

What is the Universe made of?

NOW: Baryons + (cold-ish) dark matter + dark energy/inflaton + tiny curvature energy (+light neutrinos+photons). ??a bit of strings/textures/PBHs??

THEN: coherent inflaton /“vacuum” energy plus zero point fluctuations in all fields. & then preheat through mode coupling to incoherent cascade to thermal equilibrium.

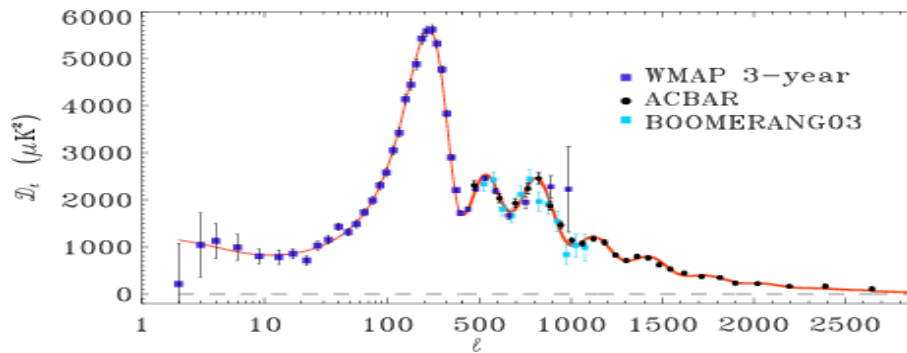
very early U early to middle to now U **very late U**

string theory/landscape/higher dimensions

inflation cyclic baryogenesis dark matter BBN γ dec **dark energy**

$V_{\text{eff}}(\phi_{\text{inf}})$?

$K_{\text{eff}}(\phi_{\text{inf}})$?

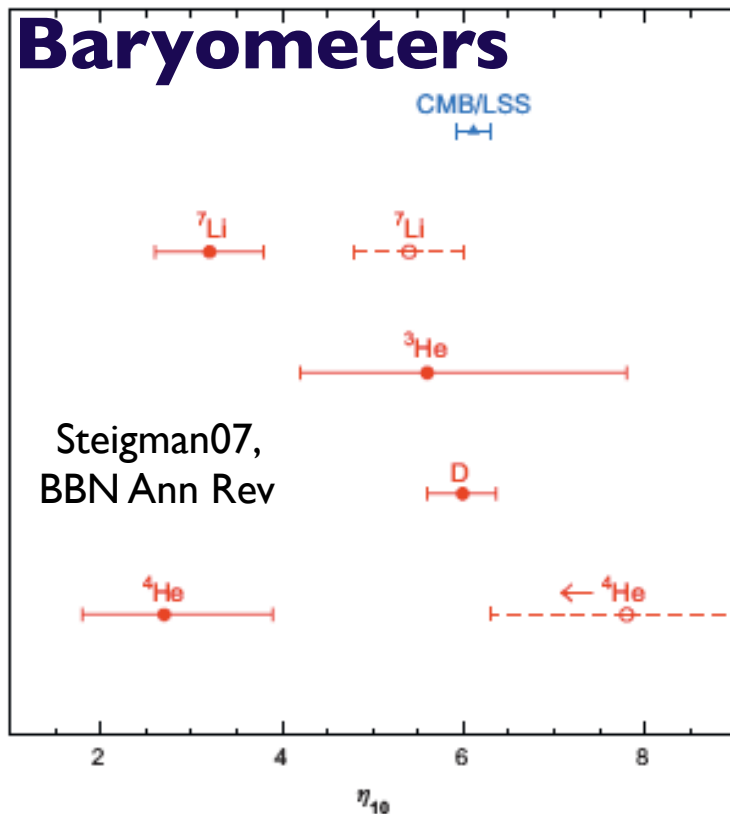


$V_{\text{eff}}(\phi_{\text{inf}})$?

$K_{\text{eff}}(\phi_{\text{inf}})$?

$\rho_{\text{dm}}/\rho_{\text{b}}$ $z_{\text{eq}}/z_{\text{rec}}$ ρ_{curv} n_{b}/n_{γ} $\rho_{\text{de}}/\rho_{\text{dm}}$ $\rho_{\text{de}} \sim H^2 M_{\text{Planck}}^2$ $\rho_{\text{mv}}/\rho_{\text{stars}}$

Baryometers



Nobel Prize 84
Willy Fowler + Chandra-sekhar

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$$\eta_{10} \equiv 10^{10} (n_B/n_\gamma) \equiv 274 \Omega_B h^2$$

January 2000

January 2002

June 2002

January 2003

March 2003

$\Omega_b h^2$

$0.0339^{+0.0443}_{-0.0246}$

$0.0222^{+0.0025}_{-0.0021}$

$0.0221^{+0.0024}_{-0.0020}$

$0.0221^{+0.0023}_{-0.0018}$

$0.0233^{+0.0013}_{-0.0013}$

boom98: Apr00/01/dasi

cbi: Jun02

acbar1: Dec02

WMAP1: Feb03

0.0223 ± 0.0007

0.0226 ± 0.0006 wmap3+acbar+cbi+... LSS

0.0233 ± 0.0005 wmap5+acbar+cbi+b03+...+WL+LSS+SNI+Lya

dark matter abundance $\Omega_m = 0.268 +0.012 -0.012$

	January 2000	January 2002	June 2002	January 2003	March 2003
$\Omega_{\text{cdm}} h^2$	$0.198^{+0.088}_{-0.080}$	$0.130^{+0.031}_{-0.028}$	$0.124^{+0.026}_{-0.025}$	$0.125^{+0.021}_{-0.022}$	$0.111^{+0.010}_{-0.010}$

CMB-only history (weak-h prior). LSS-then drove to near current

0.1145 ± 0.0023 CMBall+WL+LSS+SN+Lya

$$\rho_{\text{dm}}/\rho_{\text{b}} = 5.1$$

Ω_{Λ}	$0.34^{+0.28}_{-0.24}$	$0.52^{+0.17}_{-0.20}$	$0.53^{+0.17}_{-0.19}$	$0.57^{+0.14}_{-0.19}$	$0.73^{+0.06}_{-0.10}$
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CMB-only history (weak-h prior). LSS-then drove to near current value

dark energy abundance $\Omega_{\Lambda} = 0.736 +0.012 -0.012$

& $H_0 = 72 \pm 1$ CMBall+WL+LSS+SN+Lya

$$\rho_{\text{m}}/\rho_{\text{de}} = .30$$

$\mathcal{E} = -d \ln H / d \ln a = 1 + q$: now $= 3/2 [\Omega_{\text{m}0} + (1+w)(1-\Omega_{\text{m}0})]$ **$\sim 0.40?$, to $0?$**

Standard Parameters of Cosmic Structure Formation

$$\theta \sim \ell_s^{-1} \quad \sim \ln \sigma_8^2$$

$$\Omega_k \quad \Omega_b h^2 \quad \Omega_{dm} h^2 \quad \Omega_\Lambda \quad \tau_c \quad \ln A_s \quad n_s \quad r = A_t / A_s$$

$$1+w_0, w_a$$

$$dn_s / d \ln k \quad n_t$$

New Parameters of Cosmic Structure Formation:
early-inflaton & late-inflaton trajectories

$$\epsilon_\phi = (1+w(a)) \times 3/2 \quad \epsilon(k), \quad k \approx Ha \quad \ln H(k_p)$$

$$\epsilon_s f(a/a_{\Lambda eq}; a_s/a_{\Lambda eq}; \zeta_s) \quad \ln P_s(k) \quad \ln P_t(k)$$

+ subdominant isocurvature/cosmic string/ tSZ ...

Constraining Trajectories of Dark Energy Inflatons

Inflation Now $\epsilon_\phi(a) = \epsilon_s f(a/a_{\Lambda\text{eq}}; a_s/a_{\Lambda\text{eq}}; \xi_s)$

$\epsilon_\phi = -d \ln \rho_\phi / d \ln a / 4 \sim 0$ now, to $\epsilon = -d \ln \rho_{\text{tot}} / d \ln a / 4 \sim 0$ to 2, 3/2, $\sim .4$

cf. $w(a)$: w_0, w_a, w in z-bins, w in modes, $\epsilon(a)$: in modes, jerk

~ 1 good e-fold. only ~ 2 params

Inflation Then $\epsilon(k) = (1+q)(a) =$ mode expansion in resolution ($\ln H a \sim \ln k$)
 $\sim r/16$ (Tensor/Scalar Power & gravity waves) ~ 10 good e-folds CMB+LSS

Cosmic Probes Now CMB(Apr08), CFHTLS SN(Union 307), WL, LSS/BAO, Ly α

Cosmic Probes Then JDEM-SN + DUNE-WL + Planck1

Zhiqi Huang, Bond & Kofman 08 $\epsilon_s = -0.13 \pm 0.28$ now, inflaton (potential gradient)²

to ± 0.07 then Planck1+JDEM SN+DUNE WL, weak $a_s < 0.3$ now < 0.21 then

Measuring w (SNe+CMB+WL+LSS+Lya)

