H)$$

a "natural" consequence of quantum mechanics of the U's
 uuUULSS on $\ln a(\mathbf{x}, \ln H)$

if quantum diffusion > 'classical' drift at high H

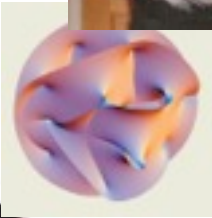
cf. our observable horizon (patch)

at low H

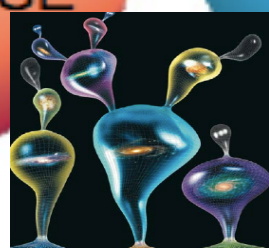
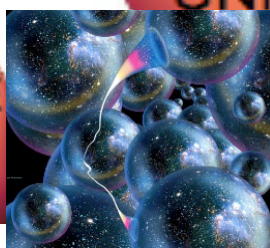
this eternal inflation can happen even at

low H

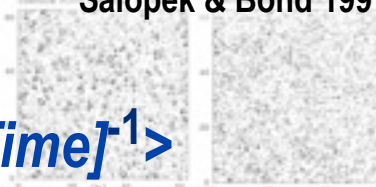
Salopek & Bond 1991



our horizon



$$\text{超人} = \langle \ln P[U | \text{Time}]^1 \rangle$$



modulating post-inflation entropy generation shocks *via* longrange fields

isocon

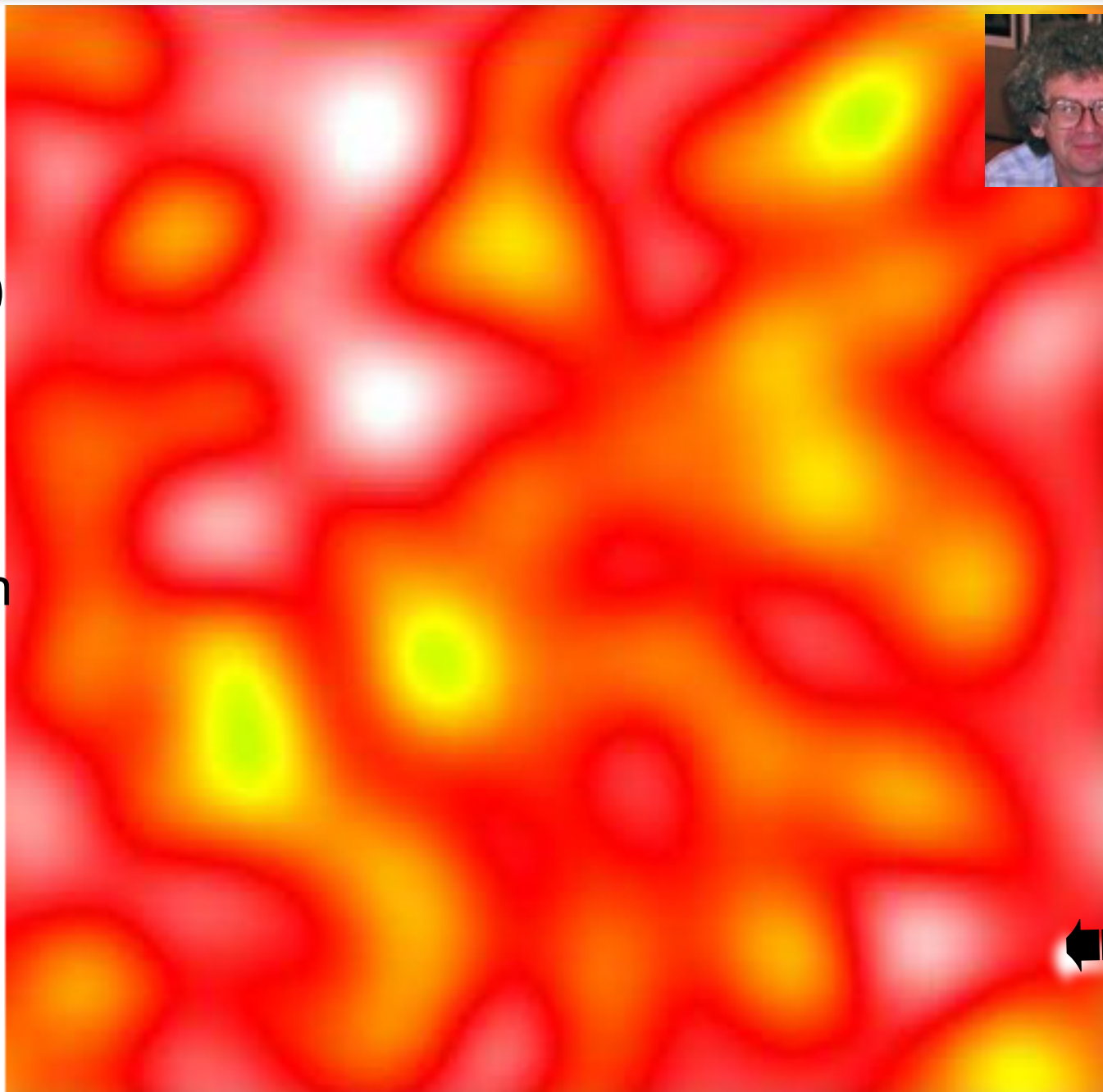
$$\chi(\mathbf{x})$$

or
 $\mathbf{g}(\sigma(\mathbf{x}))$
or..

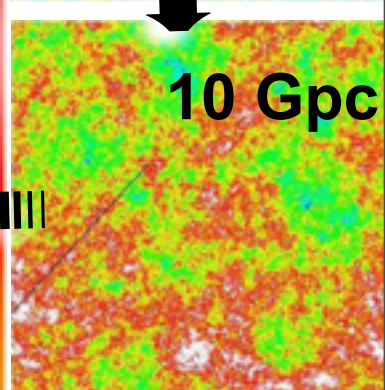
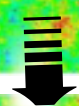
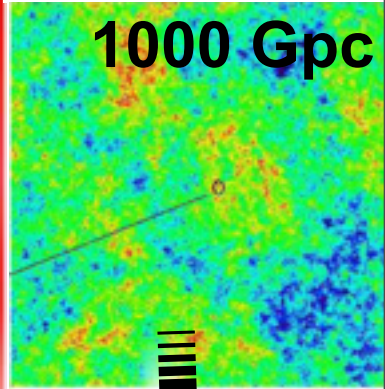
$$\phi$$

inflaton

pre-heating
patch
(~1cm)



Parametric
Resonance
 $g^2 / \lambda \sim 1$



modulating post-inflation entropy generation shocks via longrange fields

isocon

$$\chi(\mathbf{x})$$

or
 $g(\sigma(\mathbf{x}))$
or..

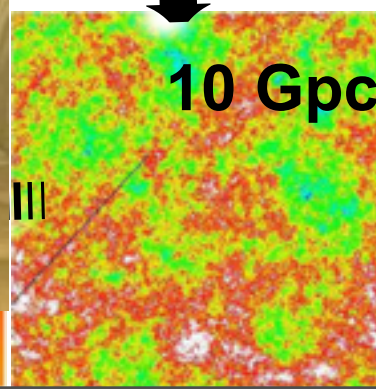
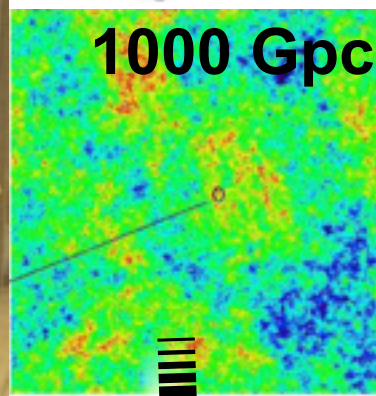
pre-heating
patch
(~1cm)



Parametric
Resonance
 $g^2 / \lambda \sim 1$

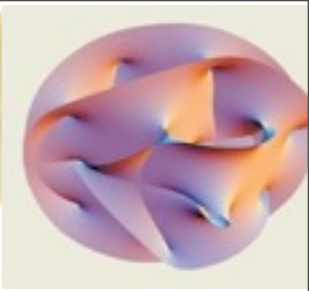


BB12

B²FH12 @ifaUH aka Waikiki Feb12

**entropy generation in
preheating from the coherent
inflaton (origin of all matter)**



pre-heating patch (<1cm-now, 10^{-30} cm-then)

Barnaby, Bond, Huang, Kofman09

**quantum
diffusion
spatial jitter**

drift

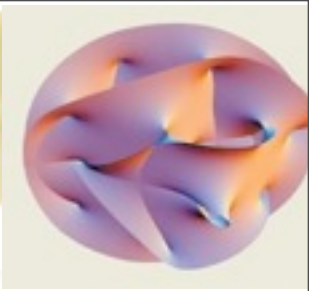
A diagram illustrating quantum diffusion and drift. It features a horizontal double-headed arrow labeled "quantum diffusion spatial jitter" and a single-headed arrow pointing to the left labeled "drift".

*let there be
heat*

**S
E
M
I
-
I
N
T
E
R
N
A
L

I
N
F
L
A
T
I
O
N**

entropy generation in preheating from the coherent inflaton (origin of all matter)



pre-heating patch (<1cm-now, 10^{-30} cm-then)

$$a = 1$$

A visualized 2D slice in lattice simulation

Barnaby, Bond, Huang, Kofman09

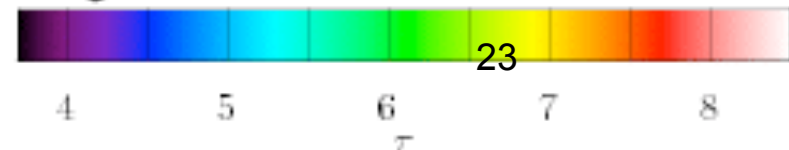
Preheating After
Roulette Inflation

$$\langle \tau \rangle =$$

quantum
diffusion
spatial jitter

drift

let there be
heat



www.youtube.com/watch?v=FW__su-W-ck&NR=1

how (most of) the **entropy** in matter

=> *GUT plasma/quark soup* => $S(\gamma, \nu)$ was

generated (through a *shock-in-time*)

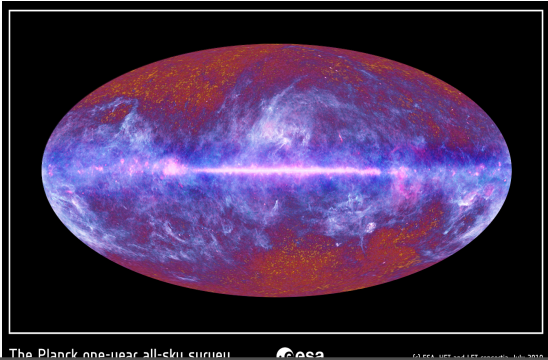
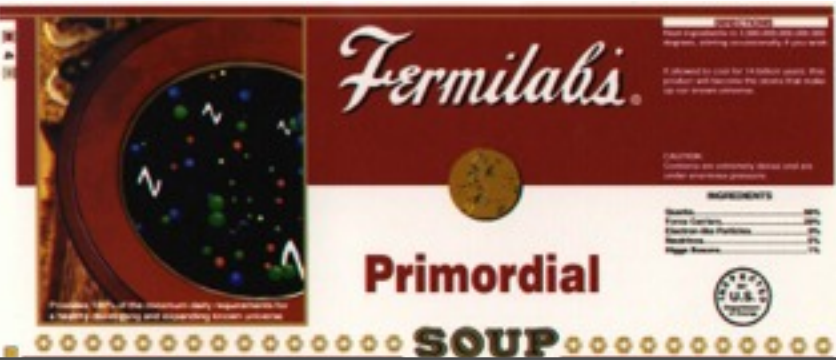
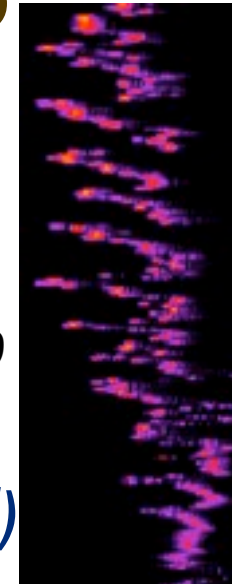
via *nonlinear coupling* of the *inflaton* to

new interaction channels g, χ_a ultimately to *standard model degrees of freedom*

∃ a role for *decaying particles, 1st order phase transitions?*

exactly who, what, where, when, why?

we search for fossil "non-Gaussian" structures from this period with Planck +WMAP9



$a_{shock}(g)$

non-Gaussianity (WMAP, Planck, LSS) spiky nG preheating

CITA = Cosmic Information Theory & Analysis: IT from BIT, from BITs in IT,
Studying the Cosmic Tango en-TANGO-ment Universe=System+Res=Data+Theory =Signal(s)+noise=EFT+Hidden variables

Shannon entropy $S_f(D,T) = - \int dq P_f \ln P_f = \text{information}$ with no Quality measure on the bits **IQ**
 ~ von-Neumann entropy = Trace $\rho \ln \rho^{-1}$, $\rho(U) = \rho(S,R) = \rho(R|S) \rho(S)$ entanglement of phase & probability

Gaussian random field with correlation function **C** weight matrix **C⁻¹**
 $S = (\text{Trace } \ln C + N_{\text{dof}} \ln 2\pi + N_{\text{dof}}) / 2 = \langle \ln V_{\text{phase-space}} \rangle + N_{\text{dof}} / 2$
 = Shannon entropy subject to the **constraint** $\int dq P_f \delta q^i \delta q^j = C^{ij}$
 relative Shannon entropy $S_{fi} = \text{Tr} \{ \ln C_f C_i^{-1} + 1 - C_f C_i^{-1} \} / 2$



cf. grand canonical ensemble: constrained E_{tot} & N_A & V

Lagrange multipliers (conjugate variables) $\beta = 1/T$ & $-\beta\mu_A$ & β^ pressure; in LTE, functions of (x)*

non-eq thermodynamics: flux $J_{\text{heat}}^i(x)$ $J_n^{Ai}(x)$ conjugate thermodynamical forces B_i ($\sim \partial_i \beta$)

*more constraints (e.g., higher point correlations & more complexity) reduce entropy by limiting the freedom of the degrees of freedom q : **non-Gaussian distributions have lower S***

Lagrange multipliers: out-of-equilibrium drivers κ_i for $\langle \delta q^i \rangle$ and K_{ij} for $C^{ij} \langle \delta q^i \delta q^j \rangle$

problem: Dimensional Reduction when eigenvalues of $C \sim 0$, $S \sim -\infty$: but cold degrees of freedom should have $S=0$ (3rd). Bose-Einstein & Fermi-Dirac statistics - indistinguishable cf. distinguishable. Condensates form when too much N for E .

nr Sackur-Tetrode: $\Delta s = 1/2 \text{Tr } \ln \langle \Delta P_{ij} / \rho \rangle + \ln \rho^{-1}$ (+clumping+anisotropy..)