$$w(a) \equiv \frac{p(a)}{\rho(a)}$$

$$1+w_0 = -0.02 \pm 0.07$$

$$w(a) = w_0 + w_a(1-a)$$

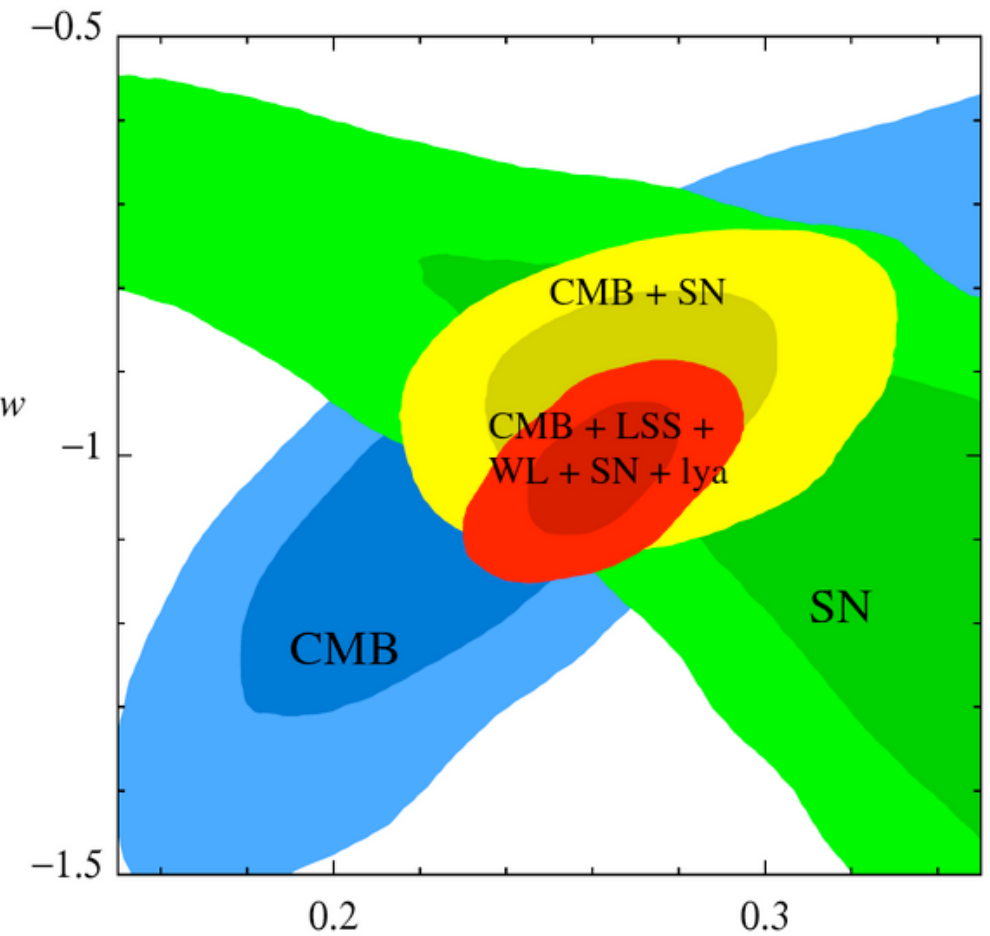
$$1+w_0 = 0.02 \pm 0.21$$

$$w_a = -0.17 \pm 0.7 \pm 0.9$$

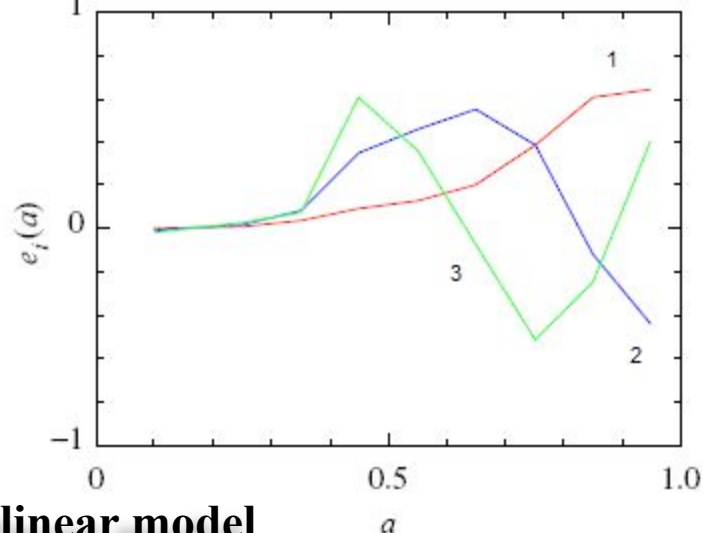
piecewise parameterization
4,9,40 modes in redshift

9 & 40 into Parameter eigenmodes

data cannot determine >2 EOS parameters
DETF Albrecht etal06, Crittenden etal06, hbk08

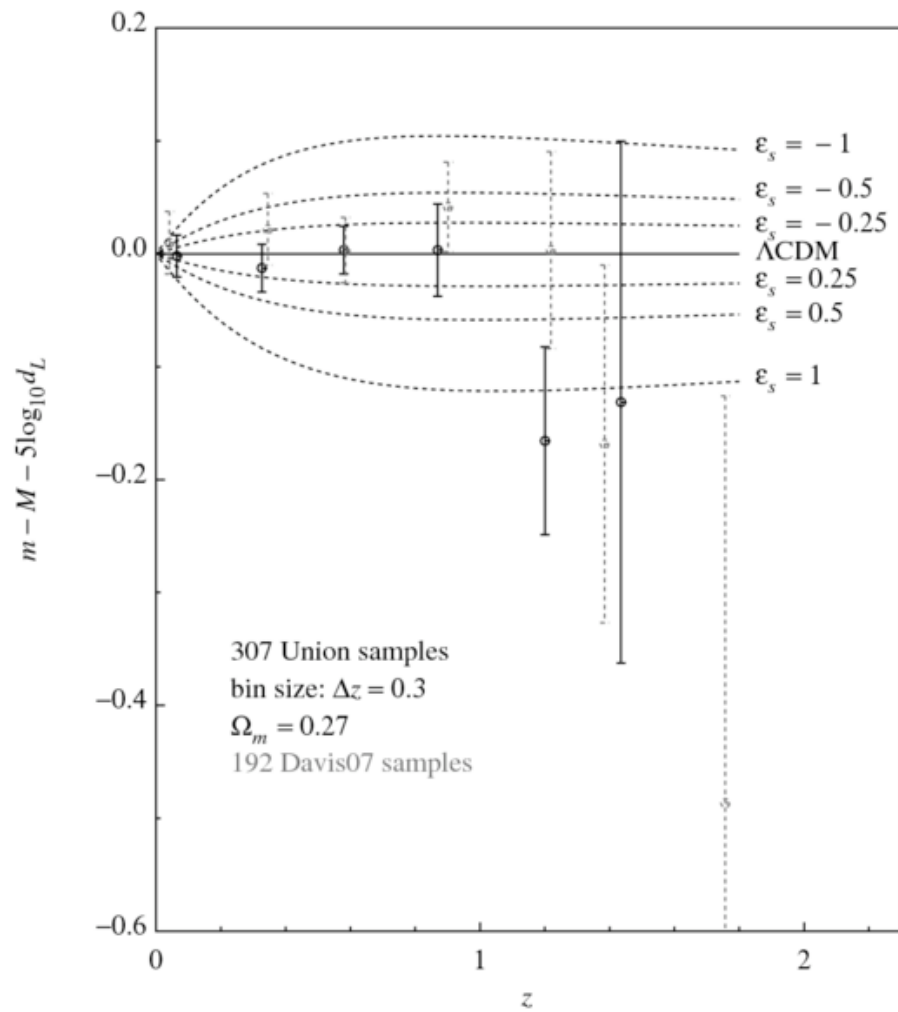
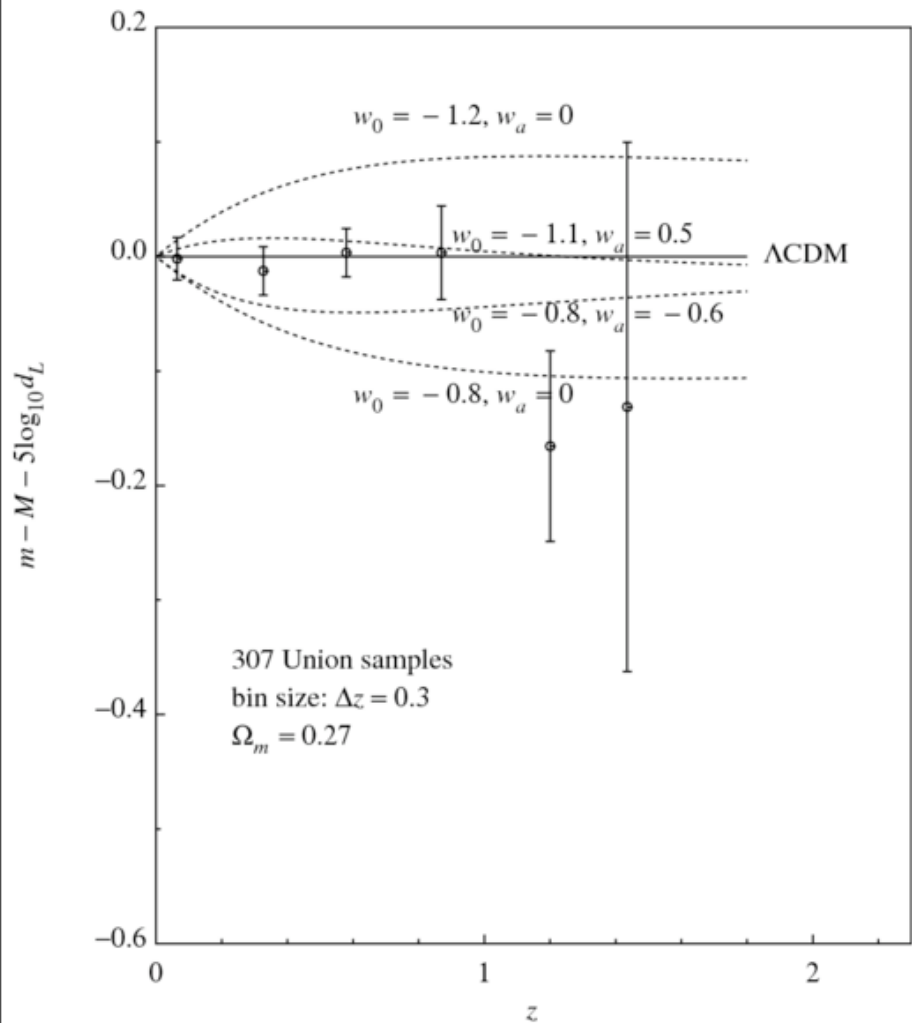