CITA = Cosmic Information Theory & Analysis: IT from BIT, from BITs in IT,
Studying the Cosmic Tango en-TANGO-ment Universe=System+Res=Data+Theory =Signal(s)+noise=EFT+Hidden variables

Shannon entropy $S_f(D,T) = - \int dq P_f \ln P_f = \text{information}$ with no Quality measure on the bits **IQ**
 ~ von-Neumann entropy = Trace $\rho \ln \rho^{-1}$, $\rho(U) = \rho(S,R) = \rho(R|S) \rho(S)$ entanglement of phase & probability

Gaussian random field with correlation function **C** weight matrix **C⁻¹**
 $S = (\text{Trace } \ln C + N_{\text{dof}} \ln 2\pi + N_{\text{dof}}) / 2 = \langle \ln V_{\text{phase-space}} \rangle + N_{\text{dof}} / 2$
 = Shannon entropy subject to the **constraint** $\int dq P_f \delta q^i \delta q^j = C^{ij}$
 relative Shannon entropy $S_{fi} = \text{Tr} \{ \ln C_f C_i^{-1} + 1 - C_f C_i^{-1} \} / 2$



cf. grand canonical ensemble: constrained E_{tot} & N_A & V

Lagrange multipliers (conjugate variables) $\beta = 1/T$ & $-\beta\mu_A$ & $\beta^ \text{pressure}$; in LTE, functions of (x)*

non-eq thermodynamics: flux $J_{\text{heat}}^i(x)$ $J_n^{Ai}(x)$ conjugate thermodynamical forces B_i ($\sim \partial_i \beta$)

*more constraints (e.g., higher point correlations & more complexity) reduce entropy by limiting the freedom of the degrees of freedom q : **non-Gaussian distributions have lower S***

Lagrange multipliers: out-of-equilibrium drivers κ_i for $\langle \delta q^i \rangle$ and K_{ij} for $C^{ij} \langle \delta q^i \delta q^j \rangle$

problem: Dimensional Reduction when eigenvalues of $C \sim 0$, $S \sim -\infty$: but cold degrees of freedom should have $S=0$ (3rd). Bose-Einstein & Fermi-Dirac statistics - indistinguishable cf. distinguishable. Condensates form when too much N for E .

eU S: $\Delta s = \Delta 1/2 \text{Tr } C \ln p \ln p$ info-content in phonons $\sigma = - \ln [\rho V/E]$

how (most of) the **entropy** in matter

=> *GUT plasma/quark soup* => $S(\gamma, \nu)$ was

generated (through a *shock-in-time*)

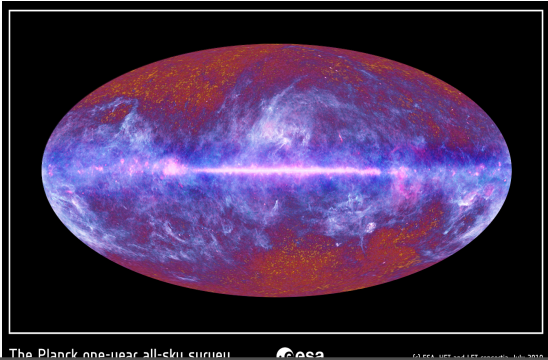
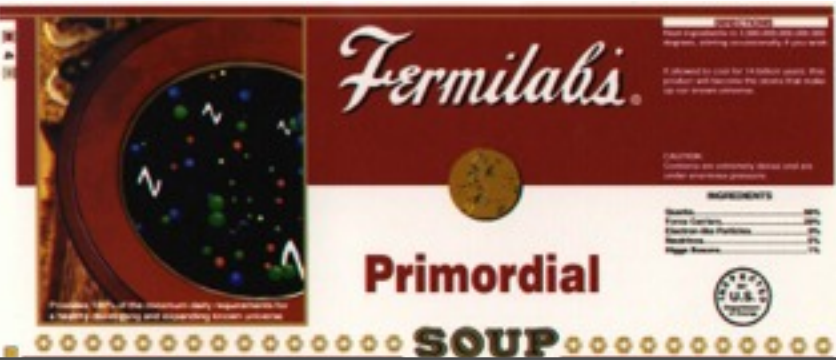
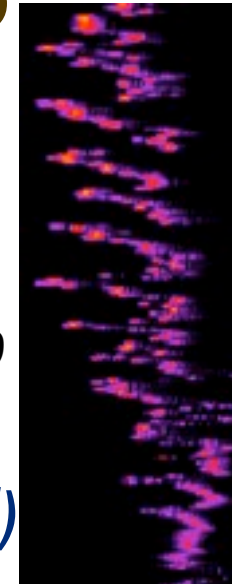
via *nonlinear coupling* of the *inflaton* to

new interaction channels g, χ_a ultimately to *standard model degrees of freedom*

∃ a role for *decaying particles, 1st order phase transitions?*

exactly who, what, where, when, why?

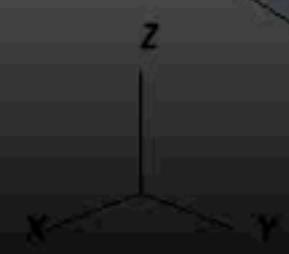
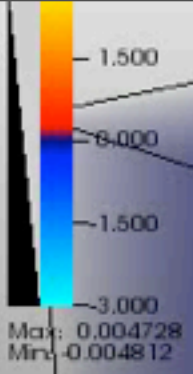
we search for fossil "non-Gaussian" structures from this period with Planck +WMAP9



$a_{shock}(g)$

non-Gaussianity (WMAP, Planck, LSS) spiky nG preheating

$$V(\phi, \chi) = 1/2 m^2 \phi^2 + 1/2 g^2 \phi^2 \chi^2$$



preheating
patch ~1cm

In energy density / <energy density>

B+Braden12 Frolov/Huang/Braden, Defrost/HLattice/Bsymplectic

log(a) = 0

post-shock \Rightarrow Hydrodynamics phonon description works

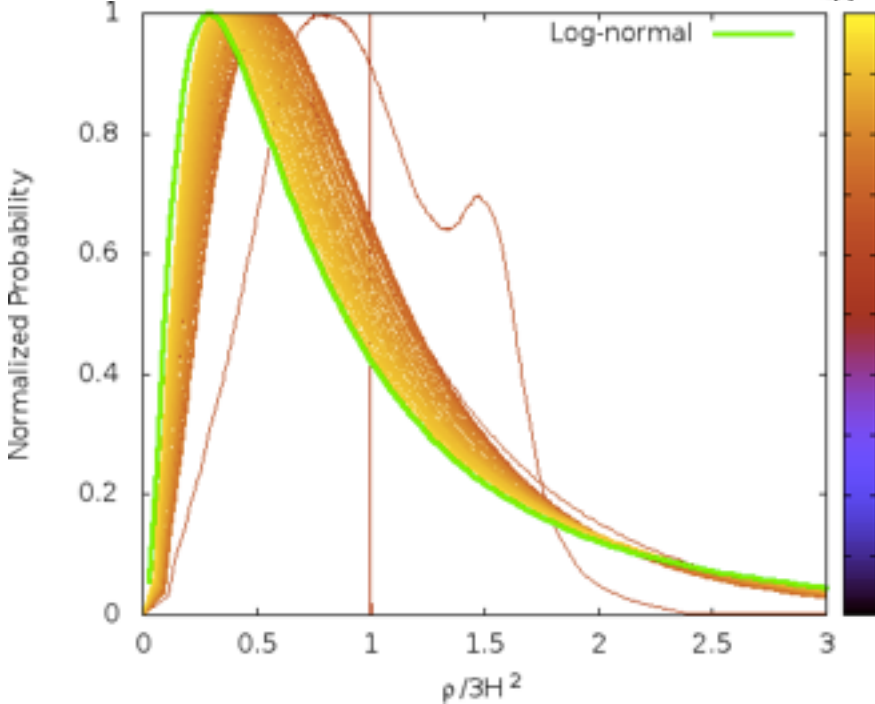
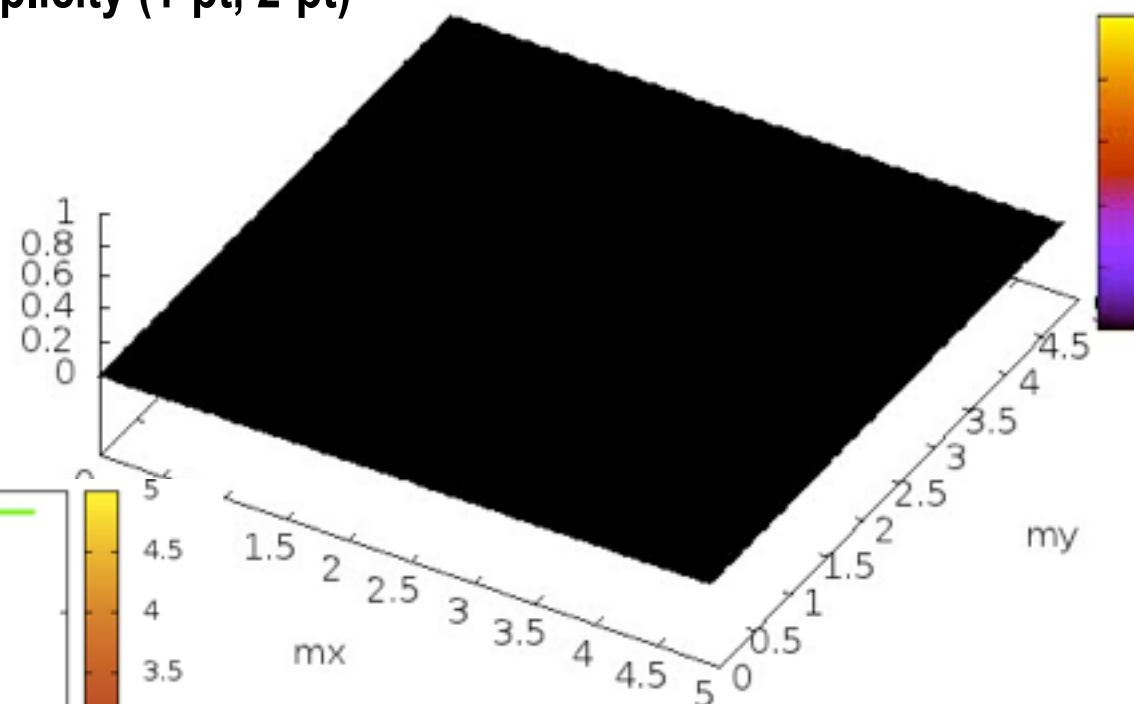
spatial complexity \Rightarrow statistical simplicity (1-pt, 2-pt)

B+Braden12

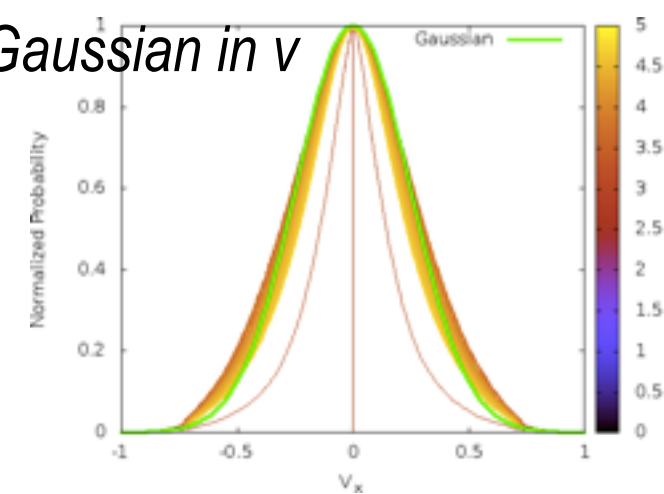
$$\rho = -T^0_0 \quad P = -T^i_i$$

$$v^i = a T^i_0 / (\rho + P)$$

nearly Gaussian in $\ln \rho / \langle \rho \rangle$

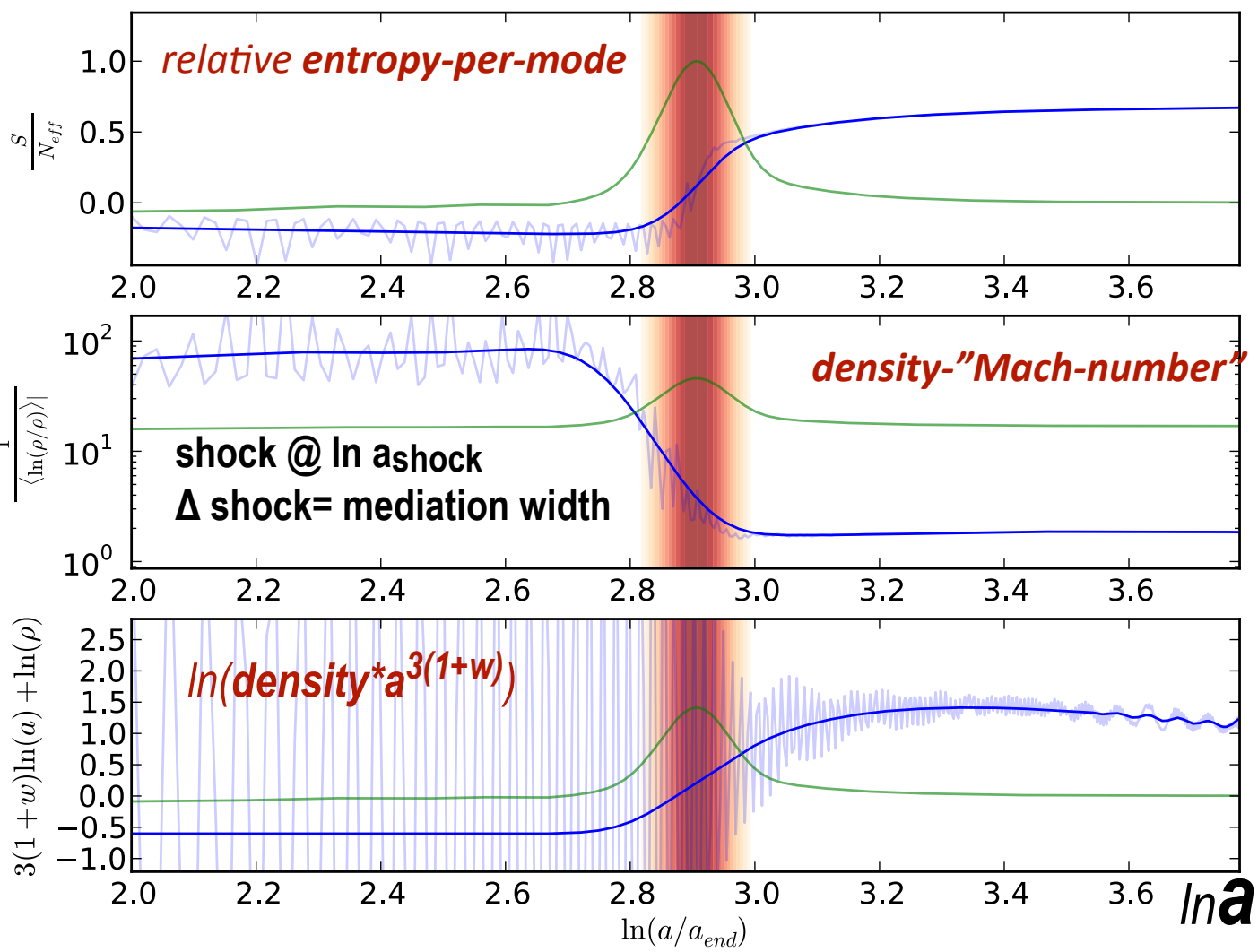


nearly Gaussian in v



$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$

*the Shock-in-time: entropy production, $\langle \ln(\text{density-contrast}) \rangle^{-1}, \ln(\text{density} * a^{3(1+w)})$*



true thermal equilibrium far off

➤

& on to coupling to standard model degrees of freedom

constrained coarse-grained **Shannon-entropy**($\ln a$) minus the initial Gaussian random field entropy (from band-limited quantum fluctuations)
there is indeed a spike of entropy production at the shock front.

$$V(\phi, \chi) = 1/2 m^2 \phi^2 + 1/2 g^2 \phi^2 \chi^2$$

the Shock-in-Times of Post-inflation Preheating B+Braden12

Initial State = Nearly Homogeneous Inflaton

low entropy (coherent ϕ + vac fluctuations), *information encoded in a few parameters*

Preheating

Instabilities result in nonlinear transition to an incoherent state, resonances?

KLS 94, 97, e.g. Tkachev, Felder, Garcia-Bellido, ...

*the shock-in-time is the sharp mediator between the linear & the highly nonlinear transition
a fascinating non-Gaussianity can arise if there is a spatial modulator field varying the shock time*

(Near Adiabatic) Transition Regime

Complex slowly evolving nonlinear, nonequilibrium state e.g. Micha and Tkachev 2004,
turbulence analogy??? *the evolution is NOT a Kolmogorov-like turbulent cascade to higher modes*

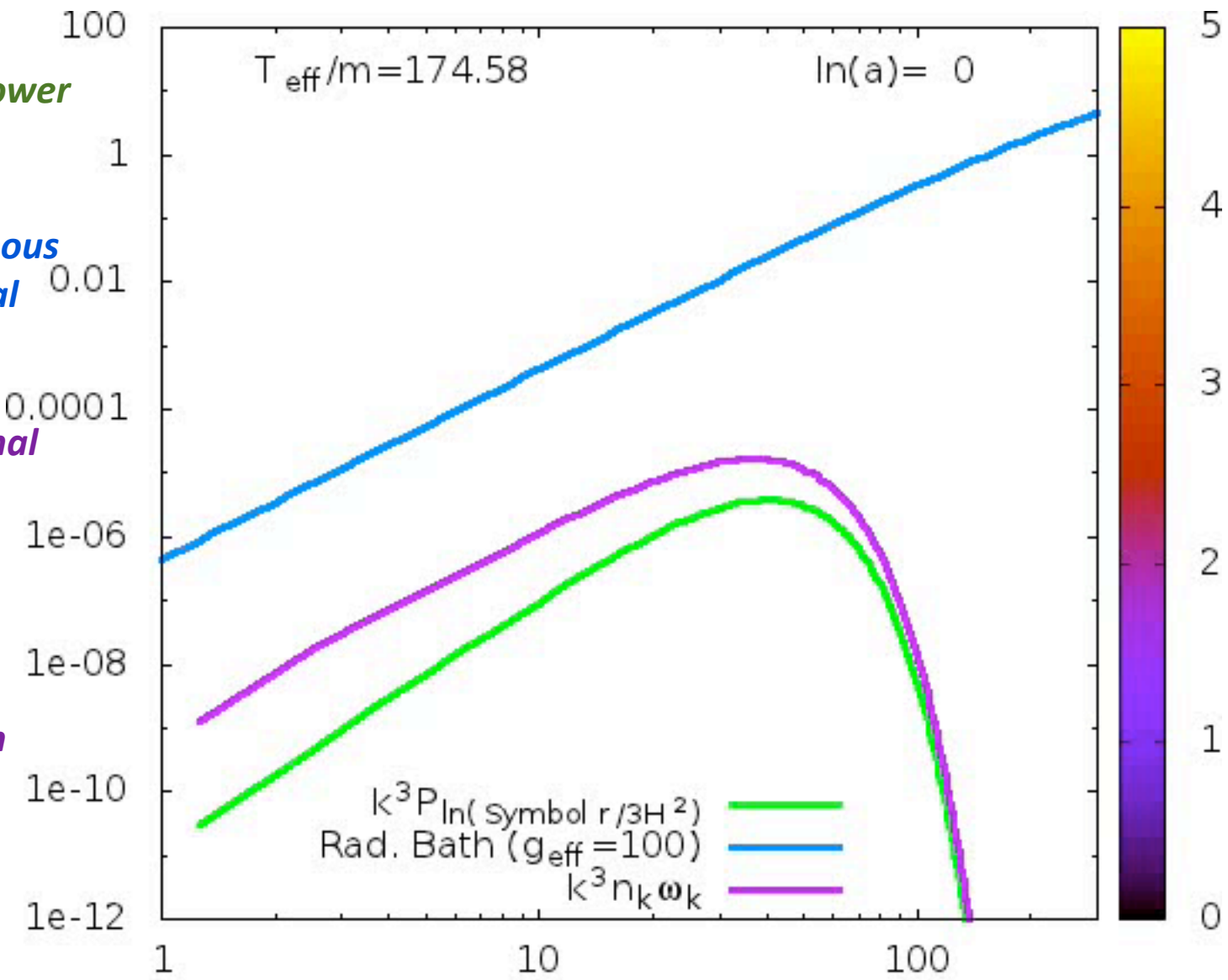
Final State = Thermal Equilibrium

= maximum spreading of information in modes subject to energy & particle number constraints. *How to couple to standard model dofs to accelerate the power spectrum evolution to a thermal bose-einstein distribution function?*

coherent inflaton => incoherent mode cascade of fields thru a shock-in-time to thermal equilibrium

$S_{U_i} \sim 0$; $S_{U_{tot,m+r}} / n_b \sim 1.66 \times 10^{10}$ bits/b; $s_\gamma / n_\gamma = 5.2$ bits/ $\Upsilon = 2130/411$; $s_v = 21/22 s_\gamma$

In $\rho / \langle \rho \rangle$ power spectrum
cf. instantaneous full thermal spectrum
cf. conventional energy spectrum using a pseudo particle occupation number



$$V(\phi, \chi) = 1/2 m^2 \phi^2 + 1/2 g^2 \phi^2 \chi^2$$

k/m momentum

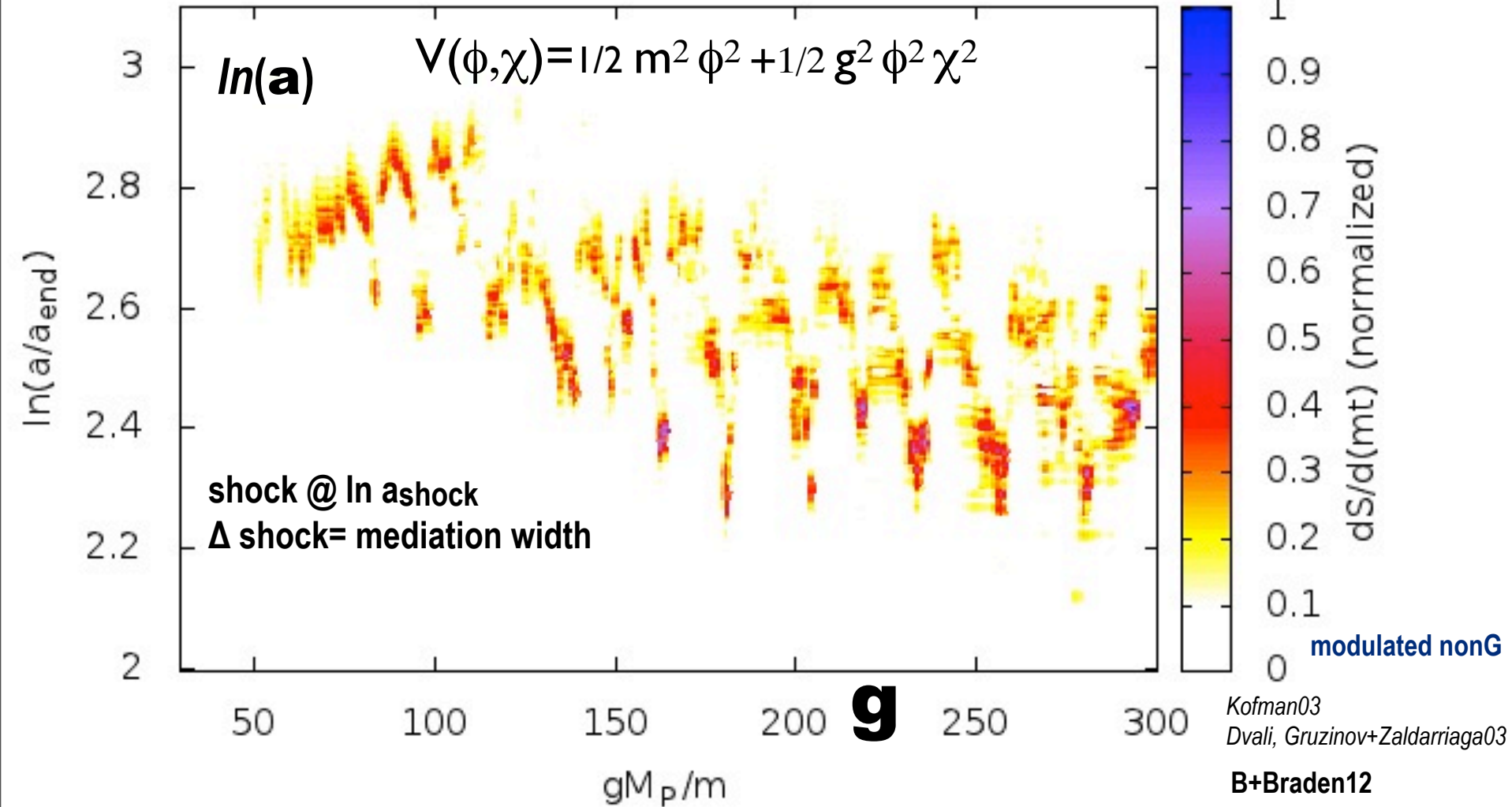
B+Braden12

$$dS/dt(t, \mathbf{g}) \Rightarrow$$

the Shock-in-time: entropy production rate

non-Gaussianity
(WMAP, Planck, LSS)
spiky nG preheating

$\delta \ln a_{\text{shock}}(\mathbf{g}(\sigma(\mathbf{x}))) \Rightarrow$ modulated non-Gaussianity from preheating!

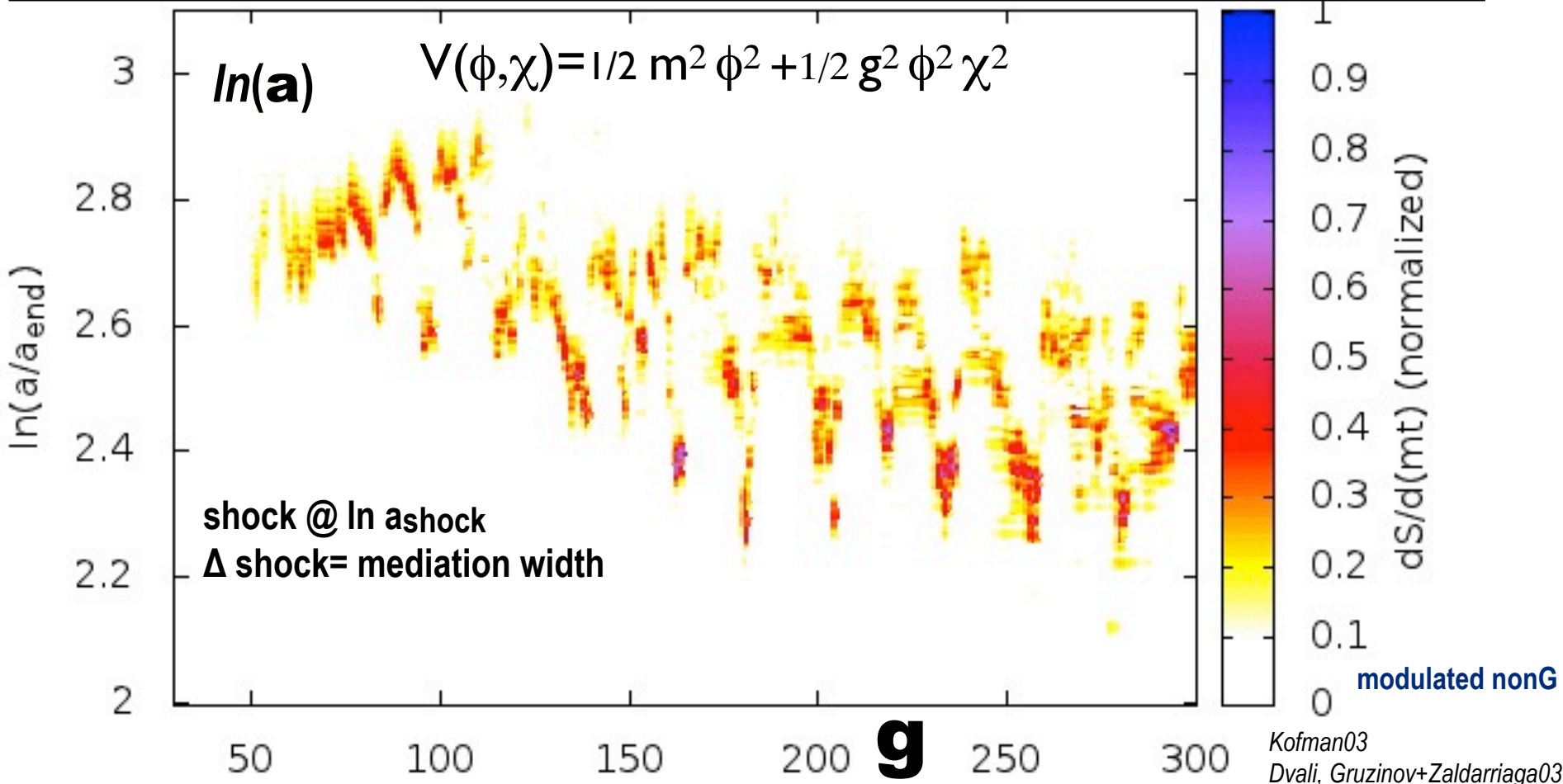


$$dS/dt(t, \mathbf{g}) \Rightarrow$$

the Shock-in-time: entropy production rate

non-Gaussianity
(WMAP, Planck, LSS)
spiky nG preheating

$\delta \ln a_{\text{shock}}(\mathbf{g}(\sigma(\mathbf{x}))) \Rightarrow$ modulated non-Gaussianity from preheating!