$\sigma_1=0.12$ $\sigma_2=0.32$ $\sigma_3=0.63$

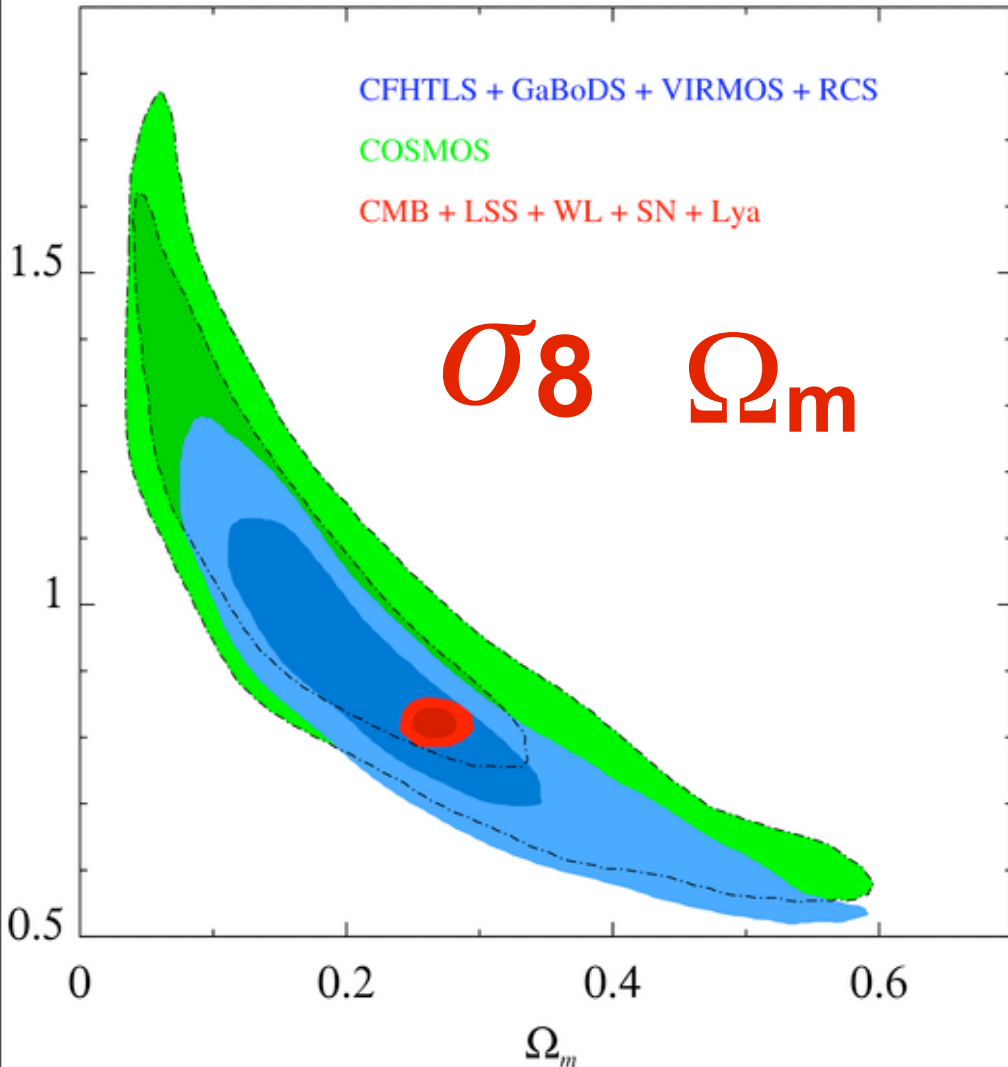


$\epsilon_{\phi_0} = -0.03 \pm 0.10$ if constant, $\epsilon_{\phi_0} = 0.03 \pm 0.33$ if a-linear model

SN1a now: Union sample 307 Apr08, partially unified. CFHT SNLS3 ~Jul08, ~4 x SNLS1, calibrated. Low z ~0.5yr



Weak Lens now: CFHTLS-wide(22sq deg)+GaBoDS (13) +Virgos-Descart(8)+RCS1(53) Apr07+ & COSMOS07



case	Ω_m	σ_8
LCDM	0.268 \pm .012	0.823 \pm .017
w0	0.262 \pm .011	0.826 \pm .025
w0-wa	0.265 \pm .012	0.81 \pm .03
ϵ_s	0.26 \pm .01	0.83 \pm .02
ϵ_s - a_s - ζ_s	0.26 \pm .01	0.821 \pm .025

recent weak lensing "alone"

CFHTLS	0.26+	0.83+.04-.05
cf.		0.80+.05-.05
COSMOS	0.26+	0.88 \pm .07-.08
cf.		0.87 \pm .074

recent SZ CBlexcess "cmb-alone"

CBI+Acbar+Bima σ_8 **SZ** \sim .95 \pm .05 \pm .05

planck1+jdem+dune .260 \pm .004 .850 \pm .005
 ϵ_s - a_s - ζ_s case ϵ_s = .02+.07-.06

➤ **Cosmological Constant ($w=-1$)**

➤ **Quintessence $V(\psi)$ ($-1 \leq w \leq 1$)**

➤ **Phantom field $KE < 0$ & $V(\psi)$ ($w \leq -1$)**

➤ **Tachyon fields ($-1 \leq w \leq 0$)**

➤ **K-essence: KE not quadratic**

➤

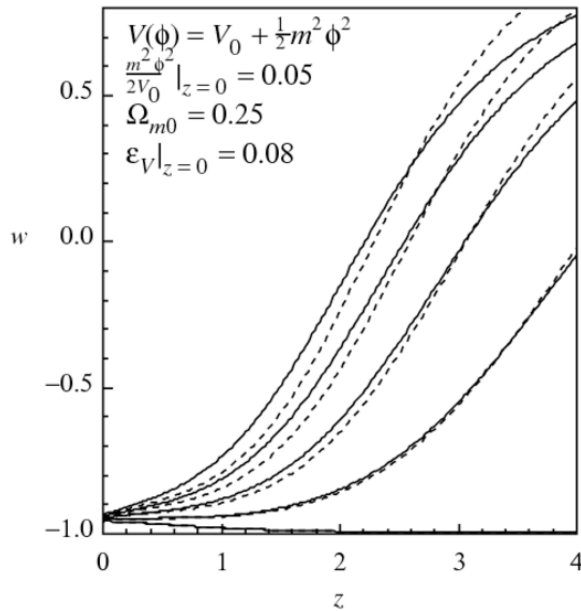
$$V \sim \exp[..\psi],$$

$$\psi^{-p} = 1, 2, 4, .., \quad V_0 + .. \psi^p = 1, 2, 4, ..,$$

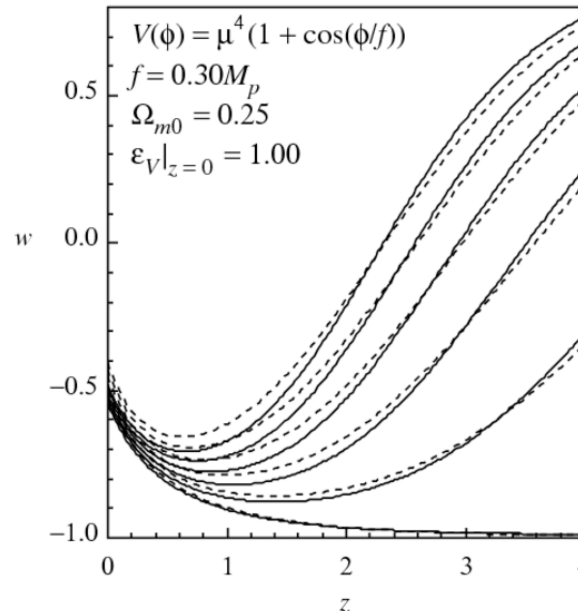
$$V_{\text{pNGB}} \sim \sin^2 .. \psi, \quad V_{\text{holes}}, \quad V_{\text{branes}}, \\ (V_0 + .. [\psi - \psi_0]^2) .. \quad \& \text{ much more}$$