Chaotic Billiards NonG $V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$

$\delta \ln a_{\text{shock}}(\chi_i(\mathbf{x}) | g^2/\lambda) \Rightarrow$ NonG of cold spots ++

B+Braden12
B+Frolov, Huang, Kofman 09
B+Braden, Frolov, Huang 12

BBM12: 3D Oscillons & Colliding Bubbles?

$$dS/dt(t, g) \Rightarrow$$

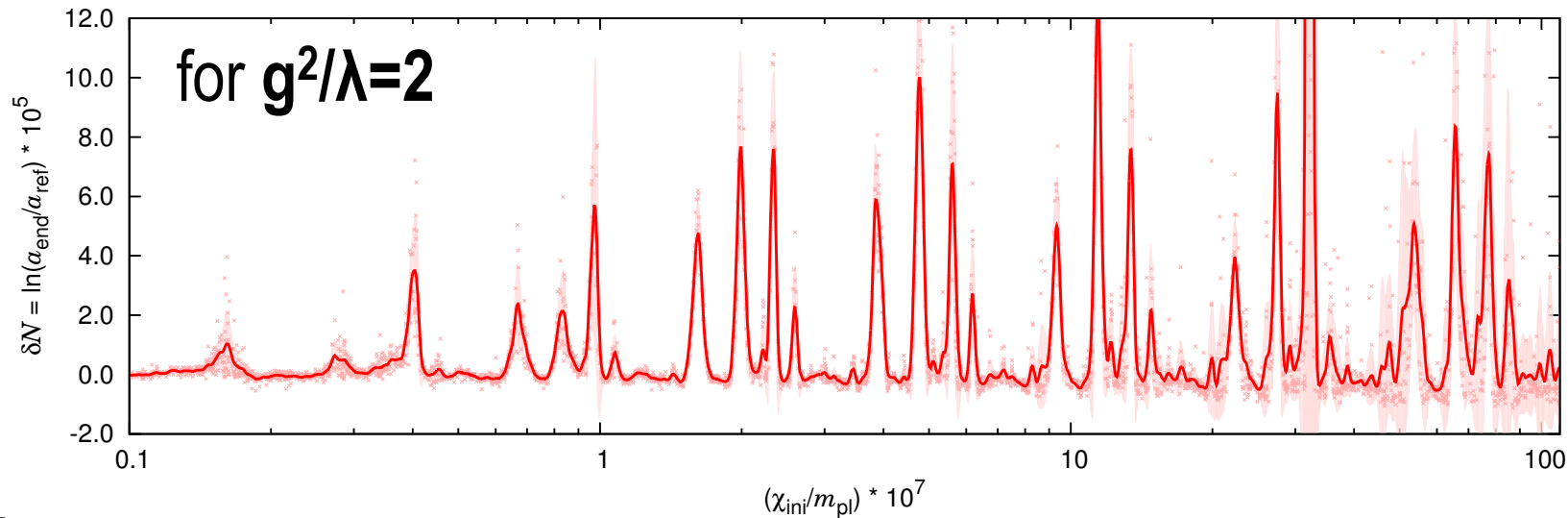
the Shock-in-time: entropy production rate

non-Gaussianity
(WMAP, Planck, LSS)
spiky nG preheating

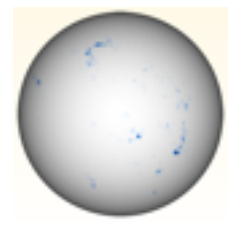
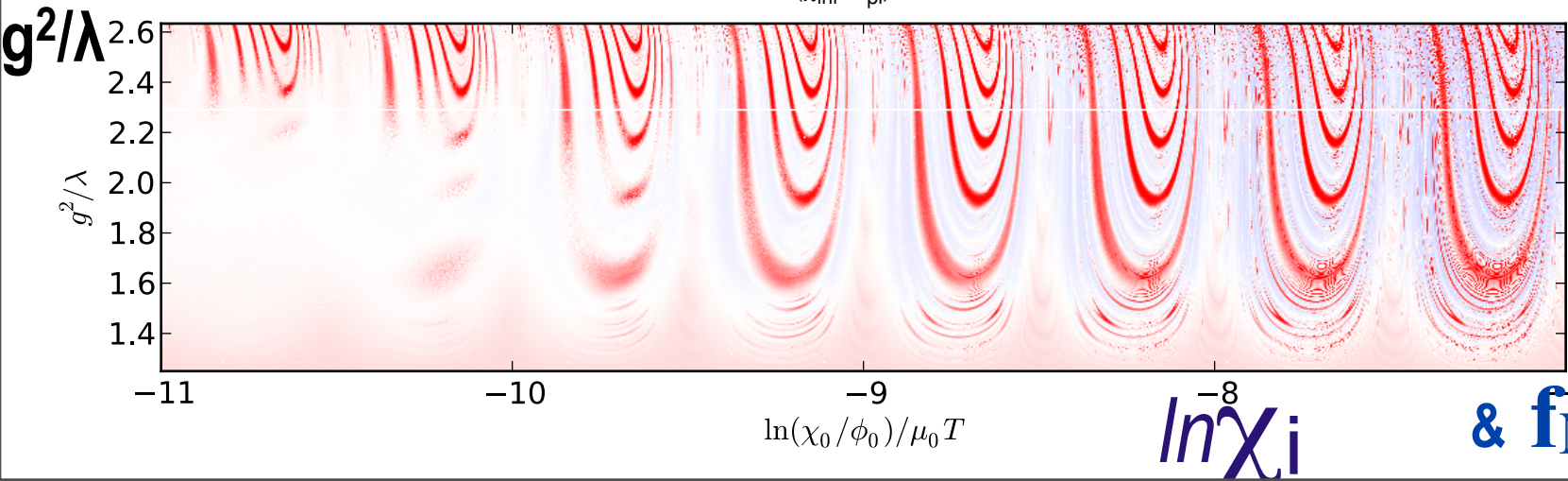
$$\delta \ln a_{\text{shock}}(\chi_i(\mathbf{x}) | g^2/\lambda) \Rightarrow \text{Chaotic Billiards: NonG from Parametric Resonance in Preheating}$$

B+Frolov, Huang, Kofman 09
B+Braden, Frolov, Huang 12

$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$



huge number of
 64^3 sims to
show the
wondrous
complexity of
 $\ln a(\chi_i, g^2/\lambda)$



$\ln \chi_i$ & f_{NL}^7 equiv

$$dS/dt(t, g) \Rightarrow$$

the Shock-in-time: entropy production rate

non-Gaussianity
(WMAP, Planck, LSS)
spiky nG preheating

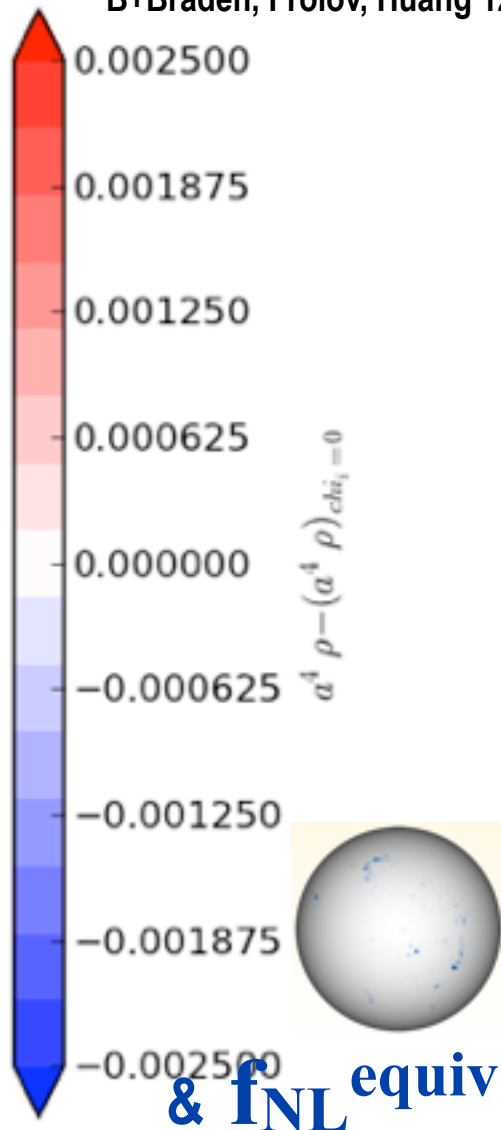
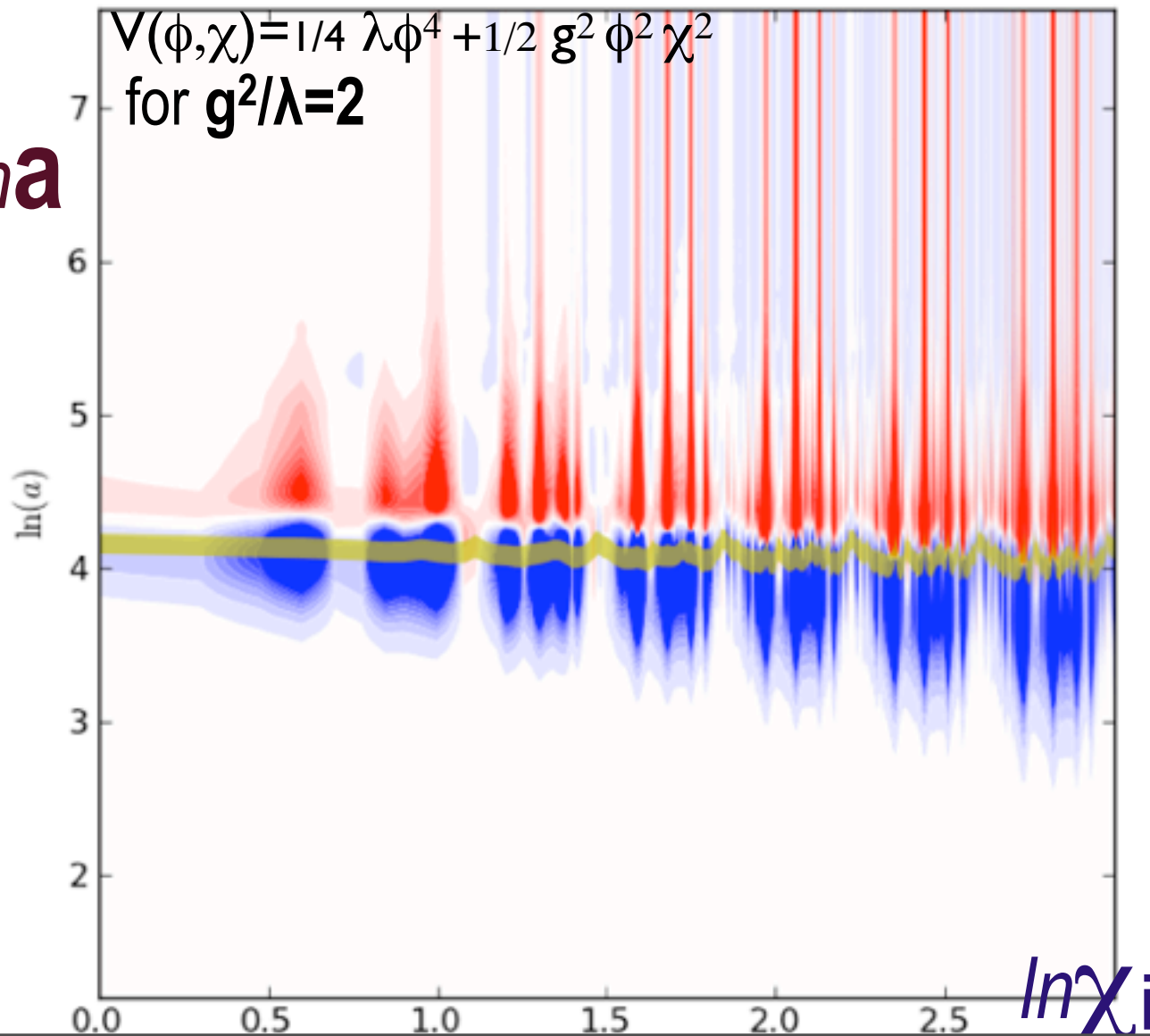
$$\delta \ln a_{\text{shock}}(\chi_i(\mathbf{x}) | g^2/\lambda) \Rightarrow \text{Chaotic Billiards: NonG from Parametric Resonance in Preheating}$$

B+Frolov, Huang, Kofman 09
B+Braden, Frolov, Huang 12

$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$

for $g^2/\lambda = 2$

$\ln a$



$$dS/dt(t, \mathbf{g}) \Rightarrow$$

the Shock-in-time: entropy production rate

non-Gaussianity
(WMAP, Planck, LSS)
spiky nG preheating

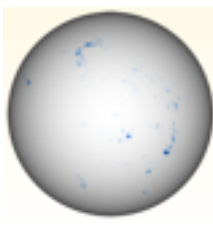
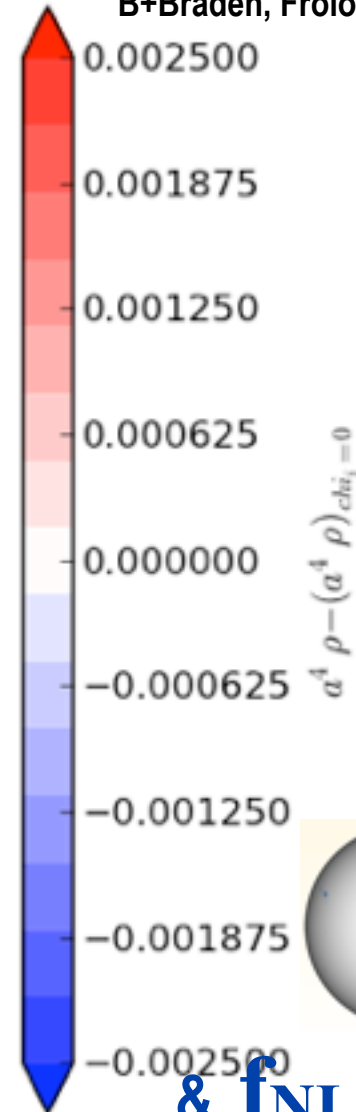
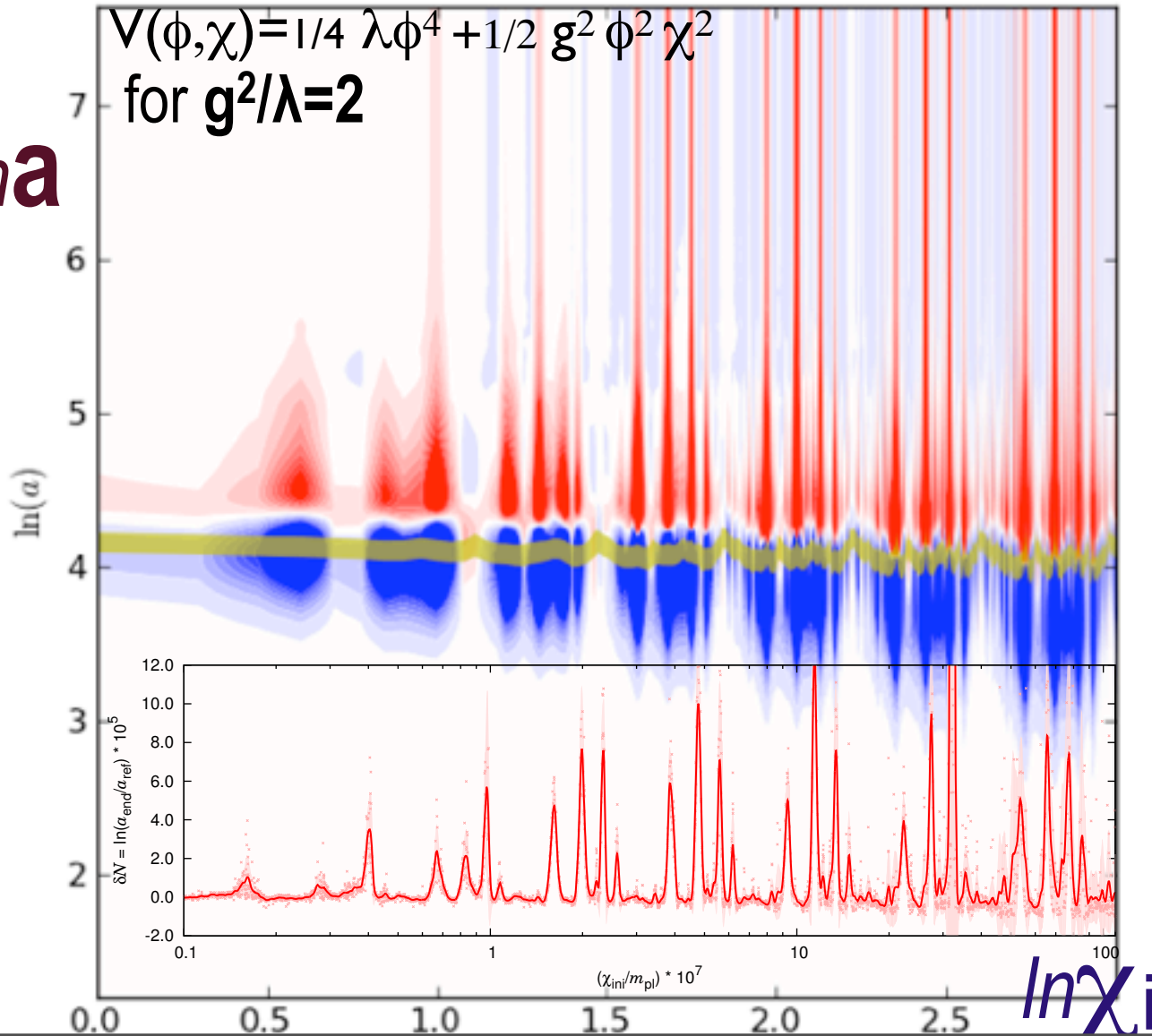
$$\delta \ln a_{\text{shock}}(\chi_i(\mathbf{x}) | g^2/\lambda) \Rightarrow \text{Chaotic Billiards: NonG from Parametric Resonance in Preheating}$$

B+Frolov, Huang, Kofman 09
B+Braden, Frolov, Huang 12

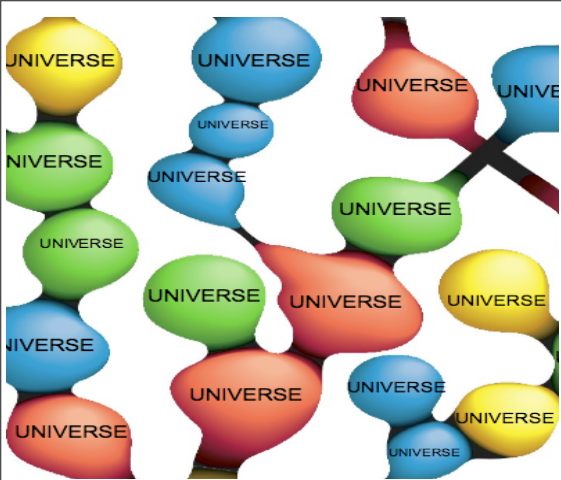
$$V(\phi, \chi) = 1/4 \lambda \phi^4 + 1/2 g^2 \phi^2 \chi^2$$

for $g^2/\lambda=2$

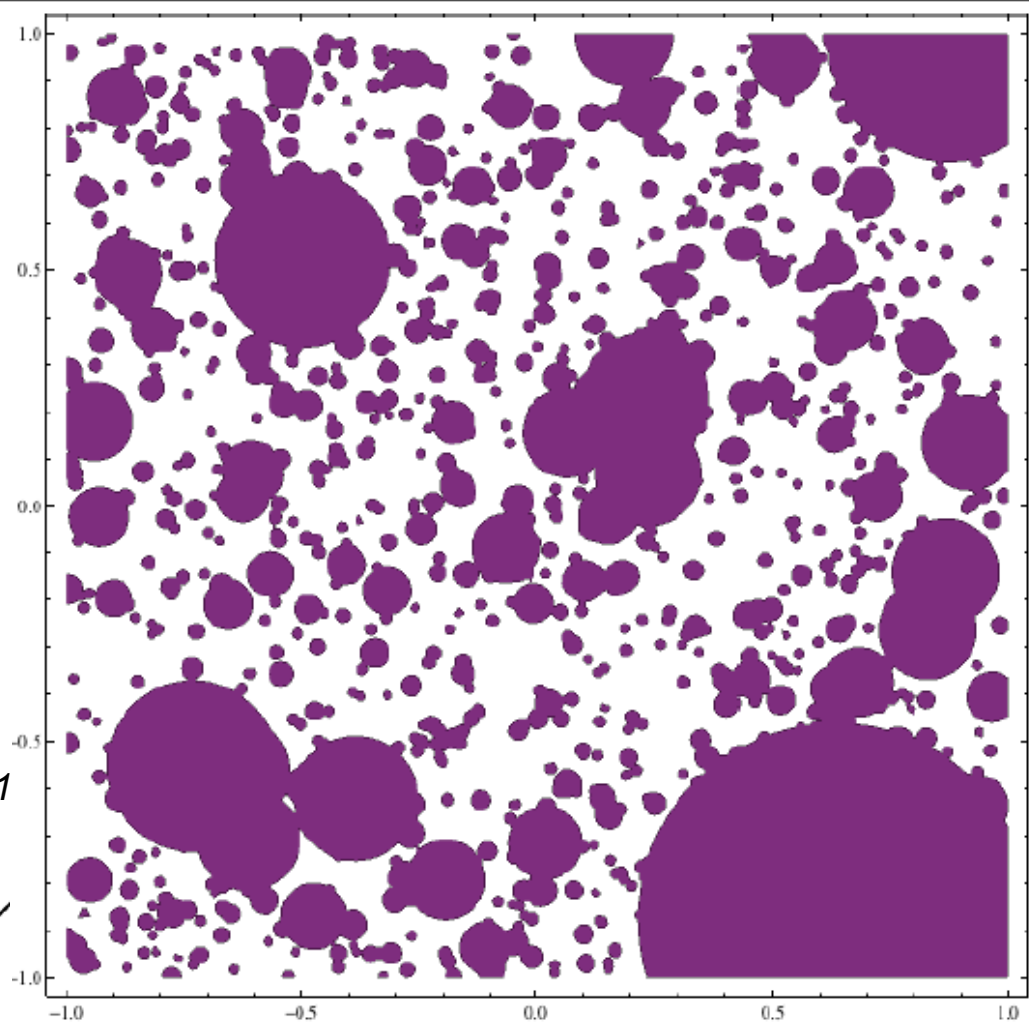
$\ln a$



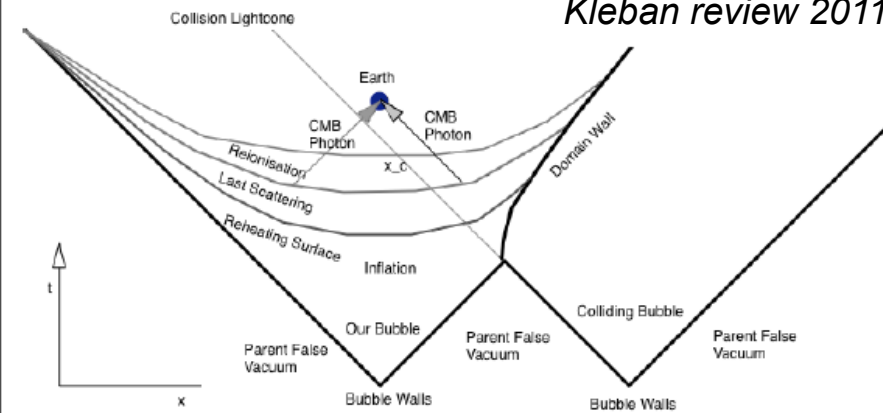
$\ln \chi_i$ & fNL equiv



or thru tunnelling between potential wells
when bubbles collide



Kleban review 2011



**when domain walls
(big bubbles) collide
in full 3D lattice sims**

**with tiny zero point &
wall fluctuations**

**=> burst of scalar
radiation at c**

**(with outgoing
radiation BCs)**

**+ long-lived
oscillons, size
related to the mass**

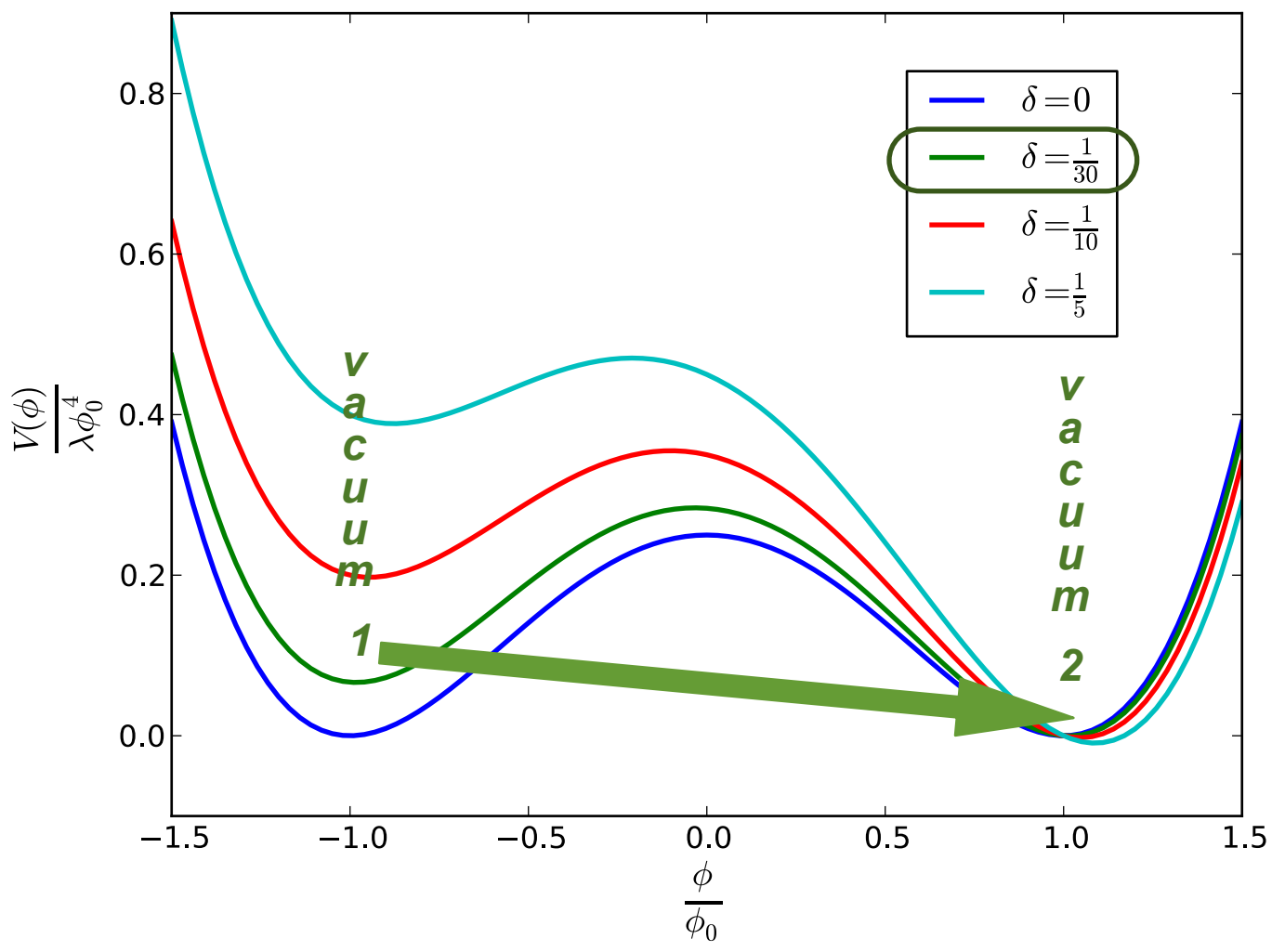
*cf. 1D work that
dominates the subject*

*Gleiser, Kleban+,
Johnson, Peiris, Lehner, ..*

**an oscillon
phenomenon is
possible in
preheating *Easther+***

CMB+ observables?

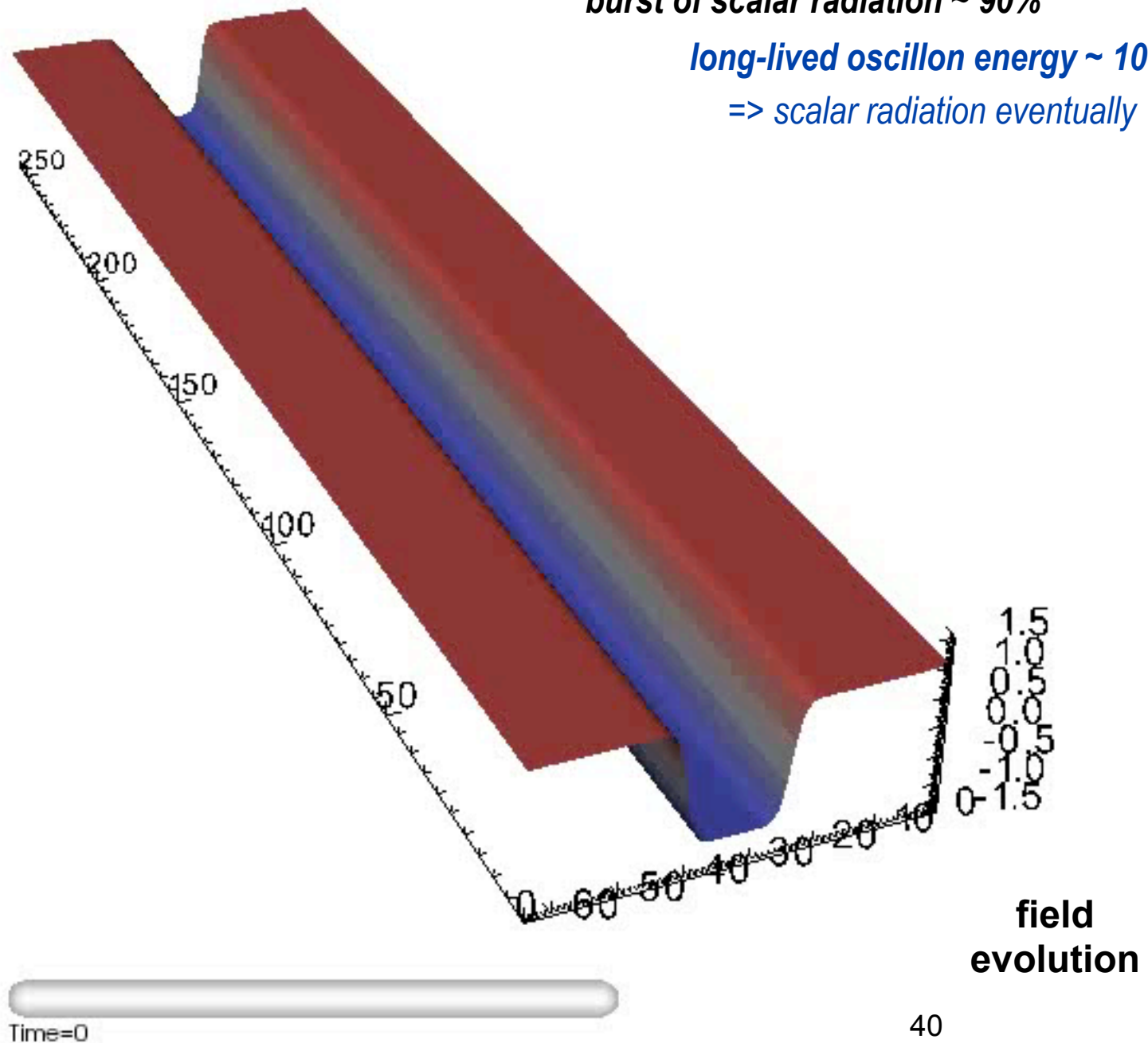
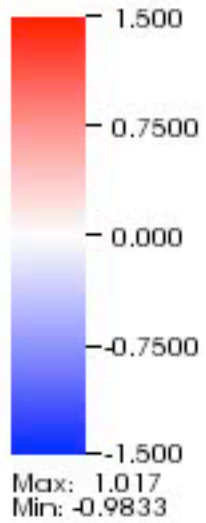
B+Braden+Mersini 2012



burst of scalar radiation ~ 90%

long-lived oscillon energy ~ 10%

=> scalar radiation eventually



**field
evolution**

40

**when domain walls
(big bubbles) collide
in full 3D lattice sims**

**with tiny zero point &
wall fluctuations**

**=> burst of scalar
radiation at c**

**(with outgoing
radiation BCs)**

**+ long-lived
oscillons, size
related to the mass**

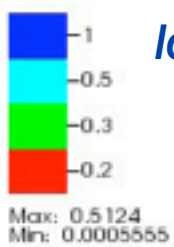
*cf. 1D work that
dominates the subject*