sample $w(z)$ -trajectories for $V(\psi)$, back-integrate now to then

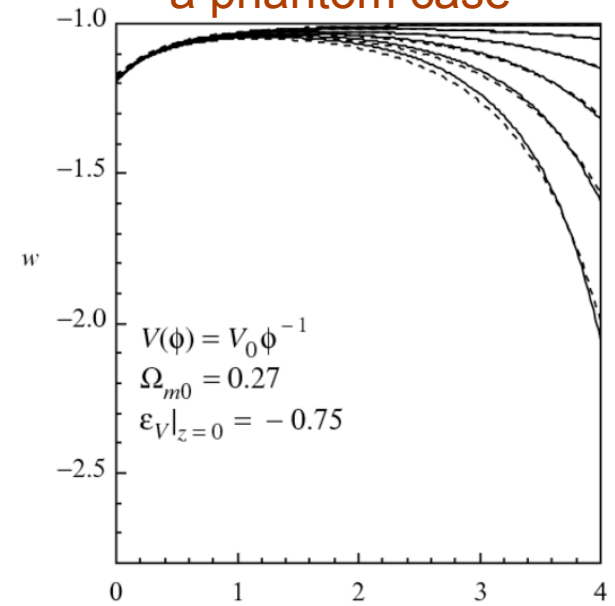
a offset-quadratic mass case



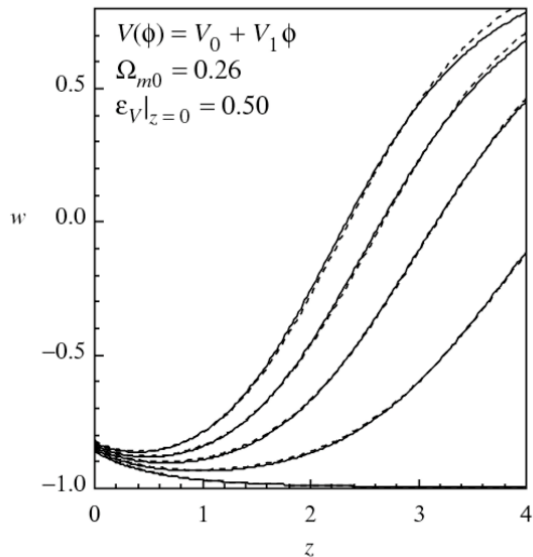
a pNGB phase case



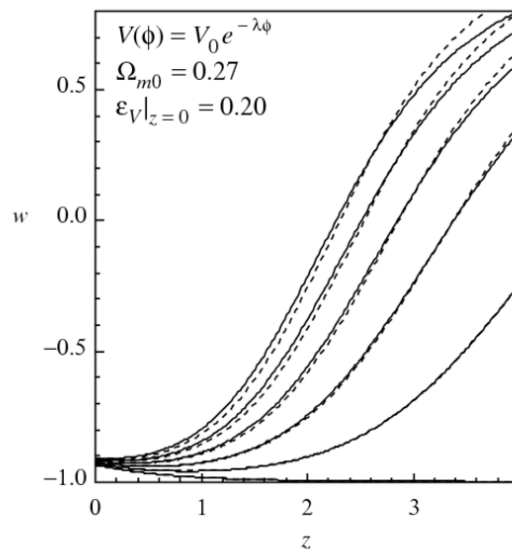
a phantom case



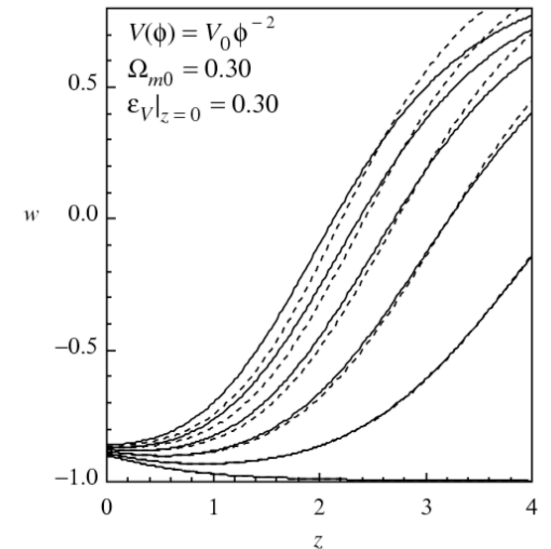
offset-linear



a Ratra-Peebles exp potential

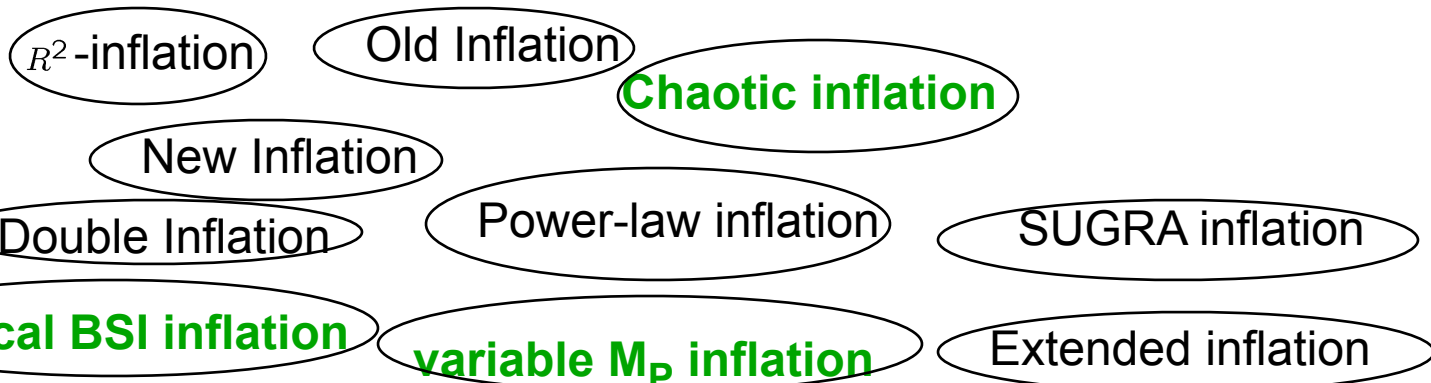


a dropping power law

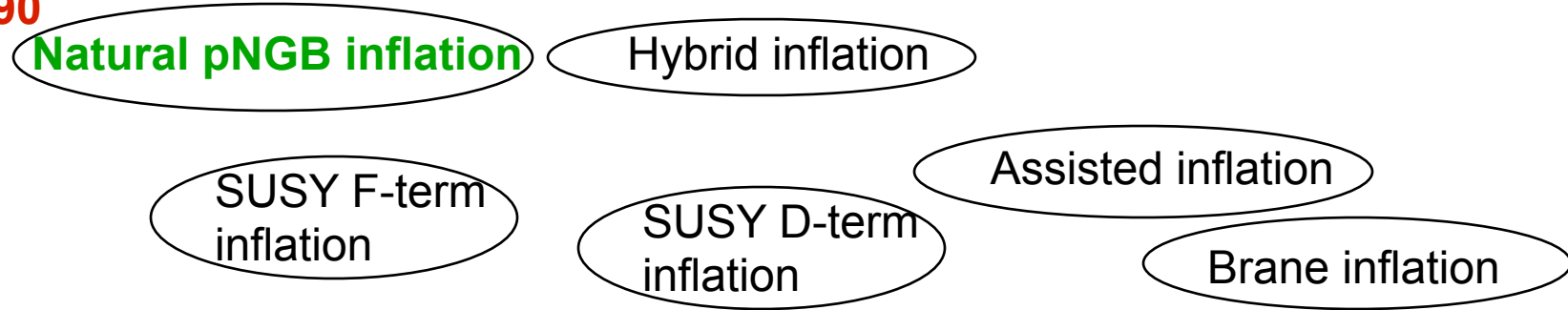


Old view: Theory prior = delta function of THE correct one and only theory

1980

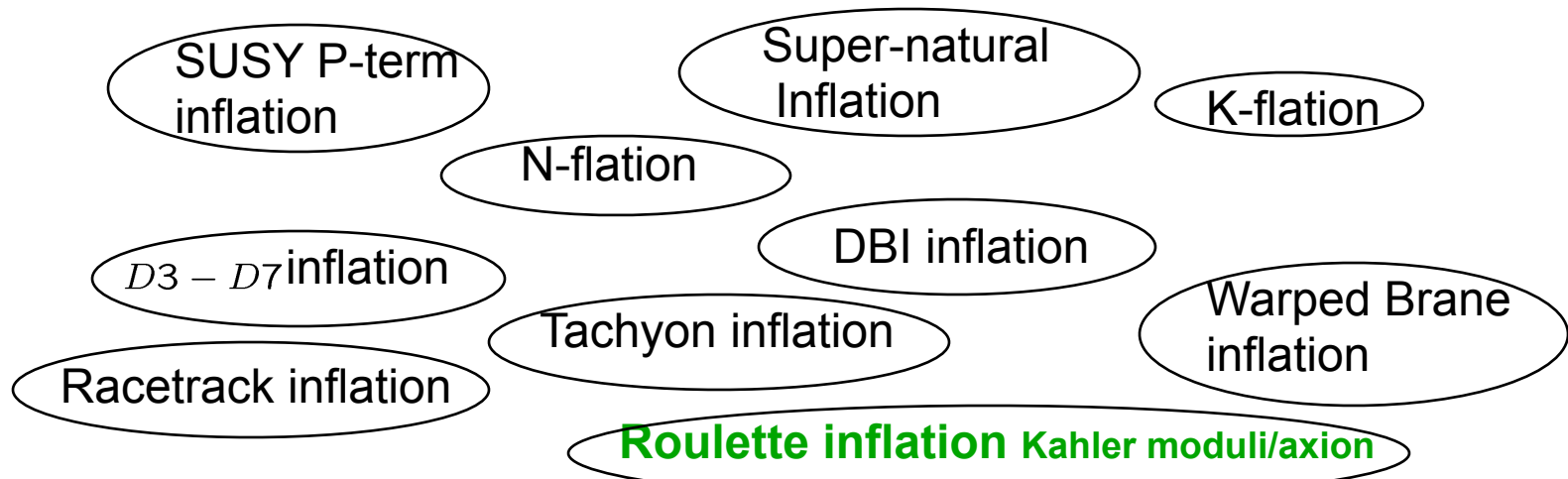


1990



2000

*ekpyrotic/
cyclic*



Inflation Then $\epsilon(k) \sim r/16$

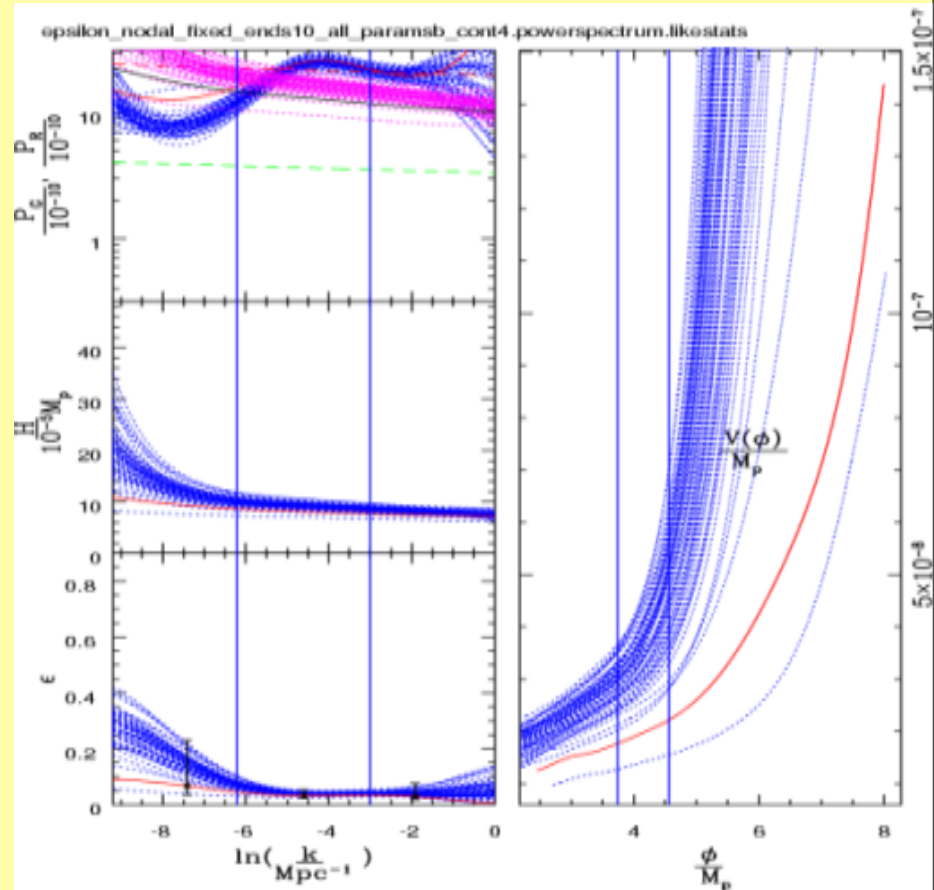
= mode expansion in $\ln H a \sim \ln k$

be blind: all $\epsilon < 1$ trajectories give allowed potential & kinetic energies

~10 good e-folds $k \sim 10^{-4} \text{Mpc}^{-1}$ to $\sim 1 \text{Mpc}^{-1}$

~ 10+ parameters? $H(\phi)$, $V(\phi)$

Bond, Contaldi, Huang, Kofman, Vaudrevange 08



Inflation Now all $\epsilon_\phi < 1$ trajectories give allowed potential & kinetic energies but... do not be blind:... ~1 good e-fold. only ~2params