*Gleiser, Kleban+,
Johnson, Peiris, Lehner, .*

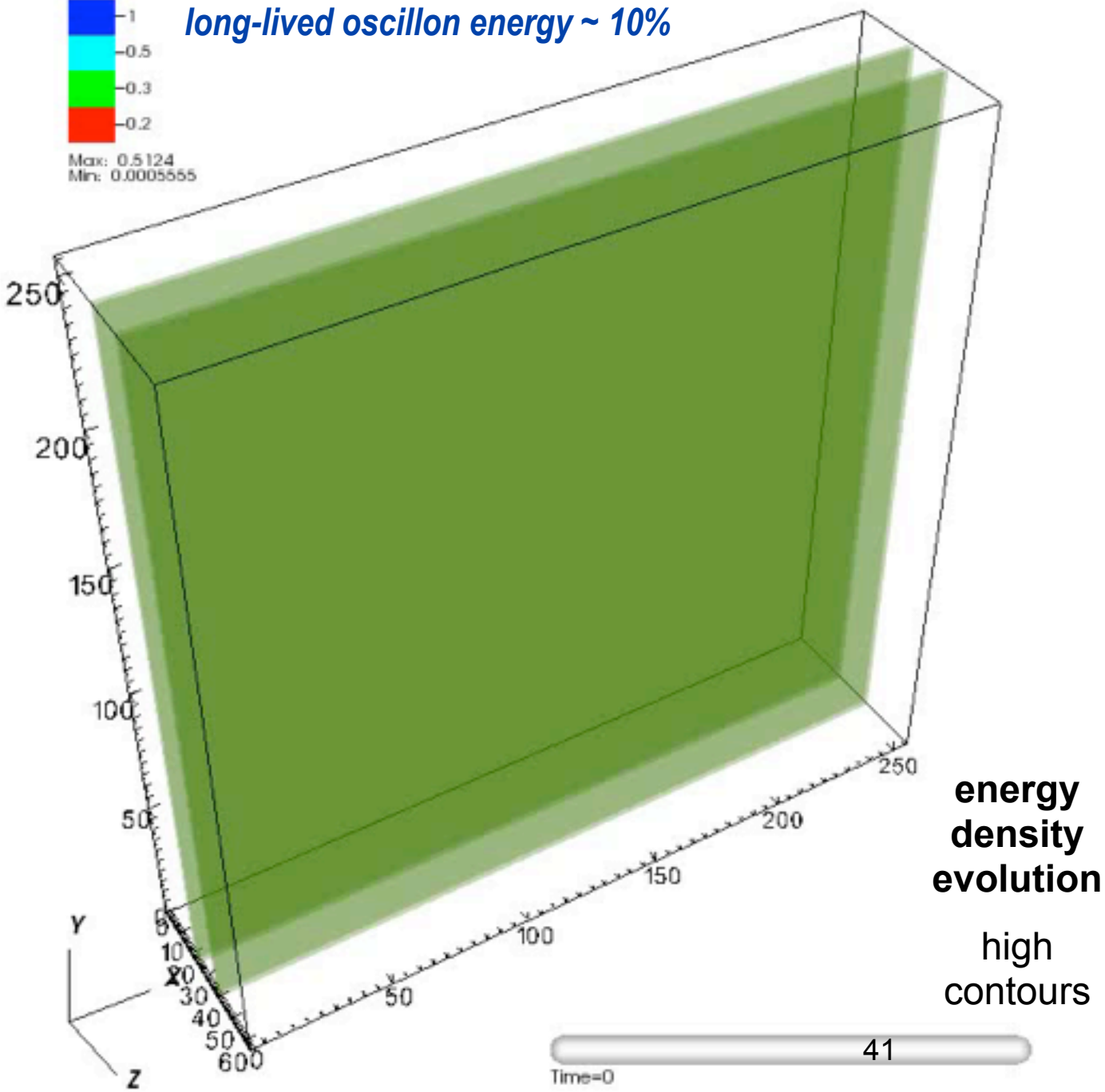
**an oscillon
phenomenon is
possible in
preheating**

CMB+ observables?

B+Braden+Mersini 2012



long-lived oscillon energy ~ 10%





dS_G/dt

primary anisotropies

- linear perturbations: scalar/density, tensor/gravity wave
- tightly-coupled photon-baryon fluid: oscillations $\delta_\gamma v_\gamma \pi_\gamma$
- viscously damped
- polarization π_γ
- gravitational redshift

Decoupling LSS

17 kpc
(19 Mpc)

secondary
anisotropies

$dS/dt > 0$

• nonlinear evolution



• weak lensing

• thermal SZ
+ kinetic SZ

• $d\Phi/dt$

• dusty/radio galaxies, dGs

M
I
L
K
Y



$z=0$



Bayesian flow prior to posterior via likelihood

W
A
Y

DarkE

reionization

$dS_{astro} < 0$

$dS/dt > 0$

$z \sim 1100$ redshift z

$z \sim 10$

13.7- 10^{-50} Gyrs

13.7 Gyrs

time t


10 Gyrs

today

Studying the Cosmic Tango



some non-early U applications of “CITA” to cosmic-complexity 

➡ information in **nearly-Gaussian** density/potential random fields of U,  & in weakly and strongly non-linear fields. *ergodic theorem & constrained fields*

➡ spatial coarse-grained **CMB entropy** & how we capture it 

➡ **dark matter entropy, cluster & *protocluster* & *cosmic web* entropy** 

MHD turbulence entropy with cooling & grain polarized emission - CMB fgnd

➡ nr Sackur-Tetrode: $\Delta s = 1/2 \text{Tr} \ln \langle \Delta P_{\text{pressure}_{ij}} / \rho \rangle + \ln \rho^{-1}$
(+clumping+anisotropy..)

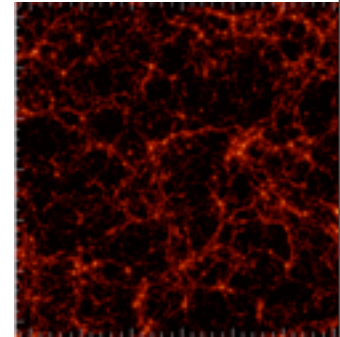
dS/dt 2 

Secondary Anisotropies
(tSZ, kSZ, WL, reion, CIB; hydro)

how most of the entropy in baryons & dark matter was generated

strain waves break => clusters/groups (galaxies/dwarfs) in the
cosmic web collapse => shocked gas & extreme nonlinear
phase space entanglement of dark matter / stars

then the baryons **feed back entropy**: exploding stars,
accreting black holes, dusty CIB radiation



how most of the entropy in baryons & dark matter was generated

strain waves break => clusters/groups (galaxies/dwarfs) in the
cosmic web collapse => shocked gas & extreme nonlinear
phase space entanglement of dark matter / stars

then the baryons **feed back entropy**: exploding stars,
accreting black holes, dusty CIB radiation

Learning the Cluster Tango



$$S_{th,cl} \sim 10^{76}$$

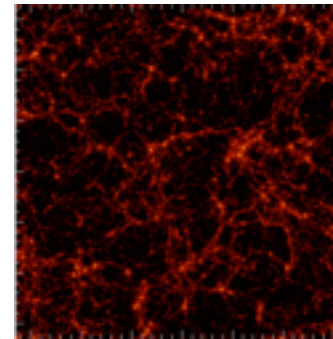
cf. $S_{U,m+r} \sim 10^{88.6}$

Cosmic Hydro Sims include all effects -

except of course those not included Thou Shalt Mock

(10+10+20 256³ SPH gas+DM)

(1+1+1 512³ gas+DM) Λ CDM + ...



nr Sackur-Tetrode: $\Delta s = 1/2 \text{Tr} \ln \langle \Delta P_{ij} / \rho \rangle + \ln \rho^{-1}$ (+clumping+anisotropy..)

fine-macro-small-grain 10⁶ baryons in cubic metres cf. sph--macro-large- grain 10⁶⁵ baryons. ~26 dims per sph-grain, huge
dimensional reduction, scaled-radial-resolution-grain further dim reduction. entanglement of fine & coarse & EFT. **feedback.**

fluctuations in the early universe “vacuum” grow to *all* cosmic web structure

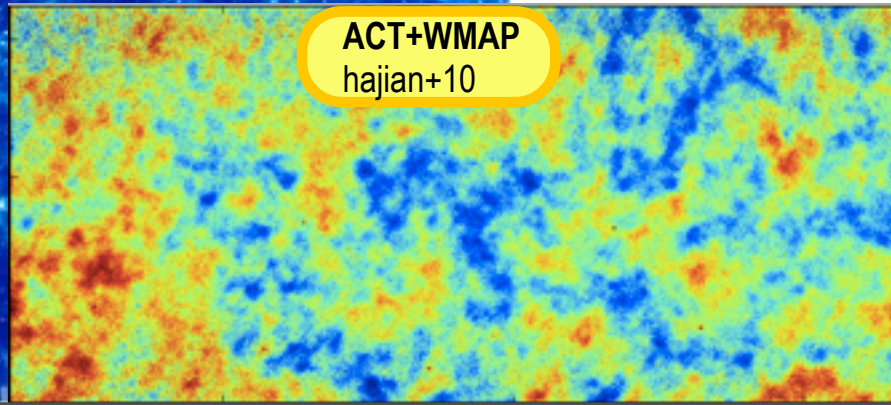
from a maxS Gaussian Random Field to a highly nonG RF
Simpliciity to Complexity under Gravity

$$\rho_g(\mathbf{x}, t)$$

$a \sim 1$ now

400 Mpc
 Λ CDM
WMAP5
gas
density
Gadget-3
SF+ SN
E+
winds
+CRs
512³
BBPSS10
BBPS1,2,3,4,5

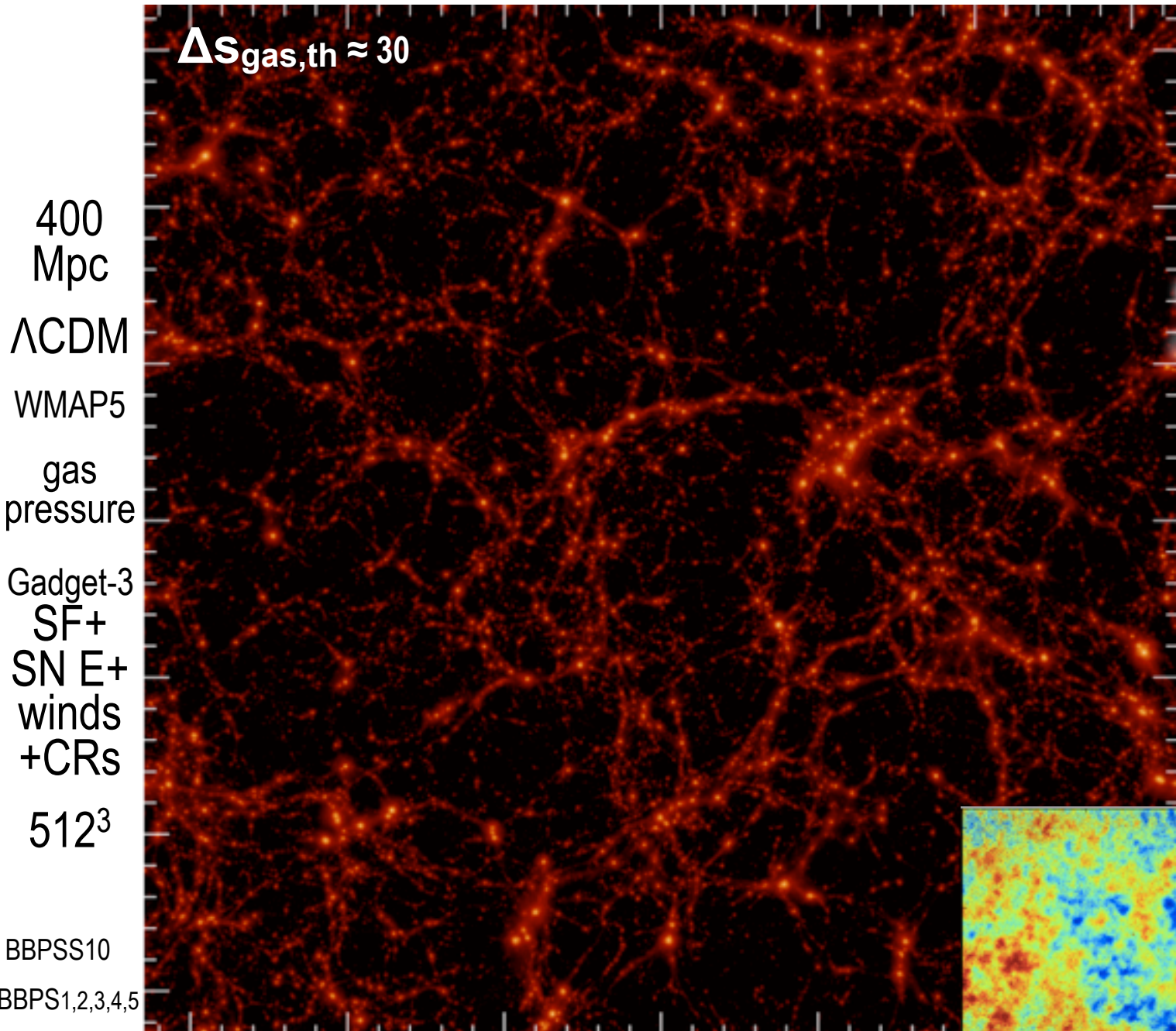
$a \sim e^{-7} \sim 1/1100$



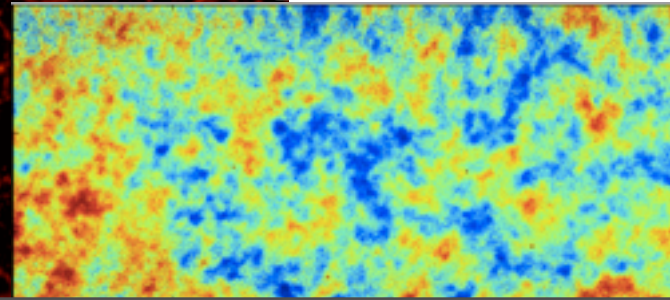
entropy intermittency in the cosmic web, via gravitation-induced shocks (then E/S-feedback)