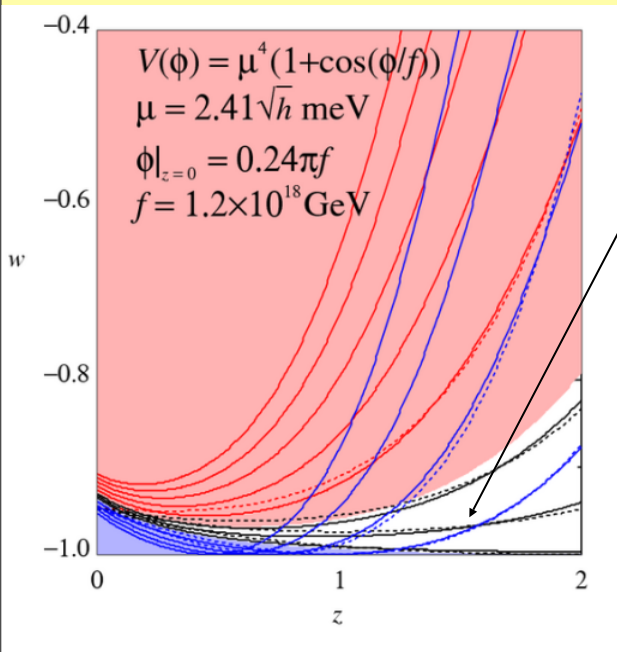
get $\epsilon_s = (d \ln V / d \psi)^2 / 4$ @ pivot pt

Huang, Bond & Kofman 08

Late-Inflaton $\varepsilon_\phi(a) = \varepsilon_s f(a/a_{\Lambda eq}; a_s/a_{\Lambda eq}; \xi_s)$

3-param formula accurately fits **slow-to-moderate roll** & even wild rising baroque late-inflaton trajectories, as well as **thawing & freezing** trajectories. but not oscillating DE

Cosmic Probes Now **CFHTLS SN(Union~300), WL, CMB, BAO, LSS, Ly α**



slow-to-moderate roll OK

wild rise & roll up/down OK

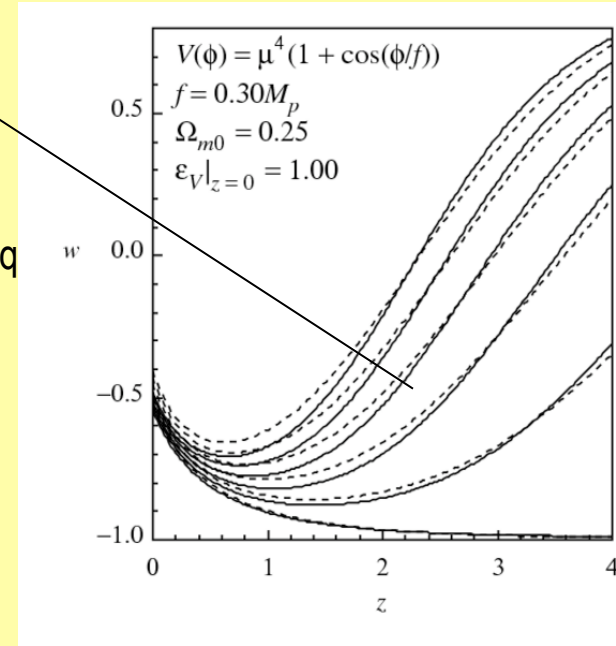
$$\varepsilon_v = (\text{dln}V/\text{d}\psi)^2/4 \text{ @pivot } a_{eq}$$

$$\varepsilon_s = -0.13 \pm 0.28 \text{ now}$$

$$a_s < 0.3 \text{ (} z_s > 2.3 \text{) now}$$

$$\xi_s = \text{dln}\varepsilon_s / \text{dln}a \times 1/2 \text{ @pivot } a_{eq}$$

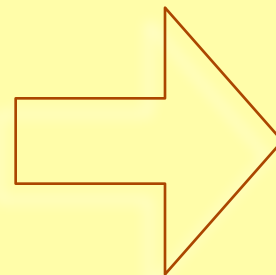
ill-determined now



ε_s to ± 0.07 then
Planck1+JDEM SN+DUNE WL,

weak $a_s < 0.21$ then, ($z_s > 3.7$)

3rd param ξ_s ill-determined then



cannot reconstruct the quintessence potential, just the

slope ε_s & hubble drag info

(late-inflaton field $<$ Planck mass, but sometimes not by a lot)

3-parameter parameterization $\ddot{\phi} + 3H\dot{\phi} + V'(\phi) = 0$ + Friedmann Equation + DM+B

$$w(a) = -1 + \frac{2\epsilon_s}{3} \left\{ \frac{\left(\frac{a_s}{a}\right)^{3-3.6a_s|\epsilon_s|(1-\Omega_{m0})}}{\sqrt{1 + \frac{\epsilon_s}{3|\epsilon_s|} \left(\frac{a_s}{a}\right)^{6-7.2a_s|\epsilon_s|(1-\Omega_{m0})}}} \frac{1}{\sqrt{|\epsilon_s|}} \right.$$

$$+ \left[\sqrt{1 + \left(\frac{a_{eq}}{a}\right)^3} - \left(\frac{a_{eq}}{a}\right)^3 \ln\left(\left(\frac{a}{a_{eq}}\right)^{\frac{3}{2}} + \sqrt{1 + \left(\frac{a}{a_{eq}}\right)^3}\right) \right] (1 - \zeta_s)$$

$$+ 0.36\epsilon_s(1 - \Omega_{m0}) \frac{\left(\frac{a}{a_{eq}}\right)^2}{1 + \left(\frac{a}{a_{eq}}\right)^4} \left[0.9 - 0.7\frac{a}{a_{eq}} - 0.045\left(\frac{a}{a_{eq}}\right)^2 \right]$$

$$+ \frac{2\zeta_s}{3} \left[\sqrt{1 + \left(\frac{a}{a_{eq}}\right)^3} - 2\left(\frac{a_{eq}}{a}\right)^3 \left(\sqrt{1 + \left(\frac{a}{a_{eq}}\right)^3} - 1 \right) \right]^2$$

where

$$a_{eq} \equiv \left(\frac{\Omega_{m0}}{1 - \Omega_{m0}} \right)^{\frac{1}{3[1-0.36\epsilon_s(1-\Omega_{m0})]}}$$

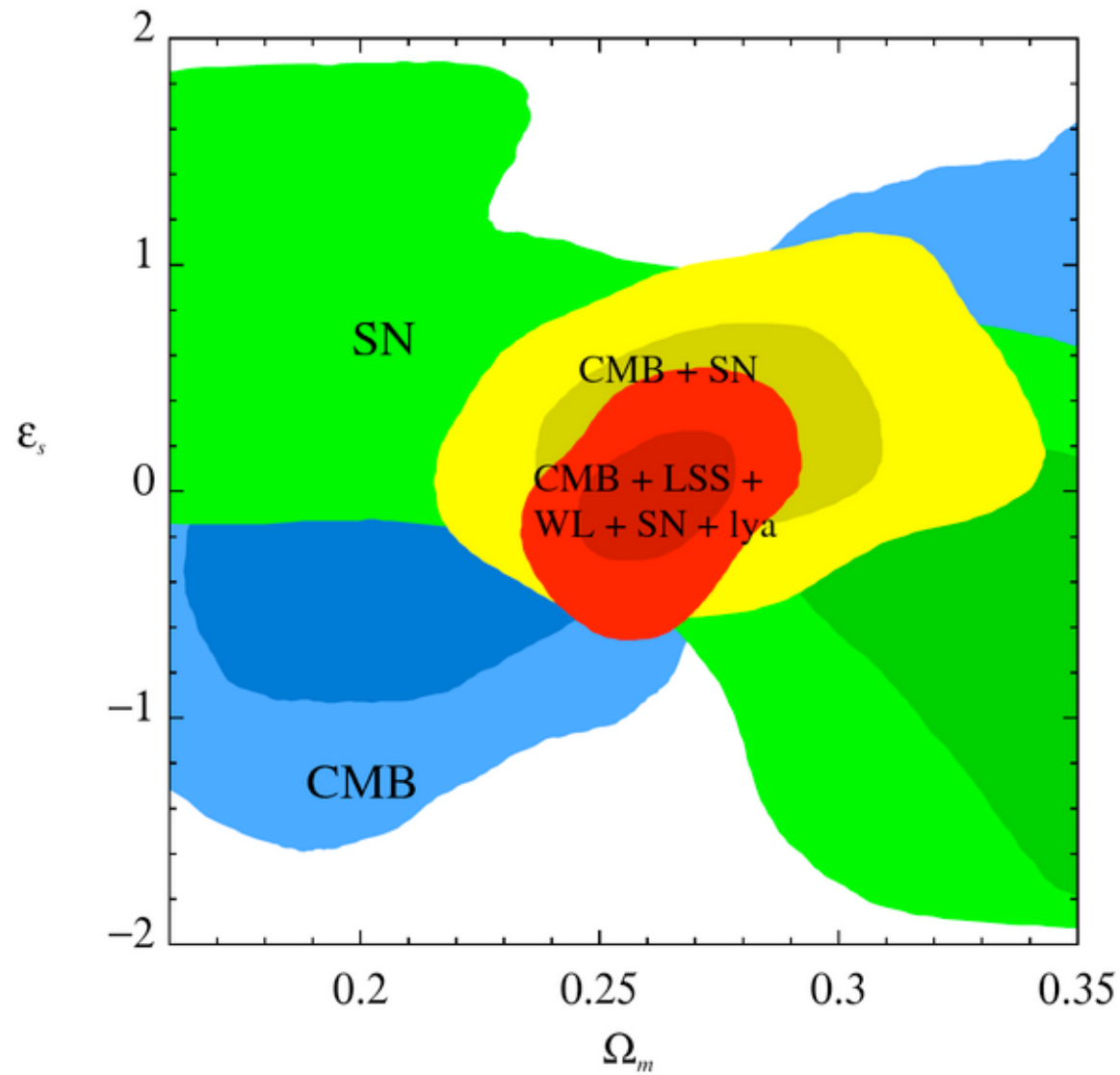
$$a_s \geq 0$$

$$\sqrt{|\epsilon_V|} = \sqrt{|\epsilon_s|} \left[1 + \zeta_s \left(\left(\frac{a}{a_{eq}} \right)^{\frac{3}{2}} - 1 \right) \right] \quad -1 < \zeta_s < 1$$