Secondary Anisotropies
(tSZ, kSZ, WL, reion, CIB; hydro)

$S_{b,th}(x,t)$

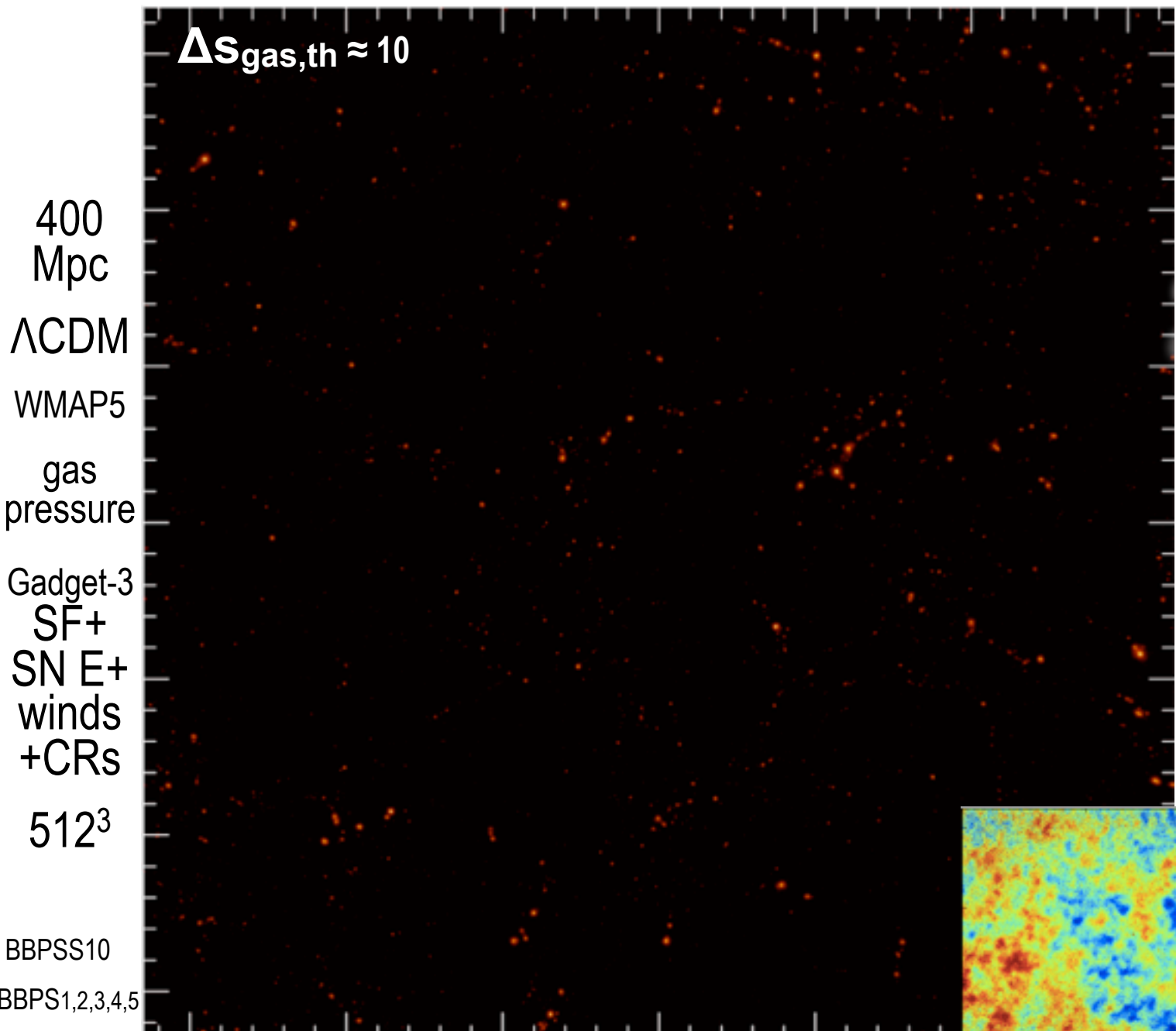


CMB gets entangled in the cosmic web
descending into the real gas physics of cosmic weather
the energetic, turbulent, dissipative, compressive
life of the IGM/ICM/ISM



entropy intermittency in the cosmic web, via gravitation-induced shocks (then E/S-feedback)

Secondary Anisotropies
(tSZ, kSZ, WL, reion, CIB; hydro)

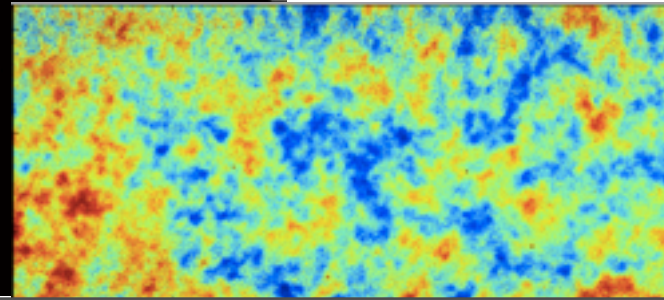


$\Delta S_{\text{gas,th}} \approx 10$

400 Mpc
 Λ CDM
WMAP5
gas pressure
Gadget-3
SF+
SN E+
winds
+CRs
 512^3
BBPSS10
BBPS1,2,3,4,5

$S_{b,\text{th}}(\mathbf{x}, t)$

CMB gets entangled in the cosmic web
descending into the real gas physics of cosmic weather
the energetic, turbulent, dissipative, compressive
life of the IGM/ICM/ISM

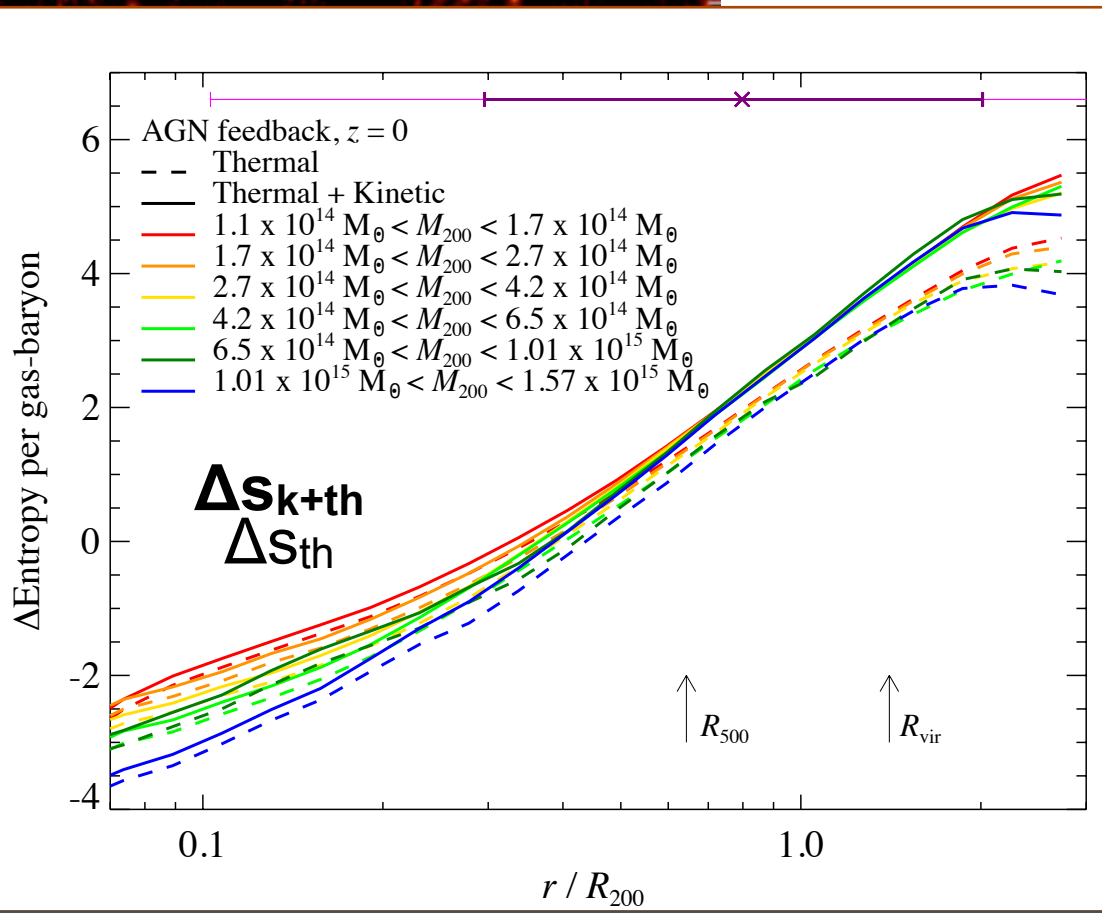
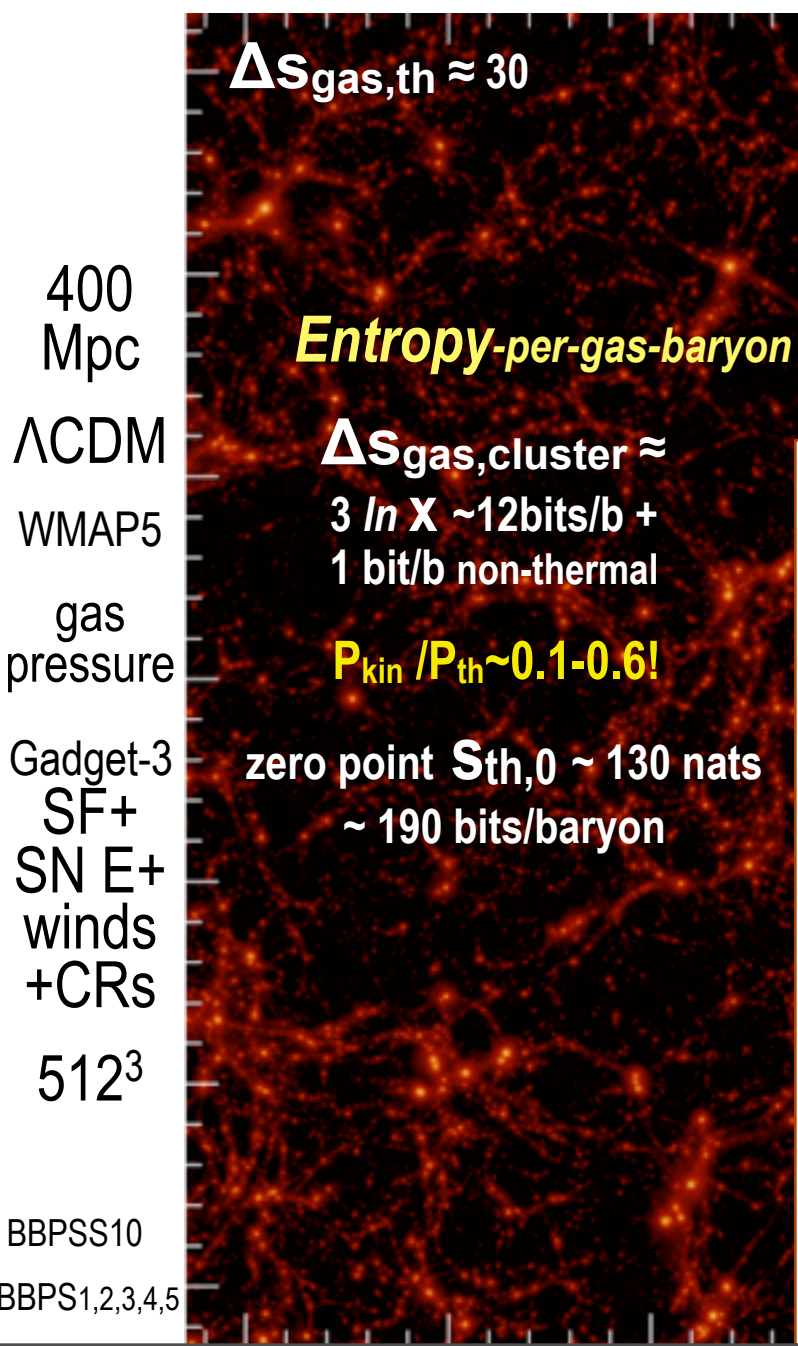


entropy intermittency in the cosmic web, via gravitation-induced shocks (then E/S-feedback)

Secondary Anisotropies
(tSZ, kSZ, WL, reion, CIB; hydro)

$S_{b,th}(x,t)$

CMB gets entangled in the cosmic web



entropy intermittency in the cosmic web, via gravitation-induced shocks (then E/S-feedback)

Secondary Anisotropies
(tSZ, kSZ, WL, reion, CIB; hydro)

$S_{b,th}(x,t)$

CMB gets entangled in the cosmic web

$\Delta S_{gas,th} \approx 30$

400 Mpc

Entropy-per-gas-baryon

$\Delta S_{gas,cluster} \approx 3 \ln X \sim 12 \text{ bits/b} + 1 \text{ bit/b non-thermal}$

$P_{kin} / P_{th} \sim 0.1-0.6!$

gas pressure

zero point $S_{th,0} \sim 130 \text{ nats} \sim 190 \text{ bits/baryon}$

$S_{th,cl} \sim 10^{76}$

$S_{U,m+r} \sim 10^{88.6} \text{ } 5.2 \text{ bits/Y}$

cf. $S_m \sim 1.4 \text{ bits/baryon atmosphere}$

after CMB+CvB, most $S_{U,m+r}$ is CIB = the waste heat from dust re-emission of starlight