- ~15% thawing,
8% freezing,
with flat priors

measuring ϵ_s a_s ζ_s scaling+tracking SNe_{union}+CMB

wmap5+acbar+cbi5yr+b03+WL_{cfhtls+cosmos}+LSS_{sdssRG+2dF}+Lya)

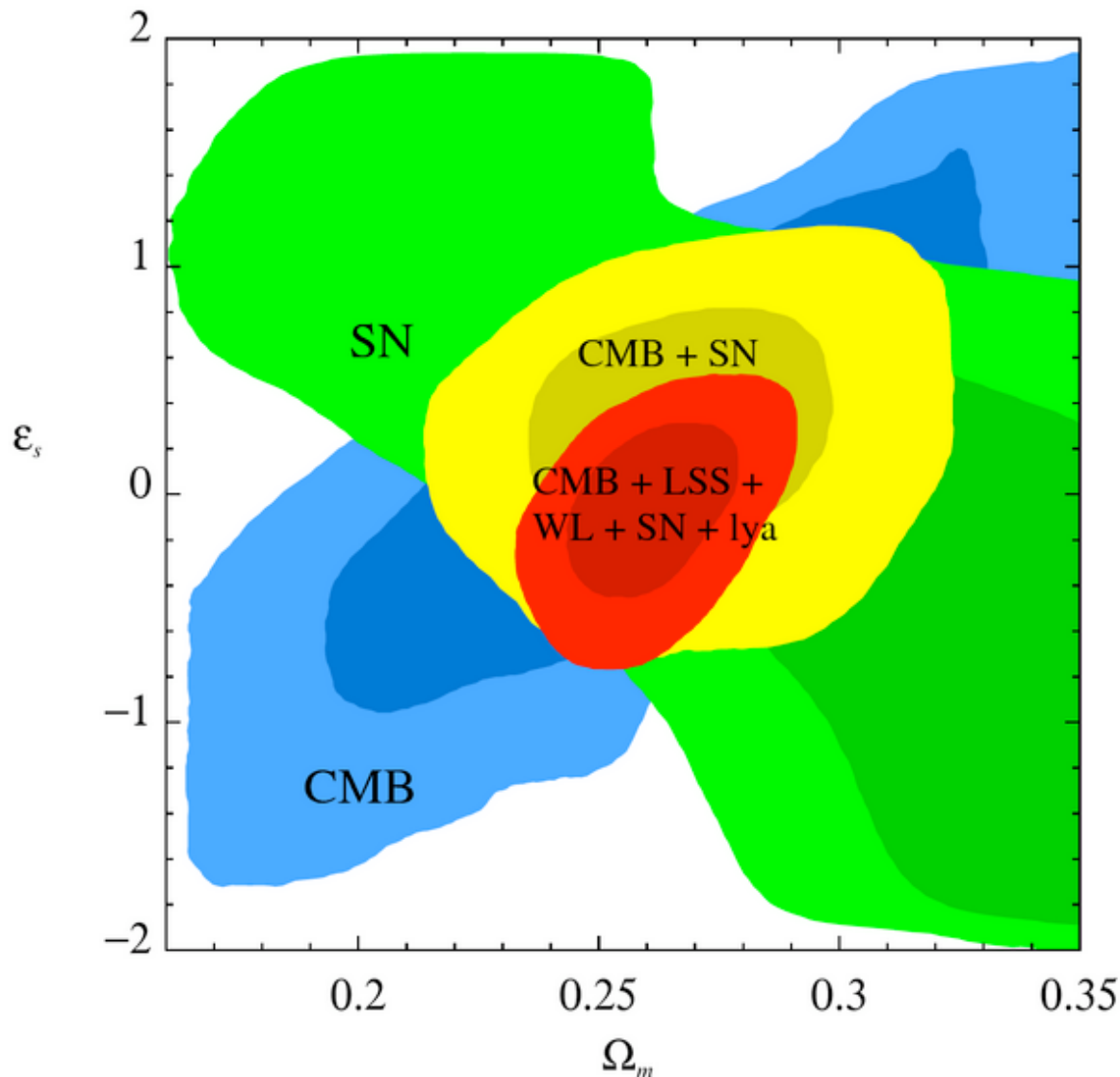


**modified CosmoMC
with Weak Lensing,
SZ, SN,CMB, bias &
w(a) slow-to-
moderate-roll
trajectories with
various priors**

ϵ_s	-.08	+ .26	-.27	1
	-.12	+ .24	-.26	3
	-.13	+ .27	-.30	2

measuring ϵ_s ζ_s $\mathbf{a}_s=0$ tracking (SNe_{union}+CMB

wmap5+acbar+cbi5yr+b03+**+WL**_{cfhtls+cosmos}**+LSS**_{sdssRG+2dF+Lya})



**modified CosmoMC
with Weak Lensing,
SZ, SN, CMB, bias &
w(a) slow-to-
moderate-roll
trajectories with
various priors**

$$\epsilon_s \quad -.08 \quad + \quad .26 \quad -.27 \quad 1$$

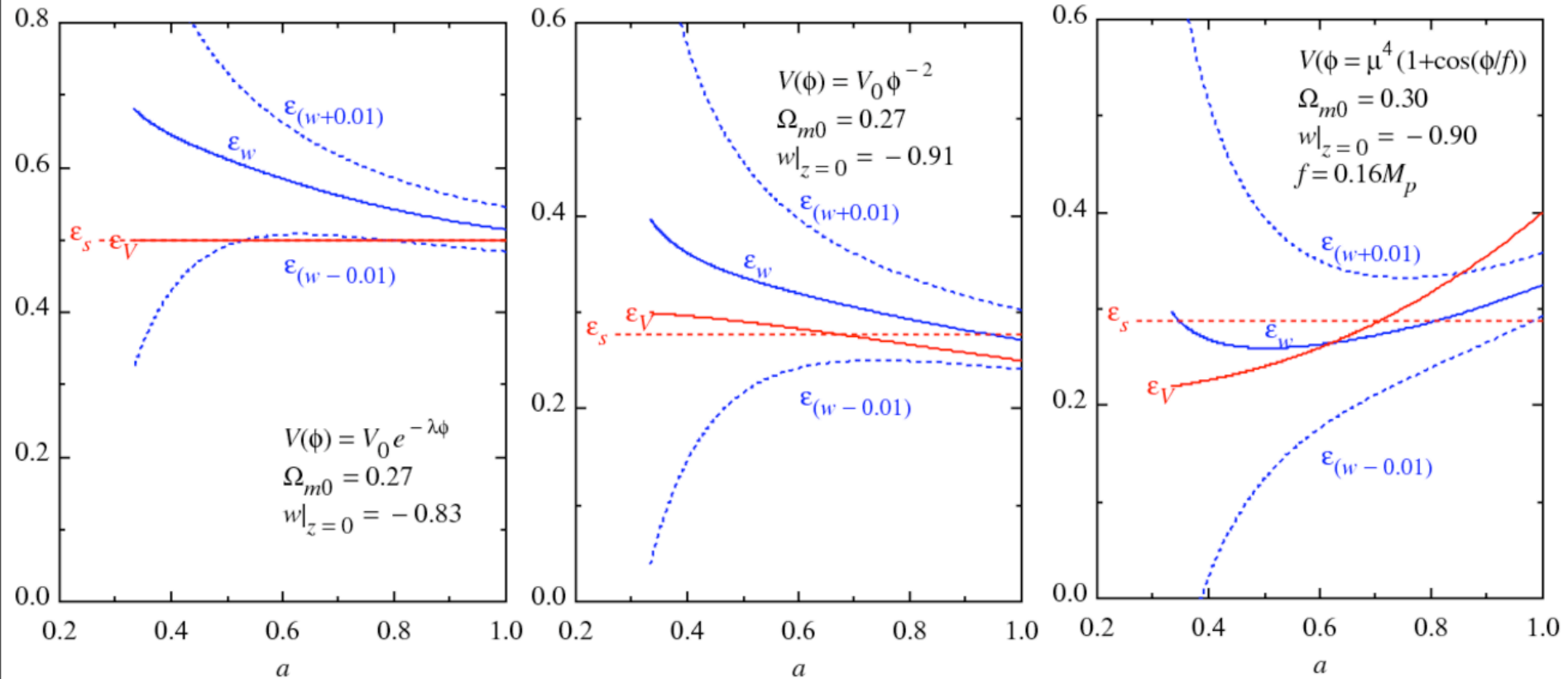
$$-.12 \quad + \quad .24 \quad -.26 \quad 3$$