Λ CDM

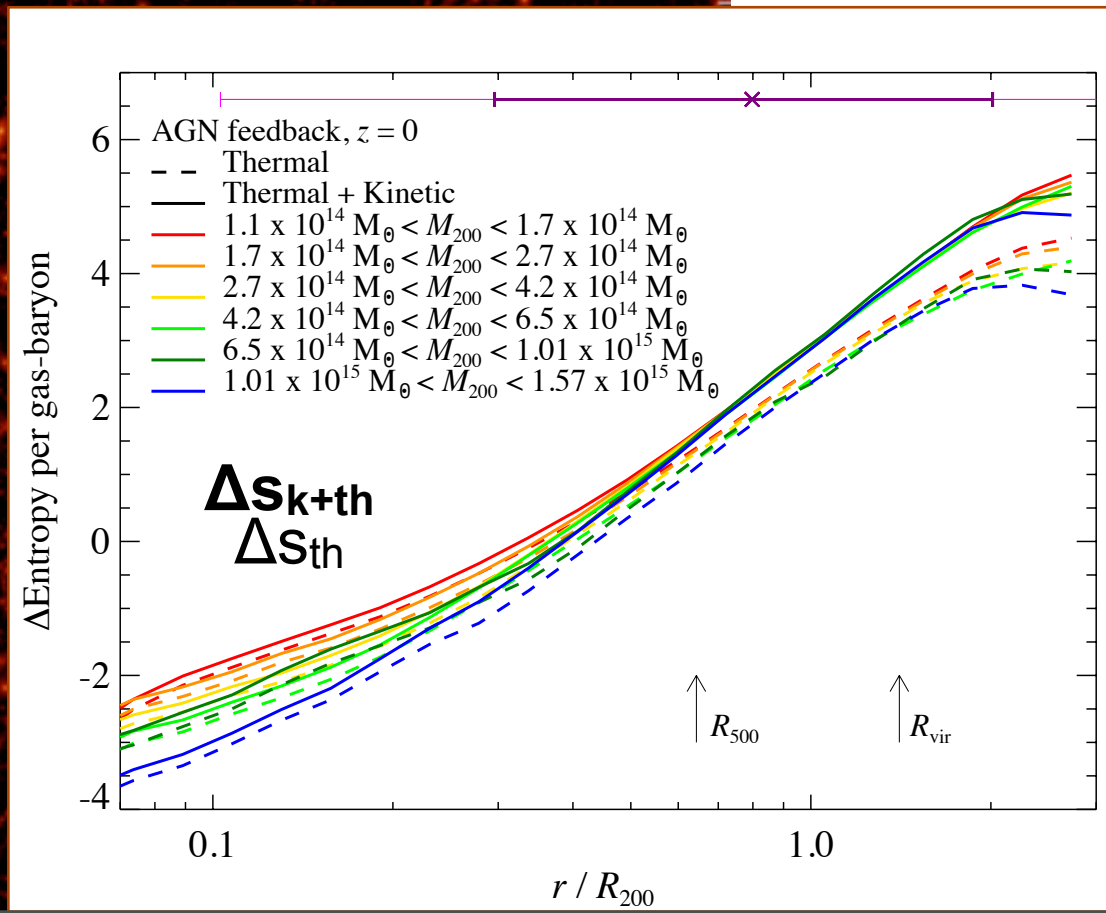
WMAP5

Gadget-3 SF+ SN E+ winds +CRs

512³

BBPSS10

BBPS1,2,3,4,5

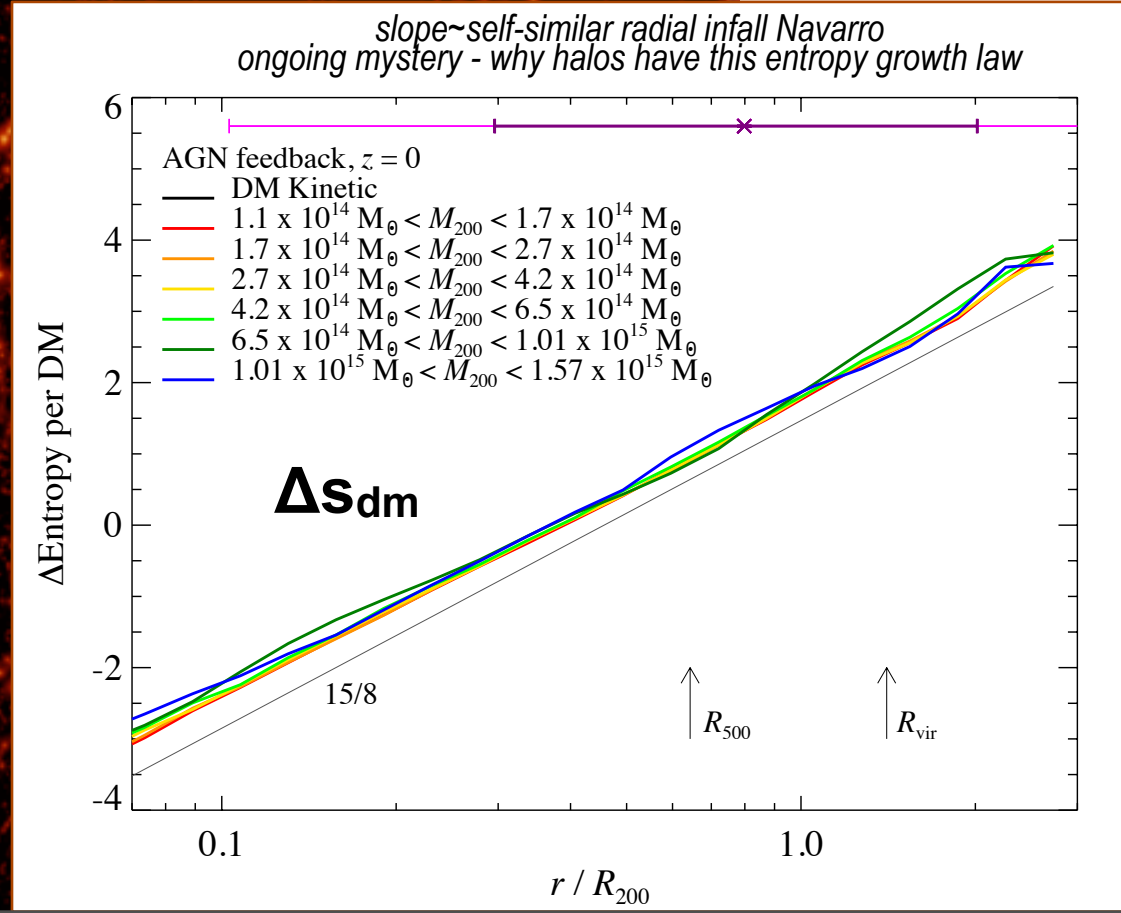
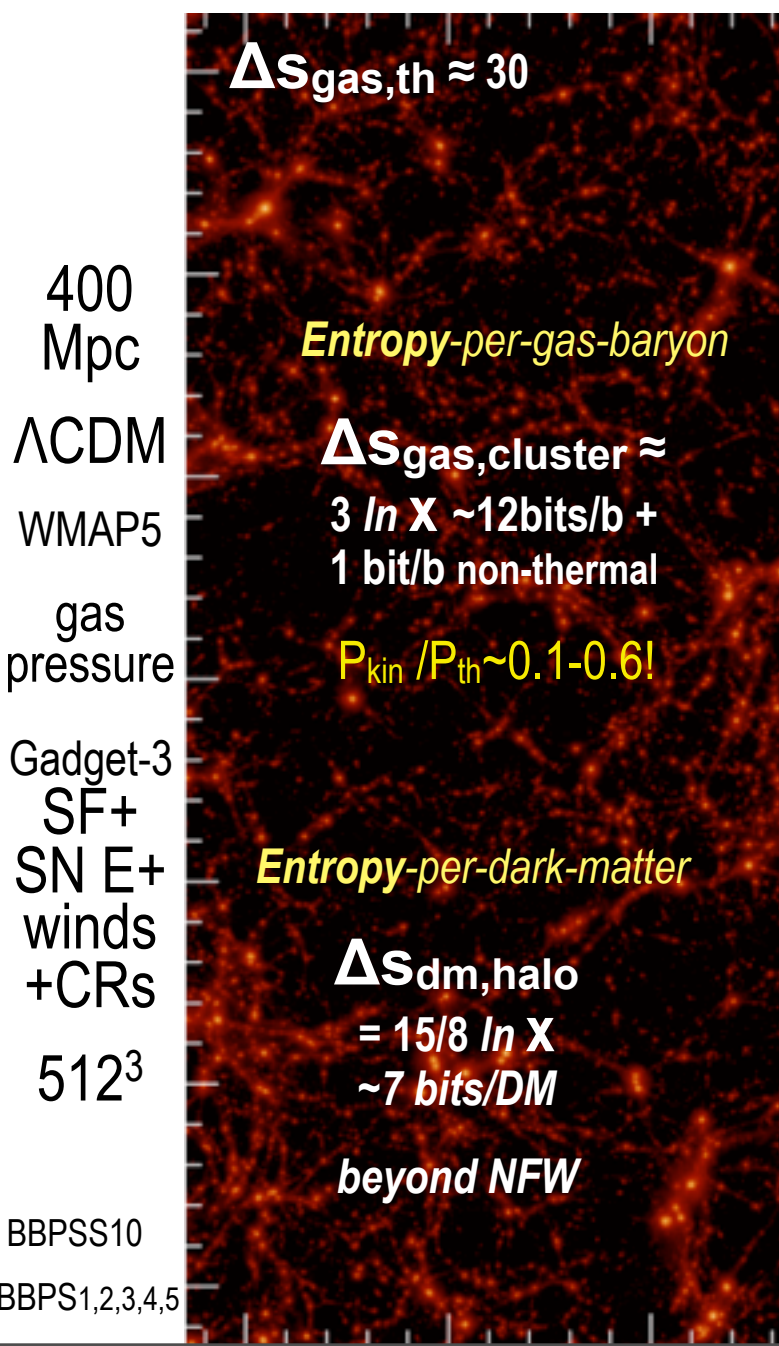


entropy intermittency in the cosmic web, via gravitation-induced shocks (then E/S-feedback)

Secondary Anisotropies
(tSZ, kSZ, WL, reion, CIB; hydro)

$S_{b,th}(x,t)$

CMB gets entangled in the cosmic web



pressure intermittency in the cosmic web, in cluster-group concentrations probed by tSZ

Secondary Anisotropies
(tSZ, kSZ, WL, reion, CIB; hydro)

2011 Planck ~200 clusters, SPT ~50 =>224cls, ACT ~50 cls; 2013 1000s

$$p_e(\mathbf{x}, t)$$

*the thermal
Sunyaev
Zeldovich
Probe*

$\gamma + e \rightarrow \gamma + e$
Compton
cooling of hot
cosmic web gas

$$\langle \Delta E_\gamma / E_\gamma \rangle = 4T_e / m_e c^2$$

$\mathbf{y} = \sigma_T \int p_e$
dline-of-sight

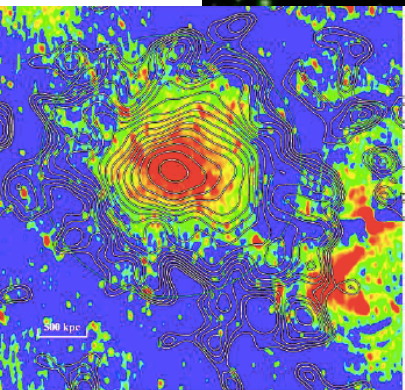
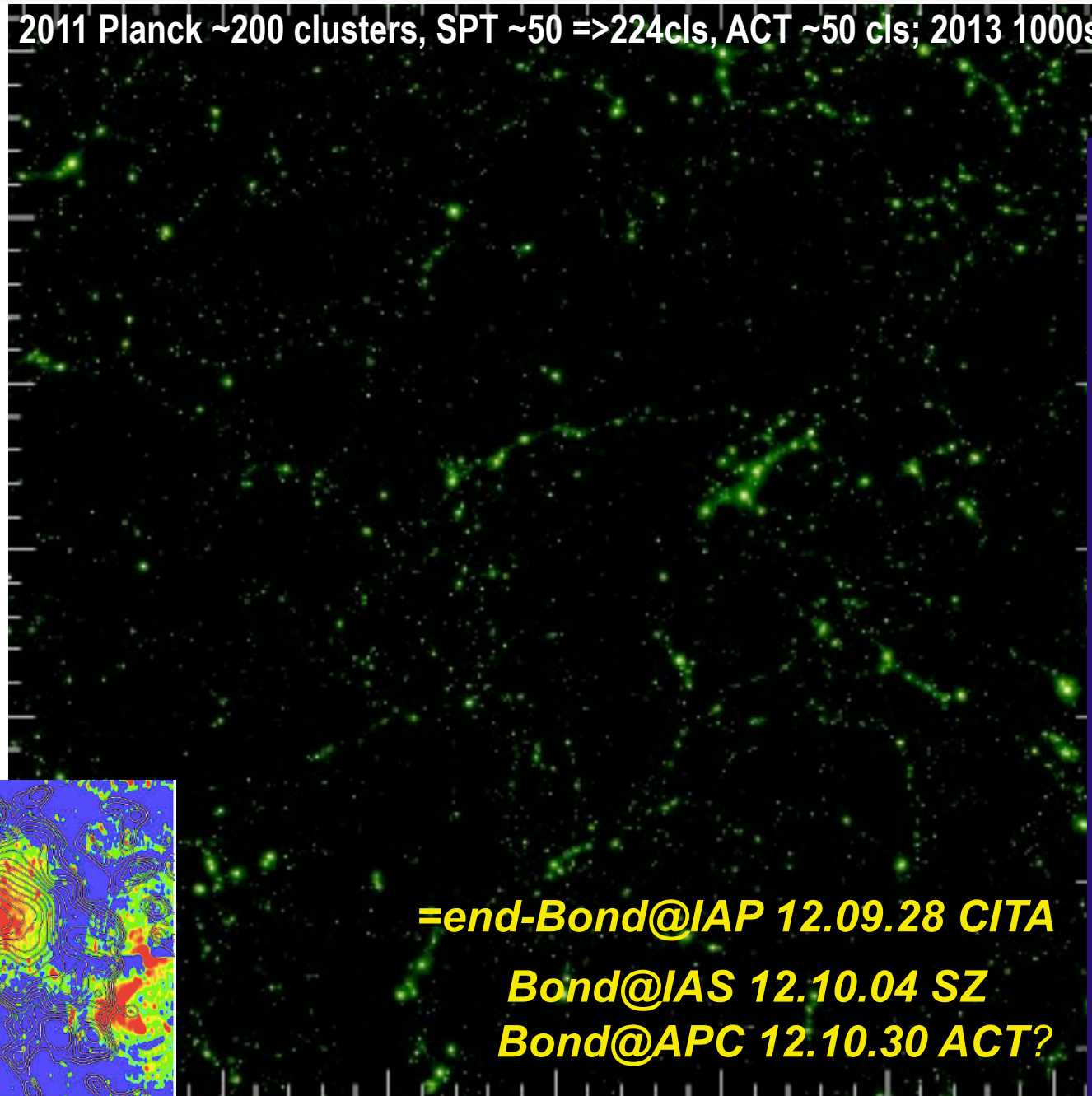
$$\Delta T / T = \mathbf{y} *$$

$$(x(e^x + 1) / (e^x - 1) - 4),$$

$$x = h\nu / T_\gamma$$

$$Y_\Delta \sim E_{th} / D_A^2$$

Planck's
Coma
2012.08
pip10



=end-Bond@IAP 12.09.28 CITA
Bond@IAS 12.10.04 SZ
Bond@APC 12.10.30 ACT?



dS_G/dt

primary anisotropies

- linear perturbations: scalar/density, tensor/gravity wave
- tightly-coupled photon-baryon fluid: oscillations $\delta_\gamma v_\gamma \pi_\gamma$
- viscously damped
- polarization π_γ
- gravitational redshift

Decoupling LSS

17 kpc
(19 Mpc)

secondary
anisotropies

$dS/dt > 0$

• nonlinear evolution



• weak lensing

• thermal SZ
+ kinetic SZ

• $d\Phi/dt$

• dusty/radio galaxies, dGs

M
I
L
K
Y



$z=0$



Bayesian flow prior to posterior via likelihood

W
A
Y

DarkE

reionization

$dS_{astro} < 0$

$dS/dt > 0$

$z \sim 1100$ redshift z

$z \sim 10$

13.7- 10^{-50} Gyrs

13.7 Gyrs

time t

10 Gyrs

today