$$-.13 \quad + \quad .27 \quad -.30 \quad 2$$

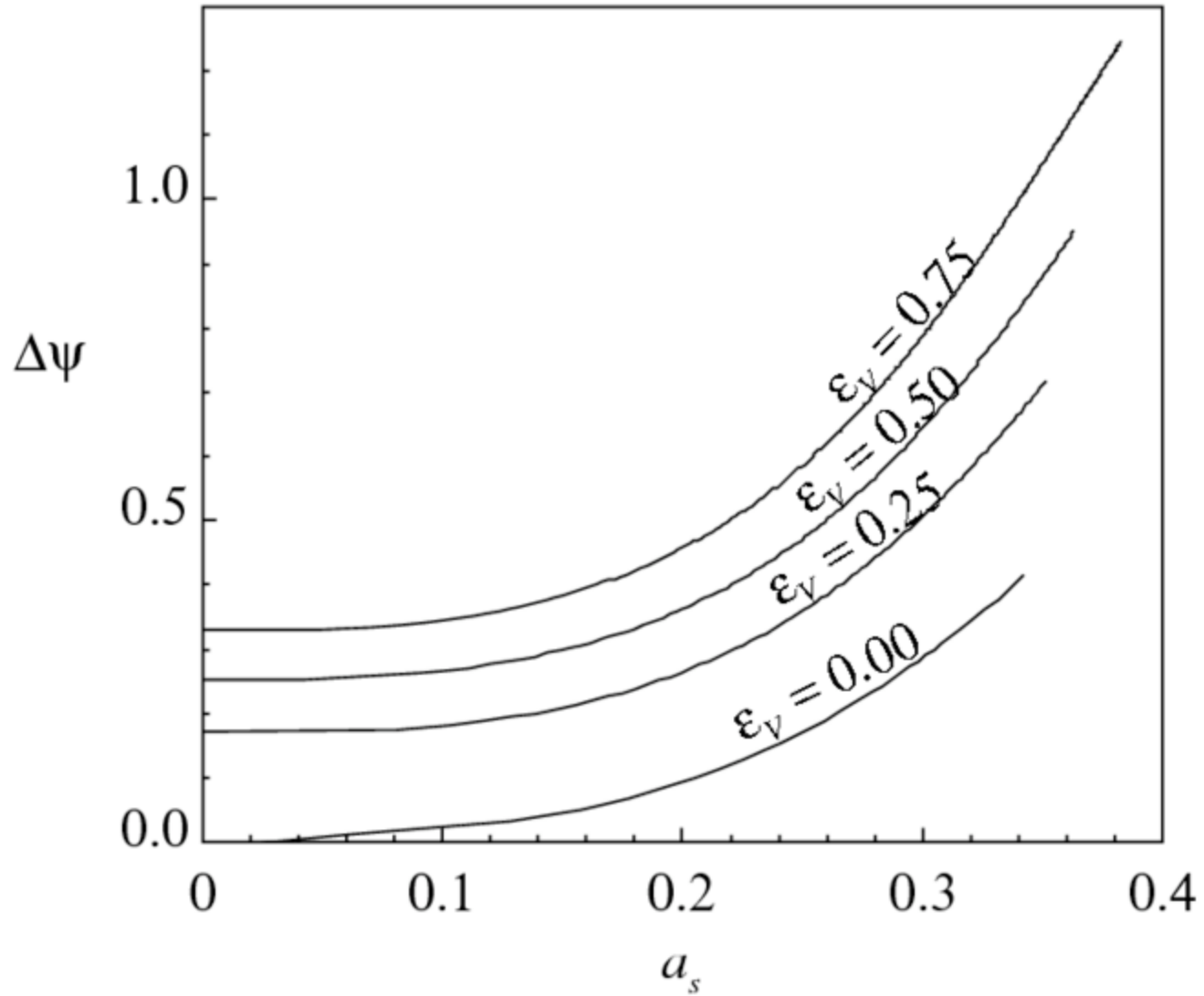
ϵ_V trajectories are slowly varying: why the fits are good

Dynamical $\epsilon_w = \epsilon_\phi \epsilon_s / \epsilon_{\phi\text{-approx}}$ cf. shape $\epsilon_V = (V'/V)^2$ (a) / (16 π G)

& ϵ_s is ϵ_V uniformly averaged over $0 < z < 2$ in a

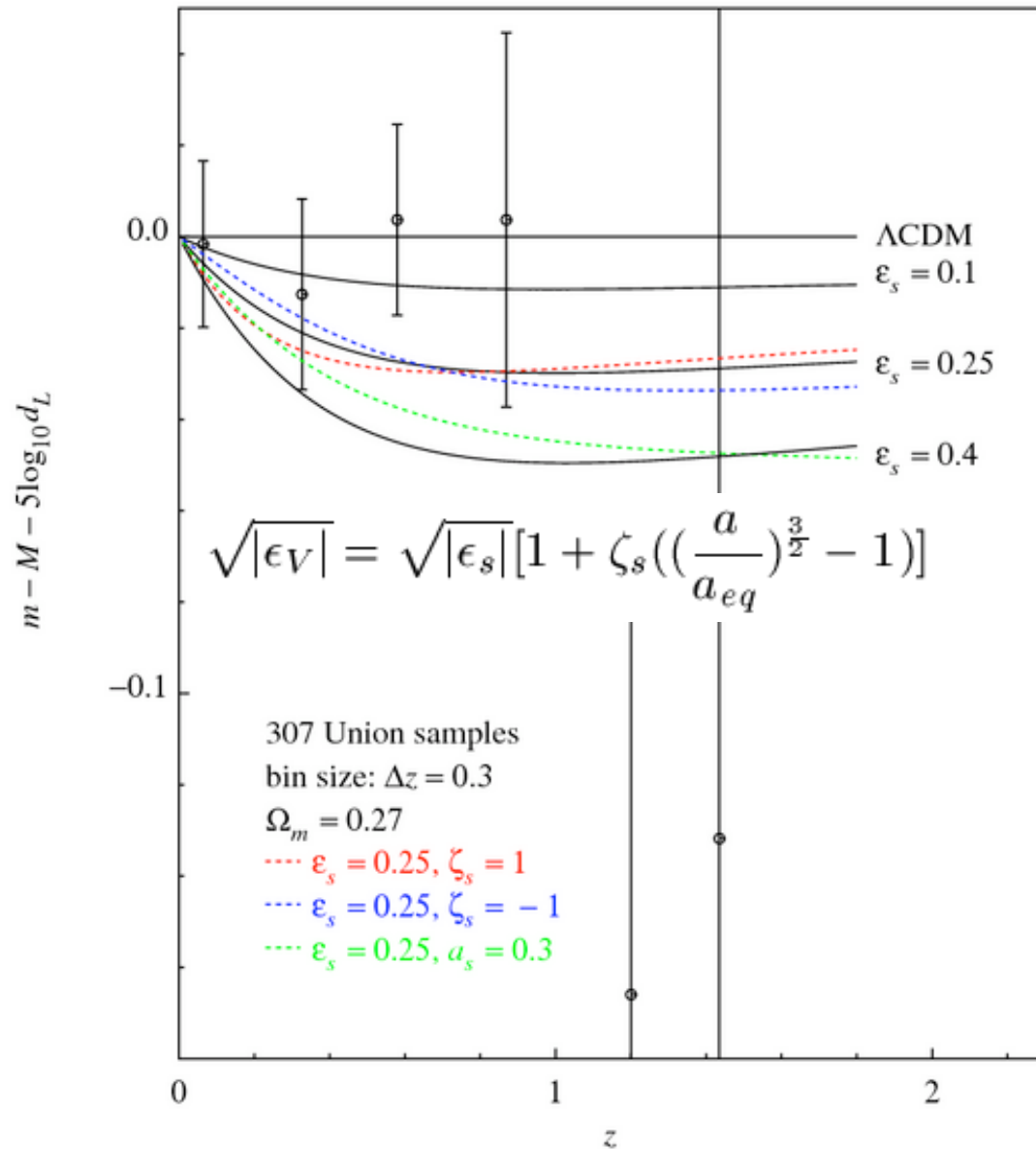


the quintessence field is below the reduced Planck mass



Why we can measure the 1st but not the 2nd derivative of the log-potential.

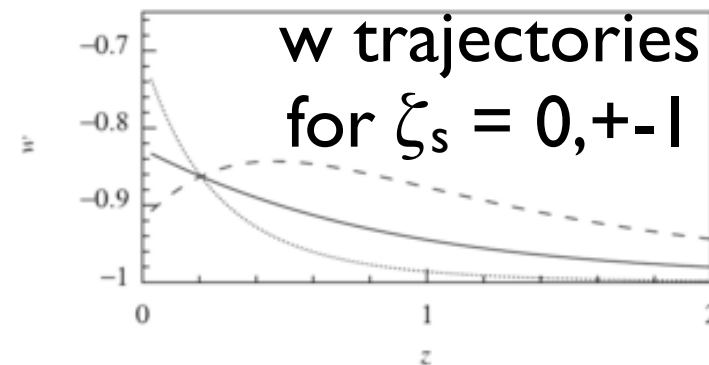
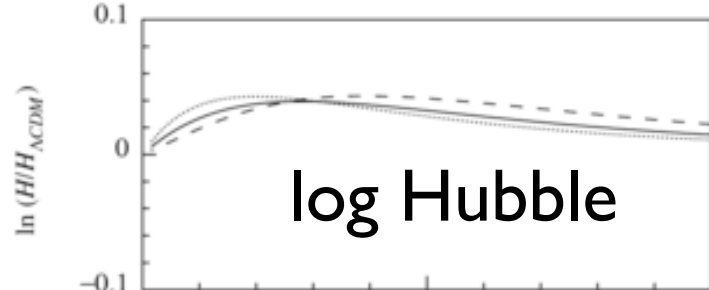
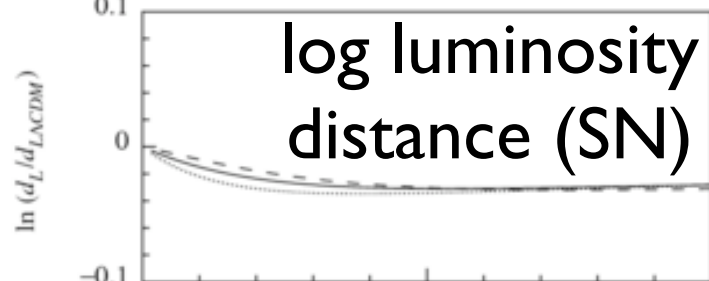
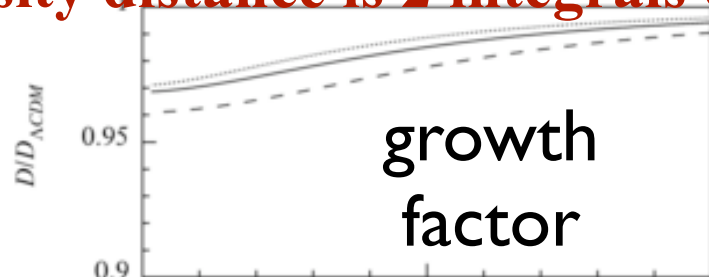
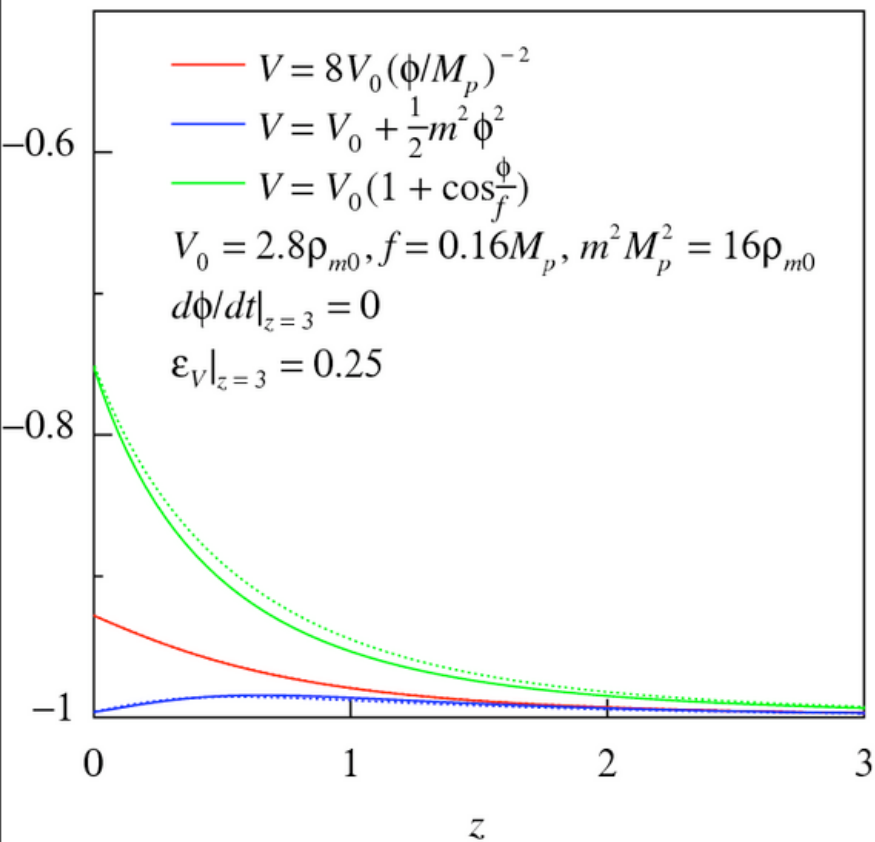
potential reconstruction very partial



Why can't we measure the change of the slope, i.e., the effective mass of the potential? **w changes but the luminosity distance is 2 integrals of it.**

we fit $w(z)$ for tracker potentials very well

$$\sqrt{|\epsilon_V|} = \sqrt{|\epsilon_s|} \left[1 + \zeta_s \left(\left(\frac{a}{a_{eq}} \right)^{\frac{3}{2}} - 1 \right) \right]$$



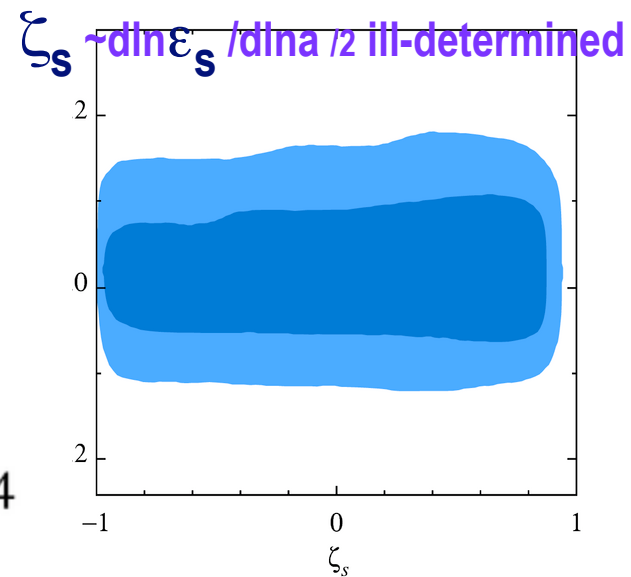
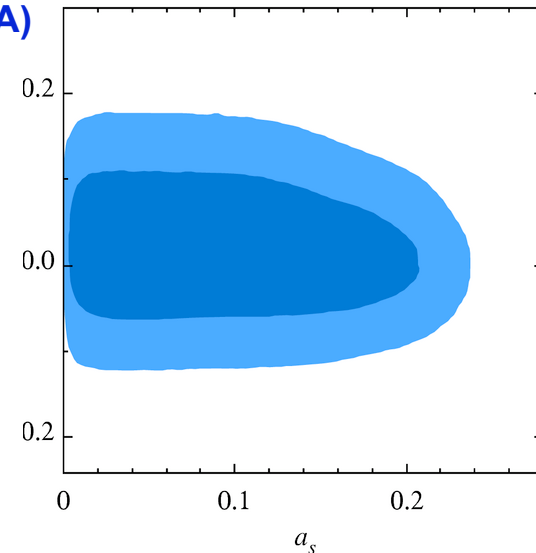
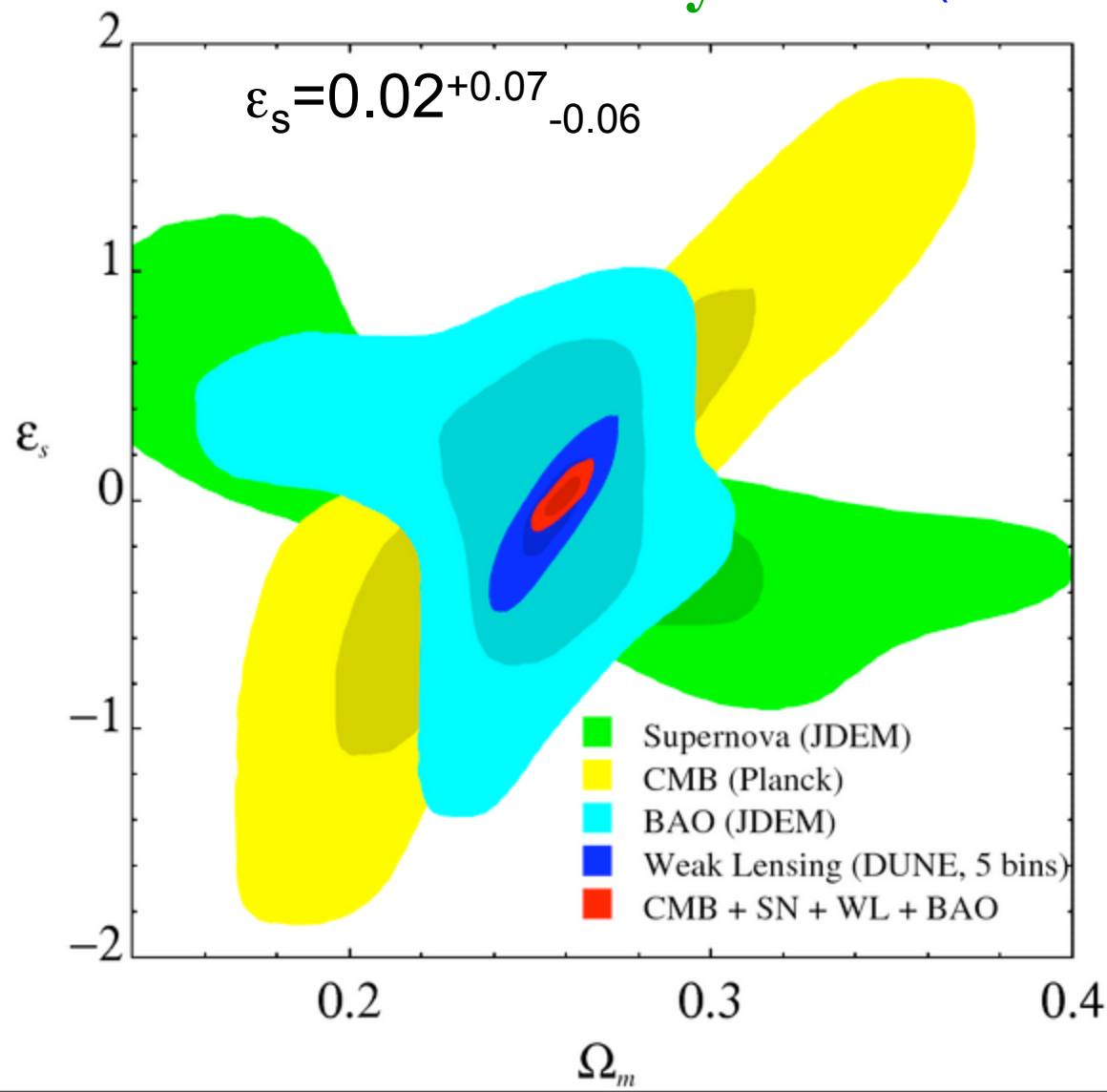
**INFLATION
NOW**

**PROBES
THEN**

Forecast: **JDEM-SN** (2500 hi-z + 500 low-z)
 + **DUNE-WL** (50% sky, gals @z = 0.1-1.1, 35/min²) +
Planck1yr **ESA (+NASA/CSA)**

$a_s < 0.21$ (95%CL)

($z_s > 3.7$)



Inflation now summary

- the data cannot determine more than 2 w -parameters (+ c_{sound} ?). general higher order Chebyshev or spline expansion in $1+w$ as for “inflation-then” $\epsilon=(1+q)$ is not that useful. **Parameter eigenmodes** show what is probed
- Any $w(a)$ leads to a viable DE model. The $w(a)=w_0+w_a(1-a)$ phenomenology requires baroque potentials
- Philosophy of HBK08: **backtrack from now ($z=0$) all w -trajectories arising from quintessence ($\epsilon_s > 0$) and the phantom equivalent ($\epsilon_s < 0$); use a 3-parameter model $\epsilon_\phi = (1+w(a))^{3/2} = \epsilon_s f(a/a_{\Lambda\text{eq}}; a_s/a_{\Lambda\text{eq}}; \zeta_s)$ to well-approximate even rather baroque w -trajectories, as well as thawing & freezing trajectories.**
- **We ignore constraints on Q-density from photon-decoupling and BBN because further trajectory extrapolation is needed. Can include via a prior on $\Omega_Q(a)$ at z_{dec} and z_{bbn} .**
- For general slow-to-moderate rolling 2 “dynamical parameters” (a_s, ϵ_s) & Ω_Q describe w to a few %. In early-scaling-exit, the information stored in a_s is erased by Hubble drag over the observable range & w can be described by a single parameter ϵ_s . for baroque w -trajectories, add a 3rd param ζ_s ($d \ln \epsilon_s / d \ln a / 2$) - not-determined now & then. freeze-out w at high z , 4th param
- prior-dependence?? e.g. $\sqrt{\epsilon_s}$, a_s near 0, $\epsilon_s > 0$ since $\epsilon_\phi < 0$ of phantom energy, negative kinetic energy is baroque
- Apr08 observations well-centered around a cosmological constant $\epsilon_s = -0.13 \pm 0.28$ $a_s < 0.33$ ($z_s > 2.0$)
cf. $\epsilon_{\phi 0} = -0.03 \pm 0.11$ if constant, $\epsilon_{\phi 0} = 0.03 \pm 0.30$ if a -linear model
- **in Planck1yr-CMB+JDEM-SN+DUNE-WL future ϵ_s to $+0.07$, a_s to < 0.21 ($z_s > 3.7$)**
- **cannot reconstruct the quintessence potential**, just the slope ϵ_s & hubble drag info
- late-inflaton field is $<$ Planck mass, but not by a lot

end